

Pseudocode – Representing algorithms

- ▶ Is it a programming language?
 - ▶ No, but it is something close.
 - ▶ It is not close enough to any particular language to give anyone an unfair advantage.
 - ▶ Provides a language independent way to describe an algorithm.
 - ▶ Formal enough to convert into any programming language.
 - ▶ Let's see some pseudocode writing rules!
 - ▶ Very important - be consistent!



Let's take an example – Insertion sort

INSERTION-SORT(A)

 for $j \leftarrow 2$ to $\text{length}[A]$

$\text{key} \leftarrow A[j]$

$i \leftarrow j - 1$

 while $i > 0$ and $A[i] > \text{key}$

$A[i+1] \leftarrow A[i]$

$i \leftarrow i - 1$

$A[i+1] \leftarrow \text{key}$

INSERTION-SORT(A)

 for $i \leftarrow 1$ to $\text{length}[A]$

$\text{key} \leftarrow A[i]$

$j \leftarrow i$

 while $j > 0$ and $A[j-1] > \text{key}$

$A[j] \leftarrow A[j-1]$

$j \leftarrow j - 1$

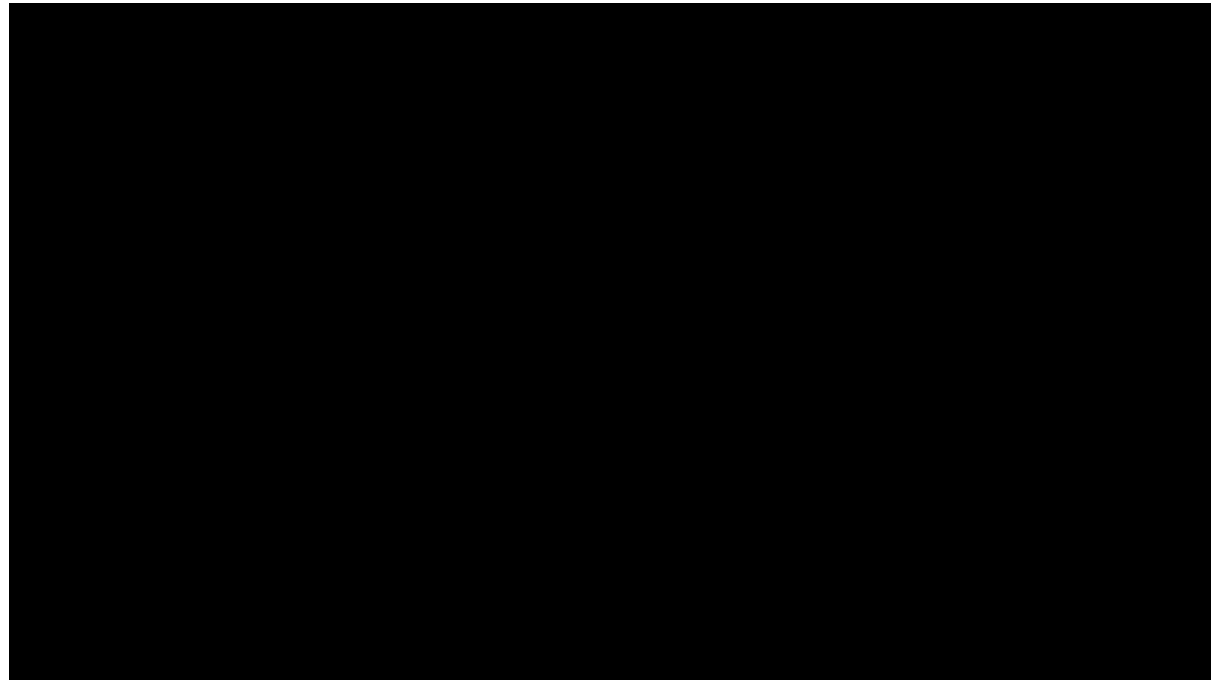
$A[j] \leftarrow \text{key}$



How does insertion sort work?

Is there any difference between the versions on the previous slide?

How does this “code” differ from Python or C++?



Pseudocode conventions - Assignment

- ▶ Pseudo-code uses \leftarrow for assignment instead of '=' used by most programming languages.
- ▶ '=' is used for comparison instead of '=='
- ▶ Multiple assignment is achieved with: $a \leftarrow b \leftarrow 0$ (a and b are variables).
- ▶ Variables are considered local; for global we should explicitly state so.
- ▶ Arrays in pseudocode sometimes start at 1, unlike most programming languages which start at 0. Accessing array elements - standard way $A[i]$, where i is the position of the element in the array.
- ▶ Range of an array: $A[1..j]$ - j elements.
- ▶ Depends on the author -> Consistency is key!



Pseudocode conventions - Indentation

- ▶ Code blocks are defined with indentation, this will be familiar to Python programmers
- ▶ Example:
 - if (proposition p is true)
 - this gets done if p is true
 - this also gets done if p is true
 - this gets done regardless of whether or not p is true
- ▶ This also applies to loops and functions.



Pseudocode conventions – Loops and conditionals

- ▶ Loops, such as while and for retain their commonly understood meanings, as do if and else statements.
- ▶ Loop counters retain their value after the loop has finished
-> the value it will have after exiting a for loop is the first value that exceeded the loop bound.
- ▶ To and Downto keywords.
- ▶ Example: `for i <- 1 to length[L]` the value of i will be `length[L] + 1` (or `n + 1`)



Pseudocode conventions - Functions

- ▶ Capitalise function name, include parameters in brackets.
- ▶ Example: DO-STUFF(THING1, DATE)



Pseudocode conventions - Boolean operators

- ▶ And, Or logical operations.
- ▶ Short circuiting - do you remember from last year?
- ▶ x and y - we first evaluate x
- ▶ What happens if x is False?
- ▶ What happens if x is True?
- ▶ Allows us to work with things like $(x \neq \text{NIL and } x.f = y)$.



Pseudocode conventions - Miscellaneous

- ▶ If you want to add comments to the pseudocode, use the `//` symbol.
- ▶ We use return statements - the difference compared to traditional programming languages is that we can return multiple values in a single return statement.
- ▶ Write only one statement per line.
- ▶ It has to be language independent - common mistake is writing Python code as due to its high level style it can be impulse.



Pseudocode examples – GCD and SMC

- ▶ Write the pseudocode for an algorithm that computes the greatest common divisor (gcd) and the smallest common multiple (smc) of two natural numbers, a and b .
- ▶ What is a GCD? The gcd of two or more integers, when at least one of them is not zero, is the largest positive integer that divides the numbers without a remainder. For example, the gcd of 8 and 12 is 4.
- ▶ What is a LMC? The smc of two integers a and b , is the smallest positive integer that is divisible by both a and b . For example, the lmc of 4 and 6 is 12.



Pseudocode examples – GCD and SMC

- ▶ To compute $\text{gcd}(48, 18)$, divide 48 by 18 to get a quotient of 2 and a remainder of 12. Then divide 18 by 12 to get a quotient of 1 and a remainder of 6. Then divide 12 by 6 to get a remainder of 0, which means that 6 is the gcd.
- ▶ $\text{gcd}(a, 0) = a$
- ▶ $\text{gcd}(a, b) = \text{gcd}(b, a \bmod b)$
- ▶ Euclid's algorithm

Pseudocode examples – GCD and SMC

COMPUTE_GCD_LMC(a,b)

 a1 <- a

 b1 <- b

 rem <- a1 mod b1

 while (rem != 0)

 a1 <- b1

 b1 <- rem

 rem <- a1 mod b1

 gcd <- a1

 lmc <- a mult b div gcd



Pseudocode examples – Palindrome

- ▶ Read from the keyboard a natural number n . Check if this number is palindrome.
- ▶ What is a palindromic number?
- ▶ A palindromic number is a number that remains the same when its digits are reversed. For example, 27472.



Pseudocode examples – Palindrome

CHECK_PALIDROME(n)

 r <- reversed n

 for i <- 0 to (n.length + 1) div 2

 if r[i] ≠ n[i]

 return FALSE

 return TRUE

