

# The Puzzle of Educated Unemployment in West Africa

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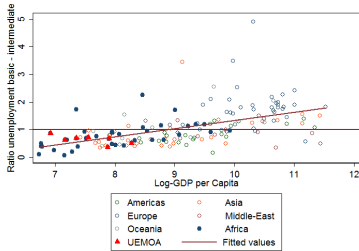
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# Motivation

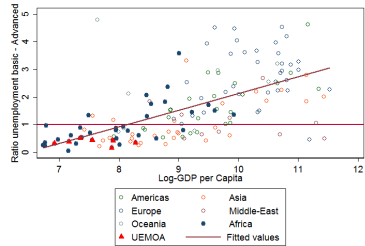
- Unemployment decreases in education in most developed countries
  - Trickle-down of unemployment (Mincer 1991, Barnichon & Zylberberg 2021)
- Unemployment **increases** with education in many developing countries Educated Unemployment
- Puzzling because self-employment is widespread
- Many possible mechanisms
  - Frictional labour markets
  - Role of the public sector
  - Importance of family background
- Major policy concern
  - Sustainable development goals (education, employment)

Research Questions

# The puzzle of educated unemployment



**Figure:** Ratio unemployment rate basic – intermediate education



**Figure:** Ratio unemployment rate basic – advanced education

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# Questions and contributions

## Research questions

- 1 Why are educated workers more likely to be unemployed than their uneducated peers?
- 2 (How much) Is the public sector contributing to it?
- 3 Which labour market policies can reduce educated unemployment?

# Questions and contributions

## Research questions

- ❶ Why are educated workers more likely to be unemployed than their uneducated peers?
- ❷ (How much) Is the public sector contributing to it?
- ❸ Which labour market policies can reduce educated unemployment?

- Study these question in the context of West Africa Public hiring
- Develop and estimate a search and matching model
  - heterogeneous workers (education, parental background)
  - multiple labour market sectors, incl. self-employment Employment sectors
- Public sector distortions
  - wage offers, minimum wage rule
  - vacancies
- Simulate different labour market policies in equilibrium

# Related literature

- **Education and unemployment**

- Migration prospects:  
Fan & Stark (2007); Stark & Fan (2011)
- Skill-biased technological change:  
Feng & al. (2021 WP)
- Trickle-down of unemployment:  
Gautier (2002); Barnichon & Zylberberg (2021)

- **Labour markets in developing countries**

- Youth unemployment in Sub-Saharan Africa:  
Alfonsi & al. (2020); Abebe & al. (2021); Duflo & al. (2021)
- Informal sector/self-employment:  
Albrecht & al. (2011); Meghir & al. (2015); Langot & Yassin (2017); Narita (2021); Rud & Trapeznikova (2021); Poschke (2018 WP)
- Public sector:  
Langot & Yassin (2017); Albrecht & al. (2019)

# Outline

- 1 Model sketch
- 2 Data, Estimation and Results
- 3 Policy simulations
- 4 Conclusion

# A search- and matching model

Framework: Search- and matching model with public sector & self-employment

- Labour demand: **Three labour market sectors**
  - private (formal) sector
  - exogenous public sector
  - self-employment: workers as entrepreneurs
    - exogenous job destruction in all sectors



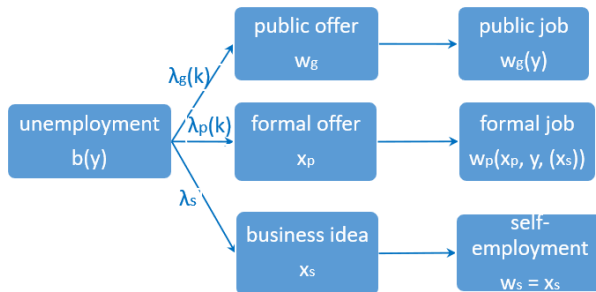
# A search- and matching model

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- Labour demand: **Three labour market sectors**
  - private (formal) sector
  - exogenous public sector
  - self-employment: workers as entrepreneurs  
→ exogenous job destruction in all sectors
- Labour supply: **Heterogeneous workers**
  - heterogeneity  $y = (h, k)$ : education-parental background
  - costless random search
  - get job offer at rate  $\lambda_j$  in sector  $j$   
→  $\lambda_j$  depends on parental background  $k$  for public/private jobs
  - accept/reject offer  
→ acceptance thresholds  $R_j(y)$  differ by  $y$  & sector → sorting
  - only continue search when self-employed

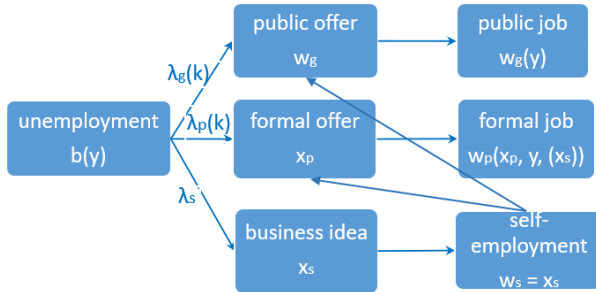
# Sketch of the worker's problem

Problem of a worker of type  $y$  (i.e. education  $h$ , parental background  $k$ )



# Sketch of the worker's problem

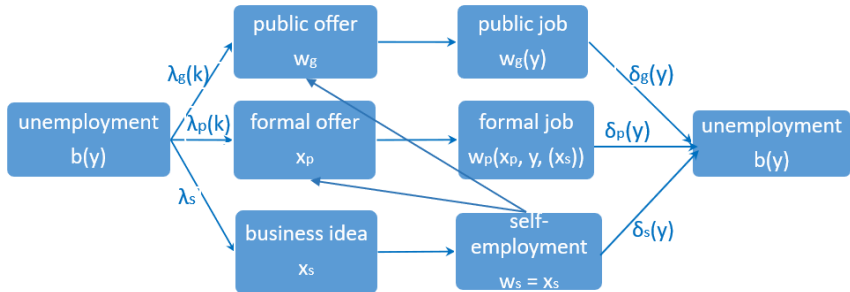
Problem of a worker of type  $y$  (i.e. education  $h$ , parental background  $k$ )



# Sketch of the worker's problem

Problem of a worker of type  $y$  (i.e. education  $h$ , parental background  $k$ )

Worker's problem: equations



# Private firms, public sector & self-employment

## Private (formal) firm

- endogenous vacancy creation
- Nash bargaining over wage

Firm's problem: equations

- $w_p(x_p, y) = \beta x_p + (1 - \beta)rV_U(y)$

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## (Exogenous) Public sector

- fixed vacancy posting  $v_g$
- public wage  $w_g(y) \geq \bar{w}_g$

→ Cobb-Douglas matching in public and private sector:

$$m = A^\eta (v_p + v_g)^{1-\eta}$$

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## Self-employment

- business ideas arrive independently at rate  $\lambda_s$
- self-employment income equals productivity:  $w_s(y) = x_s$
- continue to receive public/private offers (at lower rate):  $\psi \lambda_j$

# Model solution & steady-state equilibrium

## Solution of the model

- ① solve the worker's problem  
→ reservation productivity for each sector  $j$  by type  $y$  Res. productivity
- ② solve the firm's problem Vacancy  
→ private vacancies  $v_p$
- ③ public sector only hires if:  $w_g(y) \geq \underline{\omega}_h$   
→ match only happens if  $w_g(y) \geq \max(\underline{\omega}_h, R_g(y))$
- ④ steady-state conditions on unemployment and sectoral employment  
steady-state conditions



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## Equilibrium pins down:

- sectoral reservation productivities  $R_j(y)$
- offer arrival rates  $\lambda_j$ :  
LM tightness  $k$ , formal vacancy share  $\phi$

## Data, Estimation and Results

# Data

## Data

- 1-2-3 Survey in seven West African capitals [Map](#)
- cross-sectional household labour force survey in 2001-2003
- key feature: self-employment income, labour market transitions

## Identification and estimation

- assumption: steady-state equilibrium
- estimation by simulated method of moments
  - minimise (weighted) squared distance between observed and simulated moments:  $\hat{\theta}_{MSM} = \arg \min (\hat{\mu}(\theta) - \hat{m})' W (\hat{\mu}(\theta) - \hat{m})$
- 50 (46) parameters
  - log-normal wage offer distribution parameters  $\mu_j, \sigma_j$
  - reservation wage  $R_p(h, k)$ , minimum wage rule  $\underline{\omega}_h$
  - search efficiency in self-employment, high  $k$ :  $\psi, \xi$
  - arrival rates  $\lambda_j$
  - destruction rates  $\delta_j(h)$
  - 4 parameters fixed ex-ante
- 263 observed moments Identification
  - type distribution  $P(h, k)$  is observed
  - unemployment rates
  - trimmed **wage distributions**
  - sectoral size and **worker distribution**
  - sectoral **employment duration**
  - 3-year transition rates

# Results

## Goodness of fit

- Unemployment rates GoF Unemp
- Other moments

## Estimation results for Burkina Faso and Senegal

- Low job arrival rates  $\lambda_j \rightarrow$  high frictions
- High inefficiency in public hiring, high public minimum wage  $\underline{\omega}_h$
- Differential job destruction  $\delta_j(h)$
- Key difference between Burkina & Senegal: private sector is more marginal in Burkina

# Public sector distortions (Burkina Faso)

	Baseline	Align offers (1)		No min. wage (2)		Same wages (1) + (2)		Same destr. (3)	No pub. sect. (4)
		$v_g$ fixed	bill fixed	$v_g$ fixed	bill fixed	$v_g$ fixed	bill fixed	$v_g$ fixed	$v_g - 99\%$
	(i)	(ii)	(iii)	(iv)	(v)	(vi)	(vii)	(viii)	(ix)
<b>Burkina Faso</b>									
Unemp.	16.6%	8.2%	10.1%	10.4%	12.3%	7.7%	9.9%	15.7%	10.2%
Ed. unemp.	3.1%	1.0%	0.8%	1.1%	1.4%	0.5%	0.7%	2.9%	0.9%
Public	15.9%	65.7%	16.2%	55.7%	34.5%	67.9%	17.5%	15.7%	0.1%
Private	12.8%	0.0%	44.3%	0.0%	14.7%	0.0%	43.7%	18.4%	60.4%
Self-emp.	54.6%	26.0%	29.4%	33.9%	38.5%	24.3%	28.8%	50.2%	29.2%
Welfare	31.1	68.6	57.8	25.8	31.0	68.9	57.8	33.3	58.9
Public bill	12.5	61.0	12.5	17.2	12.5	61.4	12.5	10.2	0.1
Share prior $v_g$	1	1	0.08	1	0.62	1	0.08	1	0.1

## Policy simulations for Burkina Faso (Ouagadougou)

# Labour market policy simulations

- Three popular labour market policies
  - 1 Public vacancy creation
  - 2 Reduce recruitment costs for private firms
  - 3 Subsidise self-employment
- Compare their effects on labour market equilibrium
  - (educated) unemployment:
 
$$EdU := \sum_{(h,k)} P(h, k) \left( U_h - \min \left\{ U_{\tilde{h}} : \tilde{h} < h \right\} \right).$$
  - sectoral shares
  - workers' welfare (overall, by type)
- Keep **government expenditures constant** across policies:
  - initial public wage bill:
 
$$B_0 := \sum_{(h,k)} P(h, k) n_g(h, k) \frac{\int_{R_{ug}(h,k)} \omega dF_{(\Omega|h)}(\omega|h)}{1 - F_{(\Omega|h)}(R_{ug}(h, k)|h)}$$
  - policy related costs: subsidy to vacancy creation, self-employment subsidy



# Costs of different policies: Burkina Faso

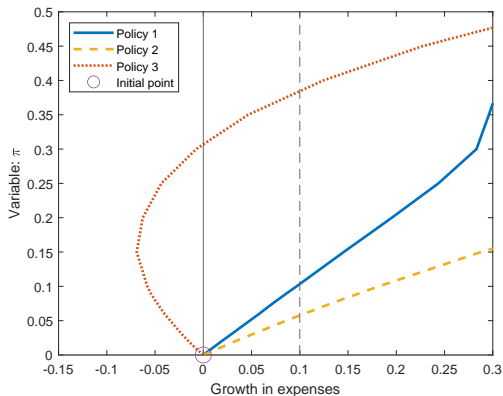


Figure: Relationship between  $\pi$  and government expenses growth

# Policies: Unemployment and educated unemployment

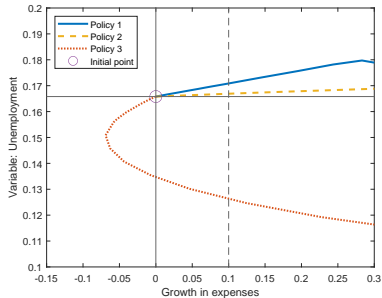


Figure: Unemployment

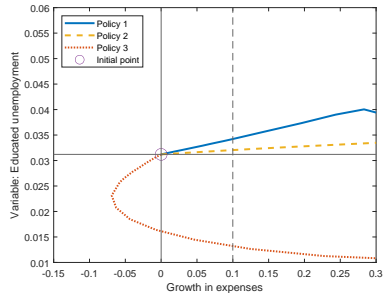


Figure: Educated Unemployment

# Policies: Public and private sector employment

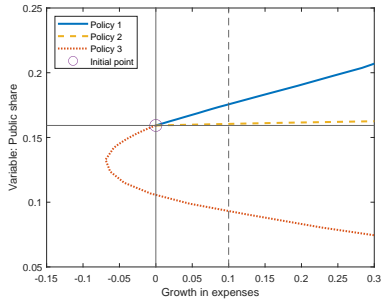


Figure: Public Sector

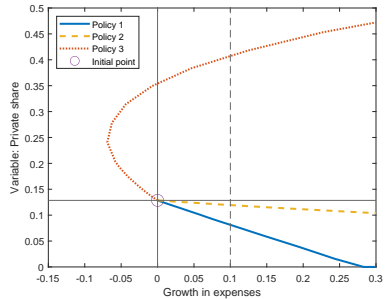


Figure: Private sector

# Policies: Welfare

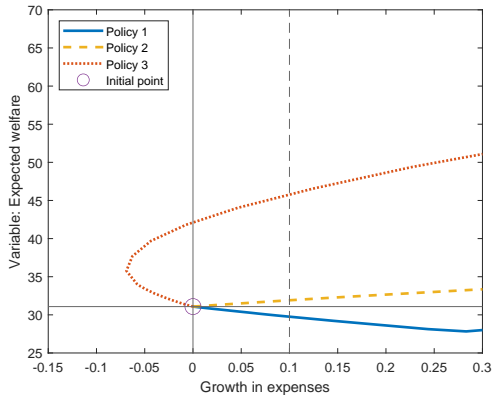


Figure: Workers' welfare

# Which policy is best?

## Public sector vacancy creation

- overall unemployment increases, welfare stagnates
- public vacancies **displace private vacancies**

## Reducing vacancy posting cost

- private **vacancies increase**
- unemployment drops, welfare increases

## Subsidising self-employment

- incomes in self-employment increase → private **vacancies decrease**
- unemployment increases marginally, slight increase in welfare

# Conclusion

Educated unemployment because of

- high **frictions** (jobs are hard to come by)
- public sector distortions
- differential destruction (mismatch?)

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Educated unemployment because of

- high **frictions** (jobs are hard to come by)
- public sector distortions
- differential destruction (mismatch?)

Lessons for public policy

- negative (unintended) effects of public vacancy creation
- positive effects of vacancy posting cost reduction
- subsidising self-employment increases welfare, but unemployment, too!

Indirect labour market policies ...

... reduce frictions, and  
... should be preferred over public employment creation!

Thank you for your attention!

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# The role of the public sector



Figure: Stadium Iba Mar Diop in February 2012

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# Public, private and self-employment

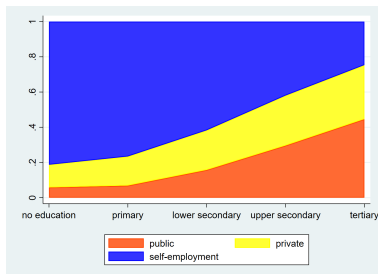


Figure: Sector of employment (men)

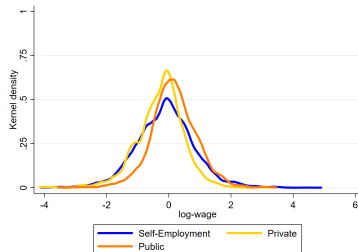


Figure: Residual wages by sector (men)

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# The worker's problem

## Unemployment value

$$\begin{aligned} rV_U(y) = & b(y) + \lambda_p(k)\mathbb{E}_{X,p} \max\{V_p(x_p, y) - V_U(y), 0\} \\ & + \lambda_g(k)\mathbb{E}_{X,g} \max\{V_g(x_g, y) - V_U(y), 0\} \\ & + \lambda_s\mathbb{E}_{X,s} \max\{V_s(x_s, y) - V_U(y), 0\} \end{aligned}$$

- flow value of unemployment  $b(y)$
- job arrival rates  $\lambda_j$ , productivity/wage distributions  $F_{x_j}$

## Employment value in sector $j$

$$\begin{aligned} rV_j(x_j, y) &= w_j(x_j, y) + \delta_j(y) (V_U(y) - V_j(x_j, y)) && \text{for } j=g,p \\ rV_k(x_j, x_s, y) &= w_k(x_j, x_s, y) + \delta_j(y) (V_U(y) - V_k(x_j, x_s, y)) && \text{for } k=gs,ps \\ rV_s(x_s, y) &= x_s + \delta_s(y) (V_U(y) - V_s(x_s, y)) && \text{for self-employment} \\ &+ \psi \lambda_p(k)\mathbb{E}_{X,p} \max\{V_{ps}(x_p, y) - V_s(x_s, y), 0\} \\ &+ \psi \lambda_g(k)\mathbb{E}_{X,g} \max\{V_{gs}(x_p, y) - V_s(x_s, y), 0\} \end{aligned}$$

- wage  $w_j$  and production  $x_s$
- destruction rates  $\delta_j$  [back](#)

# Solution to worker's problem: Reservation productivity

- Wage from Nash bargaining is:  
 $w_p(x_p, y) = \beta x_p + (1 - \beta)rV_U(y)$
- Assume public wage rule to be:  
 $w_g(x_g, y) = \pi(y) + \gamma x_g + (1 - \gamma)rV_U(y)$

Reservation productivity:  $R_p(y) = rV_u(y)$

$$\begin{aligned} R_p(y) = & b(y) + \frac{\lambda_{p,u}\beta}{r+\delta_p(y)} \int_{R_p(y)} [x - R_p(y)] dF_{X,p}(x|y) \\ & + \frac{\lambda_{g,u}}{r+\delta_g(y)} \int_{R_g(y)} [w_g(x, y) - R_p(y)] dF_{X,g}(x|y) \\ & + \frac{\lambda_s}{r+\delta_p(y)} \int_{R_s(y)} [R_{p,s}(x_s, y) - R_p(y)] dF_{X,s}(x|y) \end{aligned}$$

$$\begin{aligned} R_s(y) = & R_p(y) - \frac{\lambda_{p,s}\beta}{r+\delta_p(y)} \int_{R_p(y)} [x - R_p(y)] dF_{X,p}(x|y) \\ & - \frac{\lambda_{g,s}}{r+\delta_g(y)} \int_{R_{g,s}(R_s(y), y)} [w_g(x, y) - R_p(y)] dF_{X,g}(x|y) \end{aligned}$$

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# Formal sector firm's problem

## Value of filled job

$$rJ_u(x, y) = x - w_p(x, y) - \delta_p(y)J_u(x, y)$$

$$rJ_s(x, x_s, y) = x - w_{p,s}(x, x_s, y) - \delta_p(y)J_s(x, x_s, y)$$

- no vacancy posting after job destruction

## Value of private sector vacancy posting

$$rV = -c + q(k) \frac{u}{u+\psi_s} \mathbb{E}_{FX,Y,p} \max\{J_u(x, y) - V, 0\} \\ + q(k) \frac{\psi_s}{u+\psi_s} \mathbb{E}_{FX,x_s,Y,p} \max\{J_s(x, x_s, y) - V, 0\}$$

- vacancy posting cost  $c$
- contacts per vacancy  $q(k)$  ( $k$  is LM tightness)
- joint distribution of  $x_p, y$  among unemployed and self-employed by parental background [back](#)

# Solve firm's problem: Vacancy posting

- assume free-entry  $\rightarrow V = 0$

## Vacancy posting condition

$$\begin{aligned} c = & q(k) \frac{u}{u+\psi_s} \int \int_{R_p(y)} \frac{1-\beta}{r+\delta_p(y)} (x - R_p(y)) dF_{X,p}(x|y) dF_Y(y|U) \\ & + q(k) \frac{\psi_s}{u+\psi_s} \\ & \int \int_{R_s(y)} \int_{R_{ps}(x_s, y)} \frac{1-\beta}{r+\delta_p(y)} (x - R_{ps}(x_s, y)) dF_{X,p}(x|y) dF_{X,s}(x_s|y) dF_Y(y|S) \end{aligned}$$

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# Steady state conditions

## Steady state size of each sector

$$\begin{aligned}\delta_p(y)n_p(y) &= \lambda_p [1 - F_{X,p}(R_p(y)|y)] u(y) \\ &+ \lambda_{p,s} \int_{R_s(y)} [1 - F_{X,p}(R_{p,s}(x_s, y)|y)] dF_{X,s}(x_s|y)n_s(y) \\ \delta_g(y)n_g(y) &= \lambda_g [1 - F_{X,g}(R_g(y)|y)] u(y) \\ &+ \lambda_{g,s} \int_{R_s(y)} [1 - F_{X,g}(R_{g,s}(x_s, y)|y)] dF_{X,s}(x_s|y)n_s(y) \\ \delta_s(y)n_s(y) &= \lambda_s [1 - F_{X,s}(R_s(y)|y)] u(y) \\ &- \lambda_{p,s} \int_{R_s(y)} [1 - F_{X,p}(R_{p,s}(x_s, y)|y)] dF_{X,s}(x_s|y)n_s(y) \\ &- \lambda_{g,s} \int_{R_s(y)} [1 - F_{X,g}(R_{g,s}(x_s, y)|y)] dF_{X,s}(x_s|y)n_s(y) \\ 1 &= n_p(y) + n_g(y) + n_s(y) + u(y)\end{aligned}$$

# Map of West Africa



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# Identification

Parameter	Moment	#
Income/productivity distribution by sector $F_{x,j,y}$		
Public sector: $\mu_g(h), \sigma_g(h)$	Mean & std. dev. of public income by education and background	20
Private sector: $\mu_p(h), \sigma_p(h)$	Mean & std. dev. of private income by education and background	20
Self-employment: $\mu_s(h), \sigma_s(h)$	Mean & std. dev. of self-employment income by education and background	20
	Mean of public and private income by education conditional on past self-employment	10
Reservation wages, public minimum wage, search efficiency		
Reservation wage private sector: $R_{up}(h, k)$	1st percentile of private income by education and background	10
Public min. wage rule: $\underline{w}_h$	1st percentile of public income by education and background	10
Search efficiency in self-employment: $\psi$	1st percentile of self-employment income by education and background	10
Search efficiency with high parental background: $\zeta$	same as above and sectoral shares by background as below	
Offer arrival and destruction rates		
Self-employment arrival rate: $\lambda_s$	Share of self-employment by education and background	10
Labour market tightness: $\kappa$	Share of public sector by education and background	10
Share of private vacancies: $\phi$	Share of private sector by education and background	10
Destruction rates: $\delta_j(h)$	Mean employment duration by sector	3
	Unemployment rate by education and background	10
All above	Corrected 3-year transition rates by education	80
	Educational-background composition of each sector	40
Calibrated parameters		
Interest rate: $r = 0.10$		
Bargaining power worker: $\beta = 0.5$		
Matching elasticity: $\eta = 0.5$		
Matching efficiency: $A = 0.1$		
Total moments		263

# Goodness of fit: Unemployment

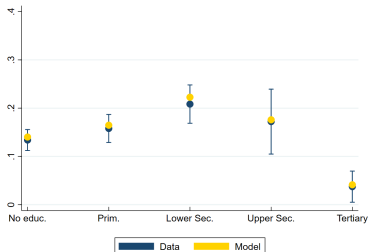


Figure: Unemployment - low parental background  $k$

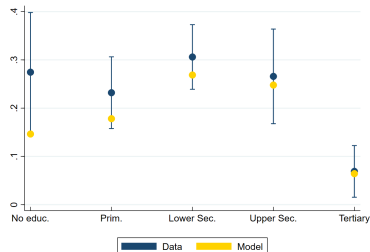
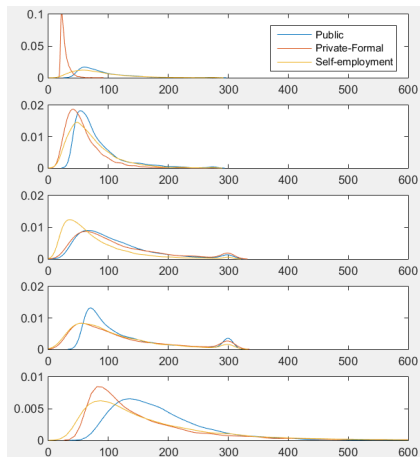


Figure: Unemployment - high parental background  $k$

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# Results: Accepted wage distributions



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# Results: Reservation productivity and public premium

Param.	Description	Value				
		no educ	prim	low sec	up sec	tert
$R_p(y)$	Res. prod. formal	20.2	12.0	25.1	24.9	61.6
$\pi(y)$	Public wage premium	13.2	14.4	2.3	16.5	4.4
$R_s(y)$	Res. prod. self-emp	18.0	7.6	14.9	14.3	45.8
$b(y)$	Unemployment flow	-68.9	-80.8	-95.9	-112.3	-156.2
$\beta$	Bargaining pow. (calib.)	0.5				
$\gamma$	Prod. in public (calib.)	0.5				

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## Results: Productivity parameters

	Public		Formal		Self	
	$\mu$	$\sigma$	$\mu$	$\sigma$	$\mu$	$\sigma$
No education	4.52	0.68	3.03	0.56	4.28	0.53
Primary	4.39	0.69	4.49	0.55	4.12	0.52
Lower sec.	5.05	0.68	5.06	0.76	4.05	0.71
Higher sec.	4.21	1.19	5.06	0.87	4.49	0.67
Tertiary	5.57	0.52	5.06	0.88	4.80	0.71

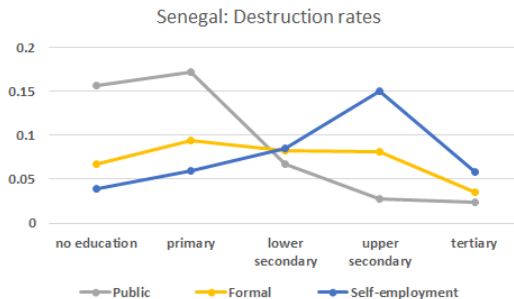
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## Results: Arrival rates and LM parameters

Parameter	Description	Value
$q(k)/k$	Offer arrival rate	0.15
$k$	LM tightness	47.7
$\lambda$	Offer arrival rate self-employment	0.17
$\phi$	Fraction formal-sector vacancies	0.56
$\psi$	Search efficiency in self-employment	0.14
$v_g$	Public-sector vacancies	0.25%
$c$	Vacancy cost	2496
	Mean wage private sector	88.6

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# Results: Destruction rates



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# Policy simulations: Unemployment

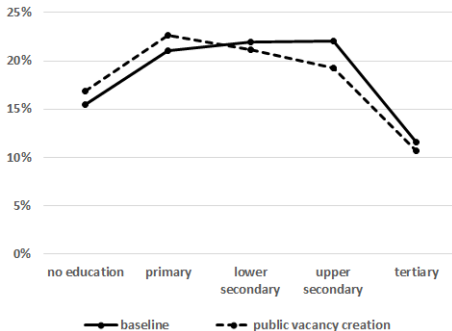


Figure: Unemployment before and after policy

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# Policy simulations: Unemployment

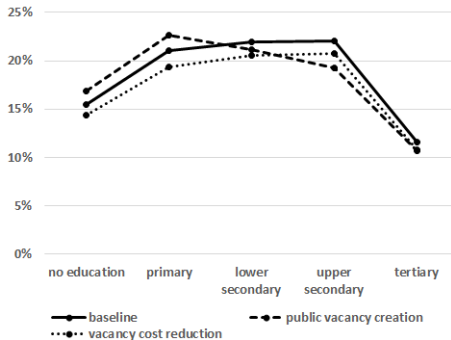


Figure: Unemployment before and after policies

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# Policy simulations: Sectoral employment

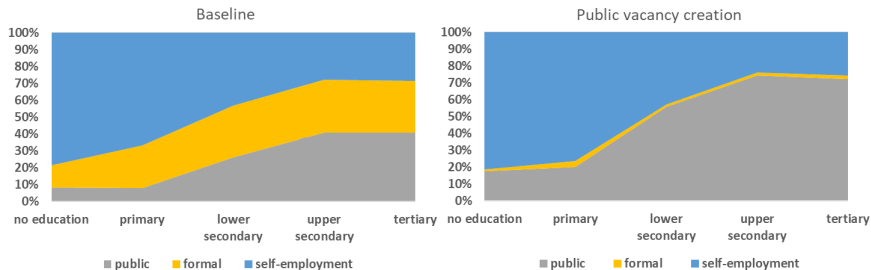


Figure: Sectoral employment before and after policy

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# Policy simulations: Sectoral employment

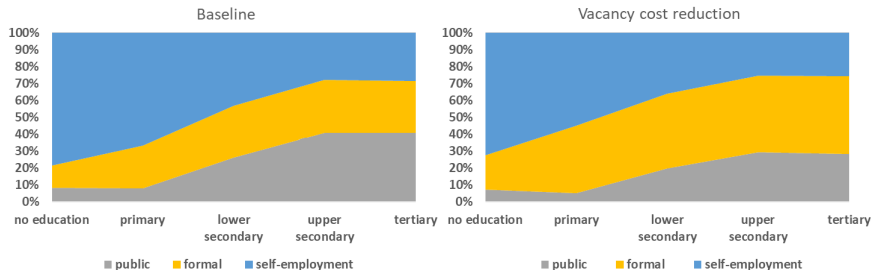


Figure: Sectoral employment before and after policy

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# Policy simulations: Welfare (ex-post)

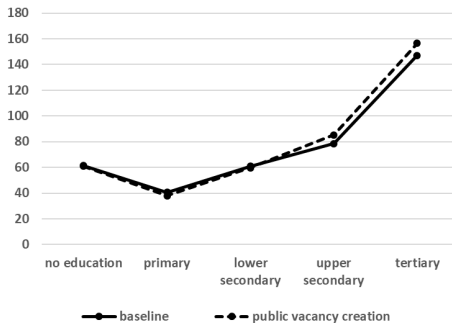


Figure: Welfare (ex-post) before and after policy

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# Policy simulations: Welfare (ex-post)

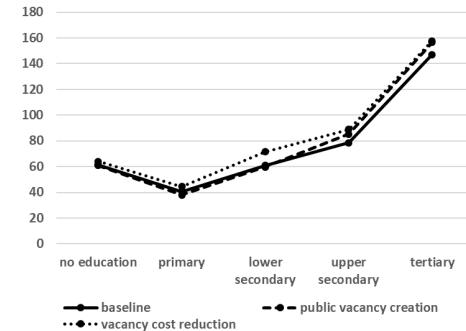


Figure: Welfare (ex-post) before and after policy

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