

Technology Rivalry and Resilience Under Trade Disruptions: The Case of Semiconductor Foundries

Weiting Miao

Stanford University

Econometric Society Winter School in Dynamic Structural Econometrics
The University of Hong Kong

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Motivation & Research Question

Motivation

- Rising concerns about trade disruptions
- Recent surge in industrial policies in the semiconductor industry, e.g., US CHIPS and Science Act (2022)
 - 25% investment subsidy \Rightarrow Local supply resilience
 - Investment restrictions in mainland China (CN) \Rightarrow Technology leadership

Research Questions

How does industrial policy affect:

- Firms' innovation and capacity investment across locations in oligopolistic industries
- Technology race across countries and local consumer welfare in the face of trade disruption risks

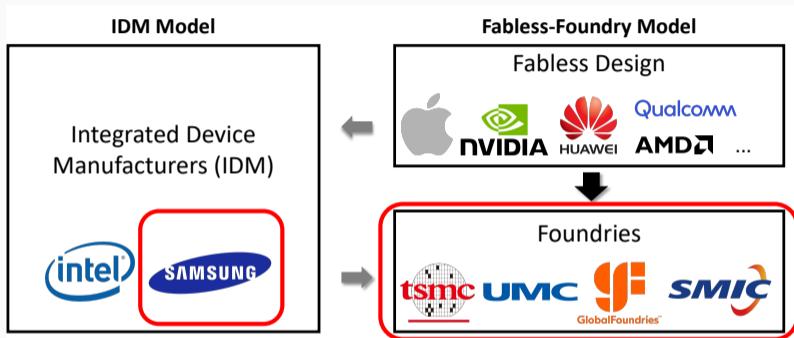
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This Paper

1. A dynamic oligopoly model of innovation and multi-location production
 - Trade disruption risks + industrial policies
2. Estimate the model using micro-level data in semiconductor foundries
 - Price and quantity by technology \implies demand curves
 - Capacity, technology, and investment cost \implies firm-level productivity, production and R&D costs
3. Quantify the impacts of US CHIPS Act
 - Capacity investment subsidies
 - Investment restrictions

Institutional Background



- Focus on foundries for advanced logic ICs
- Mainly used in smartphones, PCs, and high performance computing platforms
- Identify technology vintage by process node (e.g., 3nm, 5nm, 7nm)

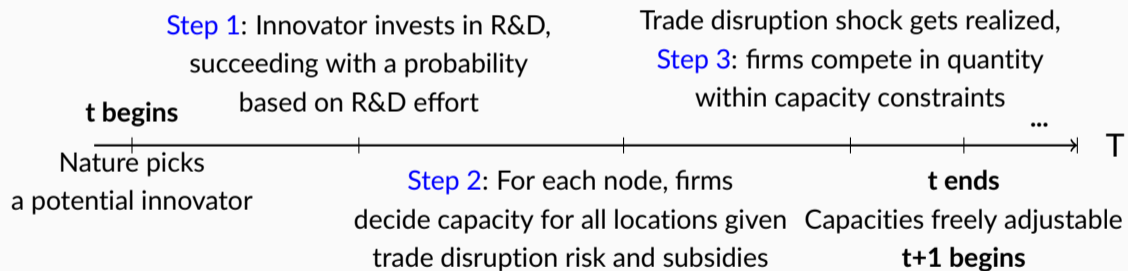
Supply Demand Imbalance Across Regions

Industry Features Summary

	Industry Features	Model Assumption
Market Structure Details	Limited number of firms	Oligopoly competition
Nature of Innovation Details	Leapfrogging is rare	Step-by-step innovation
Cost Structure Details	High R&D Intensity Equipment cost dominates	Focus on R&D and capacity decisions Capacity investment subsidies as the policy tool

A dynamic oligopoly model of innovation and multi-location production

- Technology ladder from generations 1 to \bar{N} , firms can produce multiple vintages



- Trade disruption \Rightarrow can only serve customers within local capacity

How Firms Make Decisions

- Capacity building across locations
 - Investment cost: affected by local subsidies
 - Market access: exposed to trade risk

How Firms Make Decisions

- Capacity building across locations
 - Investment cost: affected by local subsidies
 - Market access: exposed to trade risk
- R&D investment
 - Cost: depends on technology spillover (followers face lower unit costs than the leader)
 - Benefit: profits from current technology + option value from future technologies

Step 3: Optimal Shipment Decisions

- The expected profit given capacity and trade disruption risk ψ is (abstract from node n and time t)

$$\pi_i(\mathbf{C}_i, \mathbf{C}_{-i}, \psi) = \max_{q_{i,int}, \{q_{im}\}_{m=1}^M} (1 - \psi) \underbrace{\pi_{i,int}(q_{i,int}, q_{-i,int})}_{\text{unified global market}} + \psi \underbrace{\sum_m \pi_{im}(q_{im}, q_{-im})}_{\text{segmented local markets}}$$

$$\text{s.t. } q_{i,int} \leq C_{i,int} = \sum_m C_{im}, \quad q_{im} \leq C_{im} \quad \forall m$$

- \mathbf{C}_i : vector of firm i 's capacities across all locations
- C_{im}, q_{im} : i 's capacity/shipment quantity in market m
- $q_{i,int}, C_{i,int}$: i 's global capacity/shipment quantity
- With shipment unit cost = 0 and price elasticity > 1 , firms use full capacity

Capacity Installation Problem

- Given the unit cost of capacity at each location κ_{im} , firms install the optimal capacity at each location

$$\max_{C_{im} \geq 0} \pi_i(\mathbf{C}_i, \mathbf{C}_{-i}, \psi) - \sum_m \kappa_{im} C_{im}$$

- κ_{im} depends on the investment subsidies

$$\kappa_{im} = \delta_{im} \frac{w_m}{\nu_i} (1 - s_m)$$

- δ_{im} : foreign cost shifter
- w_m : fundamental cost at production location, ν_i : firm-level productivity
- s_m : investment subsidy rate

Step 2: Optimal Capacity Installation

$$(1 - \psi) \left(\underbrace{\frac{\partial P_{int}}{\partial Q_{int}} \sum_m C_{im}^* + P_{int}}_{\text{same across all locations}} \right) + \psi \left(\underbrace{\frac{\partial P_m}{\partial Q_m} C_{im}^*}_{\text{price effect}} + \underbrace{P_m}_{\text{quantity effect}} \right) = \kappa_{im} \forall i, m$$

- When $\psi = 0$: concentrate capacity in the most efficient location
- When $\psi > 0$: diversify capacity
- When $1 > \psi > 0$: $s_m \uparrow \implies \kappa_{im} \downarrow \implies C_{im}^* \uparrow \implies C_{im'}^* \downarrow, \forall m' \neq m$

Innovator's R&D Investment

$$V_{it}(S_t) = \pi_{it}(S_t) + \max_{d \geq 0} \left\{ -c_{i,d}(S_t)d + \beta \left[\begin{array}{l} \rho(d) \tilde{V}_{it}^{success}(S_{t+1} | S_t) \\ +(1 - \rho(d)) \tilde{V}_{it}^{fail}(S_{t+1} | S_t) \end{array} \right] \right\}$$

State variables: S_t

- $\bar{n}_t \leq \bar{N}$: the frontier technology
- $\Delta n_{it} \in \{0, 1, 2, \text{exit}\}$: the lag between firm i 's leading technology and \bar{n}_t , $\forall i$
- $q_t \leq \bar{q}$: age of the frontier technology; $\{D_{nt}\}_{t=0}^{\infty}$, $\forall n$: other demand shifters
- $\{s_{nmt}\}_{t=0}^{\infty}$, $\forall n, m$: trajectories of local subsidies

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Innovation unit cost

- $c_{i,d}(S_t) = c_0(1 + g^c)^{(\bar{n}_t - \Delta n_{it})} \gamma^{1(\Delta n_{it} > 0)}$
- $\gamma < 1$, capturing across-firm technology spillover

Step 1: Optimal R&D

- FOC implies optimal R&D level, conditioned on it being positive

$$c_{i,d}(S_t) = \beta \rho'(d_i^*) \underbrace{\left[\tilde{V}_{it}^{success}(S_{t+1} | S_t) - \tilde{V}_{it}^{fail}(S_{t+1} | S_t) \right]}_{\Lambda_{it}^{gap}(S_t)}$$

- $s_{nm} \uparrow \implies \Lambda_{it}^{gap}(S_t) \uparrow \implies d_i^* \uparrow$

Industry Equilibrium

Non-innovator's Value

Backward Induction

Two-Firm Illustration

Market Inefficiency on Optimal Subsidy

- Inefficiencies
 - Oligopoly competition \implies market power distortion \implies inefficiently small capacity
 - Followers have lower R&D cost \implies technology externalities \implies inefficiently low R&D

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 - Benefits leak abroad but local taxpayers pay all policy costs \implies low optimal subsidy rate

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- Without trade disruption
 - Benefits leak abroad but local taxpayers pay all policy costs \implies low optimal subsidy rate
- With trade disruption
 - Firms internalize the risk but still subject to inefficiencies
 - Trade disruption probability $\uparrow \implies$ benefit and cost are more closely aligned \implies optimal subsidy rate \uparrow

Technology Competition: Integrated vs. Separated Markets

- Far-behind firms have weak incentives to innovate in an integrated market
 - Low price for new generation: leaders already compress markups
 - Low option value: low chance of becoming the leader
 - Subsidies have limited impact: also spur rivals to innovate to avoid being overtaken

Technology Competition: Integrated vs. Separated Markets

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 - Low price for new generation: leaders already compress markups
 - Low option value: low chance of becoming the leader
 - Subsidies have limited impact: also spur rivals to innovate to avoid being overtaken
- In separated markets with FDI banned, globally lagging but locally leading firms have strong R&D incentives
 - Local leaders can capture high markups on new generations and the option value of future leadership
 - Subsidies are much more effective for these firms

Estimation

Assume no trade disruption risk during the sample period

Estimation Steps

Step	Data	Method
Demand	Price & quantity by technology Downstream shipment by location	IV regression Estimated α_D & model structure
Capacity Cost	Equipment cost by technology Firm capacity/revenue share	Log Regression First-order condition
R&D Cost	TSMC R&D cost trend Technology upgrading history	Log Regression Maximum likelihood

Estimation Results Highlights

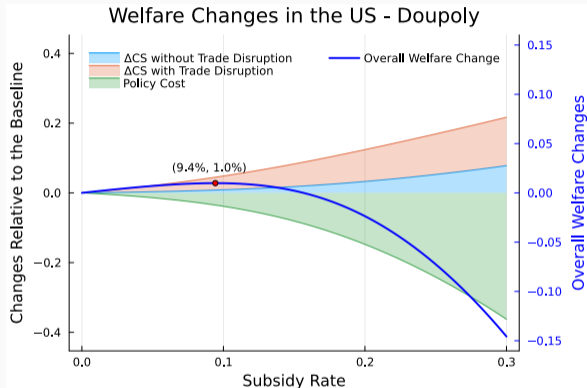
- US and CN: 25% and 22% of global demand
- TSMC: 50%+ more productive than competitors
- Lagging firms: 22% of R&D unit costs of leaders

Counterfactual Analysis Roadmap: Capacity Investment Subsidies

Motivated by the US CHIPS Act

- Unilateral Investment Subsidies in the US
 - Two firms: TSMC and Samsung
 - Capacity investment subsidies for fabs built in the US
 - Compare consumer surplus and policy costs
 - **Static benefits** from resilience and offsetting market power and **dynamic benefits** from accelerated innovation
- Investment Restrictions in mainland China

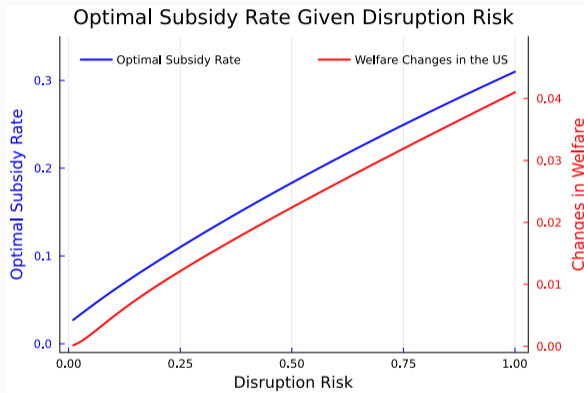
Static Gains in the US



- Capacity investment subsidies reduce prices, at a policy cost, with or without trade disruption

Baseline case: 2 incumbents, $\delta = 1.0$ (foreign cost shifter), $\psi = 0.2$ (trade disruption risk)

Static Gains in the US



Baseline case: 2 incumbents, $\delta = 1.0$

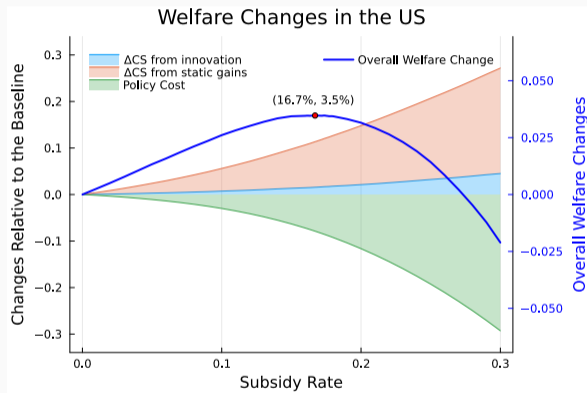
Monopoly Case

Foreign Cost Shifter δ

Static Gains in Other Locations

- Capacity investment subsidies reduce prices, at a policy cost, with or without trade disruption
- Optimal subsidy rate increases with disruption risk

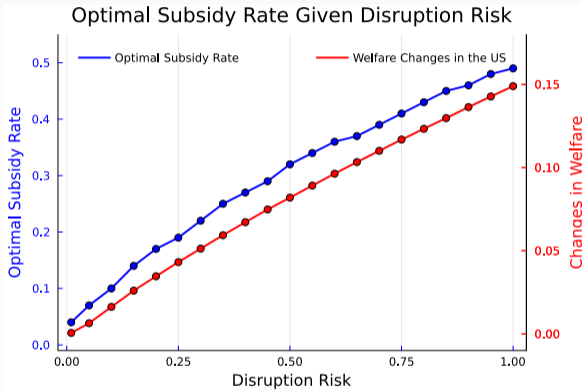
Dynamic Gains in the US



Baseline case: $\delta = 1.0, \psi = 0.2$

- Dynamic innovation gains further justify the subsidy, but the main benefits are static

Dynamic Gains in the US



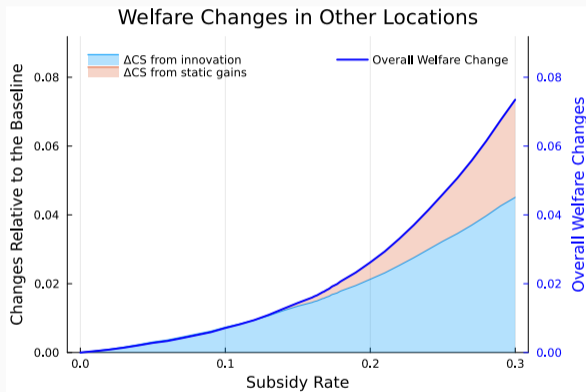
Setting: $\delta = 1.0$

Frontier Technology with and without Subsidies

No Disruption Risk Case

- Dynamic innovation gains further justify the subsidy, but the main benefits are static
- Lower optimal subsidy rate and smaller welfare gains when trade disruption risk is low

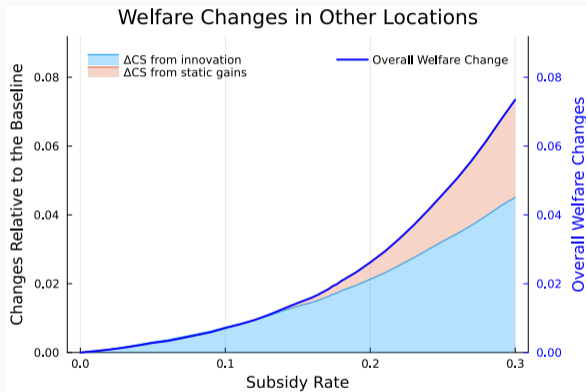
Welfare Implication in Other Locations



Baseline case: $\delta = 1.0, \psi = 0.2$

- Improve instead of harm welfare in other locations

Welfare Implication in Other Locations



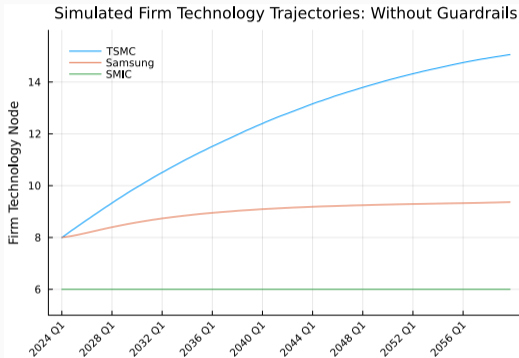
Baseline case: $\delta = 1.0, \psi = 0.2$

- Improve instead of harm welfare in other locations
- The majority of welfare gains comes from the innovation channel

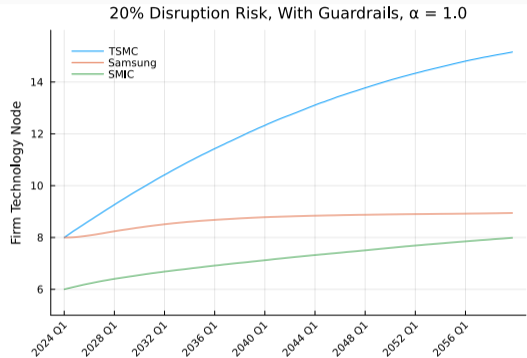
Counterfactual Analysis Roadmap: Guardrail Restrictions

- Unilateral Investment Subsidies in the US
- Investment Restrictions in mainland China
 - Three firms: TSMC, Samsung, and SMIC (national champion)
 - TSMC and Samsung cannot expand capacity in CN
 - Lower technology spillover between SMIC and others $\Rightarrow \alpha \geq 1$ captures the technology blocking effect magnitude
 - Compare tech trajectories with/without restrictions
 - **Higher profit** from secured market demand vs. **higher R&D cost** from weaker technology spillover [Details](#)

20% Trade Disruption Risk



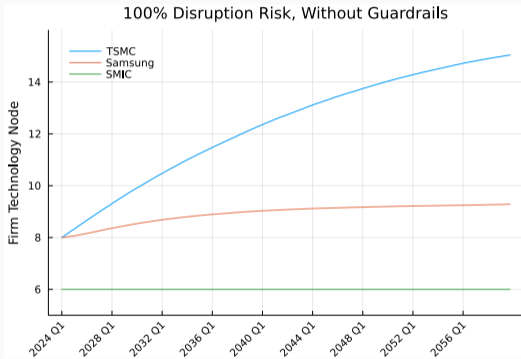
Without Guardrails: $\psi = 20\%$



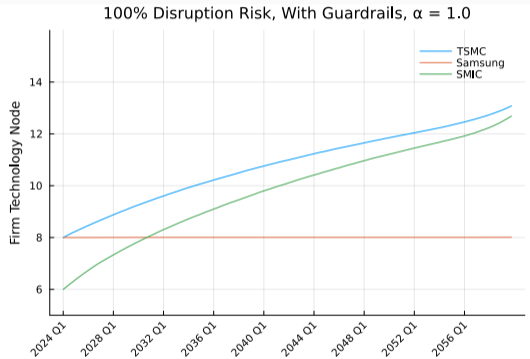
With Guardrails: $\psi = 20\%$, $\alpha = 1.0$

- Market demand securing is weak when disruption risk is low

100% Trade Disruption Risk

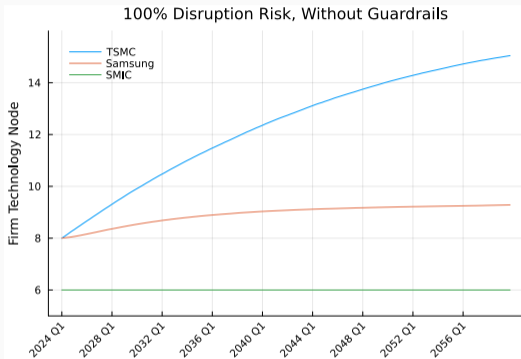


Without Guardrails: $\psi = 100\%$

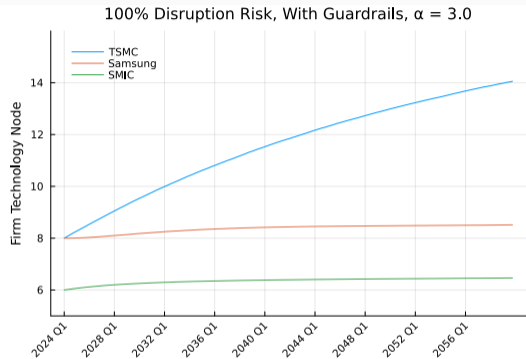


With Guardrails: $\psi = 100\%$, $\alpha = 1.0$

100% Trade Disruption Risk



Without Guardrails: $\psi = 100\%$



With Guardrails: $\psi = 100\%$, $\alpha = 3.0$

- A spillover reduction factor of 3 is needed to prevent SMIC's technology from advancing with guardrails, i.e., $\lambda : 22\% \rightarrow 66\%$

Conclusion & Future Extension

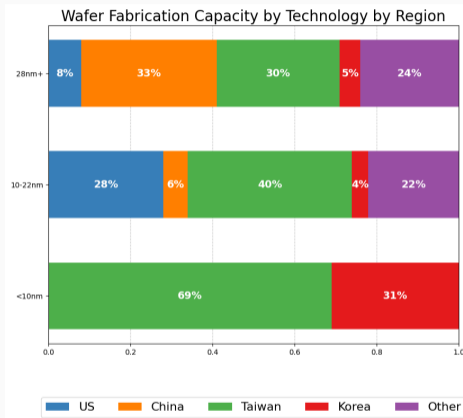
- A dynamic oligopoly model with step-by-step innovation, multi-location production, trade disruption risks, and industrial policies
- Impacts of US CHIPS Act
 - Trade disruption risk $\uparrow \implies$ optimal capacity investment subsidies \uparrow
 - Investment restrictions in CN might \uparrow CN firms' innovation
- Future Extension
 - Unilateral policy analysis \implies Subsidy race

Roadmap of Talk

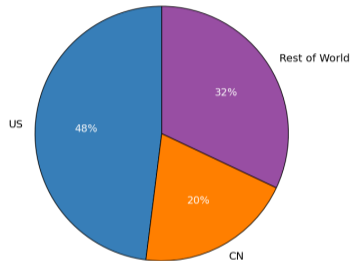
Additional Material

Two-Firm Illustration

Supply Demand Imbalance



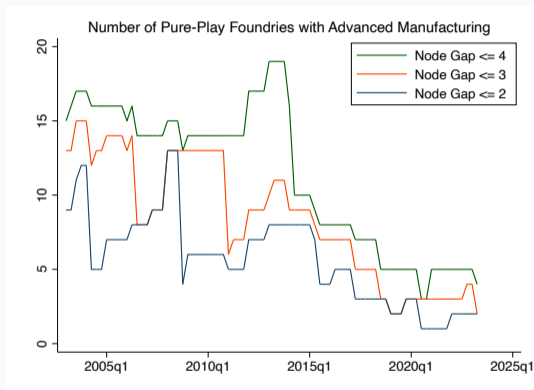
Foundry Revenue Share by Customer Region



Source: BCG; Omdia data in 2023 Q4 and author's calculation

- Notable imbalance between foundry capacity and demand across locations

Decreasing Number in Leading-Edge Manufacturers Over Time



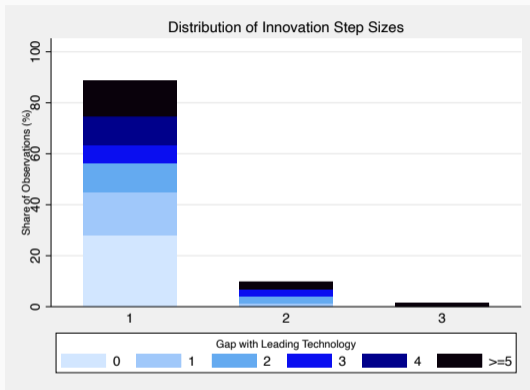
Source: Omdia data and author's calculation

- Highly concentrated and continues to intensify

[Include IDM](#)

[Back](#)

Incremental Innovation

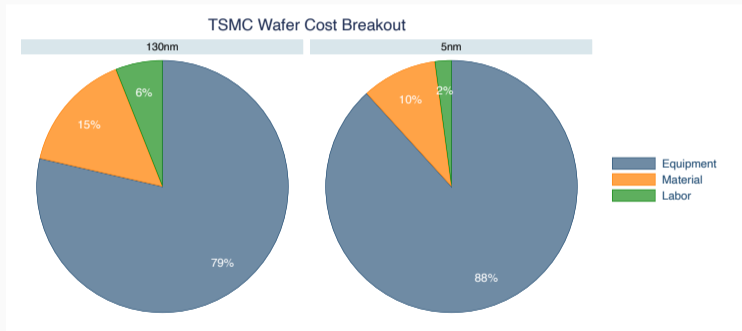


Source: Omdia data and author's calculation

- Leapfrogging is rare and mostly happens in mature nodes
- No new firms directly competing in advanced nodes

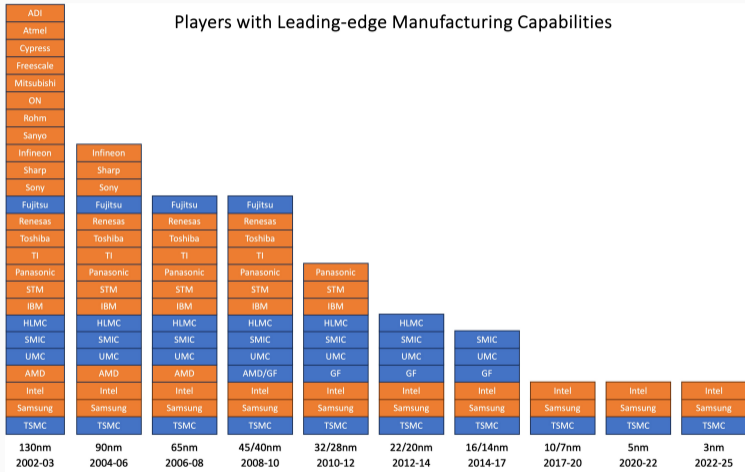
High R&D Intensity & Equipment Cost Dominates

- High R&D intensity: $\sim 10\%$ of sales
- Equipment costs account for the majority of wafer cost

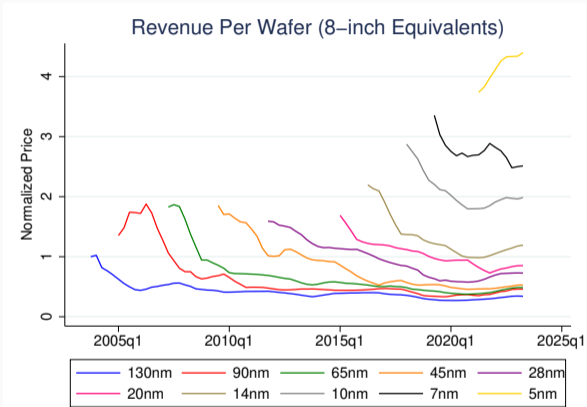


Source: IC Knowledge Strategic Cost Model and author's calculation

Industry Evolution including IDMs



Frontier Firms Gain Higher Profits



- Price drops rapidly after introduction

Source: Omdia data and author's calculation

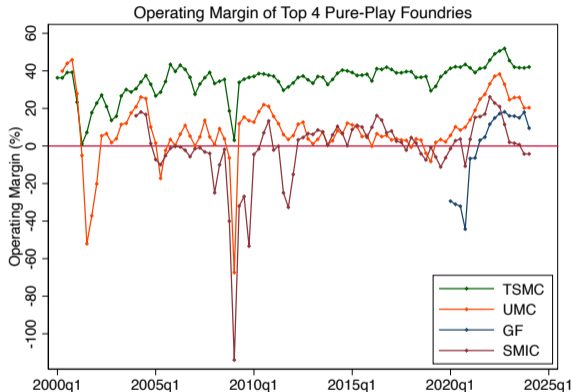
Frontier Firms Gain Higher Profits

	Unit Investment Cost			
	(1)	(2)	(3)	(4)
Time Trend	0.0002 (0.0007)	0.0006 (0.0006)	0.0016 (0.0012)	0.0004 (0.0010)
Log(Capacity)		-0.0253* (0.0132)	-0.0186 (0.0107)	-0.0079 (0.0128)
Constant	0.1779*** (0.0131)	0.4347*** (0.1366)	0.3509** (0.1202)	0.2554* (0.1274)
Technology Node Fixed Effects	Yes	Yes	Yes	Yes
Firm Fixed Effects	No	No	Yes	No
Country Fixed Effects	No	No	No	Yes
N	107	107	97	106
R ²	0.9038	0.9082	0.9233	0.9227

Source: SEMI data and author's calculation

- Price drops rapidly after introduction
- Investment cost of fixed nodes doesn't decrease significantly over time

Frontier Firms Gain Higher Profits



Source: Firms' quarterly reports and author's calculation

- Price drops rapidly after introduction
- Investment cost of fixed nodes doesn't decrease significantly over time
- Frontier firms gain high profits

Trade Disruption Shock Examples

- Export controls / Sanctions
- Pandemic crises leading to restrictions on the movement of goods
- Risks causing disruptions in shipping and logistics



Microfoundation of the Demand Curve

- Consumers demand goods from multiple sectors with preferences

$$U_m = \prod_s (c_m^s)^{\beta^s} \text{ where } \sum_s \beta^s = 1$$

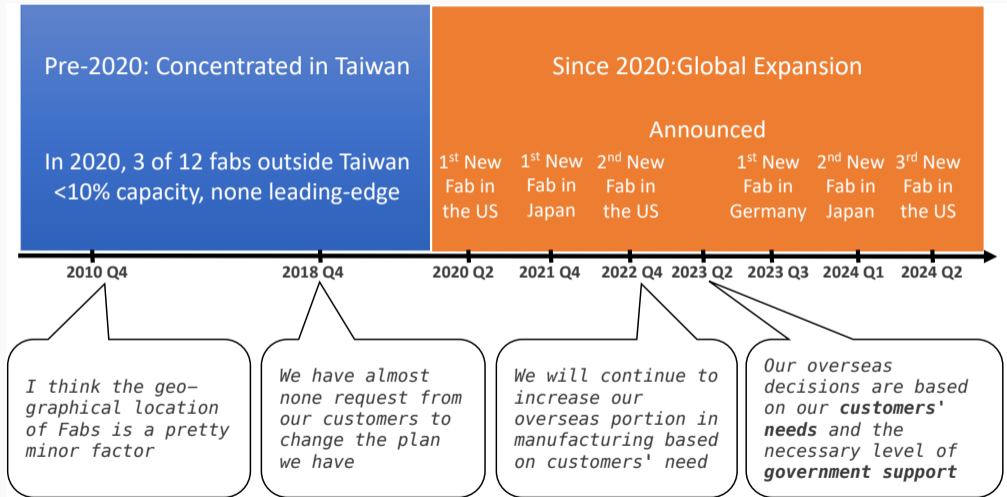
- Each sector requires a specific generation of chips and a homogeneous and freely tradable numeraire good

$$c_m^s = q_0 + \exp\left(\frac{\alpha_0^s}{\alpha_p}\right) \frac{q_c^{s^{1-\frac{1}{\alpha_p}}}}{1 - \frac{1}{\alpha_p}}$$

- The demand for a specific generation of chip is given by

$$\log(q_c^s) = \alpha_0^s - \alpha_p \log(p_c^s)$$

TSMC's Production Expansion



Innovator's R&D Investment Details

Bellman Equation

- $V_{it}(S_t)$: innovator's value
- $W_{it}^j(S_t)$: non-innovator's value when j is picked as the innovator
- $\Lambda_{it}(S_t)$: expected value before knowing the innovator

$$V_{it}(S_t) = \pi_{it}(S_t) + \max_{d \geq 0} \left\{ -c_{i,d}(S_t)d + \beta \left[\begin{array}{l} \rho(d)[\Lambda_{it+1}(S_{t+1} | S_t, a_{it} = 1) \\ + 1(\bar{n}_{t+1} > \bar{n}_t)\pi_{it}^{n=2}(S_t)/(1 - \beta)] \\ + (1 - \rho(d))\Lambda_{it+1}(S_{t+1} | S_t, a_{it} = 0) \end{array} \right] \right\}$$

- d : innovation effort; $\rho(d) = \frac{d}{1+d}$: probability of successful R&D; $a_{it} = 1$ if the R&D is successful
- $\pi_{it}^{n=2}(S_t)$: profit from a node two generations behind the frontier

Non-Innovator's Value and Ex-ante Value

- Non-innovator's value when j is picked as the innovator

$$W_{it}^j(S_t) = \pi_{it}(S_t) + \beta \left[\begin{aligned} &\rho(d_j^*(S_t))[\Lambda_{it+1}(S_{t+1} \mid S_t, a_{jt} = 1) \\ &\quad + 1(\bar{n}_{t+1} > \bar{n}_t)\pi_{it}^{n=2}(S_t)/(1 - \beta)] \\ &+ [1 - \rho(d_j^*(S_t))] \Lambda_{it+1}(S_{t+1} \mid S_t, a_{jt} = 0) \end{aligned} \right]$$

- Expected value before knowing the innovator

$$\Lambda_{it}(S_t) = p_{pick} \left[V_{it}(S_t) + \sum_{j \neq i} W_{it}^j(S_t) \right]$$

Industry Equilibrium

A sequential industry equilibrium is a set of functions

$V_{it}(S_t), W_{it}(S_t), \Lambda_{it}(S_t), d_{it}^*(S_t), C_{inmt}^*(S_t), q_{inmt}^*(\mathbf{C}_{nmt}, \mathbf{1}(\Psi_t < \psi)), P_{nmt}(\mathbf{q}_{nmt}^*)$
such that for each firm i and period $t \leq T$

- $V_{it}(S_t), W_{it}(S_t), \Lambda_{it}(S_t)$ satisfy the firms' Bellman equations;
- $d_i^*(S_t)$ solves the selected innovator's optimization problem;
- $C_{inmt}^*(S_t)$ determines the incumbent firm's capacity allocation across locations m and technology nodes n ;
- $q_{inmt}^*(\mathbf{C}_{nm}, \mathbf{1}(\Psi_t < \psi))$ maximizes the firm's flow profit given the realization of trade disruption risks and capacity constraints \mathbf{C}_{nm} across all firms and locations;
- $P_{nmt}(\mathbf{q}_{nmt}^*)$ ensures product market clearing.

Backward Induction

- Assume the terminal values associated with a firm's states and the corresponding industry states $\Lambda_{iT}(S_T)$
- At $T - 1$, the picked innovator makes the dynamic decision to maximize

$$\max_{d \geq 0} \left\{ -c_{i,d}(S_{T-1})d + \beta \left[\begin{array}{l} \rho(d)[\Lambda_{iT}(S_T | S_{T-1}, a_{i,T-1} = 1) \\ + 1(\bar{n}_T > \bar{n}_{T-1})\pi_{i,T-1}^{n=2}(S_{T-1})/(1 - \beta)] \\ + (1 - \rho(d))\Lambda_{iT}(S_T | S_{T-1}, a_{i,T-1} = 0) \end{array} \right] \right\}$$

- Solve this iteratively until the first period

Roadmap of Talk

Additional Material

Two-Firm Illustration

Two-Firm Model Setup

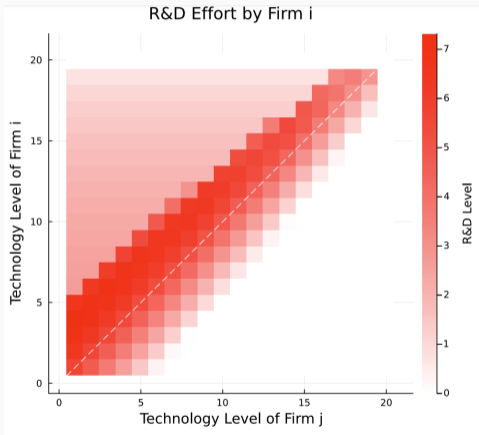
Goals

- Understand firms' R&D patterns considering their technology status and response to subsidies
- Examine how the effectiveness of subsidies in fostering technology leadership is affected by firms' relative technology status

Setup

- No trade disruption risk
- Consider 2 firms subject to different investment subsidy rate τ
- Only the leading firm makes a positive profit in monopoly markets

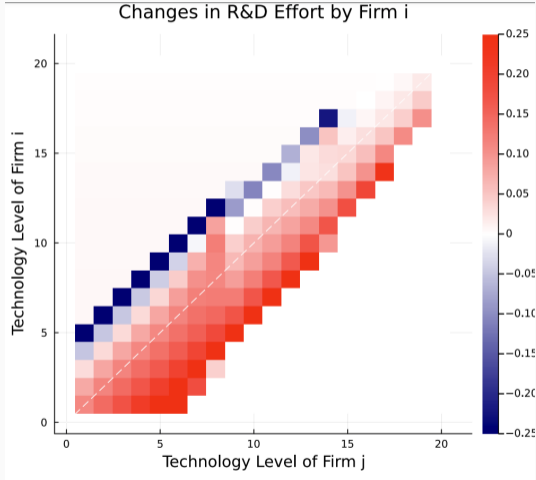
Optimal R&D Investment Pattern



[Back to Full Model](#)

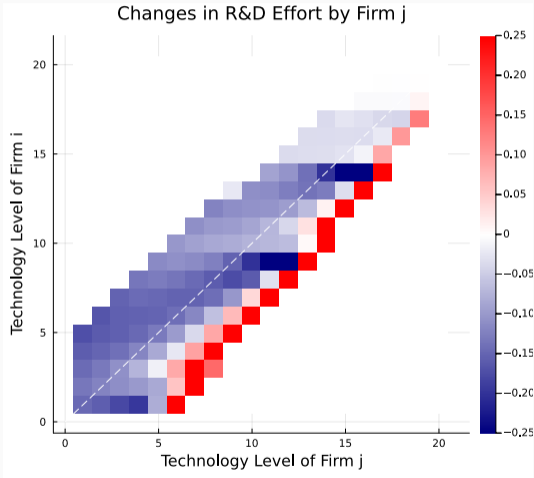
- Highest innovation when neck-and-neck
- Substantially lagging firms lose incentive to innovate
 - No leapfrogging
 - R&D must be a multi-period effort to catch up

Effects of Subsidies to i on R&D Investment - Subsidized Firm



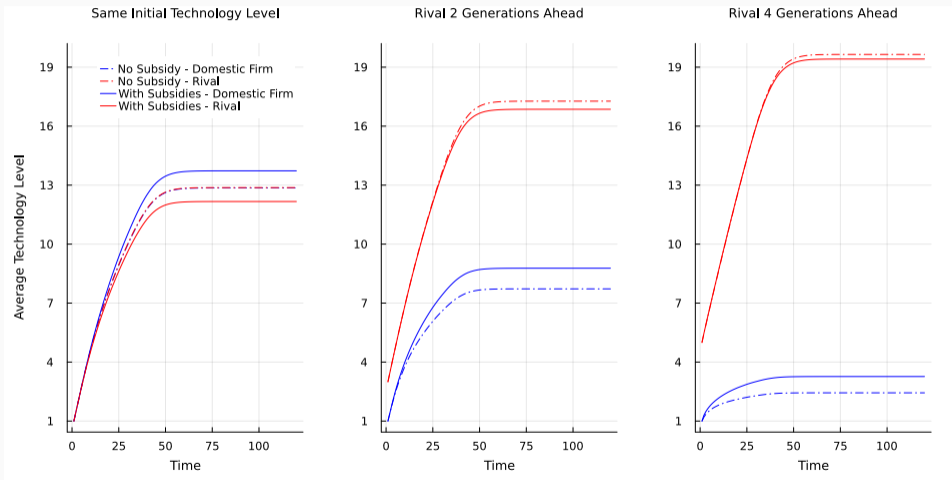
- No response when technology gap is too large
- Increase R&D in most cases as subsidies cover part of the cost
- Reduce R&D when leading in certain regions as R&D subsidy to leading firm further deters laggards

Effects of Subsidies to i on R&D Investment - Rival

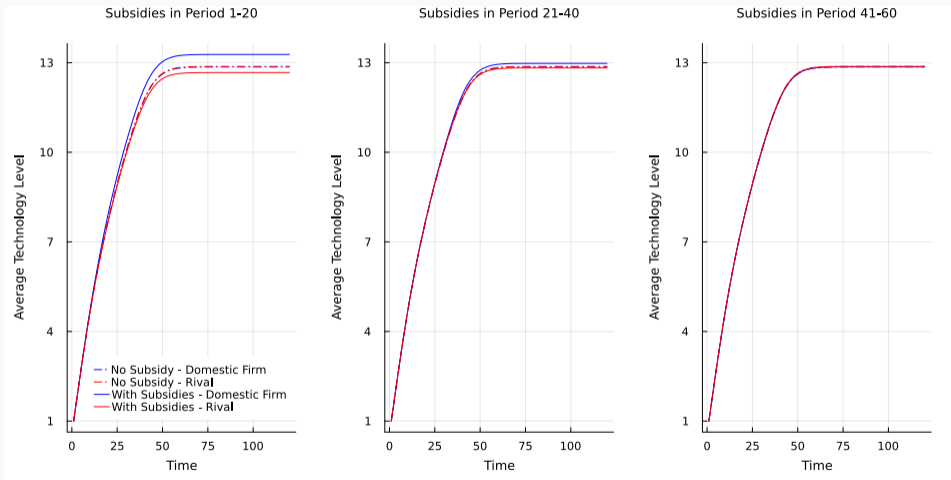


- No response when technology gap is too large
- Cut R&D when the subsidized firm leads or closely trails
- Rise R&D to prevent the subsidized firm from catching up when has a significant technological lead

Technology Upgrading Dynamics



Timing's Influence on Industrial Policy Success



- Pure Play Foundry Market Tracker from Omdia
 - Quarterly data from 2003Q1 to 2023Q3
 - Capacity, utilization, shipment, and revenue by firm and technology node
 - Focus on pure-play foundries, limited information on Samsung foundry
- 300mm Fab Outlook to 2026 from SEMI
 - Quarterly data from 2015Q1 to 2026Q4 (including prediction)
 - Firm, location, capacity, technology node, construction and equipment costs for each 300mm fab production line
 - Include IDMs like Intel and Samsung
- Other complementary data
 - Firm quarterly reports: revenue, COGS, and R&D costs
 - Industry analysis data from: IC Knowledge, BCG and SIA
 - Downstream shipment data

Calibrated Parameters

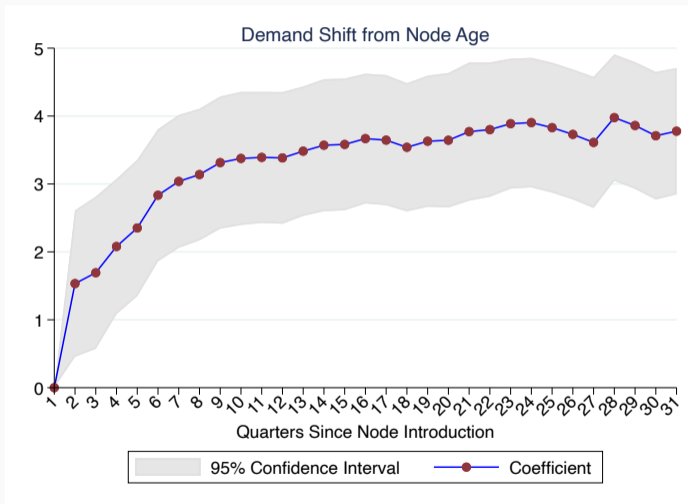
Assume no trade disruption risk during the sample period

Calibrated Parameters

Parameter	Meaning	Value	Source
β	Discount factor	$0.9^{1/4}$	Quarterly rate
\bar{N}	Technology limit	16	ASML Roadmap
T	Final period	2059Q4	Sensitivity analysis (2045Q4)
ψ	Trade disruption risk	$[0, 1]$	Set as 0 in calibration
δ	Foreign cost shifter	$[1, 2]$	Only relevant in counterfactual

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Age Effects on Demand

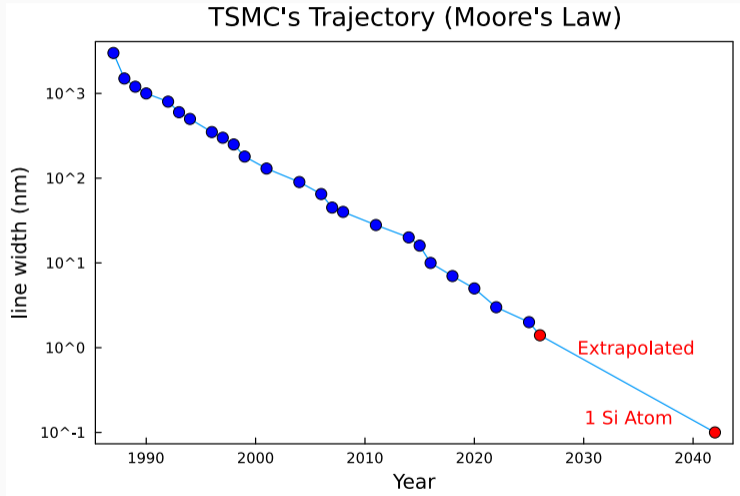


Parameterization, Calibration, and Estimation Results

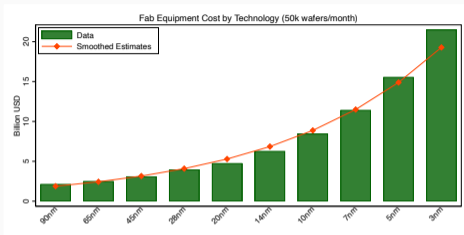
Parameter	Functional Form	Value	Source
Discount factor		$\beta = 0.9^{1/4}$	Quarterly rate
Technology limit		$\bar{N} = 16$	Sensitivity analysis (11)
Final period		$T = 2059Q4$	Sensitivity analysis (2045Q4)
Trade disruption risk		$\psi \in [0, 1]$	Set as 0 in calibration
Foreign cost shifter		$\delta \in [1, 2]$	Only relevant in counterfactual
Market Share		$M_{US} = 25\%, M_{CN} = 22\%$ $M_{ROW} = 53\%$	Downstream demand & Estimated demand shifter coefficient
Firm-level productivity	ν_i	$\nu_{TSMC} = 1, \nu_{others} = 1/1.57$	Firm capacity share
Capacity unit cost	$\frac{w_{0,i}}{\nu_i}(1 + g^w)^n(1 - s_i)$	$w_{0,US} = 1, w_{0,CN} = w_{0,ROW} = 0.925$ $g^w = 25.8\%$	BCG and SIA report Unit investment cost growth
R&D unit cost	$c_0(1 + g^c)^n\gamma^{1(\Delta n_{it} > 0)}$	$c_0/10^6 = 3.2 [1.5, 3.5]$ $g^c = 28.8\%$ $\gamma = 22\% [7\%, 92\%]$	MLE TSMC R&D cost trend MLE

[Moore's Law](#)
[Market Size Definition](#)
[Trends in Equipment and R&D Costs](#)
[Firm R&D Cost Comparison](#)
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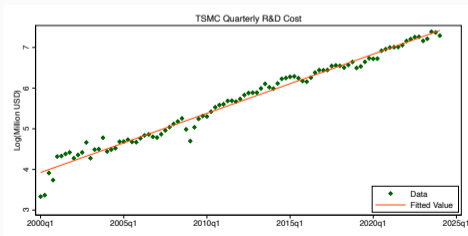
Moore's Law Extrapolation



Trends in Equipment and R&D Costs



Source: SMIC prospectus and author's calculation

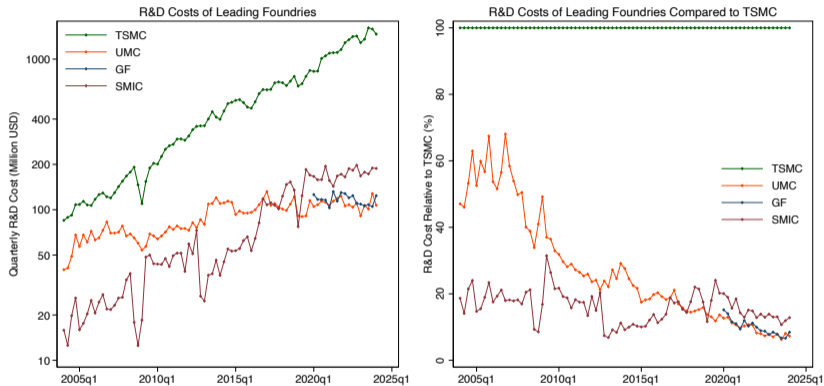


Source: TSMC's quarterly reports and author's calculation

- Both investment costs and R&D expenditures increases exponentially with advancing technology nodes

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R&D Costs of Leading Foundries



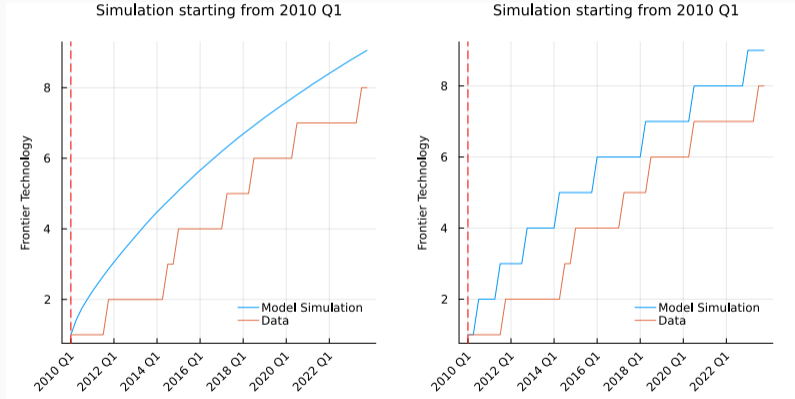
Source: Firms' quarterly reports and author's calculation

Market Size

- Define market size based on downstream demand for smartphones, tablets, and PCs
- From the demand estimation: $N_m \propto Q_{PC,m}^{\alpha_D^{PC}} Q_{mobile,m}^{\alpha_D^{mobile}}$
- Estimated market size shares: US 25.2%, CN 22.2%, RoW 52.6%

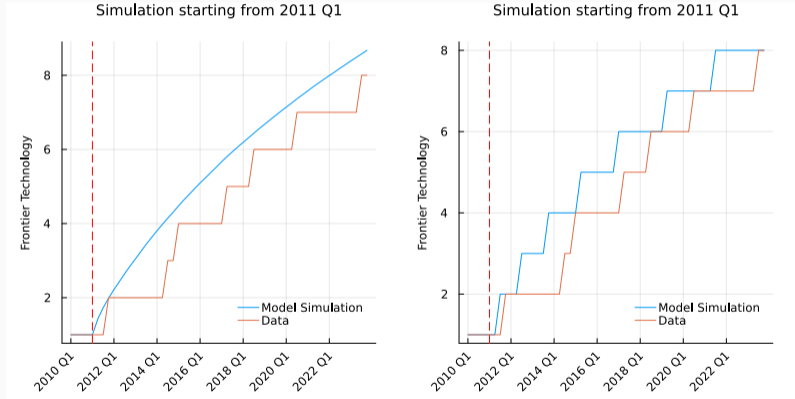
Model Fit - Frontier technology trajectory

- Frontier technology trajectory: model vs. data



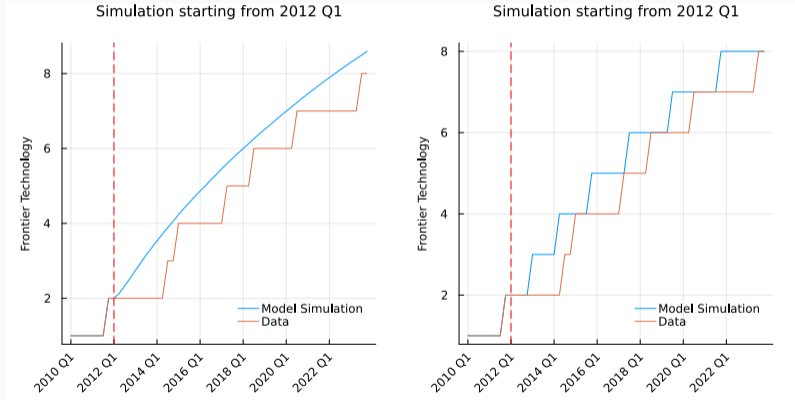
Model Fit - Frontier technology trajectory

- Frontier technology trajectory: model vs. data

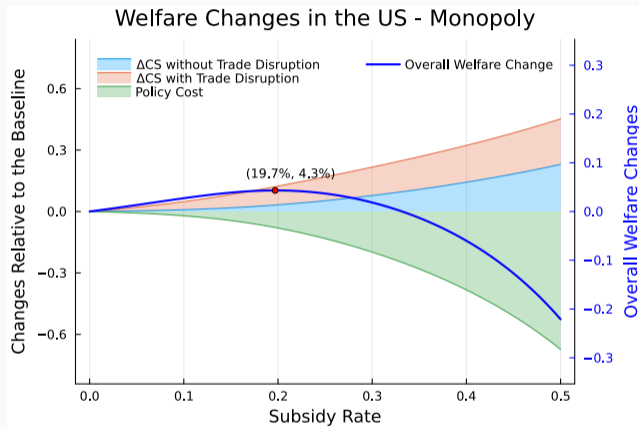


Model Fit - Frontier technology trajectory

- Frontier technology trajectory: model vs. data

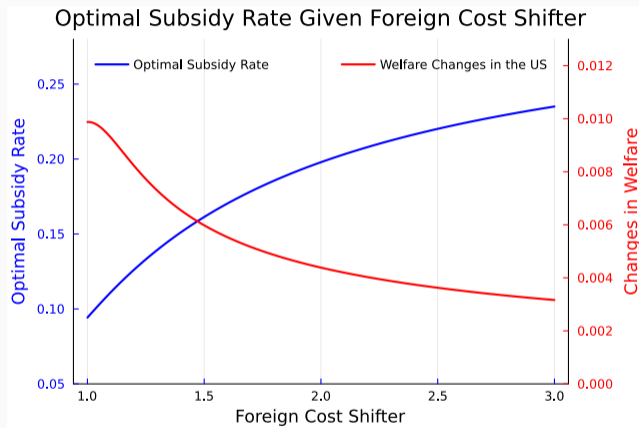


Static Gains in the US: Monopoly Case



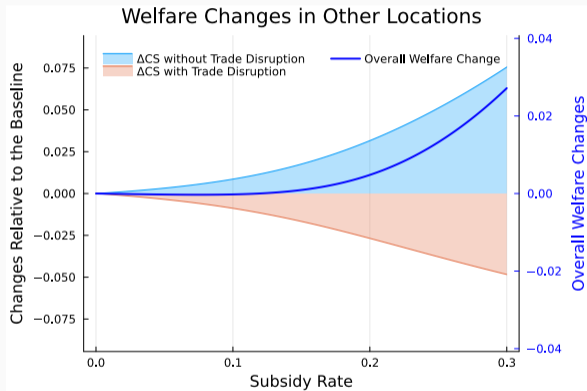
Monopoly case: $\delta = 1.0, \psi = 0.2$

Static Gains in the US: The Role of δ



Setting: 2 incumbents, $\psi = 0.2$

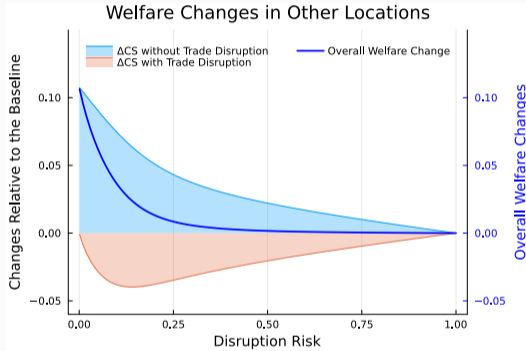
Static Gains in Other Locations



Baseline case: 2 incumbents, $\delta = 1.0$, $\psi = 0.2$

- US subsidies shift capacity to the US, raising prices elsewhere during trade disruptions but lowering global prices without disruption

Static Gains in Other Locations



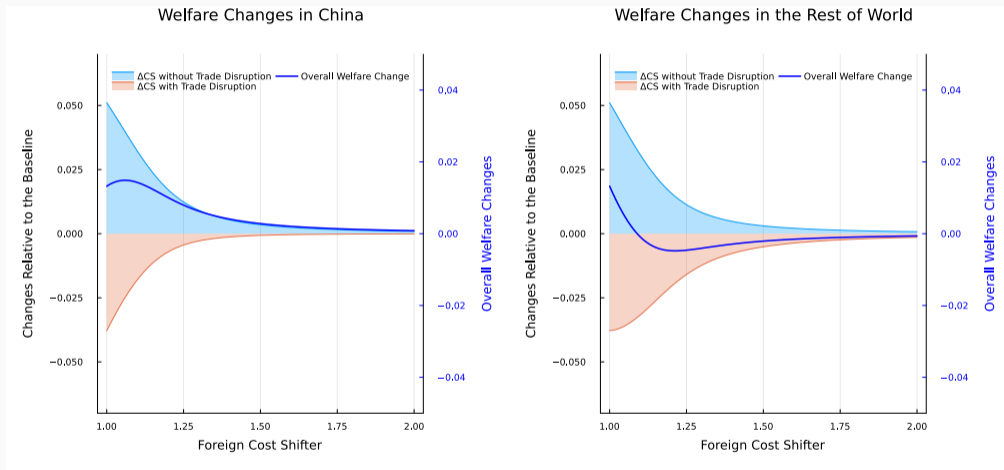
Setting: 2 incumbents, $\delta = 1.0$, $s_{US} = 25\%$

Foreign Cost Shifter δ

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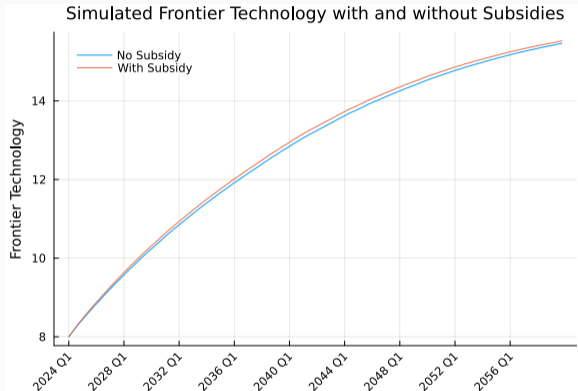
- US subsidies shift capacity to the US, raising prices elsewhere during trade disruptions but lowering global prices without disruption
- Other locations benefit less from US subsidies as trade disruption risk rises

Static Gains in Other Locations: The Role of δ



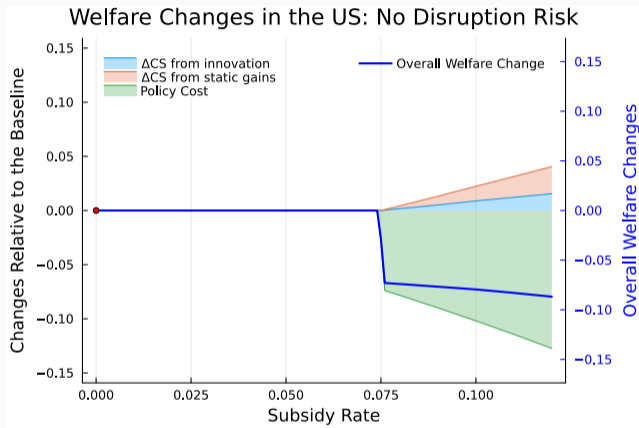
Setting: 2 incumbents, $\psi = 0.2$, $s_{US} = 25\%$

Gains from Faster Technology Upgrades



Baseline case: $\delta = 1.0, \psi = 0.2, s_{US} = 17\%$

Dynamic Gains in the US: No Disruption Risk



Setting: $\delta = 1.0, \psi = 0.0$

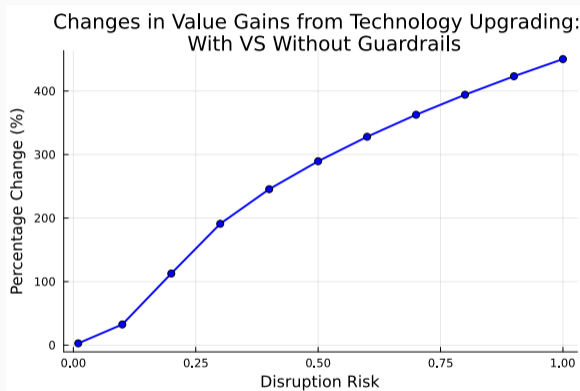
Guardrail Restrictions

Optimal R&D effort

$$d^*(S_t) = \max\{0, \sqrt{\beta \frac{\Lambda^{gap}(S_t)}{c_d(S_t)}} - 1\}$$

- $\Lambda^{gap}(S_t)$: expected value gain from technology upgrading
 - Secure the domestic market demand for CN firms during trade disruptions
 - $\Delta \Lambda^{gap}(S_t) \uparrow$ as disruption risks $\psi \uparrow$
- $c_d(S_t)$: unit cost of R&D - $c_0(1 + g^c)^n \gamma^{1(\Delta n_{it} > 0)}$
 - Higher unit cost when CN firms are followers
 - $\gamma \rightarrow \alpha \gamma$ with the spillover reduction factor $\alpha \geq 1$

Minimum α for Effective Guardrails



Note: Changes in Λ_{gap} for SMIC in 2024Q2 with and without guardrails, $s_{US} = 25\%$, $\delta = 1.0$

- To curb CN firm's innovation: \uparrow disruption risks $\implies \uparrow$ spillover blocking
- Export controls and the Huawei ban \uparrow disruption risks in CN

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