

Technology Rivalry and Resilience Under Trade Disruptions: The Case of Semiconductor Foundries

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Motivation & Research Question

Motivation

- Rising concerns about trade disruptions
- Recent surge in industrial policies in the semiconductor industry, e.g., US CHIPS and Science Act (2022)
 - 25% investment subsidy ⇒ Local supply resilience
 - Investment restrictions in mainland China (CN) ⇒ Technology leadership

Research Questions

How does industrial policy affect:

- Firms' innovation and capacity investment across locations in oligopolistic industries
- Technology race across countries and local consumer welfare in the face of trade disruption risks

This Paper

1. A dynamic oligopoly model of innovation and multi-location production
 - Trade disruption risks + industrial policies

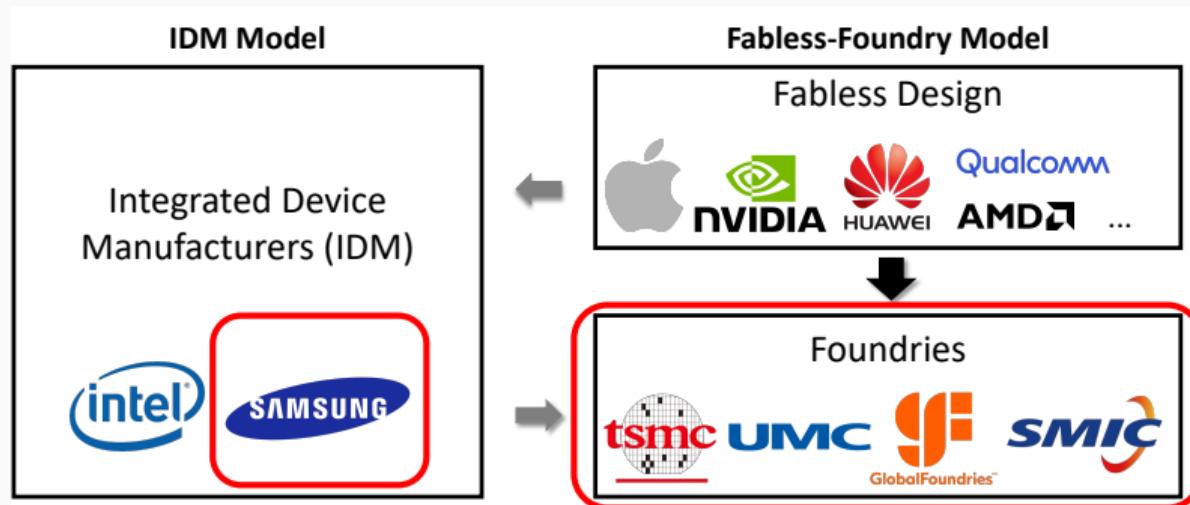
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2. Estimate the model using micro-level data in semiconductor foundries
 - Price and quantity by technology \Rightarrow demand curves
 - Capacity, technology, and investment cost \Rightarrow firm-level productivity, production and R&D costs

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1. A dynamic oligopoly model of innovation and multi-location production
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2. Estimate the model using micro-level data in semiconductor foundries
 - Price and quantity by technology \Rightarrow demand curves
 - Capacity, technology, and investment cost \Rightarrow firm-level productivity, production and R&D costs
3. Quantify the impacts of US CHIPS Act
 - Capacity investment subsidies
 - Investment restrictions

Institutional Background



- Focus on foundries for advanced logic ICs
- Mainly used in smartphones, PCs, and high performance computing platforms
- Identify technology vintage by process node (e.g., 3nm, 5nm, 7nm)

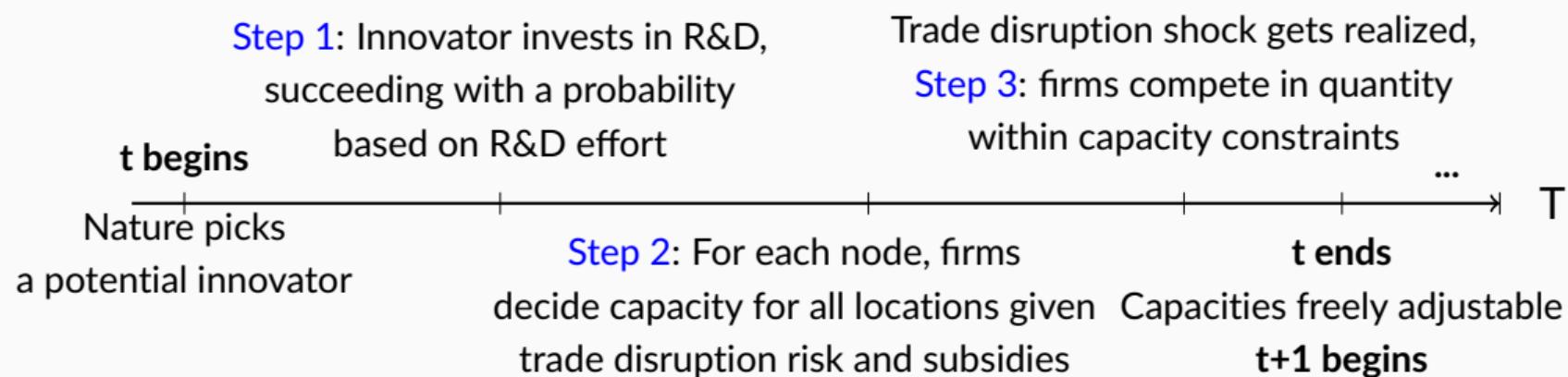
Supply Demand Imbalance Across Regions

Industry Features Summary

	Industry Features	Model Assumption
Market Structure <small>Details</small>	Limited number of firms	Oligopoly competition
Nature of Innovation <small>Details</small>	Leapfrogging is rare	Step-by-step innovation
Cost Structure <small>Details</small>	High R&D Intensity Equipment cost dominates	Focus on R&D and capacity decisions Capacity investment subsidies as the policy tool

A dynamic oligopoly model of innovation and multi-location production

- Technology ladder from generations 1 to \bar{N} , firms can produce multiple vintages



- Trade disruption \Rightarrow can only serve customers within local capacity

How Firms Make Decisions

- Capacity building across locations
 - Investment cost: affected by local subsidies
 - Market access: exposed to trade risk

How Firms Make Decisions

- Capacity building across locations
 - Investment cost: affected by local subsidies
 - Market access: exposed to trade risk
- R&D investment
 - Cost: depends on technology spillover (followers face lower unit costs than the leader)
 - Benefit: profits from current technology + option value from future technologies

Step 3: Optimal Shipment Decisions

- The expected profit given capacity and trade disruption risk ψ is (abstract from node n and time t)

$$\pi_i(\mathbf{C}_i, \mathbf{C}_{-i}, \psi) = \max_{q_{i,int}, \{q_{im}\}_{m=1}^M} (1 - \psi) \underbrace{\pi_{i,int}(q_{i,int}, q_{-i,int})}_{\text{unified global market}} + \psi \underbrace{\sum_m \pi_{im}(q_{im}, q_{-im})}_{\text{segmented local markets}}$$

$$\text{s.t. } q_{i,int} \leq C_{i,int} = \sum_m C_{im}, \quad q_{im} \leq C_{im} \quad \forall m$$

- \mathbf{C}_i : vector of firm i 's capacities across all locations
- C_{im}, q_{im} : i 's capacity/shipment quantity in market m
- $q_{i,int}, C_{i,int}$: i 's global capacity/shipment quantity
- With shipment unit cost = 0 and price elasticity > 1, firms use full capacity

Capacity Installation Problem

- Given the unit cost of capacity at each location κ_{im} , firms install the optimal capacity at each location

$$\max_{C_{im} \geq 0} \pi_i(\mathbf{C}_i, \mathbf{C}_{-i}, \psi) - \sum_m \kappa_{im} C_{im}$$

- κ_{im} depends on the investment subsidies

$$\kappa_{im} = \delta_{im} \frac{w_m}{\nu_i} (1 - s_m)$$

- δ_{im} : foreign cost shifter
- w_m : fundamental cost at production location, ν_i : firm-level productivity
- s_m : investment subsidy rate

Step 2: Optimal Capacity Installation

$$(1 - \psi) \left(\underbrace{\frac{\partial P_{int}}{\partial Q_{int}} \sum_m C_{im}^* + P_{int}}_{\text{same across all locations}} \right) + \psi \left(\underbrace{\frac{\partial P_m}{\partial Q_m} C_{im}^*}_{\text{price effect}} + \underbrace{P_m}_{\text{quantity effect}} \right) = \kappa_{im} \quad \forall i, m$$

- When $\psi = 0$: concentrate capacity in the most efficient location
- When $\psi > 0$: diversify capacity
- When $1 > \psi > 0$: $s_m \uparrow \Rightarrow \kappa_{im} \downarrow \Rightarrow C_{im}^* \uparrow \Rightarrow C_{im'}^* \downarrow, \forall m' \neq m$

Innovator's R&D Investment

$$V_{it}(S_t) = \pi_{it}(S_t) + \max_{d \geq 0} \left\{ -c_{i,d}(S_t)d + \beta \left[\begin{array}{l} \rho(d)\tilde{V}_{it}^{\text{success}}(S_{t+1} | S_t) \\ +(1 - \rho(d))\tilde{V}_{it}^{\text{fail}}(S_{t+1} | S_t) \end{array} \right] \right\}$$

State variables: S_t

- $\bar{n}_t \leq \bar{N}$: the frontier technology
- $\Delta n_{it} \in \{0, 1, 2, \text{exit}\}$: the lag between firm i 's leading technology and \bar{n}_t , $\forall i$
- $q_t \leq \bar{q}$: age of the frontier technology; $\{D_{nt}\}_{t=0}^{\infty}$, $\forall n$: other demand shifters
- $\{s_{nmt}\}_{t=0}^{\infty}$, $\forall n, m$: trajectories of local subsidies

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Innovation unit cost

- $c_{i,d}(S_t) = c_0(1 + g^c)^{(\bar{n}_t - \Delta n_{it})} \gamma^{1(\Delta n_{it} > 0)}$
- $\gamma < 1$, capturing across-firm technology spillover

Step 1: Optimal R&D

- FOC implies optimal R&D level, conditioned on it being positive

$$c_{i,d}(S_t) = \beta \rho'(d_i^*) \underbrace{[\tilde{V}_{it}^{success}(S_{t+1} | S_t) - \tilde{V}_{it}^{fail}(S_{t+1} | S_t)]}_{\Lambda_{it}^{gap}(S_t)}$$

- $s_{nm} \uparrow \implies \Lambda_{it}^{gap}(S_t) \uparrow \implies d_i^* \uparrow$

Industry Equilibrium

Non-innovator's Value

Backward Induction

Two-Firm Illustration

Market Inefficiency on Optimal Subsidy

- Inefficiencies
 - Oligopoly competition \Rightarrow market power distortion \Rightarrow inefficiently small capacity
 - Followers have lower R&D cost \Rightarrow technology externalities \Rightarrow inefficiently low R&D

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 - Benefits leak abroad but local taxpayers pay all policy costs \Rightarrow low optimal subsidy rate

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- Without trade disruption
 - Benefits leak abroad but local taxpayers pay all policy costs \Rightarrow low optimal subsidy rate
- With trade disruption
 - Firms internalize the risk but still subject to inefficiencies
 - Trade disruption probability $\uparrow \Rightarrow$ benefit and cost are more closely aligned \Rightarrow optimal subsidy rate \uparrow

Technology Competition: Integrated vs. Separated Markets

- Far-behind firms have weak incentives to innovate in an integrated market
 - Low price for new generation: leaders already compress markups
 - Low option value: low chance of becoming the leader
 - Subsidies have limited impact: also spur rivals to innovate to avoid being overtaken

Technology Competition: Integrated vs. Separated Markets

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 - Subsidies have limited impact: also spur rivals to innovate to avoid being overtaken
- In separated markets with FDI banned, globally lagging but locally leading firms have strong R&D incentives
 - Local leaders can capture high markups on new generations and the option value of future leadership
 - Subsidies are much more effective for these firms

Estimation

Assume no trade disruption risk during the sample period

Estimation Steps

Step	Data	Method
Demand	Price & quantity by technology Downstream shipment by location	IV regression Estimated α_D & model structure
Capacity Cost	Equipment cost by technology Firm capacity/revenue share	Log Regression First-order condition
R&D Cost	TSMC R&D cost trend Technology upgrading history	Log Regression Maximum likelihood

Estimation Results Highlights

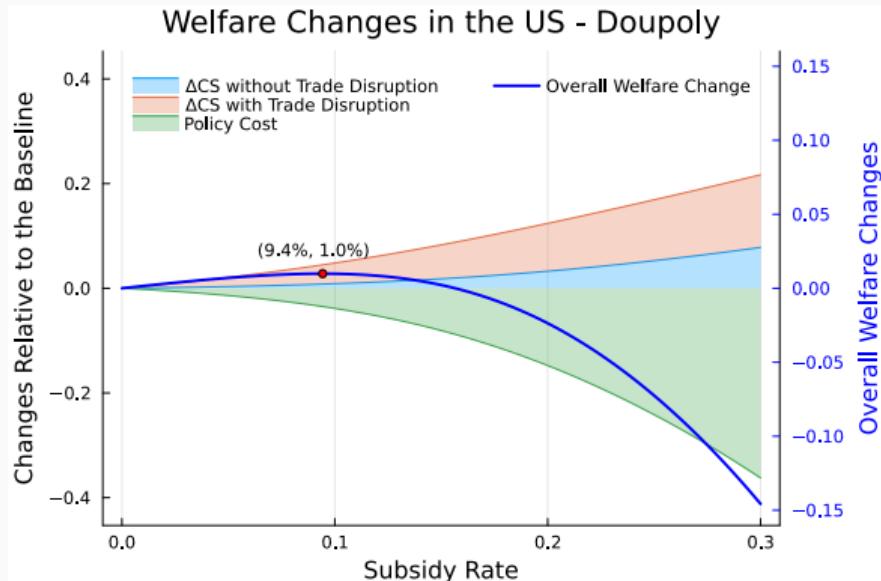
- US and CN: 25% and 22% of global demand
- TSMC: 50%+ more productive than competitors
- Lagging firms: 22% of R&D unit costs of leaders

Counterfactual Analysis Roadmap: Capacity Investment Subsidies

Motivated by the US CHIPS Act

- Unilateral Investment Subsidies in the US
 - Two firms: TSMC and Samsung
 - Capacity investment subsidies for fabs built in the US
 - Compare consumer surplus and policy costs
 - **Static benefits** from resilience and offsetting market power and **dynamic benefits** from accelerated innovation
- Investment Restrictions in mainland China

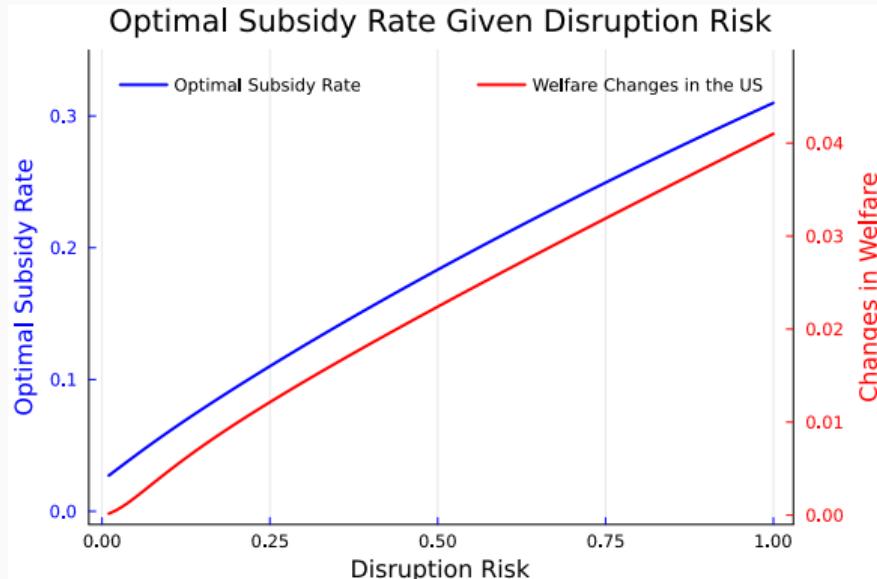
Static Gains in the US



- Capacity investment subsidies reduce prices, at a policy cost, with or without trade disruption

Baseline case: 2 incumbents, $\delta = 1.0$ (foreign cost shifter),
 $\psi = 0.2$ (trade disruption risk)

Static Gains in the US



Baseline case: 2 incumbents, $\delta = 1.0$

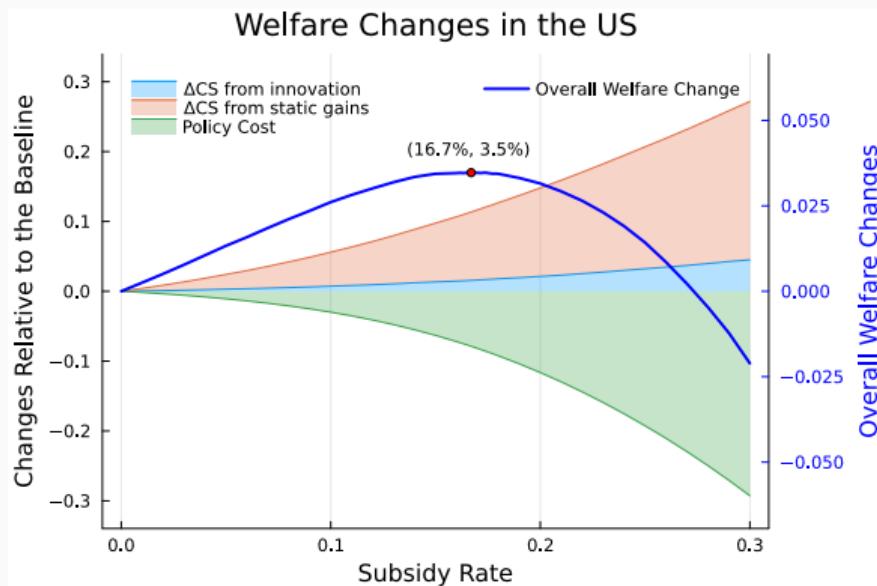
- Capacity investment subsidies reduce prices, at a policy cost, with or without trade disruption
- Optimal subsidy rate increases with disruption risk

Monopoly Case

Foreign Cost Shifter δ

Static Gains in Other Locations

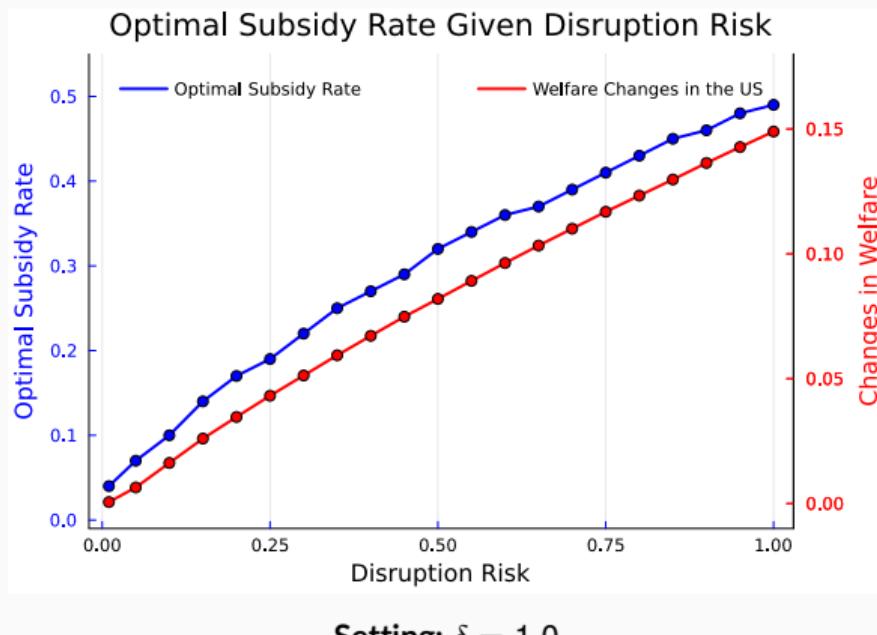
Dynamic Gains in the US



Baseline case: $\delta = 1.0, \psi = 0.2$

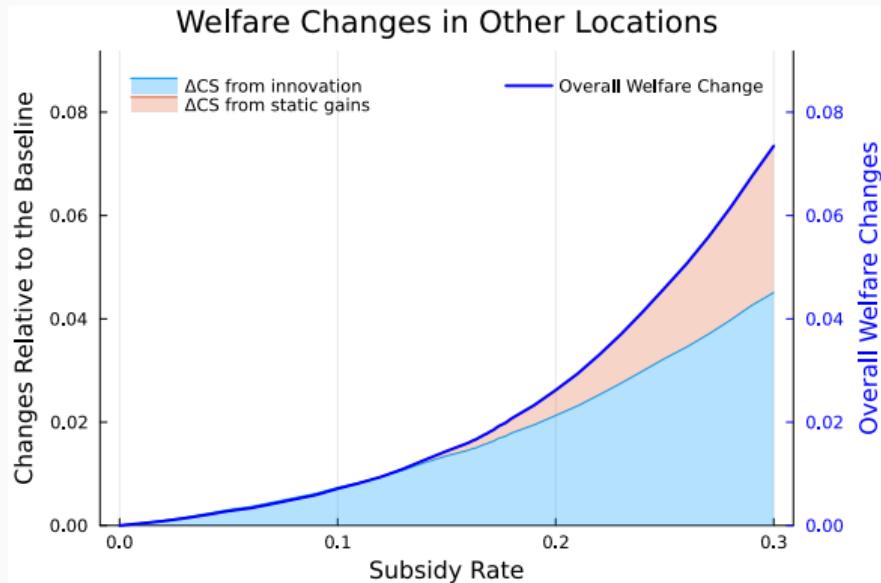
- Dynamic innovation gains further justify the subsidy, but the main benefits are static

Dynamic Gains in the US



- Dynamic innovation gains further justify the subsidy, but the main benefits are static
- Lower optimal subsidy rate and smaller welfare gains when trade disruption risk is low

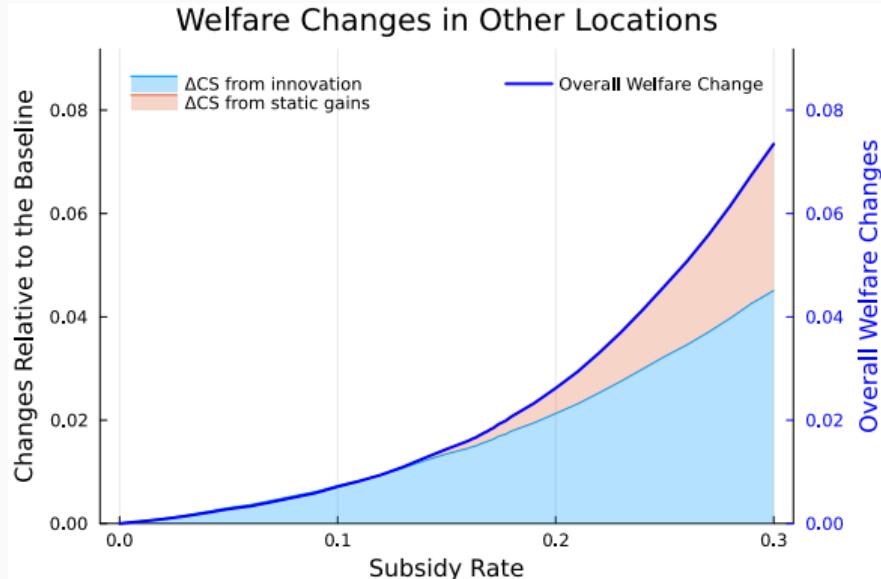
Welfare Implication in Other Locations



Baseline case: $\delta = 1.0, \psi = 0.2$

- Improve instead of harm welfare in other locations

Welfare Implication in Other Locations



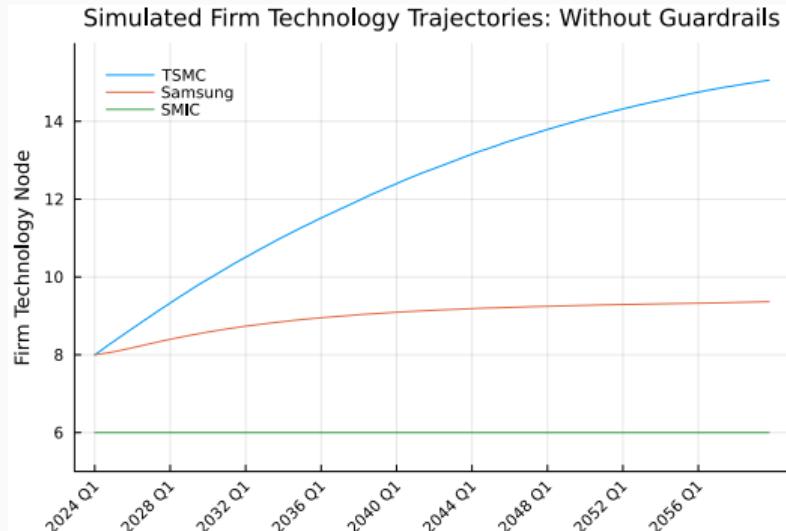
Baseline case: $\delta = 1.0, \psi = 0.2$

- Improve instead of harm welfare in other locations
- The majority of welfare gains comes from the innovation channel

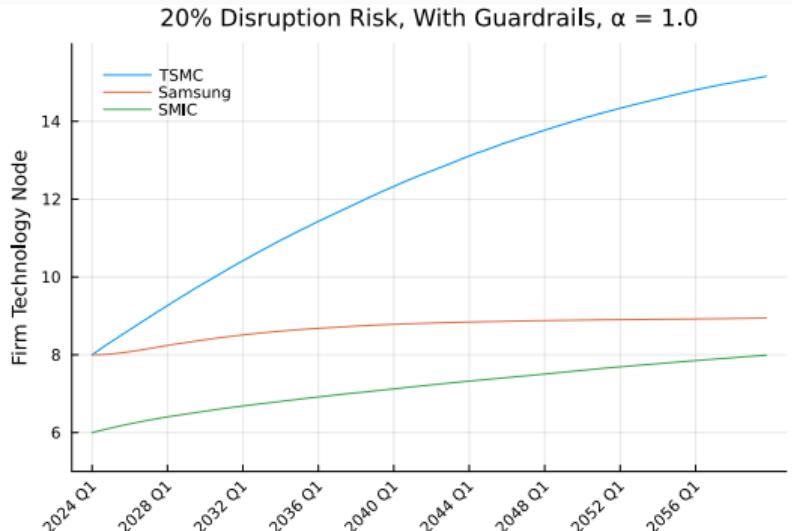
Counterfactual Analysis Roadmap: Guardrail Restrictions

- Unilateral Investment Subsidies in the US
- Investment Restrictions in mainland China
 - Three firms: TSMC, Samsung, and SMIC (national champion)
 - TSMC and Samsung cannot expand capacity in CN
 - Lower technology spillover between SMIC and others $\Rightarrow \alpha \geq 1$ captures the technology blocking effect magnitude
 - Compare tech trajectories with/without restrictions
 - **Higher profit** from secured market demand vs. **higher R&D cost** from weaker technology spillover [Details](#)

20% Trade Disruption Risk



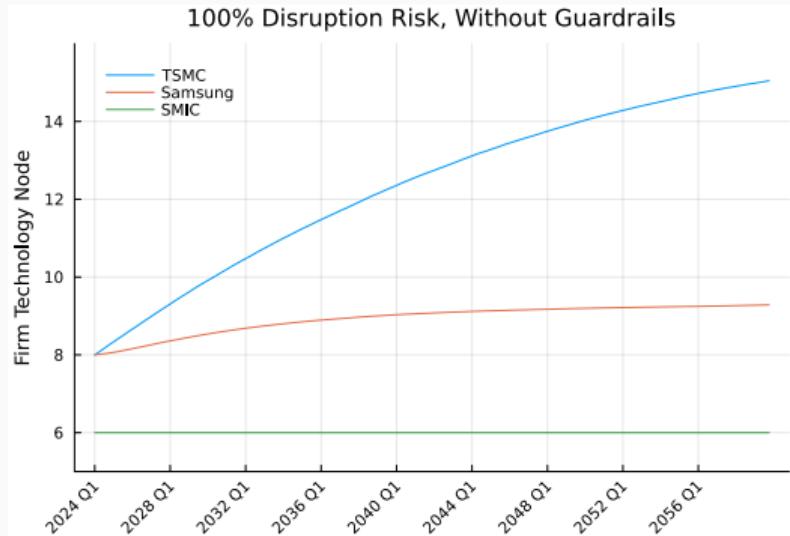
Without Guardrails: $\psi = 20\%$



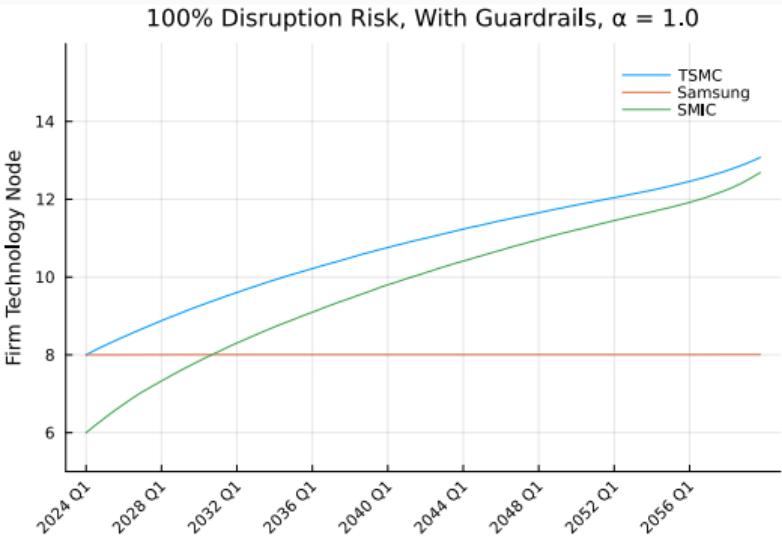
With Guardrails: $\psi = 20\%, \alpha = 1.0$

- Market demand securing is weak when disruption risk is low

100% Trade Disruption Risk

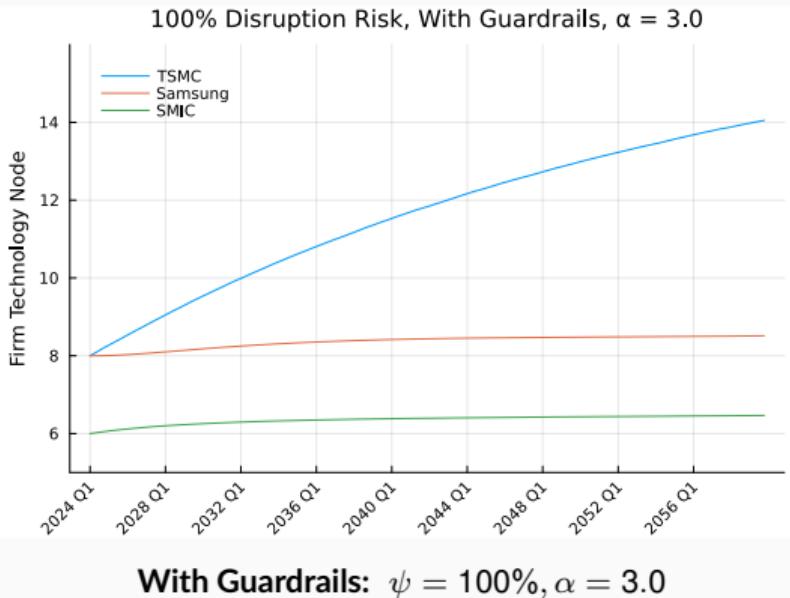
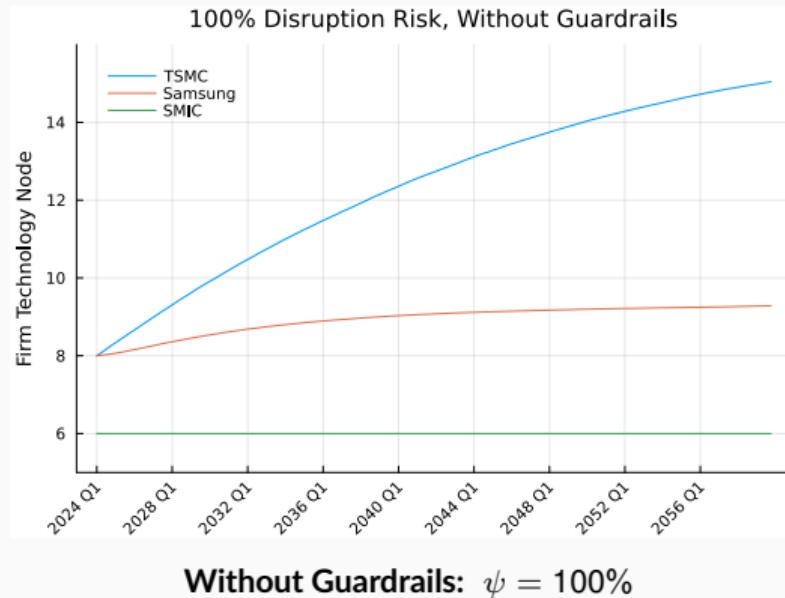


Without Guardrails: $\psi = 100\%$



With Guardrails: $\psi = 100\%, \alpha = 1.0$

100% Trade Disruption Risk



- A spillover reduction factor of 3 is needed to prevent SMIC's technology from advancing with guardrails, i.e., $\lambda : 22\% \rightarrow 66\%$

Conclusion & Future Extension

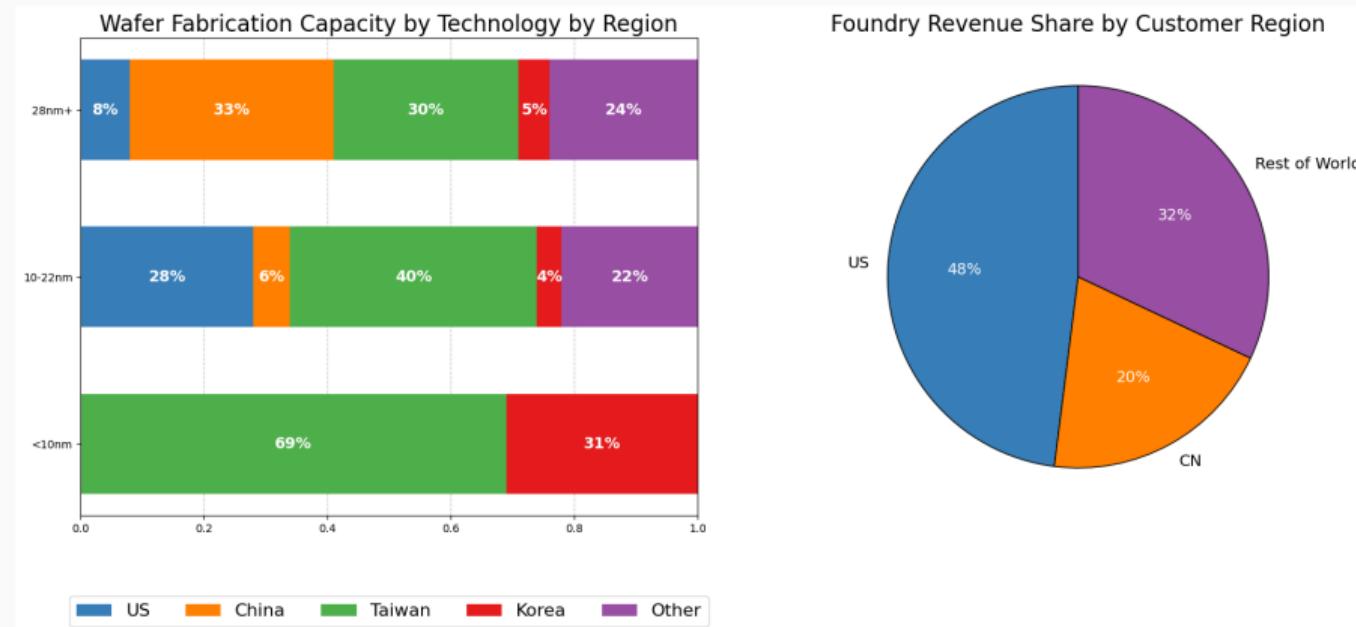
- A dynamic oligopoly model with step-by-step innovation, multi-location production, trade disruption risks, and industrial policies
- Impacts of US CHIPS Act
 - Trade disruption risk $\uparrow \implies$ optimal capacity investment subsidies \uparrow
 - Investment restrictions in CN might \uparrow CN firms' innovation
- Future Extension
 - Unilateral policy analysis \implies Subsidy race

Roadmap of Talk

Additional Material

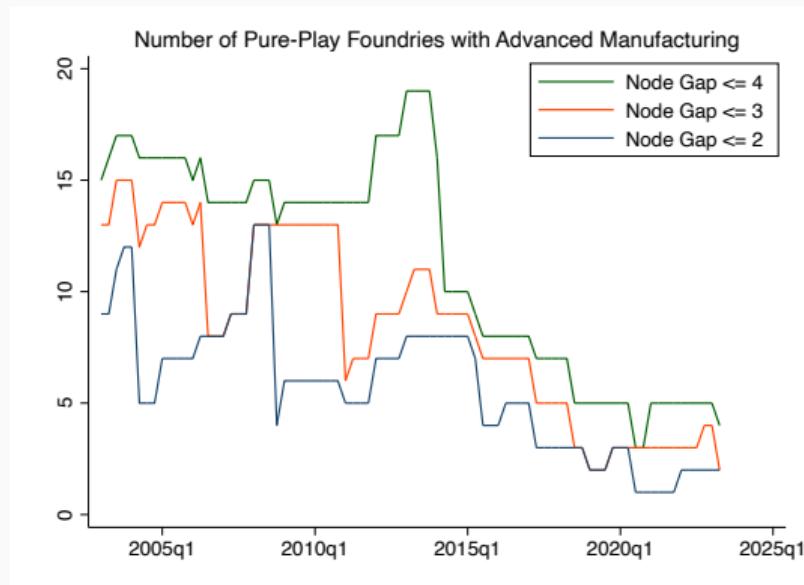
Two-Firm Illustration

Supply Demand Imbalance



- Notable imbalance between foundry capacity and demand across locations

Decreasing Number in Leading-Edge Manufacturers Over Time



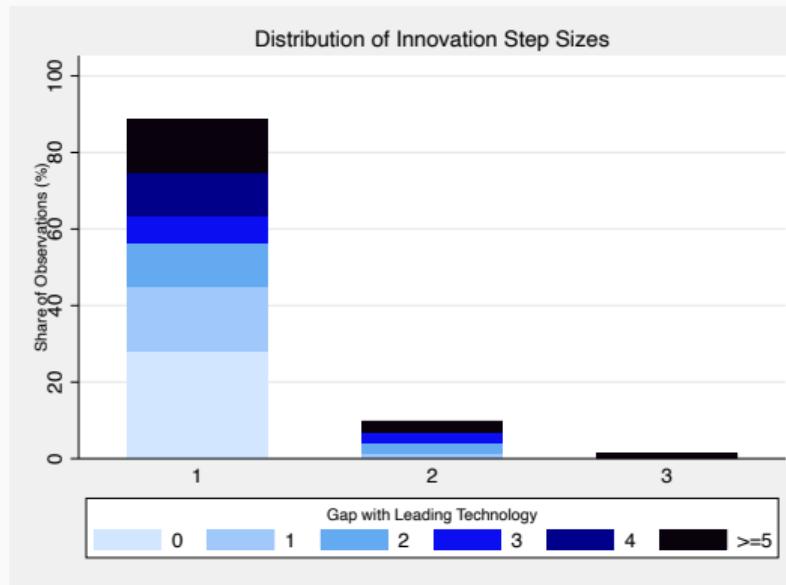
Source: Omdia data and author's calculation

- Highly concentrated and continues to intensify

[Include IDM](#)

[Back](#)

Incremental Innovation

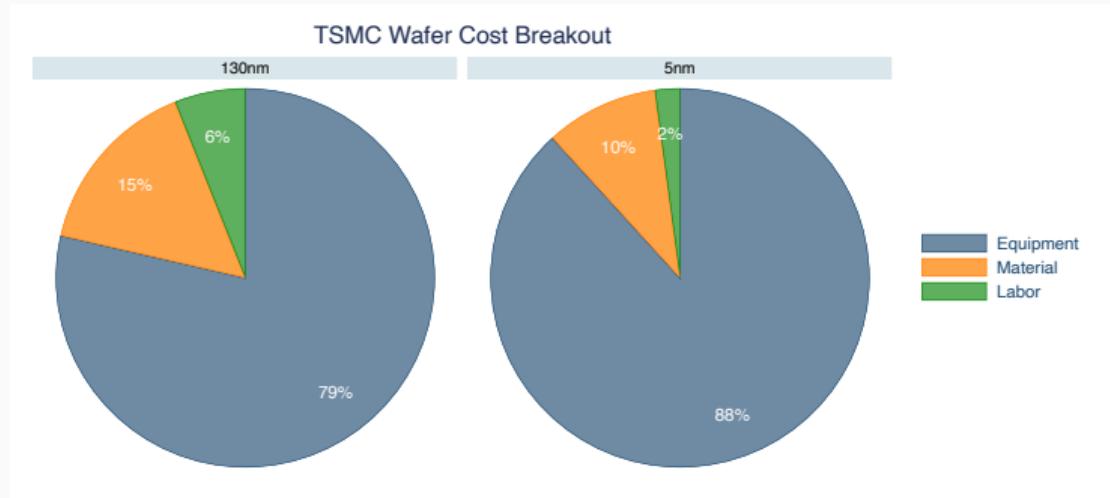


Source: Omdia data and author's calculation

- Leapfrogging is rare and mostly happens in mature nodes
- No new firms directly competing in advanced nodes

High R&D Intensity & Equipment Cost Dominates

- High R&D intensity: ~ 10% of sales
- Equipment costs account for the majority of wafer cost



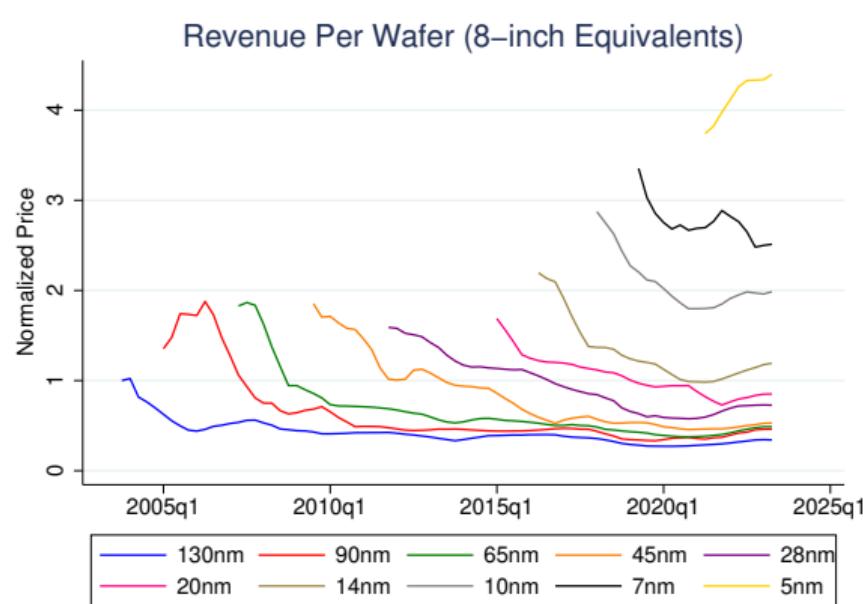
Source: IC Knowledge Strategic Cost Model and author's calculation

Industry Evolution including IDMs



Back

Frontier Firms Gain Higher Profits



- Price drops rapidly after introduction

Source: Omdia data and author's calculation

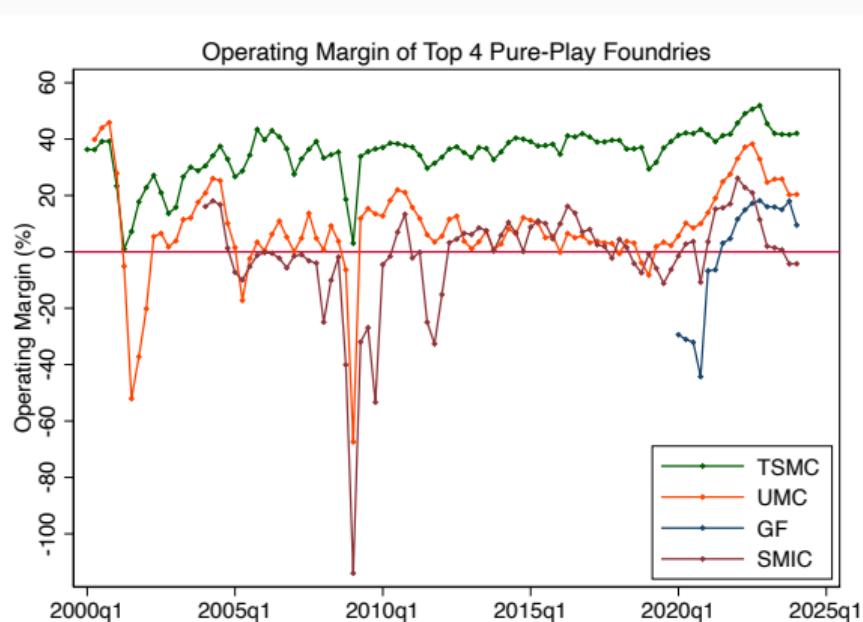
Frontier Firms Gain Higher Profits

	Unit Investment Cost			
	(1)	(2)	(3)	(4)
Time Trend	0.0002 (0.0007)	0.0006 (0.0006)	0.0016 (0.0012)	0.0004 (0.0010)
Log(Capacity)		-0.0253* (0.0132)	-0.0186 (0.0107)	-0.0079 (0.0128)
Constant	0.1779*** (0.0131)	0.4347*** (0.1366)	0.3509** (0.1202)	0.2554* (0.1274)
Technology Node Fixed Effects	Yes	Yes	Yes	Yes
Firm Fixed Effects	No	No	Yes	No
Country Fixed Effects	No	No	No	Yes
N	107	107	97	106
R ²	0.9038	0.9082	0.9233	0.9227

Source: SEMI data and author's calculation

- Price drops rapidly after introduction
- Investment cost of fixed nodes doesn't decrease significantly over time

Frontier Firms Gain Higher Profits



- Price drops rapidly after introduction
- Investment cost of fixed nodes doesn't decrease significantly over time
- Frontier firms gain high profits

Source: Firms' quarterly reports and author's calculation

Trade Disruption Shock Examples

- Export controls / Sanctions
- Pandemic crises leading to restrictions on the movement of goods
- Risks causing disruptions in shipping and logistics



Back

Microfoundation of the Demand Curve

- Consumers demand goods from multiple sectors with preferences

$$U_m = \prod_s (c_m^s)^{\beta^s} \text{ where } \sum_s \beta^s = 1$$

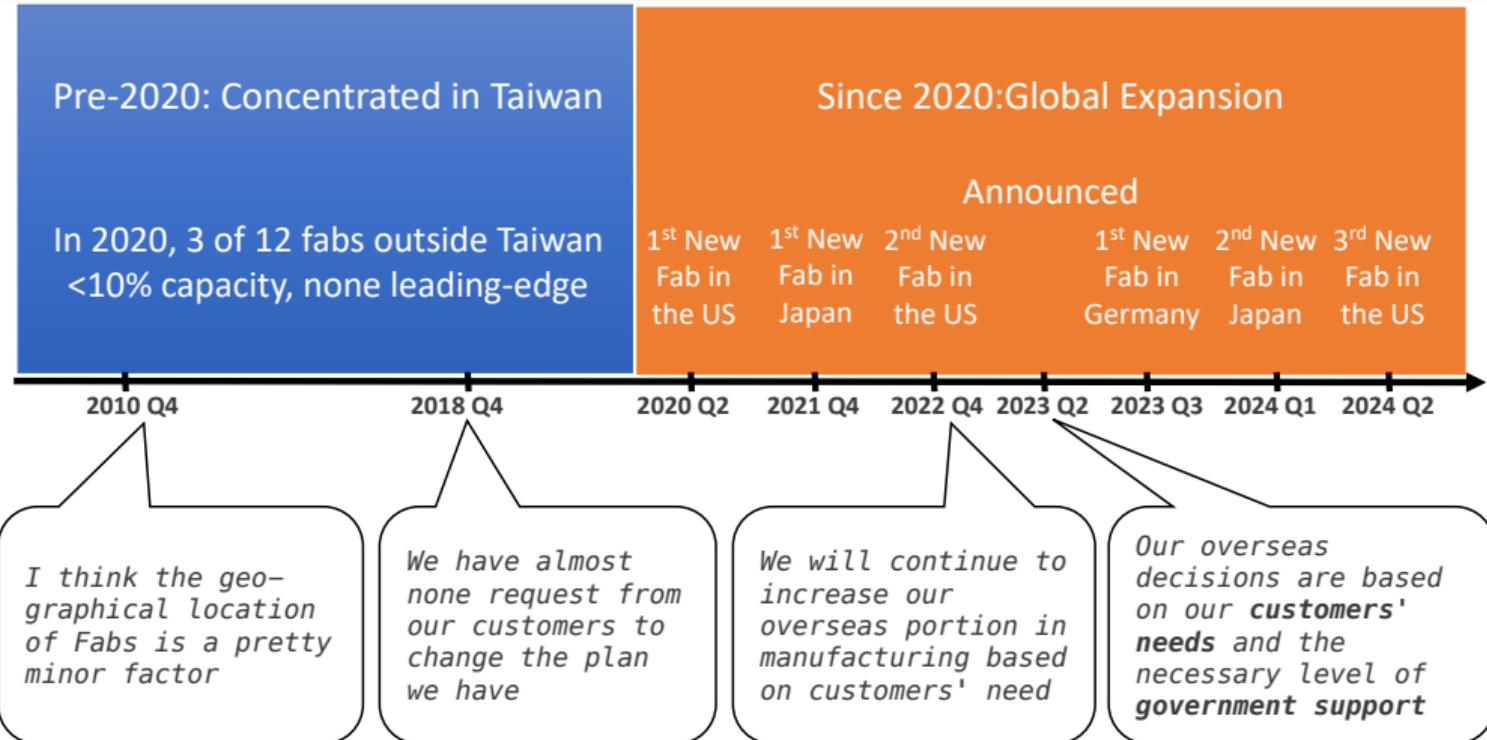
- Each sector requires a specific generation of chips and a homogeneous and freely tradable numeraire good

$$c_m^s = q_0 + \exp\left(\frac{\alpha_0^s}{\alpha_p}\right) \frac{q_c^{s,1-\frac{1}{\alpha_p}}}{1 - \frac{1}{\alpha_p}}$$

- The demand for a specific generation of chip is given by

$$\log(q_c^s) = \alpha_0^s - \alpha_p \log(p_c^s)$$

TSMC's Production Expansion



Innovator's R&D Investment Details

Bellman Equation

- $V_{it}(S_t)$: innovator's value
- $W_{it}^j(S_t)$: non-innovator's value when j is picked as the innovator
- $\Lambda_{it}(S_t)$: expected value before knowing the innovator

$$V_{it}(S_t) = \pi_{it}(S_t) + \max_{d \geq 0} \left\{ -c_{i,d}(S_t)d + \beta \begin{bmatrix} \rho(d)[\Lambda_{it+1}(S_{t+1} | S_t, a_{it} = 1)] \\ +1(\bar{n}_{t+1} > \bar{n}_t)\pi_{it}^{n=2}(S_t)/(1-\beta)] \\ +(1-\rho(d))\Lambda_{it+1}(S_{t+1} | S_t, a_{it} = 0) \end{bmatrix} \right\}$$

- d : innovation effort; $\rho(d) = \frac{d}{1+d}$: probability of successful R&D; $a_{it} = 1$ if the R&D is successful
- $\pi_{it}^{n=2}(S_t)$: profit from a node two generations behind the frontier

Back

Non-Innovator's Value and Ex-ante Value

- Non-innovator's value when j is picked as the innovator

$$W_{it}^j(S_t) = \pi_{it}(S_t) + \beta \left[\begin{array}{l} \rho(d_j^*(S_t))[\Lambda_{it+1}(S_{t+1} | S_t, a_{jt} = 1) \\ + 1(\bar{n}_{t+1} > \bar{n}_t) \pi_{it}^{n=2}(S_t) / (1 - \beta)] \\ + [1 - \rho(d_j^*(S_t))] \Lambda_{it+1}(S_{t+1} | S_t, a_{jt} = 0) \end{array} \right]$$

- Expected value before knowing the innovator

$$\Lambda_{it}(S_t) = p_{pick} \left[V_{it}(S_t) + \sum_{j \neq i} W_{it}^j(S_t) \right]$$

Industry Equilibrium

A sequential industry equilibrium is a set of functions

$V_{it}(S_t)$, $W_{it}(S_t)$, $\Lambda_{it}(S_t)$, $d_{it}^*(S_t)$, $C_{inmt}^*(S_t)$, $q_{inmt}^*(\mathbf{C}_{nmt}, \mathbf{1}(\Psi_t < \psi))$, $P_{nmt}(\mathbf{q}_{nmt}^*)$
such that for each firm i and period $t \leq T$

- $V_{it}(S_t)$, $W_{it}(S_t)$, $\Lambda_{it}(S_t)$ satisfy the firms' Bellman equations;
- $d_i^*(S_t)$ solves the selected innovator's optimization problem;
- $C_{inmt}^*(S_t)$ determines the incumbent firm's capacity allocation across locations m and technology nodes n ;
- $q_{inmt}^*(\mathbf{C}_{nm}, \mathbf{1}(\Psi_t < \psi))$ maximizes the firm's flow profit given the realization of trade disruption risks and capacity constraints \mathbf{C}_{nm} across all firms and locations;
- $P_{nmt}(\mathbf{q}_{nmt}^*)$ ensures product market clearing.

Backward Induction

- Assume the terminal values associated with a firm's states and the corresponding industry states $\Lambda_{iT}(S_T)$
- At $T - 1$, the picked innovator makes the dynamic decision to maximize

$$\max_{d \geq 0} \left\{ -c_{i,d}(S_{T-1})d + \beta \begin{bmatrix} \rho(d)[\Lambda_{iT}(S_T | S_{T-1}, a_{i,T-1} = 1) \\ + 1(\bar{n}_T > \bar{n}_{T-1})\pi_{i,T-1}^{n=2}(S_{T-1})/(1-\beta)] \\ +(1 - \rho(d))\Lambda_{iT}(S_T | S_{T-1}, a_{i,T-1} = 0) \end{bmatrix} \right\}$$

- Solve this iteratively until the first period

Roadmap of Talk

Additional Material

Two-Firm Illustration

Two-Firm Model Setup

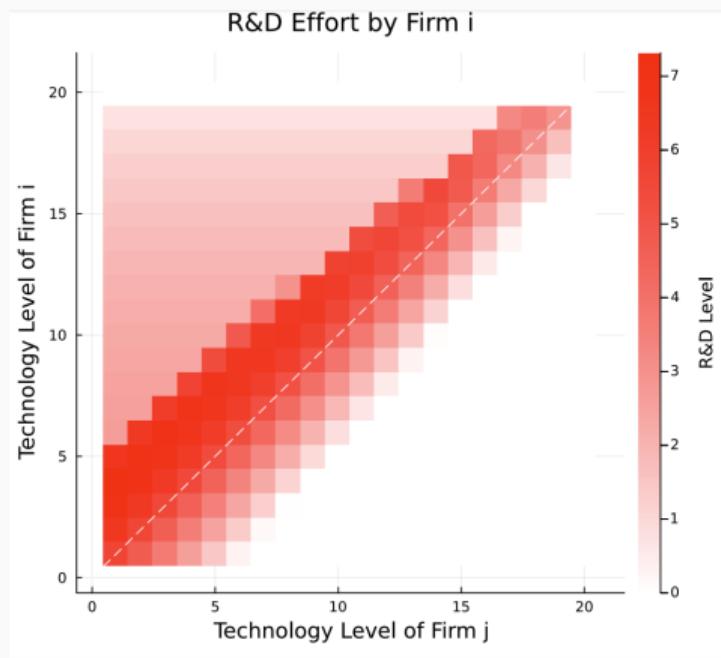
Goals

- Understand firms' R&D patterns considering their technology status and response to subsidies
- Examine how the effectiveness of subsidies in fostering technology leadership is affected by firms' relative technology status

Setup

- No trade disruption risk
- Consider 2 firms subject to different investment subsidy rate τ
- Only the leading firm makes a positive profit in monopoly markets

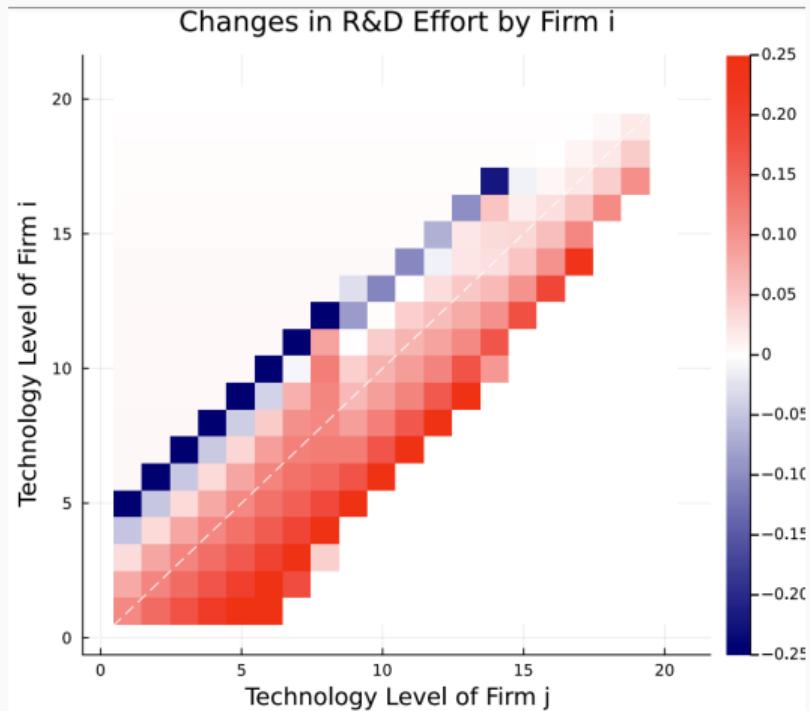
Optimal R&D Investment Pattern



- Highest innovation when neck-and-neck
- Substantially lagging firms lose incentive to innovate
 - No leapfrogging
 - R&D must be a multi-period effort to catch up

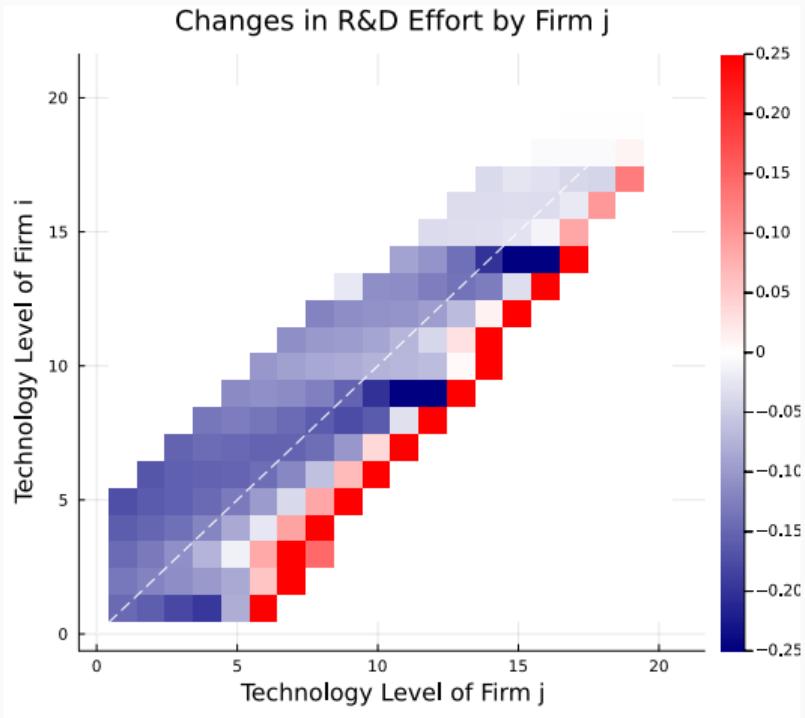
[Back to Full Model](#)

Effects of Subsidies to i on R&D Investment - Subsidized Firm



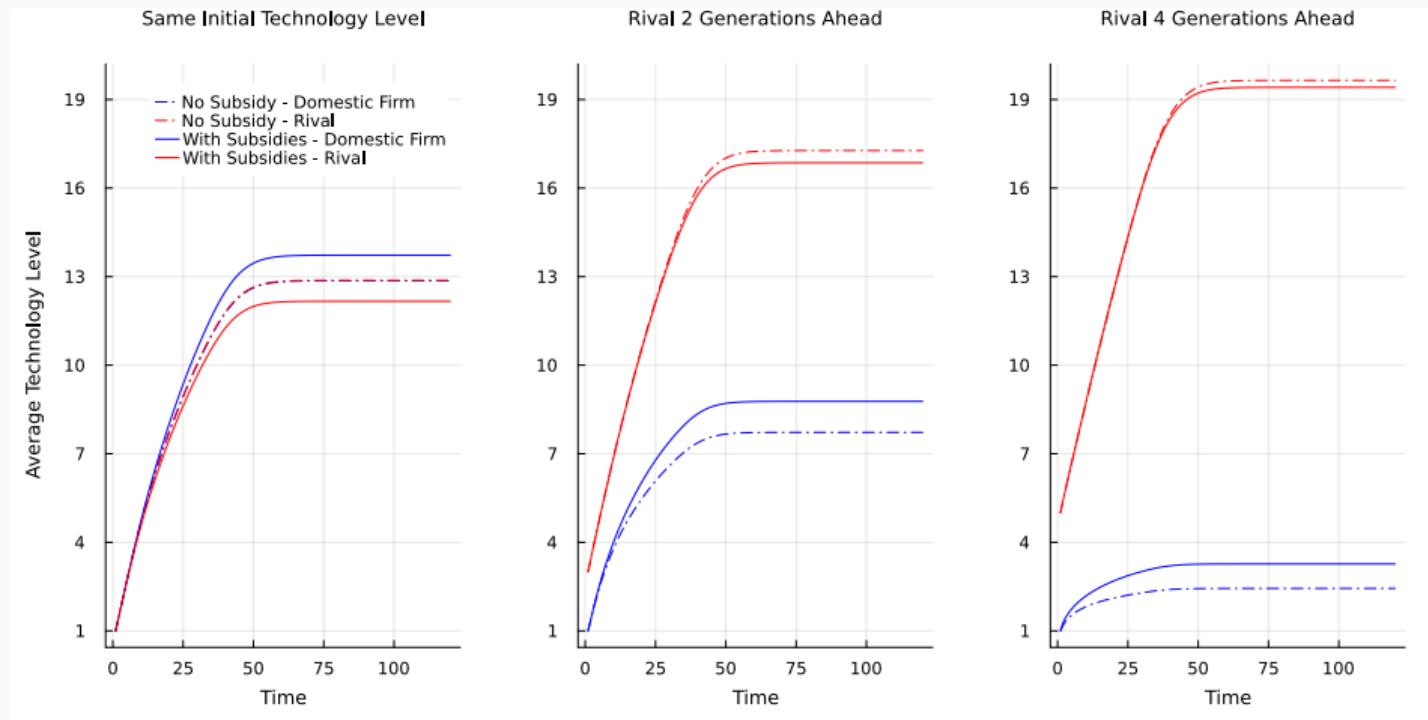
- No response when technology gap is too large
- Increase R&D in most cases as subsidies cover part of the cost
- Reduce R&D when leading in certain regions as R&D subsidy to leading firm further deters laggards

Effects of Subsidies to i on R&D Investment - Rival

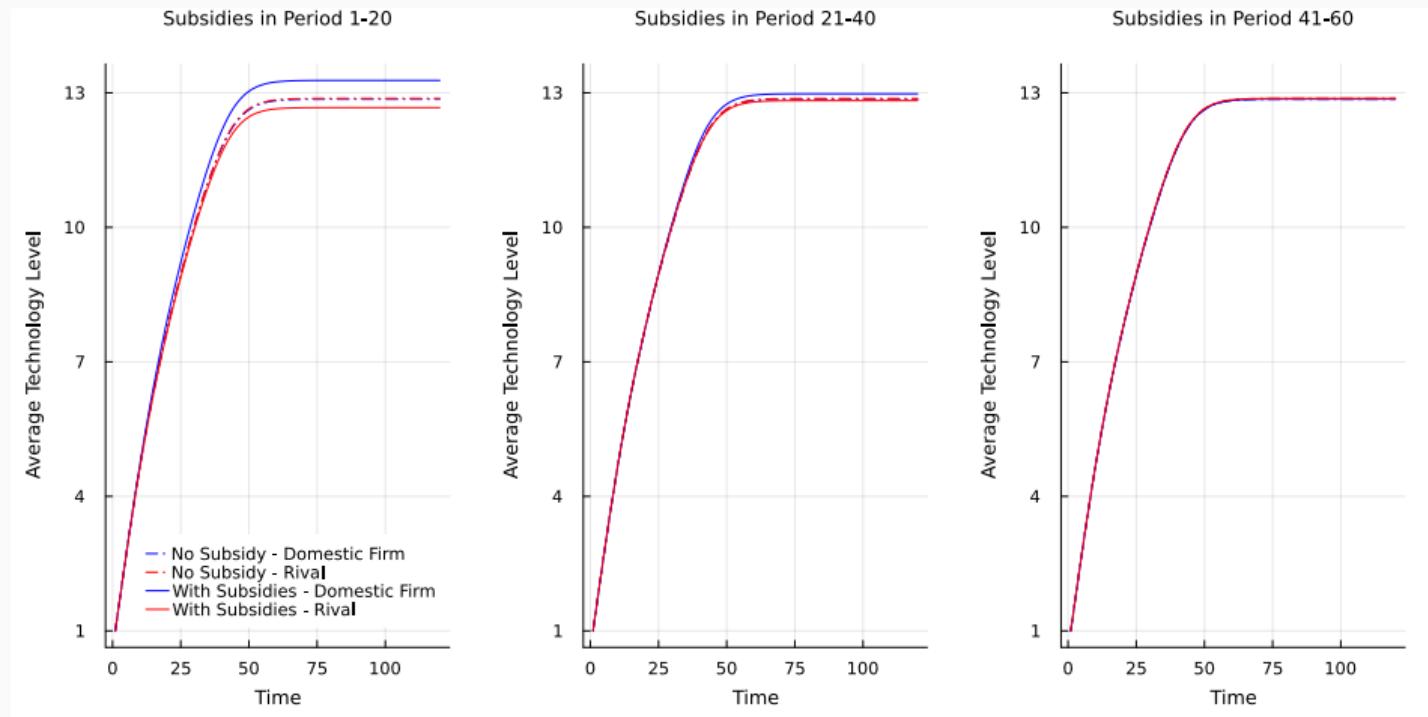


- No response when technology gap is too large
- Cut R&D when the subsidized firm leads or closely trails
- Rise R&D to prevent the subsidized firm from catching up when has a significant technological lead

Technology Upgrading Dynamics



Timing's Influence on Industrial Policy Success



Data

- Pure Play Foundry Market Tracker from Omdia
 - Quarterly data from 2003Q1 to 2023Q3
 - Capacity, utilization, shipment, and revenue by firm and technology node
 - Focus on pure-play foundries, limited information on Samsung foundry
- 300mm Fab Outlook to 2026 from SEMI
 - Quarterly data from 2015Q1 to 2026Q4 (including prediction)
 - Firm, location, capacity, technology node, construction and equipment costs for each 300mm fab production line
 - Include IDMs like Intel and Samsung
- Other complementary data
 - Firm quarterly reports: revenue, COGS, and R&D costs
 - Industry analysis data from: IC Knowledge, BCG and SIA
 - Downstream shipment data

Calibrated Parameters

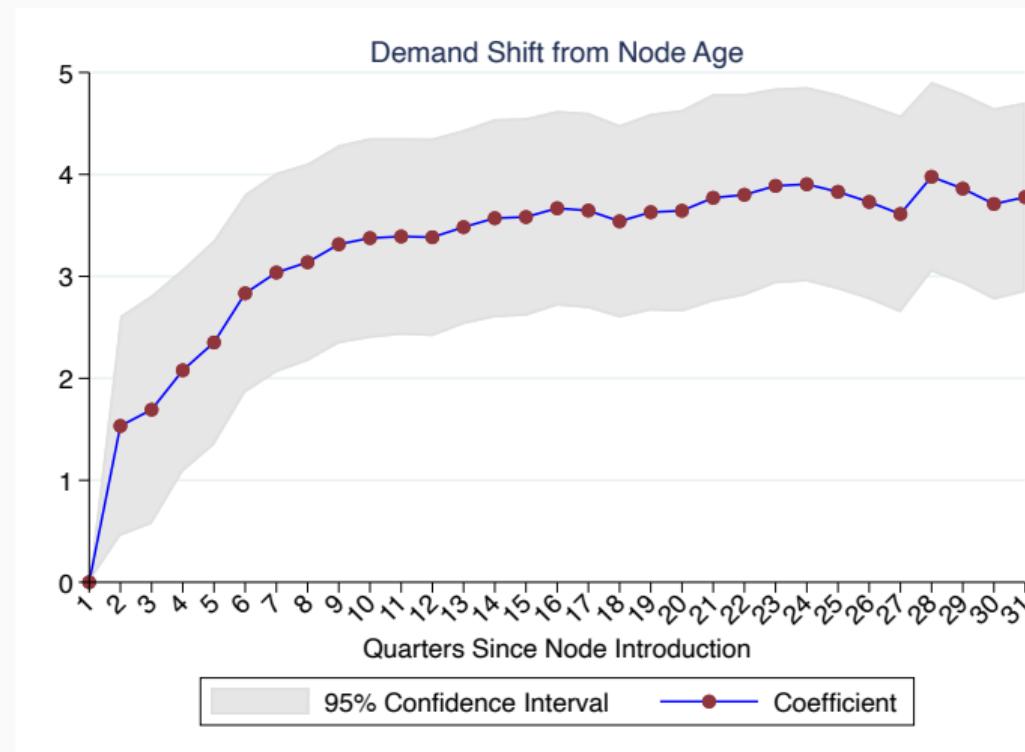
Assume no trade disruption risk during the sample period

Calibrated Parameters

Parameter	Meaning	Value	Source
β	Discount factor	$0.9^{1/4}$	Quarterly rate
\bar{N}	Technology limit	16	ASML Roadmap
T	Final period	2059Q4	Sensitivity analysis (2045Q4)
ψ	Trade disruption risk	[0, 1]	Set as 0 in calibration
δ	Foreign cost shifter	[1, 2]	Only relevant in counterfactual

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Age Effects on Demand



Parameterization, Calibration, and Estimation Results

Parameter	Functional Form	Value	Source
Discount factor		$\beta = 0.9^{1/4}$	Quarterly rate
Technology limit		$\bar{N} = 16$	Sensitivity analysis (11)
Final period		$T = 2059Q4$	Sensitivity analysis (2045Q4)
Trade disruption risk		$\psi \in [0, 1]$	Set as 0 in calibration
Foreign cost shifter		$\delta \in [1, 2]$	Only relevant in counterfactual
Market Share		$M_{US} = 25\%, M_{CN} = 22\%$ $M_{ROW} = 53\%$	Downstream demand & Estimated demand shifter coefficient
Firm-level productivity	ν_i	$\nu_{TSMC} = 1, \nu_{others} = 1/1.57$	Firm capacity share
Capacity unit cost	$\frac{w_{0,I}}{\nu_i}(1 + g^w)^n(1 - s_I)$	$w_{0,US} = 1, w_{0,CN} = w_{0,Row} = 0.925$ $g^w = 25.8\%$	BCG and SIA report Unit investment cost growth
R&D unit cost	$c_0(1 + g^c)^n \gamma^{1(\Delta n_t > 0)}$	$c_0/10^6 = 3.2 [1.5, 3.5]$ $g^c = 28.8\%$ $\gamma = 22\% [7\%, 92\%]$	MLE TSMC R&D cost trend MLE

[Moore's Law](#)

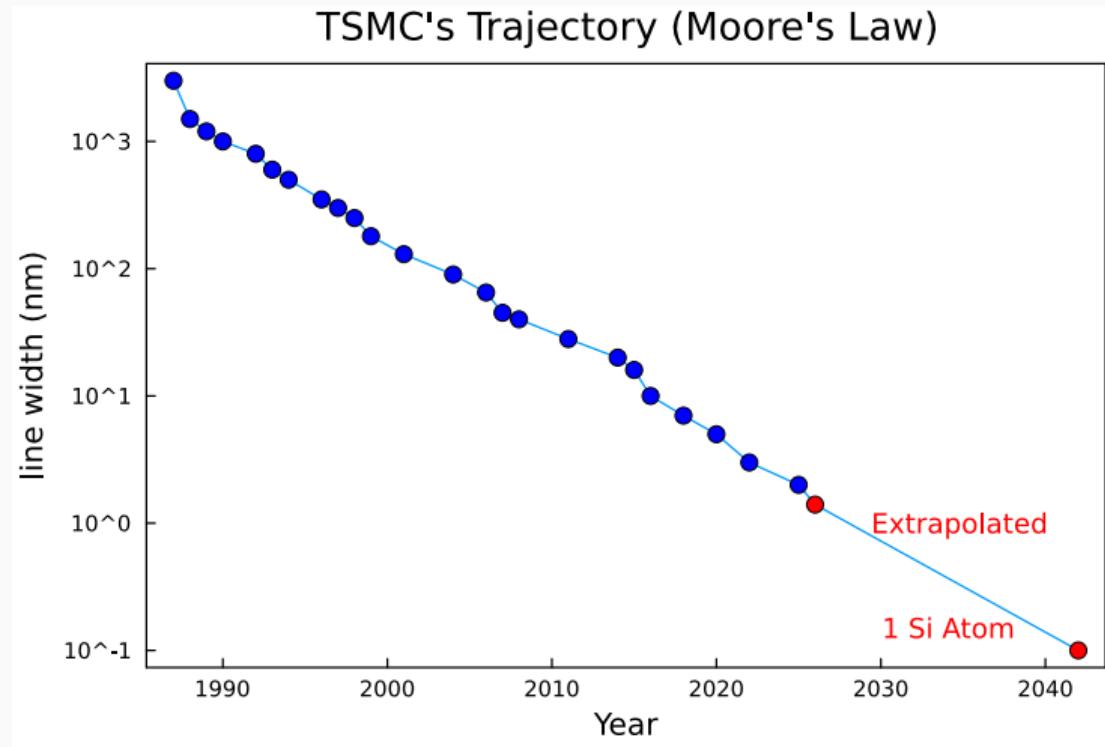
[Market Size Definition](#)

[Trends in Equipment and R&D Costs](#)

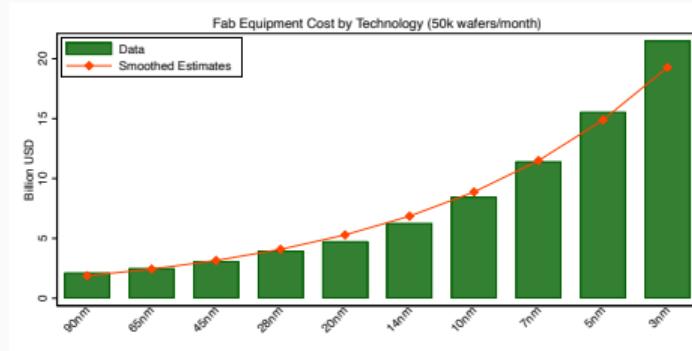
[Firm R&D Cost Comparison](#)

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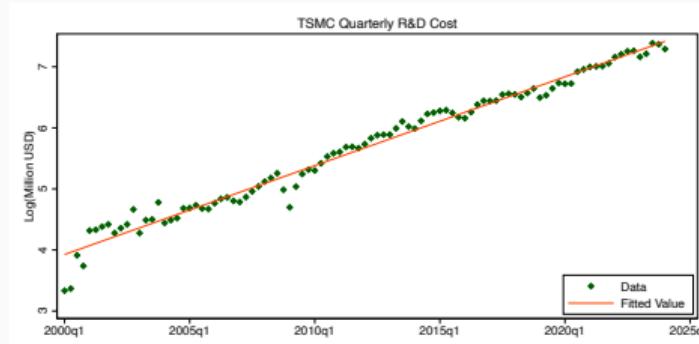
Moore's Law Extrapolation



Trends in Equipment and R&D Costs



Source: SMIC prospectus and author's calculation

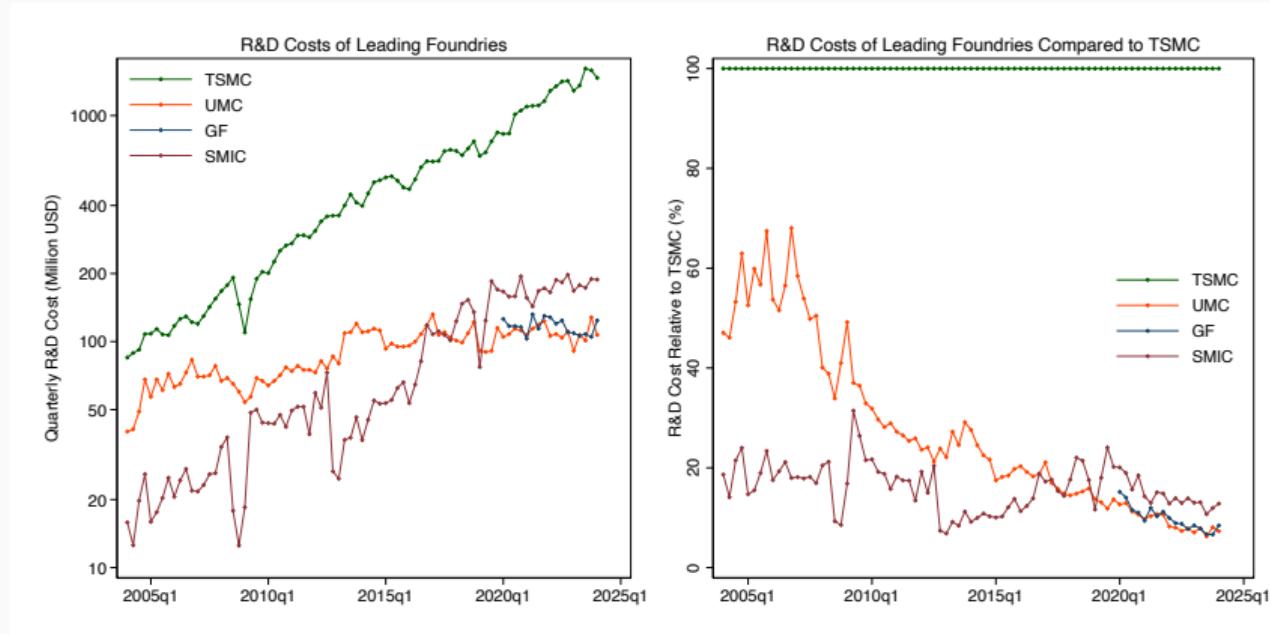


Source: TSMC's quarterly reports and author's calculation

- Both investment costs and R&D expenditures increases exponentially with advancing technology nodes

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R&D Costs of Leading Foundries



Source: Firms' quarterly reports and author's calculation

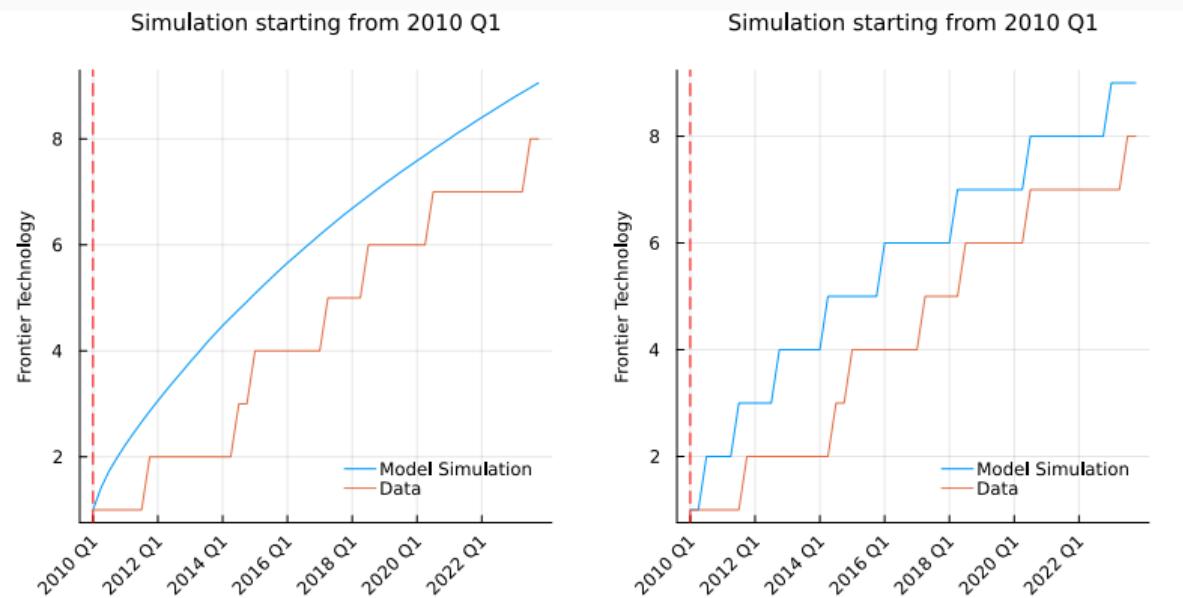
Market Size

- Define market size based on downstream demand for smartphones, tablets, and PCs
- From the demand estimation: $N_m \propto Q_{PC,m}^{\alpha_D^{PC}} Q_{mobile,m}^{\alpha_D^{mobile}}$
- Estimated market size shares: US 25.2%, CN 22.2%, RoW 52.6%

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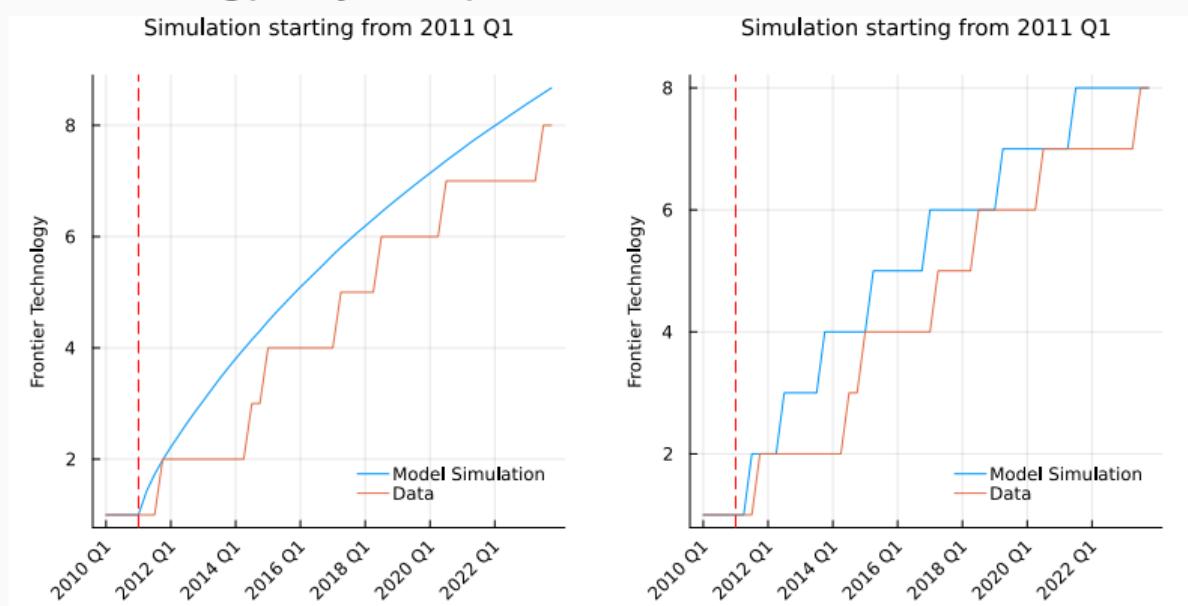
Model Fit - Frontier technology trajectory

- Frontier technology trajectory: model vs. data



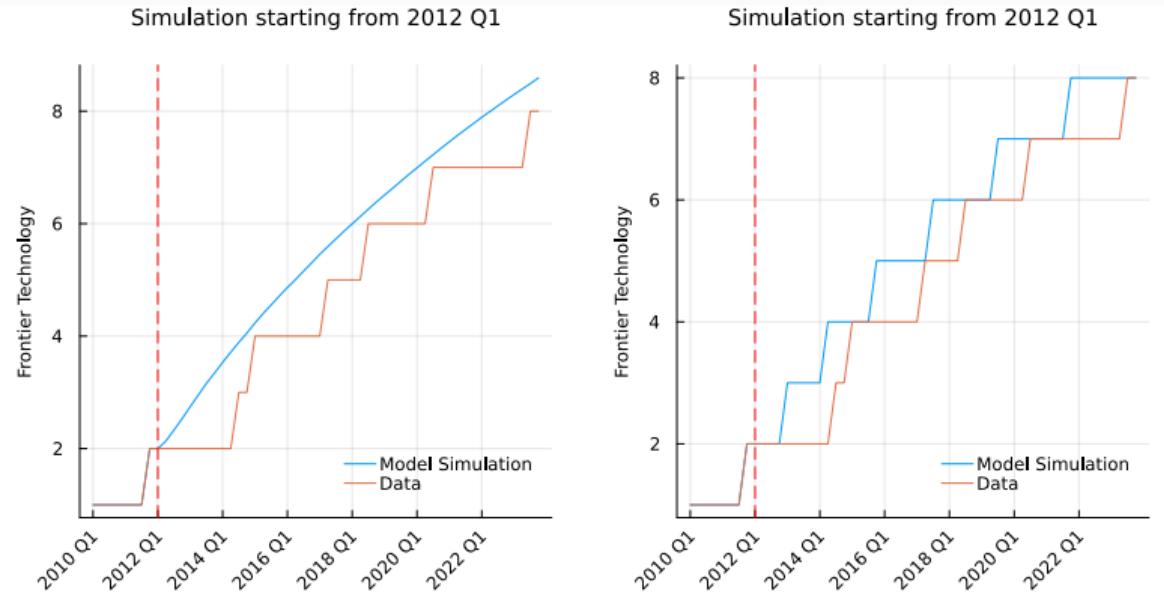
Model Fit - Frontier technology trajectory

- Frontier technology trajectory: model vs. data

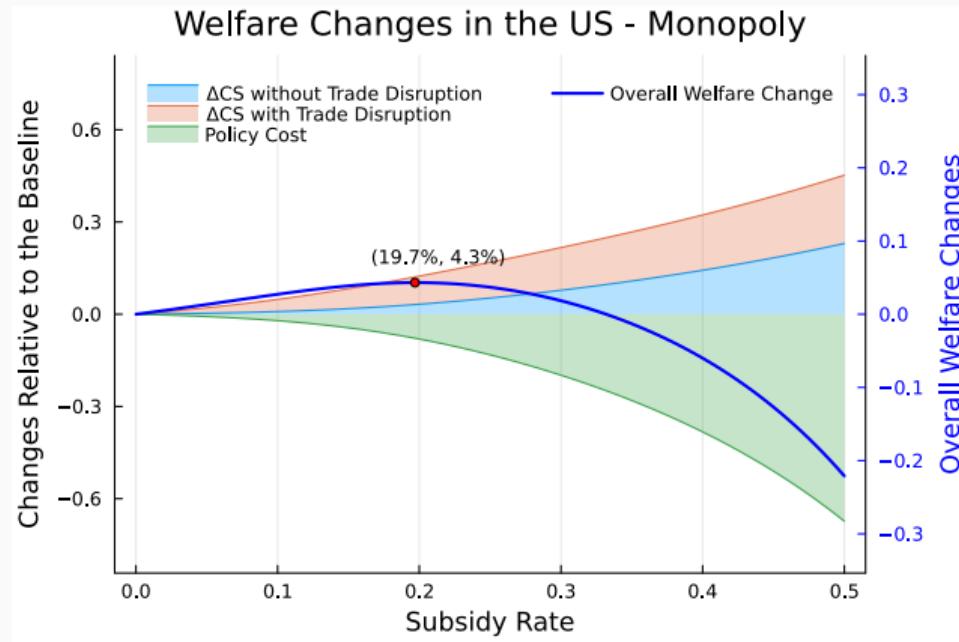


Model Fit - Frontier technology trajectory

- Frontier technology trajectory: model vs. data

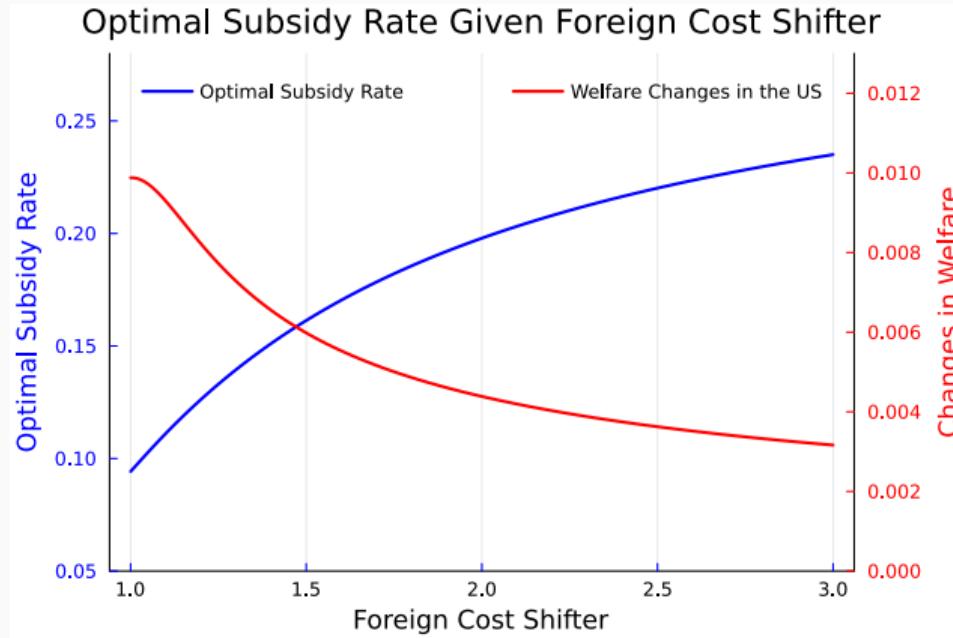


Static Gains in the US: Monopoly Case



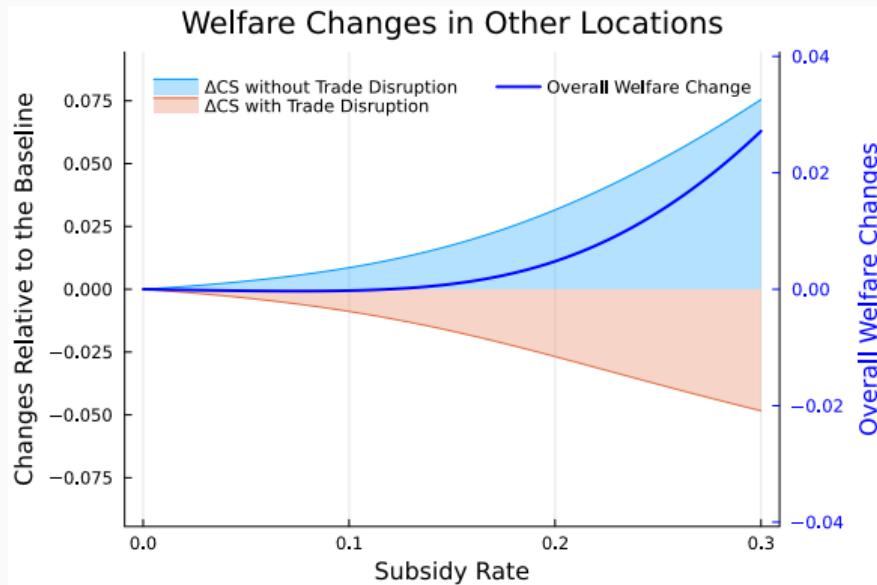
Monopoly case: $\delta = 1.0, \psi = 0.2$

Static Gains in the US: The Role of δ



Setting: 2 incumbents, $\psi = 0.2$

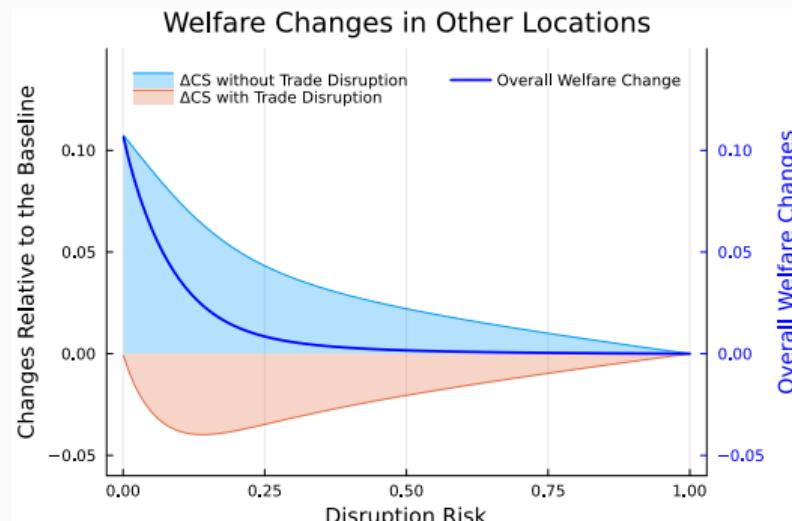
Static Gains in Other Locations



Baseline case: 2 incumbents, $\delta = 1.0$, $\psi = 0.2$

- US subsidies shift capacity to the US, raising prices elsewhere during trade disruptions but lowering global prices without disruption

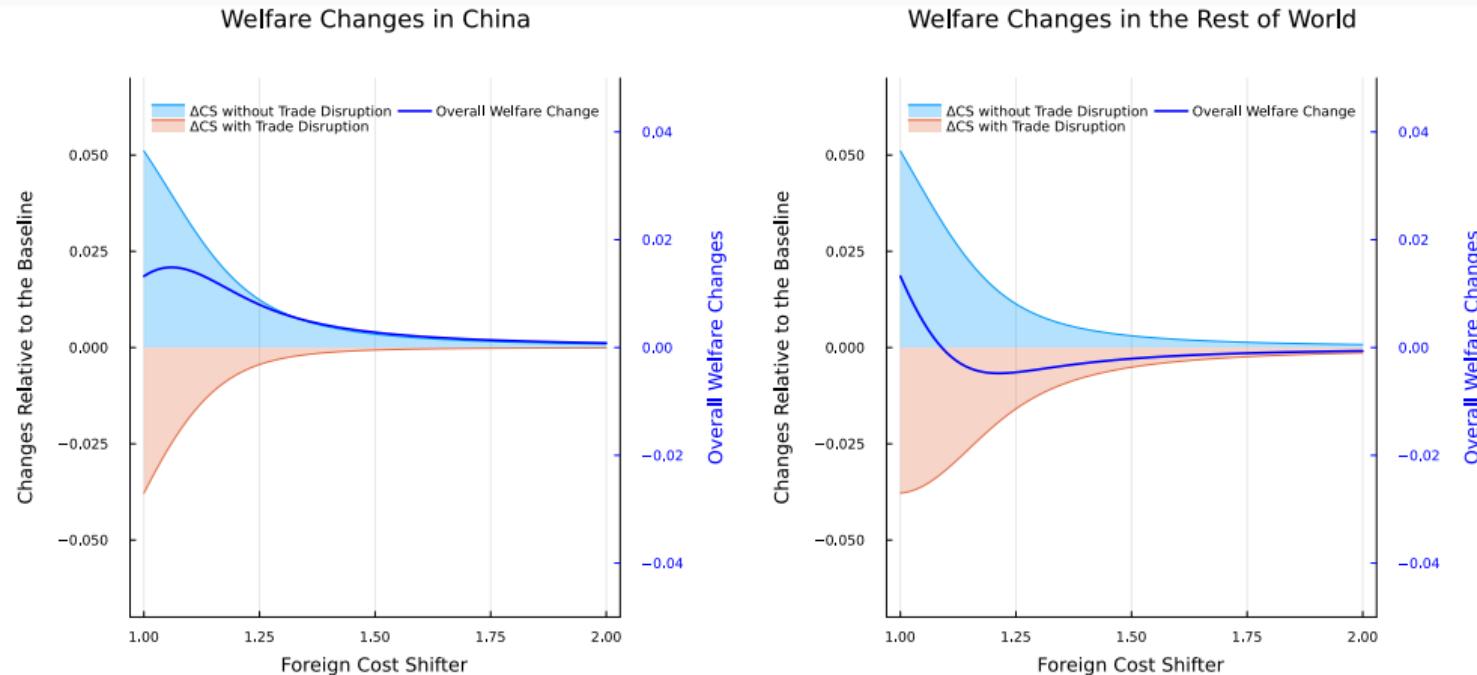
Static Gains in Other Locations



Setting: 2 incumbents, $\delta = 1.0$, $s_{US} = 25\%$

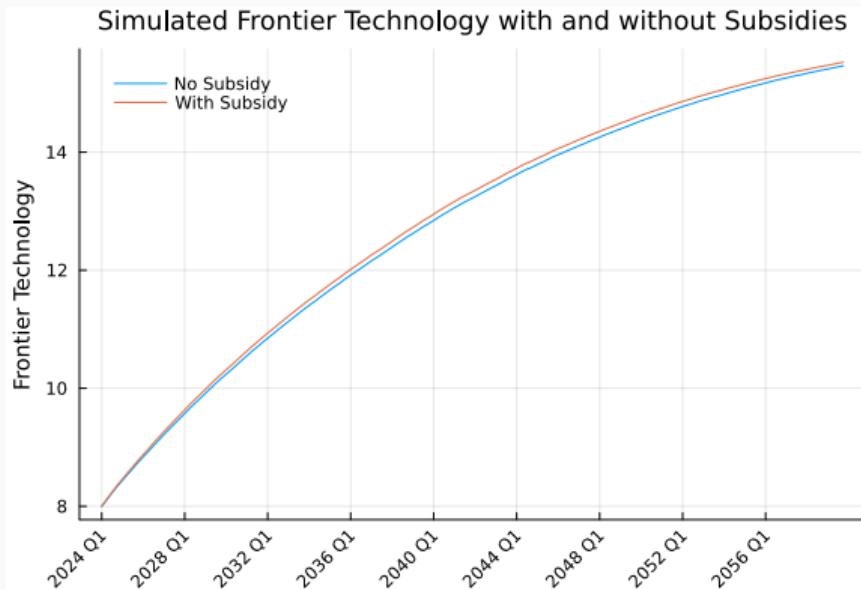
- US subsidies shift capacity to the US, raising prices elsewhere during trade disruptions but lowering global prices without disruption
- Other locations benefit less from US subsidies as trade disruption risk rises

Static Gains in Other Locations: The Role of δ



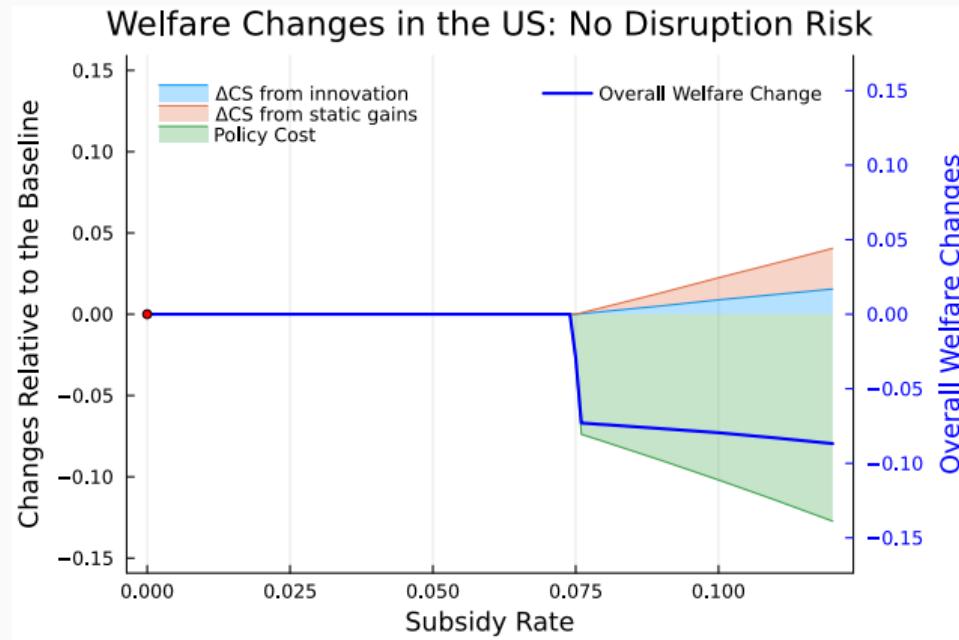
Setting: 2 incumbents, $\psi = 0.2$, $s_{US} = 25\%$

Gains from Faster Technology Upgrades



Baseline case: $\delta = 1.0, \psi = 0.2, s_{US} = 17\%$

Dynamic Gains in the US: No Disruption Risk



Setting: $\delta = 1.0, \psi = 0.0$

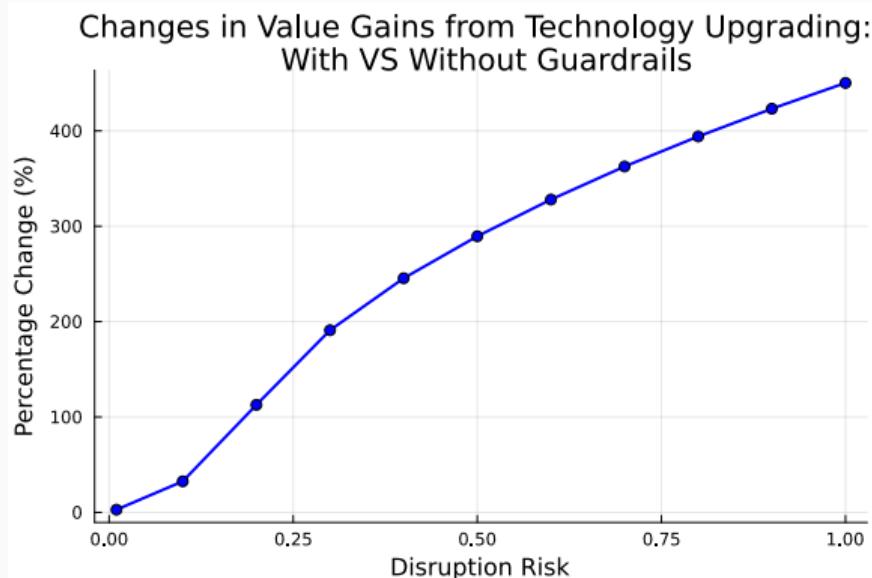
Guardrail Restrictions

Optimal R&D effort

$$d^*(S_t) = \max\{0, \sqrt{\beta \frac{\Lambda_{gap}(S_t)}{c_d(S_t)}} - 1\}$$

- $\Lambda_{gap}(S_t)$: expected value gain from technology upgrading
 - Secure the domestic market demand for CN firms during trade disruptions
 - $\Delta \Lambda_{gap}(S_t) \uparrow$ as disruption risks $\psi \uparrow$
- $c_d(S_t)$: unit cost of R&D - $c_0(1 + g^c)^n \gamma^{1(\Delta n_{it} > 0)}$
 - Higher unit cost when CN firms are followers
 - $\gamma \rightarrow \alpha \gamma$ with the spillover reduction factor $\alpha \geq 1$

Minimum α for Effective Guardrails



- To curb CN firm's innovation: \uparrow disruption risks $\implies \uparrow$ spillover blocking
- Export controls and the Huawei ban \uparrow disruption risks in CN

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Note: Changes in Λ_{gap} for SMIC in 2024Q2 with and without guardrails, $s_{US} = 25\%$, $\delta = 1.0$