

Contents

- [E7 Lab 4 Solutions](#)
- [Question 1](#)
- [Published Test Case](#)
- [Question 2.1](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Additional Test Case](#)
- [Question 2.2](#)
- [Additional Test Case](#)
- [Question 3](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Additional Test Case](#)
- [Additional Test Case](#)
- [Additional Test Case](#)
- [Question 4.1](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Additional Test Case](#)
- [Additional Test Case](#)
- [Question 4.2](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Additional Test Case](#)
- [Additional Test Case](#)
- [Question 5.1](#)
- [Published Test Case](#)
- [Additional Test Case](#)
- [Additional Test Case](#)
- [Question 5.2](#)
- [Published Test Case](#)
- [Published Test Case](#)
- [Additional Test Case](#)

- [Additional Test Case](#)
- [Additional Test Case](#)
- [Question 5.2](#)
- [Published Test Case](#)

E7 Lab 4 Solutions

Spring 2016

```
format compact
format short
clear all
clc
close all
```

Question 1

```
type myBigONotation
```

```
%% Problem 4 - Big O Notation
```

```
function [answers] = myBigONotation()
```

```
% A common notation for complexity is called Big-O notation. Big-O notation establishes the relationship
```

```
% in the growth of the number of basic operations with respect to the size of the input as the input
```

```
% size becomes very large. As n gets large, the highest power dominates; therefore, only the highest power
```

```
% term is included in Big-O notation. Additionally, coefficients are not required to characterize growth,
```

```
% and so coefficients are also dropped. In the previous example, we counted  $4n^2 + n + 1$  basic operations
```

```
% to complete the function. In Big-O notation we would say that the function is  $O(n^2)$  (pronounced "O of
```

```
% n-squared"). We say that any algorithm with complexity  $O(nc)$  where c is some constant with respect
```

```
% to n is polynomial time.
```

```
answers={'E', 'D', 'B'};
```

```
%Example 1 =>  $O(n^3)$  => E
```

```
%Example 2 =>  $O(\log(n))$  => D
```

```
%Example 3 =>  $O(n)$  => B
```

```
end
```

Published Test Case

```
answers = myBigONotation()
```

```
answers =  
    'E'    'D'    'B'
```

Question 2.1

```
type myBraille2Double
```

```
function [result] = myBraille2Double (braille)  
% This is a function that converts braille input to a number (class  
% "double")  
  
% workflow:  
% 1. enter the braille representations for 0-9 manually  
% 2. take input "braille" and see how many digits we need to output  
% 3. loop through each sub-matrice in "braille" to obtain the digit  
% 4. and add the digit to "result" by multiplying 10^(i)  
  
% list numbers in braille representation  
one=[1 0;0 0;0 0];  
two=[1 0;1 0;0 0];  
three=[1 1;0 0;0 0];  
four=[1 1;0 1;0 0];  
five=[1 0;0 1;0 0];  
six=[1 1;1 0;0 0];  
seven=[1 1;1 1;0 0];  
eight=[1 0;1 1;0 0];  
nine=[0 1;1 0;0 0];  
zero=[0 1;1 1;0 0];  
% first detect the number of digits  
n_digits=size(braille, 2)/2;  
%initialize output  
result=0;  
for i=1:n_digits  
    % see the individual braille number to convert  
    sub_braille=braille(:,((i-1)*2+1):(2*i));  
  
    if isequal(sub_braille,one)==1;  
        digit=1;  
    elseif isequal(sub_braille,two)==1;  
        digit=2;  
    elseif isequal(sub_braille,three)==1;  
        digit=3;  
    elseif isequal(sub_braille,four)==1;  
        digit=4;  
    elseif isequal(sub_braille,five)==1;  
        digit=5;  
    elseif isequal(sub_braille,six)==1;
```

```

        digit=6;
    elseif isequal(sub_braille,seven)==1;
        digit=7;
    elseif isequal(sub_braille,eight)==1;
        digit=8;
    elseif isequal(sub_braille,nine)==1;
        digit=9;
    elseif isequal(sub_braille,zero)==1;
        digit=0;
    end
    result=result+digit*(10^(n_digits-i));
end

end

```

Published Test Case

```

[result] = myBraille2Double ([ 1 , 0 , 1 , 1 ; 1 , 0 , 0 , 1 ; 0 , 0 , 0 , 0 ])

result =
    24

```

Published Test Case

```

[result] = myBraille2Double ([ 1 , 0 , 1 , 1 , 1 , 0 ; 1 , 0 , 0 , 1 , 0 , 0 ; 0 , 0 , 0 , 0 ,
0 , 0 ])

result =
    241

```

Additional Test Case

```

[result] = myBraille2Double ([[1 0; 0 0; 0 0] [1 0; 0 1; 0 0] [1 1; 0 0; 0 0] [1 1;1 0; 0 0]])

result =
    1536

```

Question 2.2

```

type myBraille2ASCII

function [ ASCII] = myBraille2ASCII(braille)

% This function converts number in braille to number in ASCII

```

```

% workflow:
% 1: use the function "myBraille2Double" to obtain the double number first
% 2: use the number of digits to create an array for the ASCII output
% 3: go through each digit in the double number and put the conversion into
% the ASCII array.

number=myBraille2Double(braille);
numberstr=num2str(number);

n_digits=numel(numberstr);
ASCII=zeros(1,n_digits);

for i=1:n_digits
    digit=numberstr(i);
    ASCII(i)=digit+0;
end

end

```

Additional Test Case

```
result = myBraille2ASCII([[1 0; 0 0; 0 0] [1 0; 0 1; 0 0] [1 1; 0 0; 0 0] [1 1;1 0; 0 0]])
```

```

result =
    49    53    51    54

```

Question 3

```
type myBinary2Num
```

```

function [result] = myBinary2Num(binary, representation)

%binary is a character string of length 8 made of only zeros and ones, and representation
%is the name of the representation used for binary, given as a character string that can take
%one of the three following values: 'unsigned', 'sign-magnitude' and 'twos complement'.
%Your function should return in its output argument result the number (in base 10, Matlab
%class double)

% guidance:
% write individual "if" loops for each representation

numberstr=num2str(binary);
result=0;
if strcmp(representation,'unsigned');
    for i=1:numel(numberstr)
        if numberstr(i)=='1';
            result=result+2^(7-i+1);
        end
    end
end

```

```

end
elseif strcmp(representation,'sign-magnitude');
    if numberstr(1)=='1';
        sign=-1;
    elseif numberstr(1)=='0';
        sign=1;
    end

    for i=2:numel(numberstr)
        if numberstr(i)=='1'
            result=result+2^(6-i+2);
        end
    end

    result=result*sign;
elseif strcmp(representation,'twos complement')

    if numberstr(1)=='1';
        result=result-(2^7);
    elseif numberstr(1)=='0';
        result=result+0;
    end

    for i=2:numel(numberstr)
        if numberstr(i)=='1'
            result=result+2^(6-i+2);
        end
    end
end
else
    'Please enter a valid string for representation'
end
end

```

Published Test Case

```
result = myBinary2Num('11001000' , 'unsigned')
```

```
result =
    200
```

Published Test Case

```
result = myBinary2Num('11001000' , 'sign-magnitude')
```

```
result =
   -72
```

Published Test Case

```
result = myBinary2Num('11001000' , 'twos complement')
```

```
result =  
-56
```

Additional Test Case

```
result = myBinary2Num('01001110','unsigned')
```

```
result =  
78
```

Additional Test Case

```
result = myBinary2Num('11001110','sign-magnitude')
```

```
result =  
-78
```

Additional Test Case

```
result = myBinary2Num('11001110','twos complement')
```

```
result =  
-50
```

Question 4.1

```
type myCompareFloats
```

```
function [ exact , approx ] = myCompareFloats (x , y , tolerance)  
% where x, y, and tolerance are scalars of class double, and exact and approx are scalars  
% of class logical. exact should be true (logical 1) if and only if x == y evaluates to true  
% in Matlab. approx should be true if and only if the difference between x and y (in absolute  
% value) is less than or equal to tolerance.
```

```
% note: remember to put the absolute value for "approx"
```

```
exact=(x==y);  
approx=(abs(x-y)<=tolerance);
```

```
end
```

Published Test Case

```
[exact,approx] = myCompareFloats(2+3 , 5 , 0)
```

```
exact =
    1
approx =
    1
```

Published Test Case

```
[exact,approx] = myCompareFloats(0 , 0.001 , 1e-2)
```

```
exact =
    0
approx =
    1
```

Published Test Case

```
[exact,approx] = myCompareFloats(0 , 0.001 , 1e-9)
```

```
exact =
    0
approx =
    0
```

Additional Test Case

```
[exact,approx] = myCompareFloats(1000,1000.001, 0.01)
```

```
exact =
    0
approx =
    1
```

Additional Test Case

```
[exact,approx] = myCompareFloats(1000,1000.1, 0.01)
```

```
exact =
    0
approx =
```


Question 4.2

```
type mySingle2Decimal
```

```
function [result] = mySingle2Decimal (binary)

% workflow:
% define the values s,d,e,f first
% then do "if" loops to calculate the output.

numberstr=num2str(strtrim(binary));
value_s=numberstr(1);
value_d=127;
value_e=myBinary2Num(numberstr(2:9),'unsigned');

% calculate value_f below
value_f=0;
for i=10:32;
    if numberstr(i)=='1'
        value_f=value_f+2^(9-i);
    end
end

if value_e~=0 & value_e~=255
    result=(-1)^(value_s)*(2^(value_e-value_d))*(1+value_f);
elseif value_e==0 & value_f~=0
    result=(-1)^(value_s)*(2^(1-value_d))*value_f;
elseif value_e==0 & value_f==0
    result=0;
elseif value_e==255 & value_f==0
    result=(-1)^(value_s)*Inf;
elseif value_e==255 & value_f~=0
    result=0/0;
end

end
```

Published Test Case

```
result = mySingle2Decimal ('001111111110000000000000000000')
```

```
result =
    1.8750
```

Published Test Case

```
result = mySingle2Decimal ('10111111000000000000000000000000')
```

result =
-0.5000

Published Test Case

```
result = mySingle2Decimal ('00100000100000000000000000000001')
```

result =
2.1684e-19

Published Test Case

```
result = mySingle2Decimal ('11111111100000000000000000000000')
```

result =
-Inf

Published Test Case

```
result = mySingle2Decimal ('11111111100000000000000000000001')
```

result =
NaN

Additional Test Case

```
result = mySingle2Decimal ('10111111010000000000000000000000')
```

result =
-0.7500

Additional Test Case

```
result = mySingle2Decimal ('00100000100000000000111000000001')
```

result =

Question 5.1

```
type myCompareElements
```

```
function [result] = myCompareElements (element1, element2)
%Function:  myCompareElements goal is provide an comparison between two
%           character strings.
%Input:     Element1 and Element2 are the names as character strings of two elements.
%           Note: First letter is uppercase, rest are lower
%Output:    This function returns one of the following numbers as result:
%           0 if the same
%           1 if element 1 comes before 2
%           -1 if element 1 comes after 2

% Force strings to be equal in length
x=char({element1;element2});

% Subtract one from the other
d = x(1,:) - x(2,:);

% Remove zero entries
d(~d) = [];
if isempty(d)
    result = 0;
else
    result = d(1);
end

% Convert to -1,0,1 format
if result>0
    result=-1;
elseif result<0
    result=1;
end
end
```

Published Test Case

```
element1 = 'Hydrogen' ; element2 = 'Carbon' ;
result = myCompareElements (element1 , element2)
result = myCompareElements (element2 , element1)
result = myCompareElements (element1 , element1)
```

```
result =
    -1
result =
     1
result =
     0
```

Additional Test Case

```
element1='Uranium'; element2='Boron';  
result = myCompareElements (element1 , element2)  
result = myCompareElements (element2 , element1)  
result = myCompareElements (element1 , element1)
```

```
result =  
    -1  
result =  
     1  
result =  
     0
```

Additional Test Case

```
element1='Plutonium'; element2='Hydrogen';  
result = myCompareElements (element1 , element2)  
result = myCompareElements (element2 , element1)  
result = myCompareElements (element1 , element1)
```

```
result =  
    -1  
result =  
     1  
result =  
     0
```

Question 5.2

```
type mySortElements
```

```
function [sorted]=mySortElements(elements)  
%Function Input: (elements) Array of elements in cell format  
%Fucntion Output: (sorted)  Array of sorted elements
```

```
sorted=cell(1,numel(elements)); %Create empty cell
```

```
for i=1:numel(elements) %Use function to determine every comparison  
    for j=1:numel(elements)  
        temp(i,j)=myCompareElements(elements{i},elements{j});  
    end  
end  
sums=sum(temp,2)';
```

```
for i=1:numel(elements) %Find min, put in min location  
    [m, k] = min(sums);
```

```
sorted(i)=elements(k);
sums(k)=100000; %Value such that will never be min
end

sorted = flip(sorted); %Correct so A->Z
end
```

Published Test Case

```
elements={'Hydrogen','Calcium'};
sorted=mySortElements(elements)
```

```
sorted =
    'Calcium'    'Hydrogen'
```

Published Test Case

```
elements={'Hydrogen' , 'Carbon' , 'Magnesium' , 'Calcium' , 'Carbon'};
sorted=mySortElements(elements)
```

```
sorted =
    'Calcium'    'Carbon'    'Carbon'    'Hydrogen'    'Magnesium'
```

Additional Test Case

```
elements={'Helium','Xenon','Radon','Neon','Helium','Krypton'};
sorted=mySortElements(elements)
```

```
sorted =
    'Helium'    'Helium'    'Krypton'    'Neon'    'Radon'    'Xenon'
```

Additional Test Case

```
elements={'Dubnium','Bohrium','Copernicium','Meitnerium','Roentgenium'};
sorted=mySortElements(elements)
```

```
sorted =
    'Bohrium'    'Copernicium'    'Dubnium'    'Meitnerium'    'Roentgenium'
```

Additional Test Case

```
elements={'Argon','Argon'};
sorted=mySortElements(elements)
```

```
sorted =  
    'Argon'    'Argon'
```

Question 5.2

```
type myCompareSorting
```

```
function [] = myCompareSorting (n)  
  
% Write a function that compares the efficiency of the mySortElements function you wrote in part 2 of  
% this problem to the efficiency of the sorting function GSISortElements that is available as a  
% .p file on bCourses. Here, we define efficiency as the time taken by the sorting function to  
% sort  
% a given list of elements. Note that there are many other criteria that should be considered  
% for a more exhaustive characterization of the efficiency of an algorithm (for example RAM  
% usage), but we ignore these in this assignment. Use the following header for your function  
  
% The function's input argument n is an integer (Matlab class ?double?) strictly greater  
% than zero.  
  
%Initialize time vectors and Random element list  
time_student = zeros(1,n);  
time_GSI = zeros(1,n);  
NewElements=GSIRandomElements(n);  
  
%Execute for loop to determine toc times for each respective element for n  
%cases each  
for i=1:n  
  
    tic;  
    myAns=mySortElements(NewElements(1:i)); %Student Sorting  
    time_student(i)=toc;  
  
    tic;  
    GSIAns=GSISortElements(NewElements(1:i)); %GSI Sorting  
    time_GSI(i)=toc;  
end  
  
% Plot Figure: Size of list vs Time per algorithm  
  
figure('color','white'); clf;  
plot(1:n,time_student,1:n,time_GSI)  
set(gca,'fontname','times','fontsize',14)  
hold all; box on;  
xlabel('Size of list to sort')  
ylabel('Time taken to sort algorithm (s)');  
legend('Student Algorithm','GSI Algorithm');  
title('Comparison of Sorting Algorithms');  
end
```

Published Test Case

```
myCompareSorting(20)
```

