

# SC1015

# Mini Project

FDAD | Group 4

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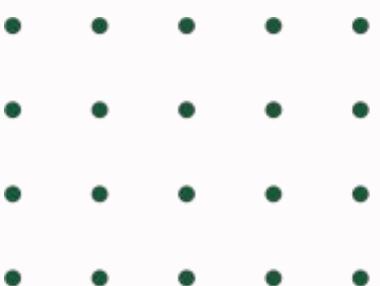


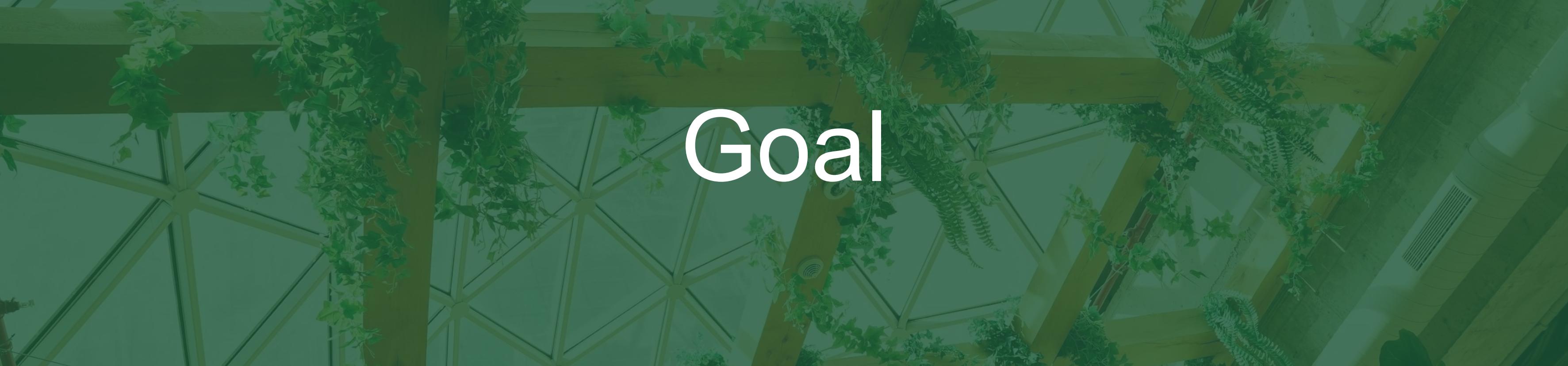
# The Problem

**34%**

of Singaporeans  
own at least 1 car

Every year, Singapore's vehicles release about 6.4 million tonnes of carbon emissions,  
which makes up about 15% of the city-state's total emissions





# Goal

To find out which variables from our dataset contribute more significantly to the CO<sub>2</sub> emissions of a vehicle

Predict the most significant variable using our chosen best regression model



**motorist**

# Oct 2023 1st COE Bidding Results

## CAT A

CAR UP TO 1600CC  
& 97KW



**\$104,000**

▼ \$1,000

## CAT B

CAR ABOVE 1600CC  
OR 97KW



**\$146,002**

▲ \$5,113

## CAT C

GOODS VEHICLE  
& BUS



**\$85,900**

▲ \$2,099

## CAT D

MOTORCYCLE



**\$10,856**

▲ \$156

## CAT E

OPEN-ALL EXCEPT  
MOTORCYCLE



**\$152,000**

▲ \$7,360

# CHOICE OF DATASET

In [7]:

```
1 cd_data = pd.read_csv("CO2Emissions_Canada.csv")
2 cd_data.head(20)
```

Out[7]:

	Make	Model	Vehicle Class	Engine Size(L)	Cylinders	Transmission	Fuel Type	Fuel Consumption City (L/100 km)	Fuel Consumption Hwy (L/100 km)	Fuel Consumption Comb (L/100 km)	Fuel Consumption Comb (mpg)	CO2 Emissions(g/km)
0	ACURA	ILX	COMPACT	2.0	4	AS5	Z	9.9	6.7	8.5	33	196
1	ACURA	ILX	COMPACT	2.4	4	M6	Z	11.2	7.7	9.6	29	221
2	ACURA	ILX HYBRID	COMPACT	1.5	4	AV7	Z	6.0	5.8	5.9	48	136
3	ACURA	MDX 4WD	SUV - SMALL	3.5	6	AS6	Z	12.7	9.1	11.1	25	255
4	ACURA	RDX AWD	SUV - SMALL	3.5	6	AS6	Z	12.1	8.7	10.6	27	244
5	ACURA	RLX	MID-SIZE	3.5	6	AS6	Z	11.9	7.7	10.0	28	230
6	ACURA	TL	MID-SIZE	3.5	6	AS6	Z	11.8	8.1	10.1	28	232
7	ACURA	TL AWD	MID-SIZE	3.7	6	AS6	Z	12.8	9.0	11.1	25	255
8	ACURA	TL AWD	MID-SIZE	3.7	6	M6	Z	13.4	9.5	11.6	24	267
9	ACURA	TSX	COMPACT	2.4	4	AS5	Z	10.6	7.5	9.2	31	212
10	ACURA	TSX	COMPACT	2.4	4	M6	Z	11.2	8.1	9.8	29	225

Size of dataset:  
7385

# CO2 Emission by Vehicles

## Make

The company that makes the car.

Audi, Ford, BMW etc.

## Model

4WD/4X4 = Four-wheel drive  
AWD = All-wheel drive  
FFV = Flexible-fuel vehicle  
SWB = Short wheelbase  
LWB = Long wheelbase  
EWB = Extended wheelbase

## Transmission

A = Automatic  
AM = Automated manual  
AS = Automatic with select shift  
AV = Continuously variable  
M = Manual  
3 - 10 = Number of gears

## Fuel type

X = Regular gasoline  
Z = Premium gasoline  
D = Diesel  
E = Ethanol (E85)  
N = Natural gas

## Fuel Consumption

City and highway fuel consumption ratings are shown in litres per 100 kilometres (L/100 km) - the combined rating (55% city, 45% hwy) is shown in L/100 km and in miles per gallon (mpg)

## CO2 Emissions

The tailpipe emissions of carbon dioxide (in grams per kilometre) for combined city and highway driving

# Data Cleaning

Changed the fuel type  
to the actual names of  
the fuel type

# Data Cleaning

Separated the original Transmission variable into 2 columns to analyse them separately

## Transmission

- AS5
- M6
- AV7
- AS6
- AS6
- AS6
- AS6
- M6
- AS5
- M6



Gears	Transmission Type
5	AS
6	M
7	AV
6	AS
6	AS
...	...
8	AS

# Gears

CVT or continuously variable transmission cars don't have multiple gears. They essentially have one gear with infinite variability.

```
cd_data["Gears"].fillna(value=1, inplace=True)
```

```
print(cd_data["Gears"].dropna().value_counts())
```

```
          Gears
6        3259
8        1802
7        1026
9         419
5         307
1         295
10        210
4          67
```

```
Name: count, dtype: int64
```

# Predictor Variables to be used

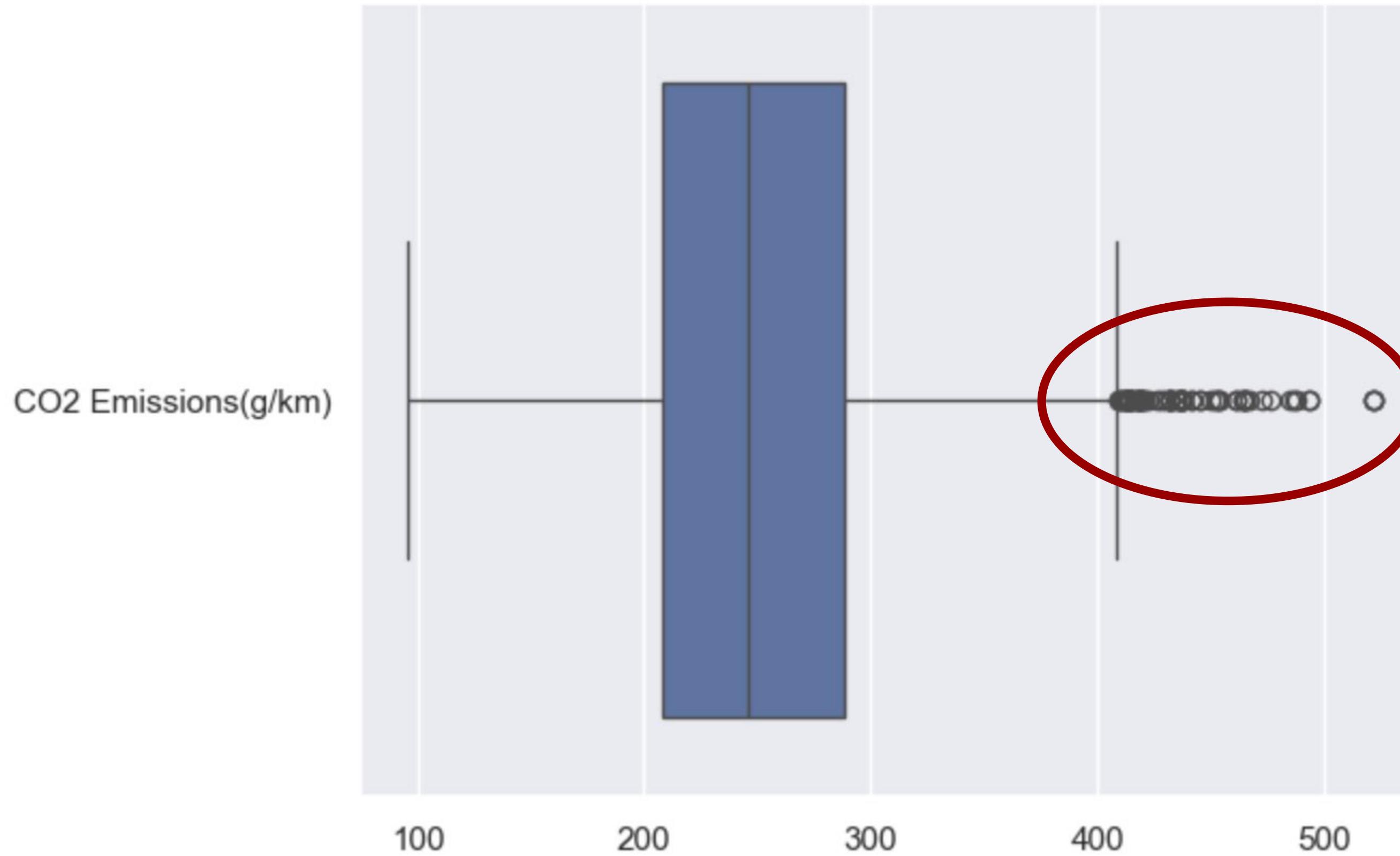
## Numerical

- Engine Size (L)
- Fuel Consumption Comb (L/100km)

## Categorical

- Vehicle class
- Cylinders
- Fuel Type
- Gears
- Transmission Type

# Finding Outliers



# Finding Outliers

```
Q1 = cd_data['CO2 Emissions(g/km)'].quantile(0.25)
Q3 = cd_data['CO2 Emissions(g/km)'].quantile(0.75)
IQR = Q3 - Q1
Q1, Q3, IQR
```

```
(208.0, 288.0, 80.0)
```

```
upper_limit = Q3 + (1.5 * IQR)
lower_limit = Q1 - (1.5 * IQR)
lower_limit, upper_limit
```

```
(88.0, 408.0)
```

```
# find the outliers
outliers = cd_data.loc[(cd_data['CO2 Emissions(g/km)'] > upper_limit) | (cd_data['CO2 Emissions(g/km)'] < lower_limit)]
```

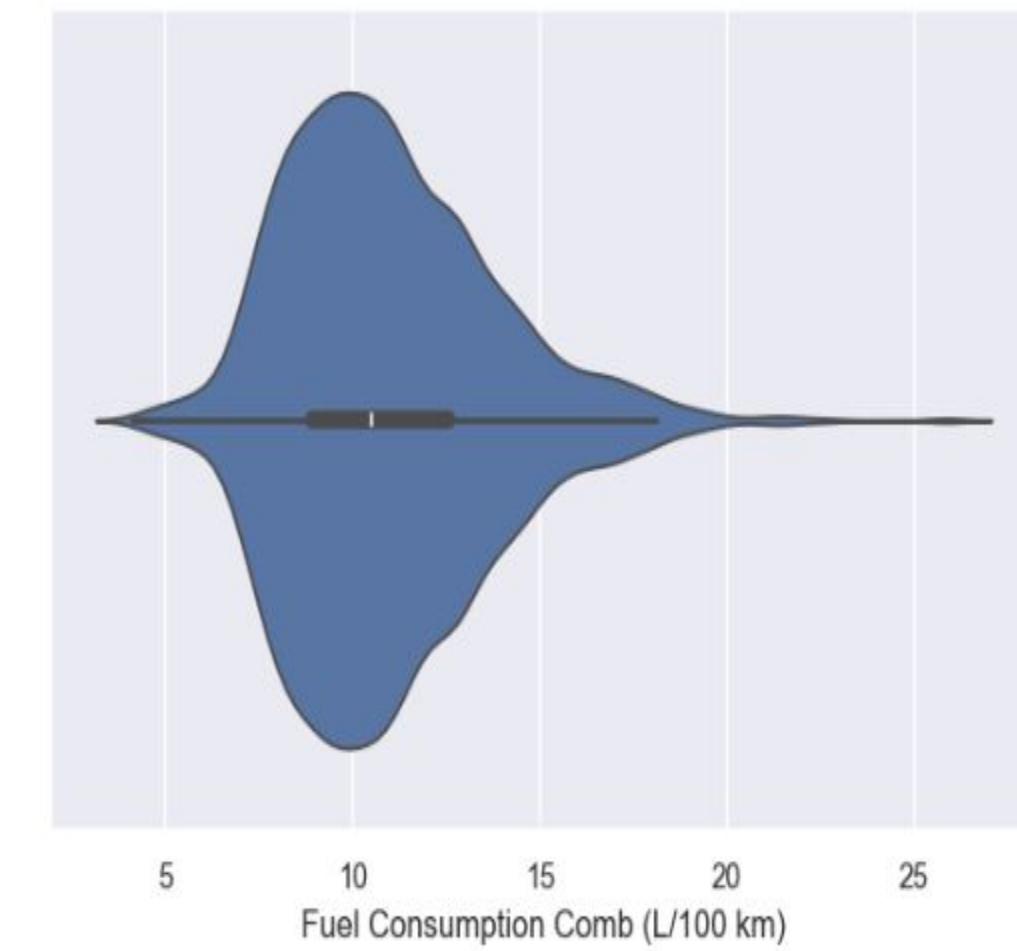
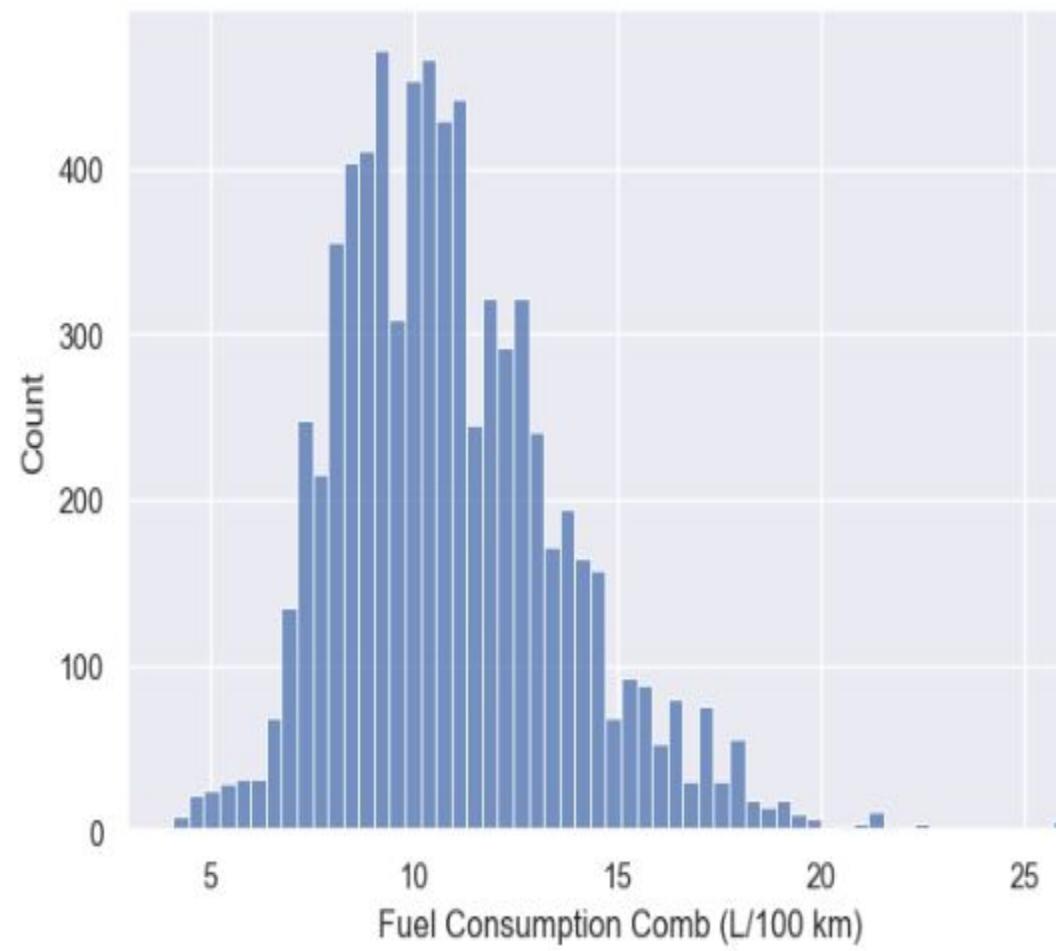
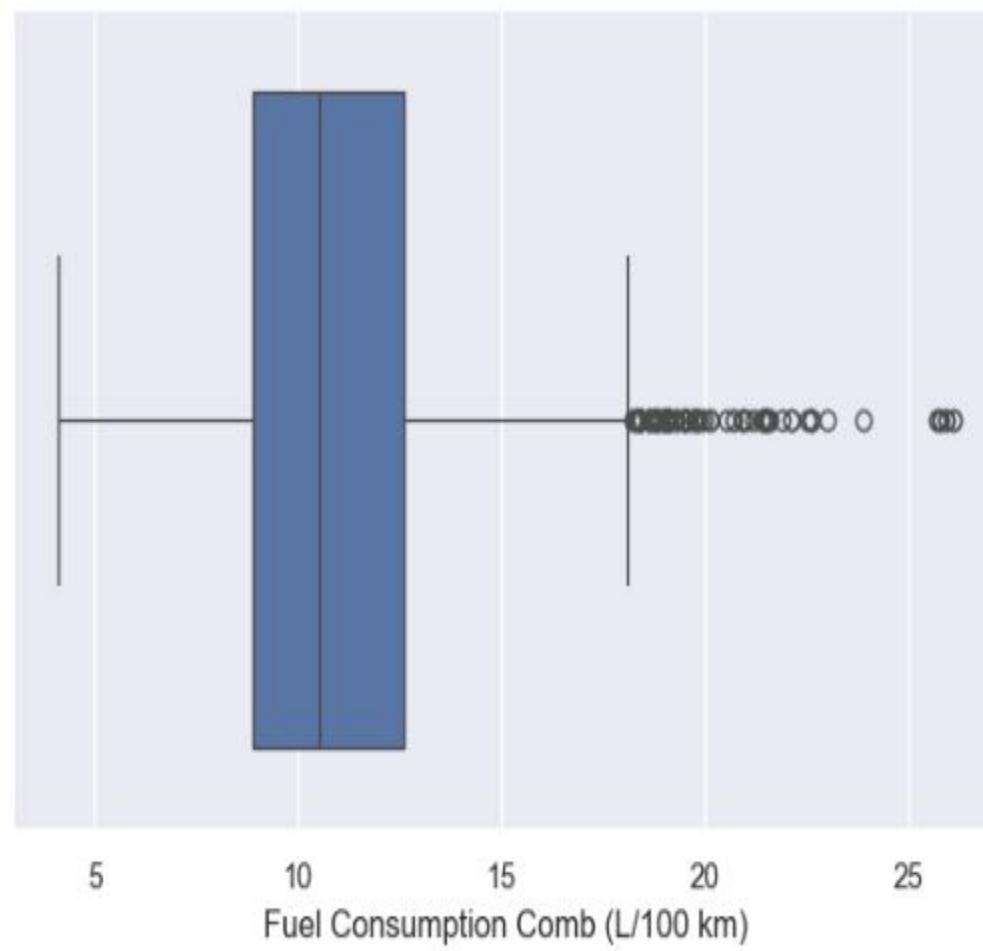
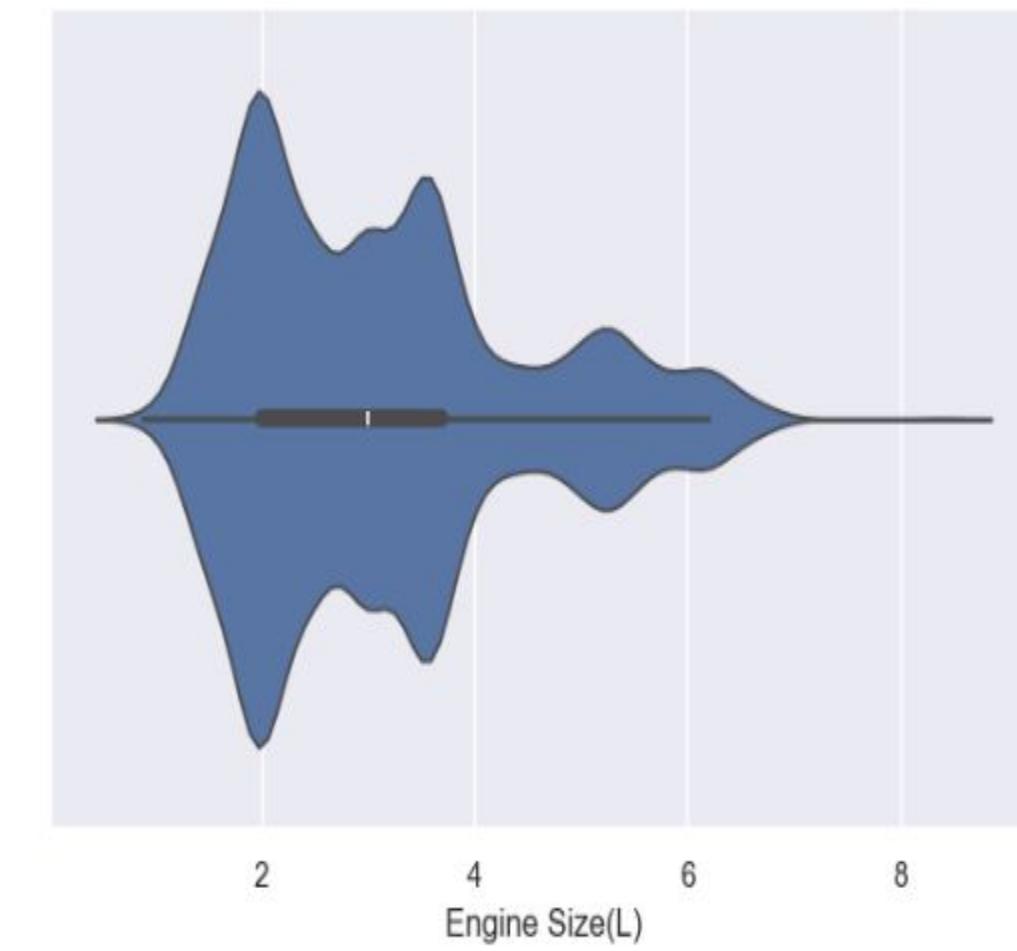
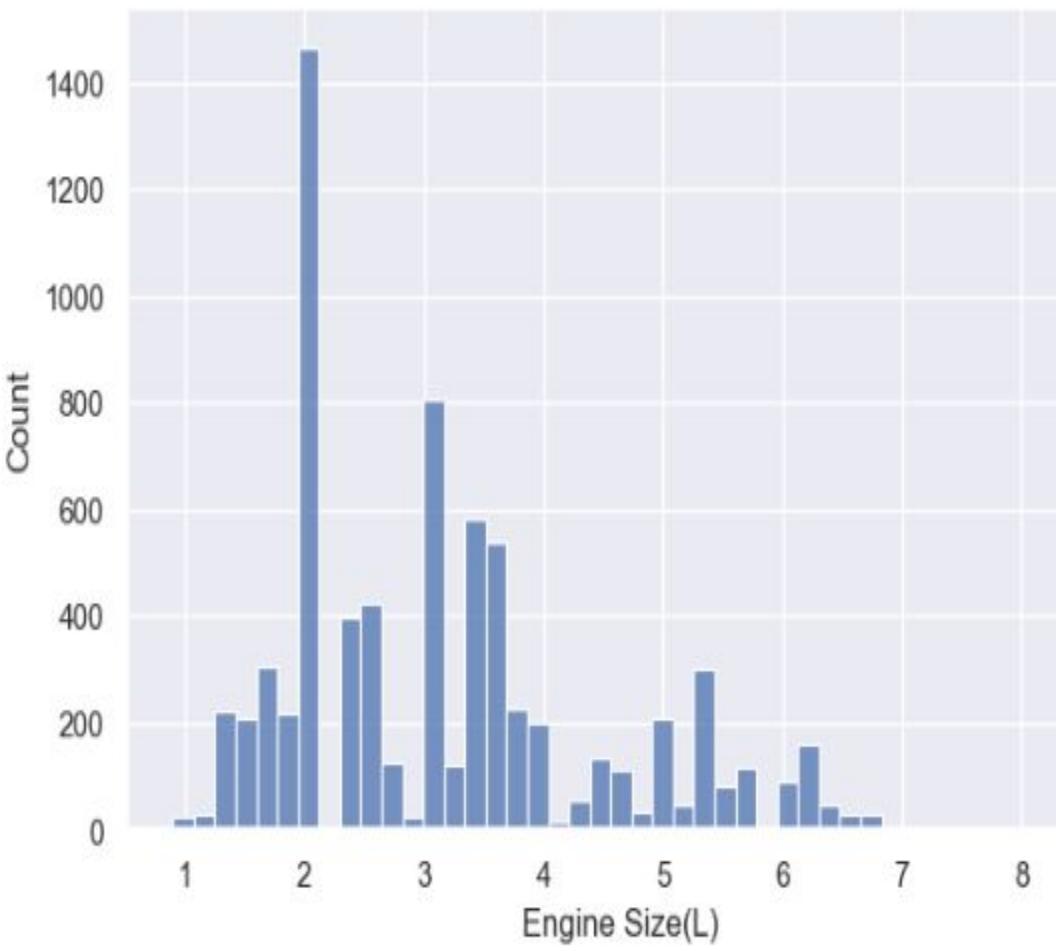
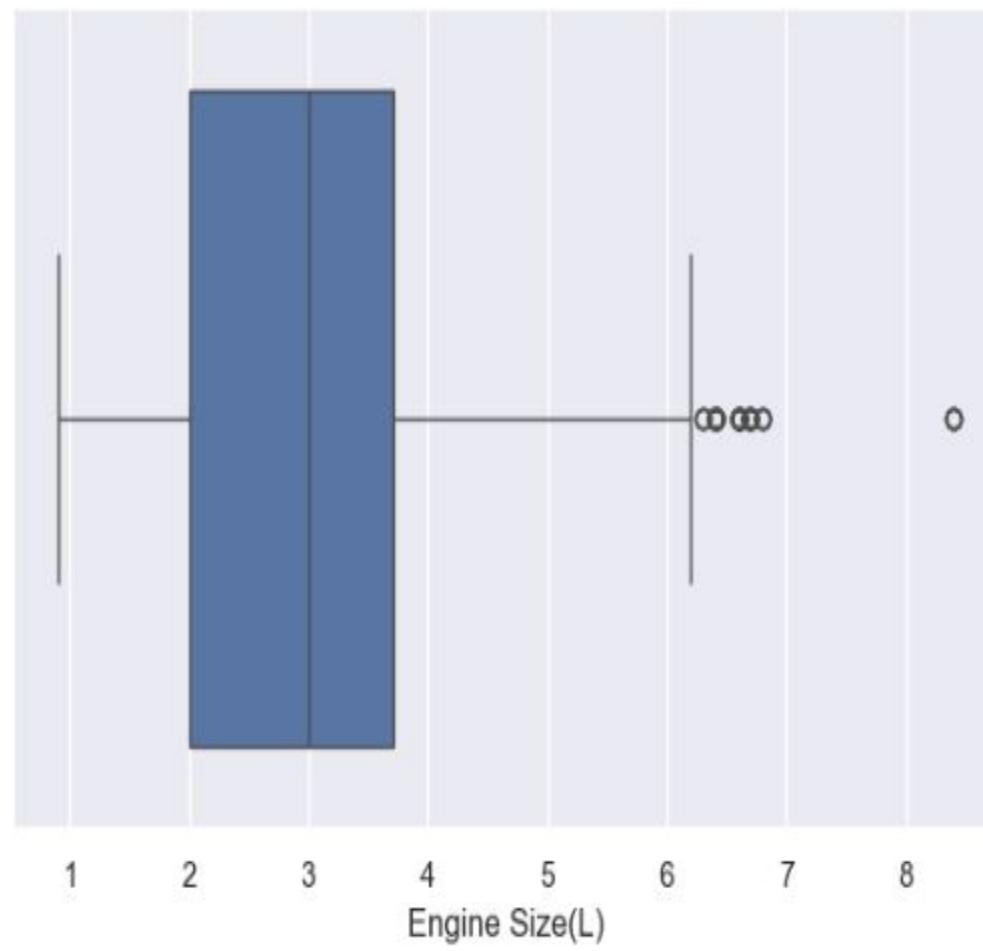
## Number of cars for each vehicle class

Vehicle Class	
SUV – SMALL	1217
MID-SIZE	1133
COMPACT	1022
SUV – STANDARD	735
FULL-SIZE	639
SUBCOMPACT	606
PICKUP TRUCK – STANDARD	538
TWO-SEATER	460
MINICOMPACT	326
STATION WAGON – SMALL	252
PICKUP TRUCK – SMALL	159
MINIVAN	80
SPECIAL PURPOSE VEHICLE	77
VAN – PASSENGER	66
STATION WAGON – MID-SIZE	53
VAN – CARGO	22
Name: count, dtype: int64	

## Outliers

Vehicle Class	
VAN – PASSENGER	38
TWO-SEATER	24
SUV – STANDARD	13
MID-SIZE	4
PICKUP TRUCK – STANDARD	1
Name: count, dtype: int64	

# **Data Exploration: Uni-variate exploration on numeric variables**



Accounting for skew of each numeric variable:

```
print("The skew for Engine Size: ", cd_data["Engine Size(L)"].skew())
print("The skew for Fuel Consumption Comb: ", cd_data["Fuel Consumption Comb (L/100 km)"].skew())
```

4]

Python

The skew for Engine Size: 0.802075961336007

The skew for Fuel Consumption Comb: 0.8520547445765442

```
print(f'Engine Size (L) kurtosis = {cd_data["Engine Size(L)"].kurt()}')
print(f'Fuel Consumption Comb (L/100km) kurtosis = {cd_data["Fuel Consumption Comb (L/100 km)"].kurt()}')
```

5]

Python

Engine Size (L) kurtosis = -0.1438836043778

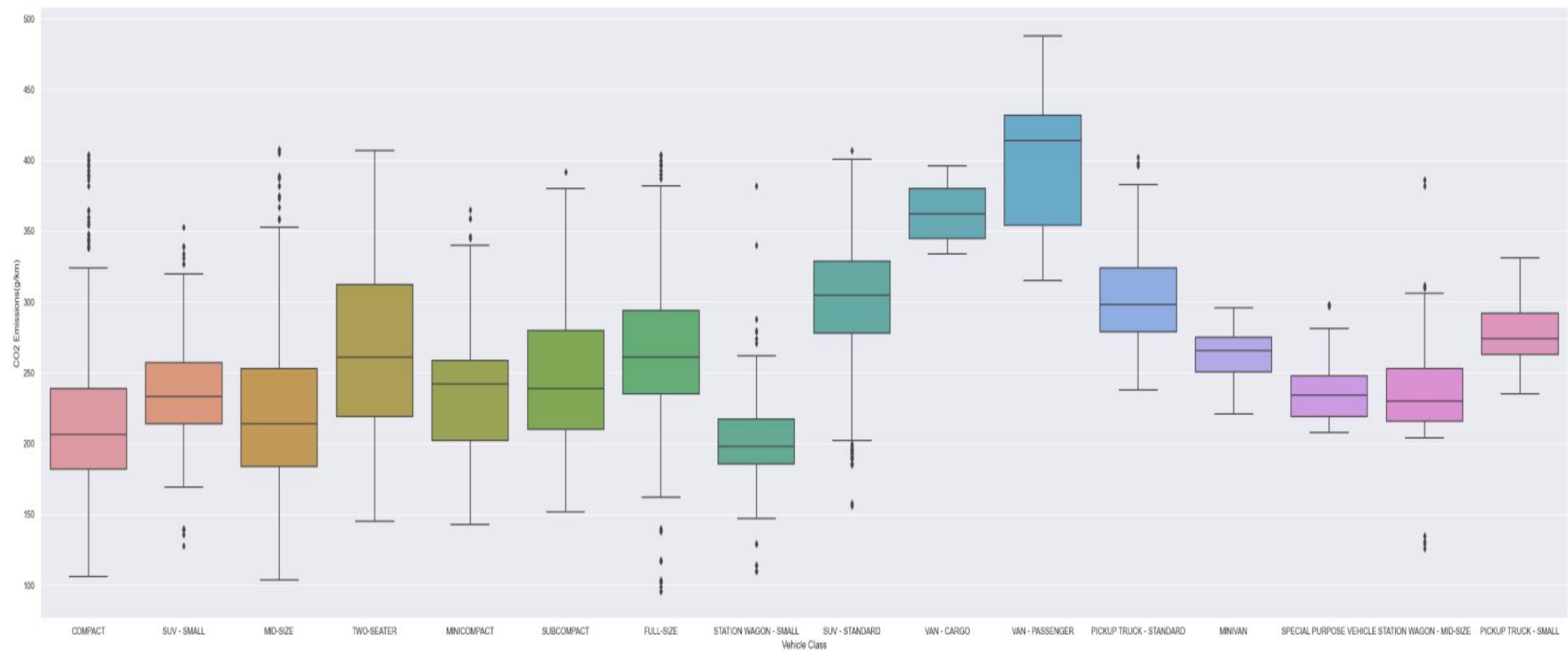
Fuel Consumption Comb (L/100km) kurtosis = 1.3729090137574715

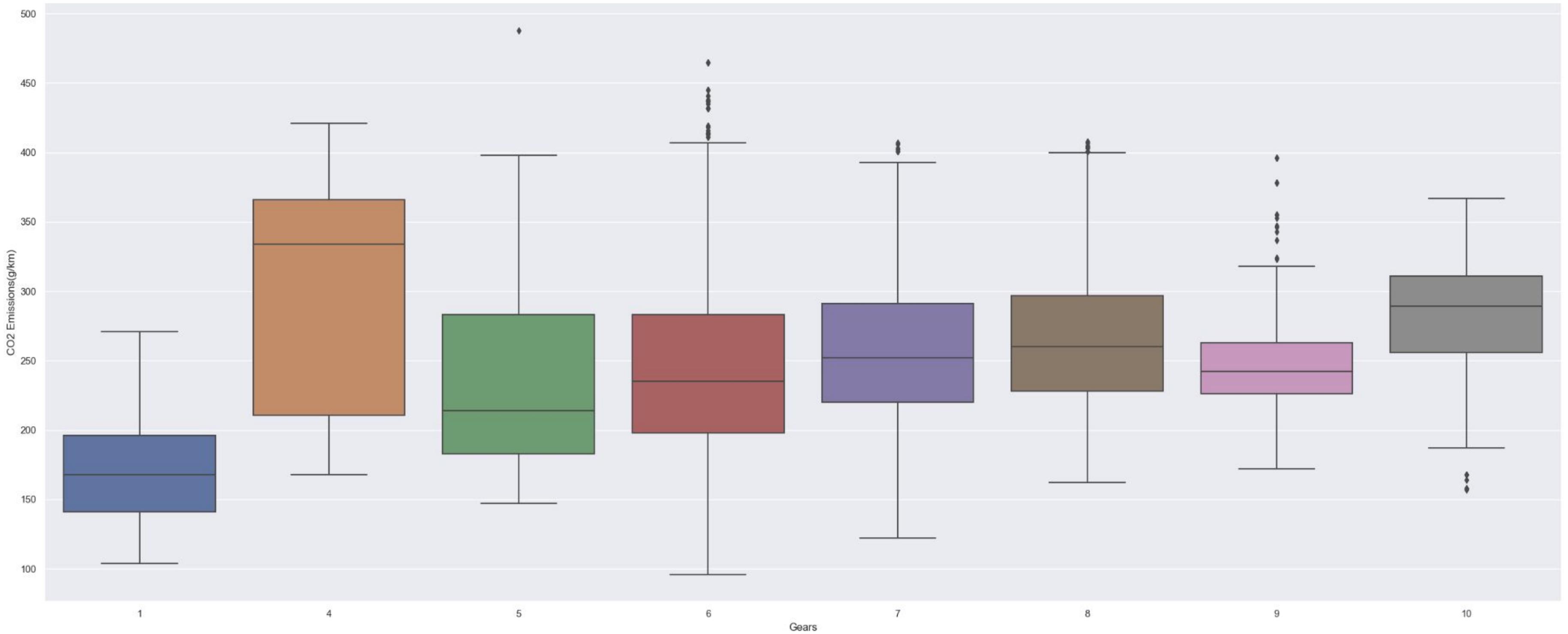
Since the kurtosis of Engine Size is < 0, Engine Size (L) is said to be platykurtic while Fuel Consumption Comb (L/100km) is said to be leptokurtic since its kurtosis is > 0. The magnitude of the kurtosis of both variables are deemed to be acceptable and close to a normal value (which is 0). Similarly both variables are positively skewed, but since their values are less than 1, the magnitude of their skewness are also deemed to be acceptable. Next, we will do a univariate exploration of the categorical variables (Vehicle Class, Cylinders, Fuel Type, Gears, Transmission Type)

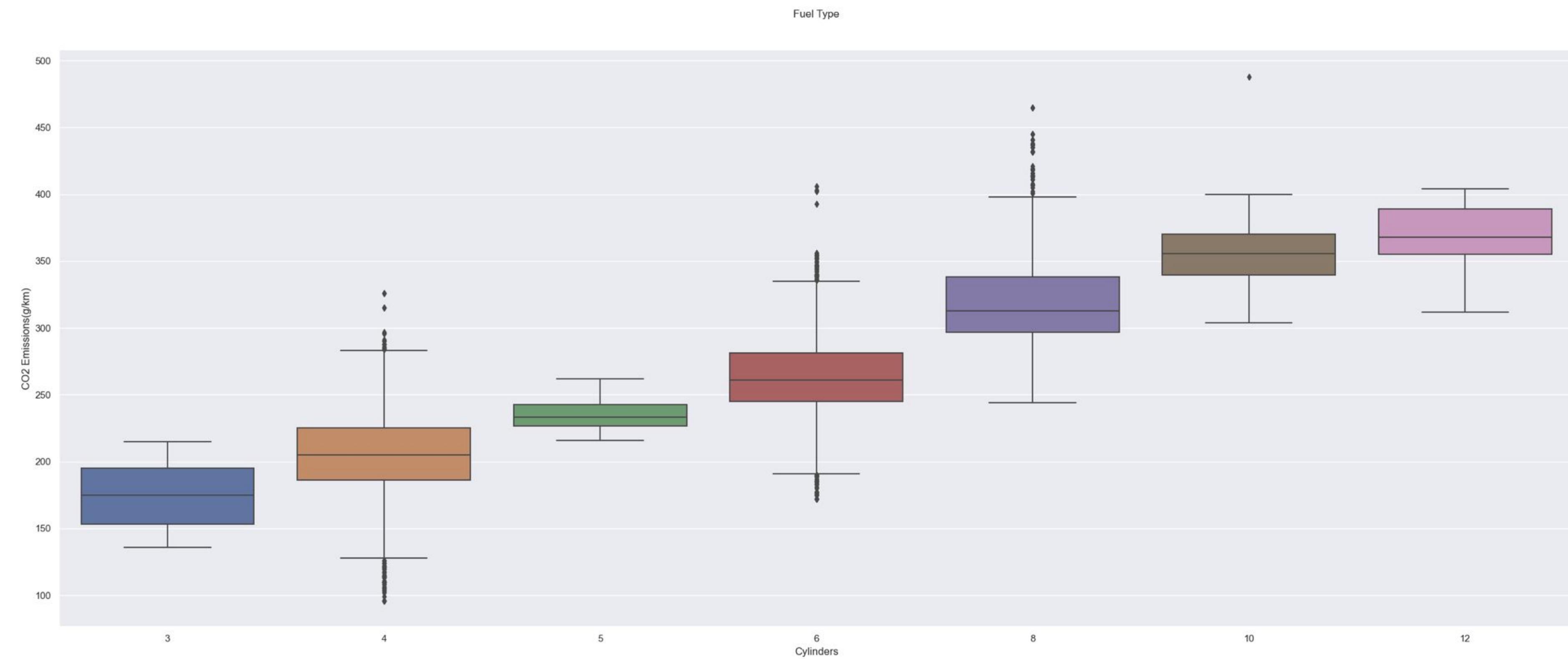
# **Data Exploration:**

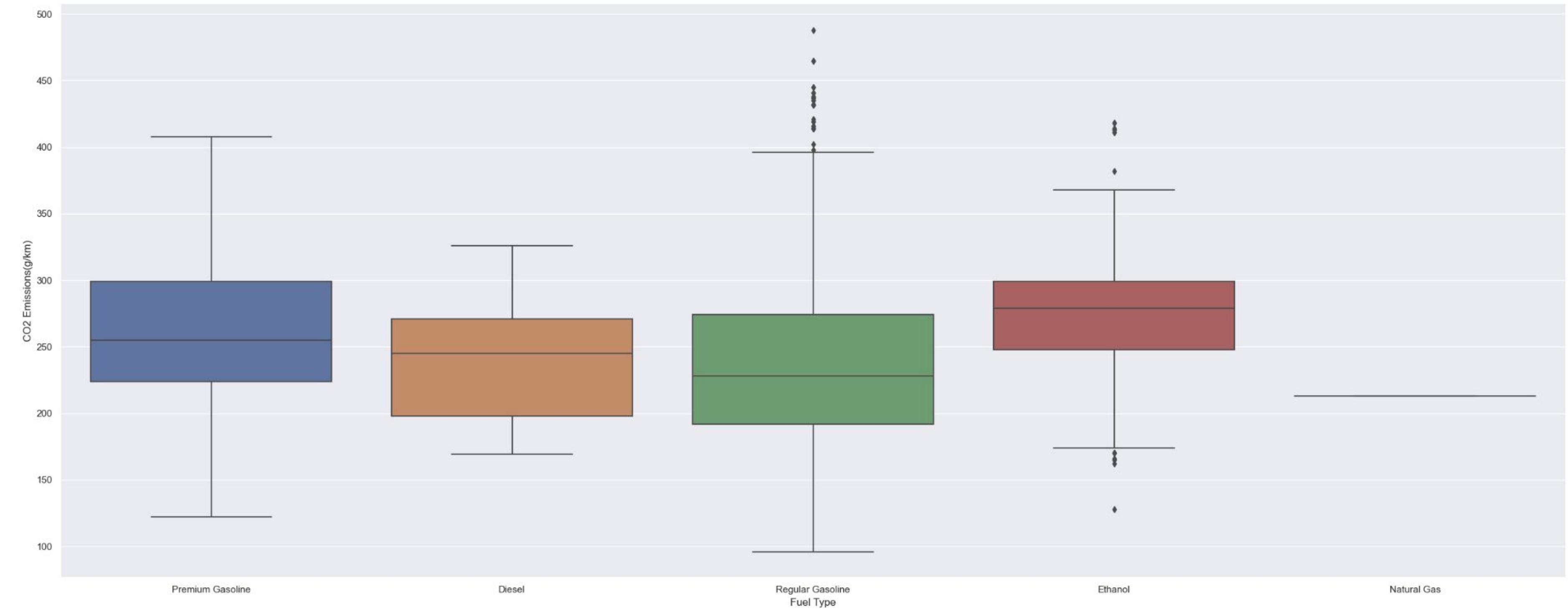
## **Bi-variate exploration**

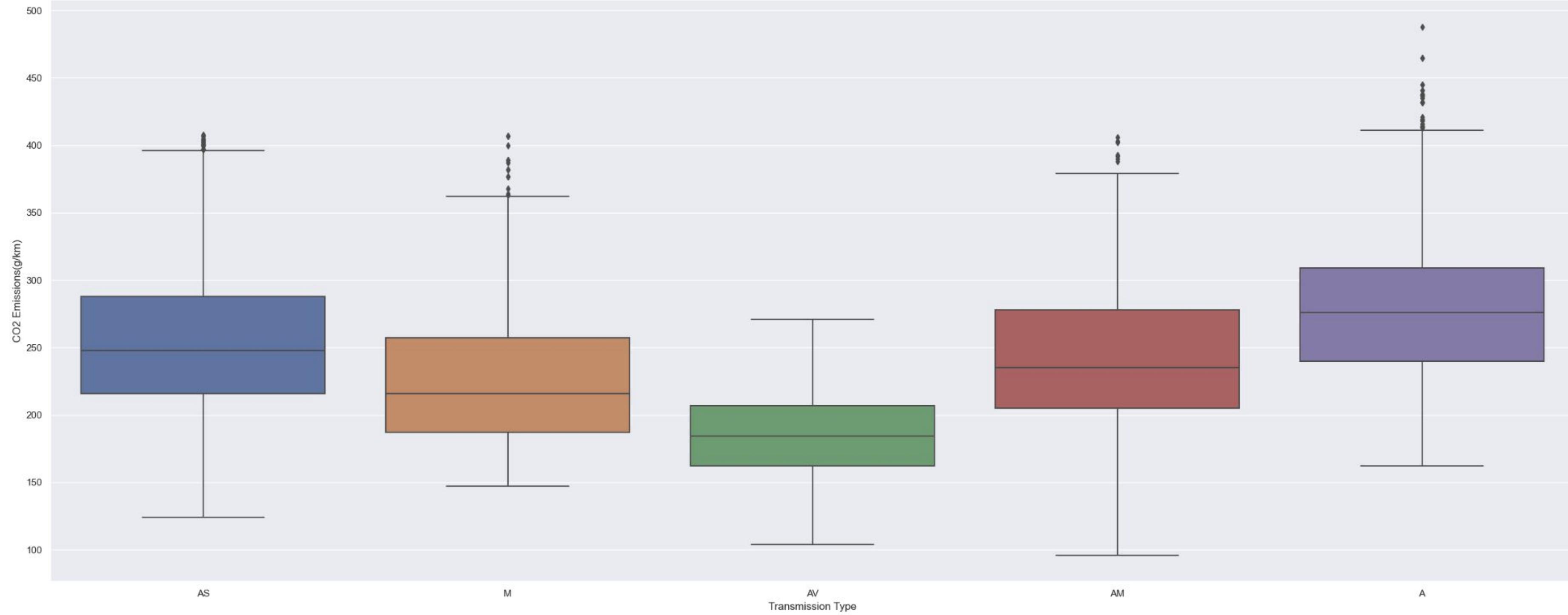
### **on categorical variables**











# One-hot Encoding

VClass_COMPACT	VClass_SUV - SMALL	VClass_SUV - STANDARD	VClass_TWO-SEATER	VClass_VAN - CARGO	VClass_VAN - PASSENGER	FT_Diesel	FT_Ethanol	FT_Natural Gas	FT_Premium Gasoline	FT_Regular Gasoline
1 ...	0	0	0	0	0	0	0	0	1	0
1 ...	0	0	0	0	0	0	0	0	1	0
1 ...	0	0	0	0	0	0	0	0	1	0
0 ...	1	0	0	0	0	0	0	0	1	0
0 ...	1	0	0	0	0	0	0	0	1	0
0 ...	0	0	0	0	0	0	0	0	1	0
0 ...	0	0	0	0	0	0	0	0	1	0
0 ...	0	0	0	0	0	0	0	0	1	0
0 ...	0	0	0	0	0	0	0	0	1	0
1 ...	0	0	0	0	0	0	0	0	1	0
1 ...	0	0	0	0	0	0	0	0	1	0
1 ...	0	0	0	0	0	0	0	0	1	0
0 ...	0	0	1	0	0	0	0	0	1	0

# Investigating the multicollinearity of the 5 categorical variables

In [43]:

```
1 from scipy.stats import chi2_contingency
2 import itertools
3
4 def generate_pairs(arr):
5     return list(itertools.combinations(arr, 2))
6
7 def apply_function_to_pairs(arr):
8     pairs = generate_pairs(arr)
9
10    for x, y in pairs:
11        chi2, p_value, dof, ex = chi2_contingency(pd.crosstab(cd_data[x], cd_data[y]))
12        print(f"p value for chi square test for {x} and {y} is: {p_value}")
13    return
14
15 apply_function_to_pairs(["Cylinders", "Fuel Type", "Transmission Type", "Vehicle Class", "Gears"])
```

```
p value for chi square test for Cylinders and Fuel Type is: 1.3300421409111848e-192
p value for chi square test for Cylinders and Transmission Type is: 5.789382830017478e-262
p value for chi square test for Cylinders and Vehicle Class is: 0.0
p value for chi square test for Cylinders and Gears is: 2.9225385121989606e-254
p value for chi square test for Fuel Type and Transmission Type is: 1.0137188060338775e-249
p value for chi square test for Fuel Type and Vehicle Class is: 0.0
p value for chi square test for Fuel Type and Gears is: 0.0
p value for chi square test for Transmission Type and Vehicle Class is: 0.0
p value for chi square test for Transmission Type and Gears is: 0.0
p value for chi square test for Vehicle Class and Gears is: 0.0
```

Our null hypothesis is that each categorical variable is independent from every other categorical variable. For all ( $5C2 == 10$ ) cases, our chi squared test returned a p-value that is very close to 0, or 0. Using a 95% confidence test, we found that p-value for all cases was much smaller than the alpha level of 0.05, so we do not reject the null hypothesis. We can say that all the categorical variables are independent from each other- there is no multicollinearity.

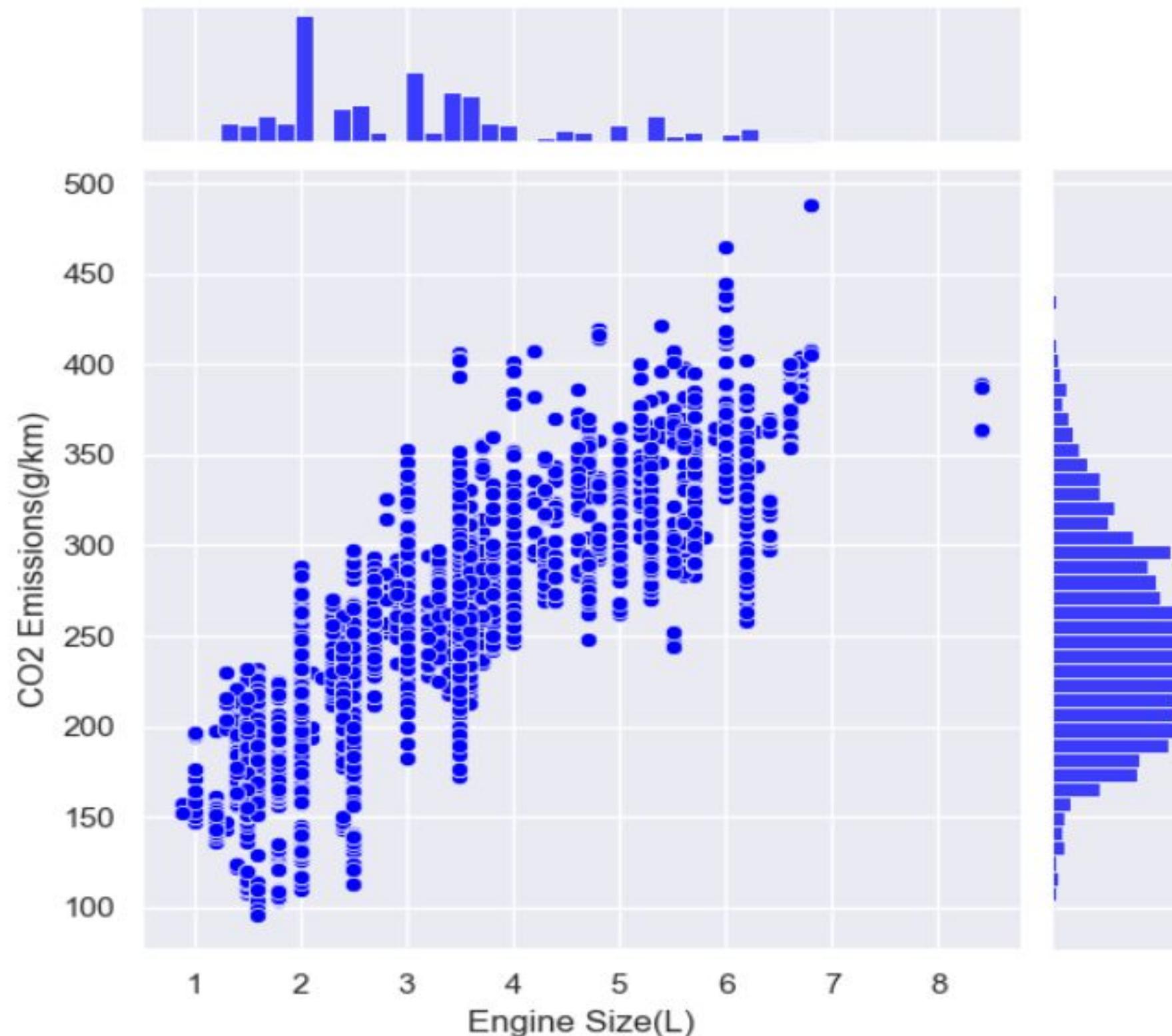
# **Data Exploration:**

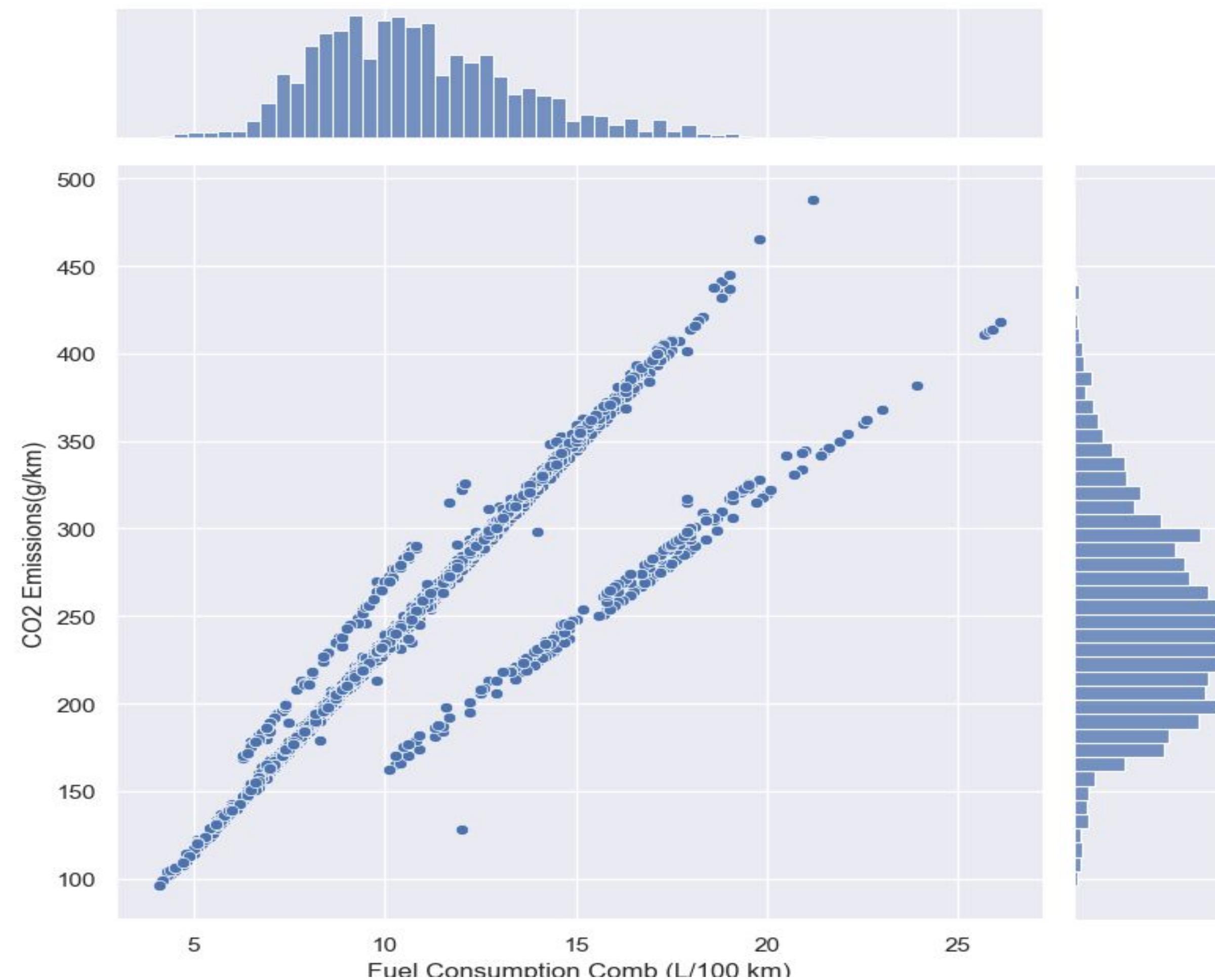
## Bivariate analysis of numeric variables

## Engine Size vs CO2 Emissions

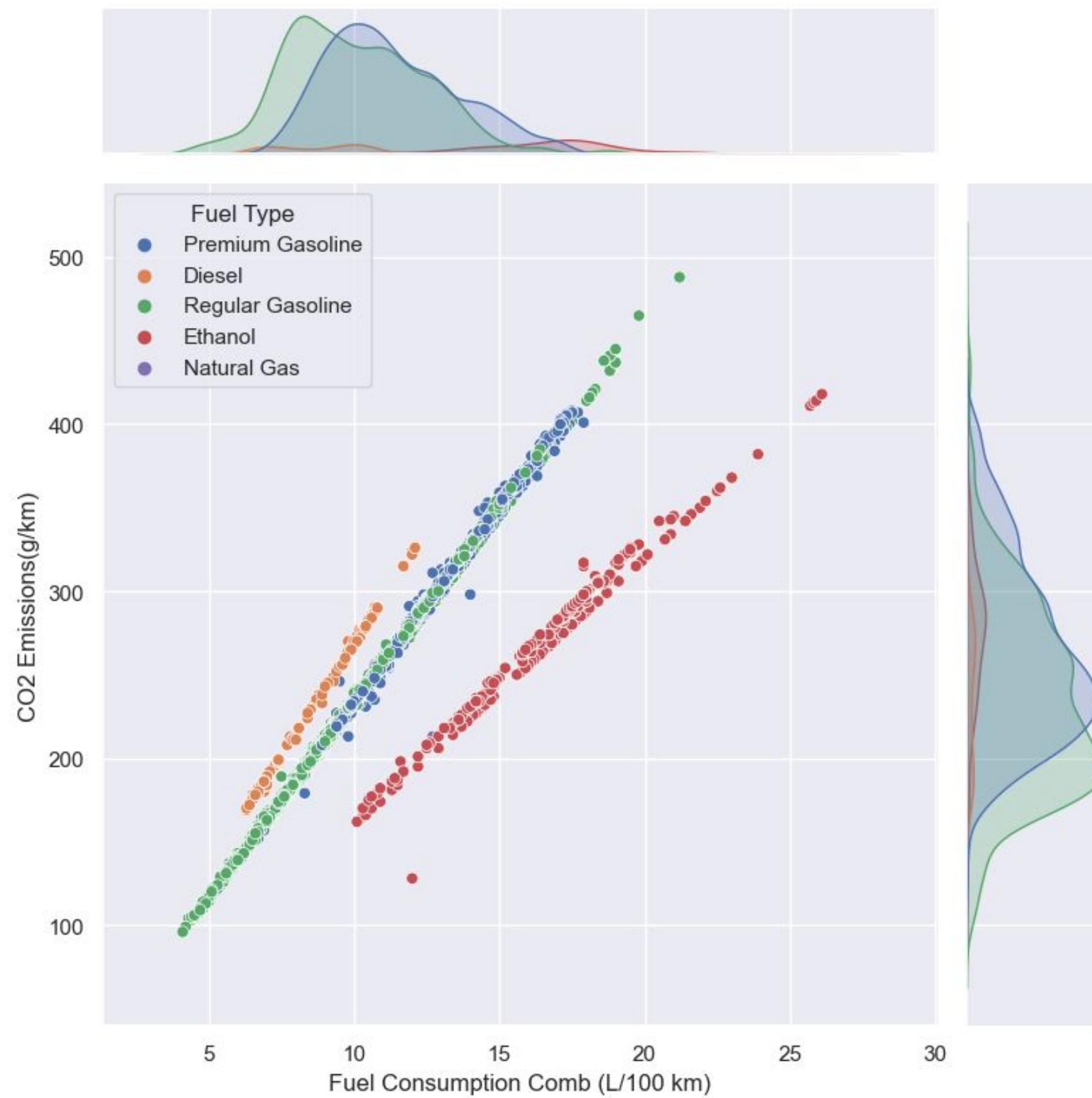
```
In [37]: sb.jointplot(data = cd_data, x = "Engine Size(L)", y = "CO2 Emissions(g/km)", height = 6, color = "blue")
```

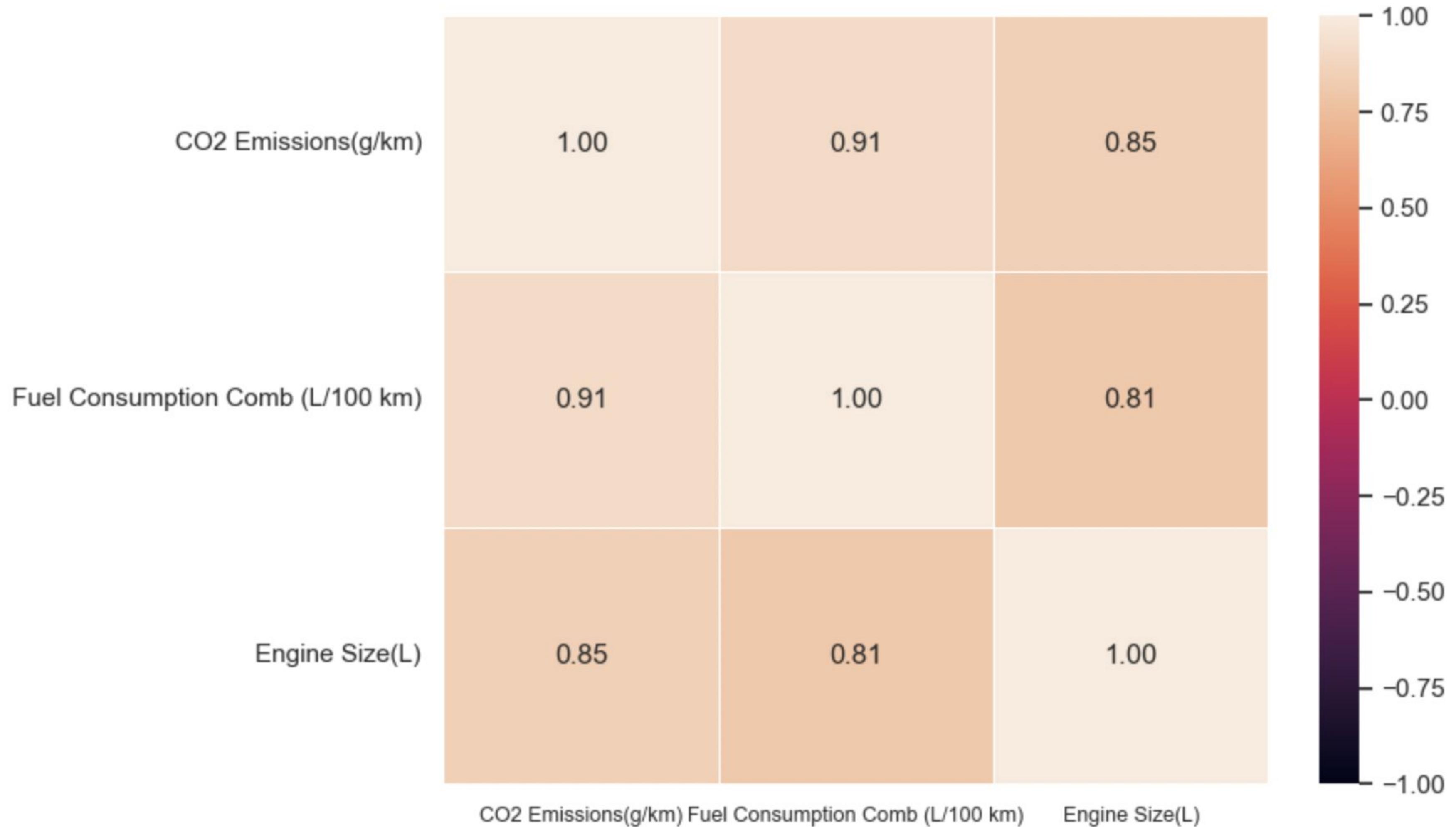
```
Out[37]: <seaborn.axisgrid.JointGrid at 0x2a1efcc90>
```





```
sb.jointplot(data = cd_data, x = "Fuel Consumption Comb (L/100 km)", y = "CO2 Emissions(g/km)", height = 8, hue = "Fuel Type")
```





**Model 1:**  
**Multi Linear  
Regression**

**Model 2:**  
**Ridge  
Regression**

**Model 3:**  
**Lasso  
Regression**

# Model 1: Multi Linear Regression

```
1 linreg = LinearRegression()
2
3 X_train, X_test, y_train, y_test = train_test_split(X, Y, test_size = 0.20, random_state = 69)
4 print("Train Set :", y_train.shape, X_train.shape)
5 print("Test Set  :", y_test.shape, X_test.shape)
```

Train Set : (5874, 1) (5874, 30)  
Test Set : (1469, 1) (1469, 30)

```
1 X_train.describe()
```

	Engine Size(L)	Cylinders	Fuel Consumption Comb (L/100 km)	Gears	FT_Diesel	FT_Ethanol	FT_Natural Gas	FT_Premium Gasoline	FT_Regular Gasoline	VClass_COMPACT	...	VClass - SI
count	5874.000000	5874.000000	5874.000000	5874.000000	5874.000000	5874.000000	5874.000000	5874.000000	5874.000000	5874.000000	...	5874.000000
mean	3.155107	5.604528	10.931716	6.659517	0.024855	0.048689	0.000170	0.435478	0.490807	0.135853	...	0.16
std	1.351017	1.797908	2.832862	1.640987	0.155697	0.215236	0.013048	0.495862	0.499958	0.342661	...	0.37
min	0.900000	3.000000	4.100000	1.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	0.00
25%	2.000000	4.000000	8.900000	6.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	0.00
50%	3.000000	6.000000	10.500000	6.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	...	0.00
75%	3.700000	6.000000	12.600000	8.000000	0.000000	0.000000	0.000000	1.000000	1.000000	0.000000	...	0.00
max	8.400000	12.000000	26.100000	10.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	...	1.00

8 rows × 30 columns

```
1 y_train.describe()
```

CO2 Emissions(g/km)	
count	5874.000000
mean	249.783793
std	57.015024
min	96.000000
25%	208.000000
50%	245.000000
75%	288.000000
max	465.000000

# Model 1: Multi Linear Regression

## Model 1: Multilinear Regression Model

```
1 #we fit our train data onto our multilinear regression model  
2 linreg.fit(X_train, y_train)
```

▼ LinearRegression

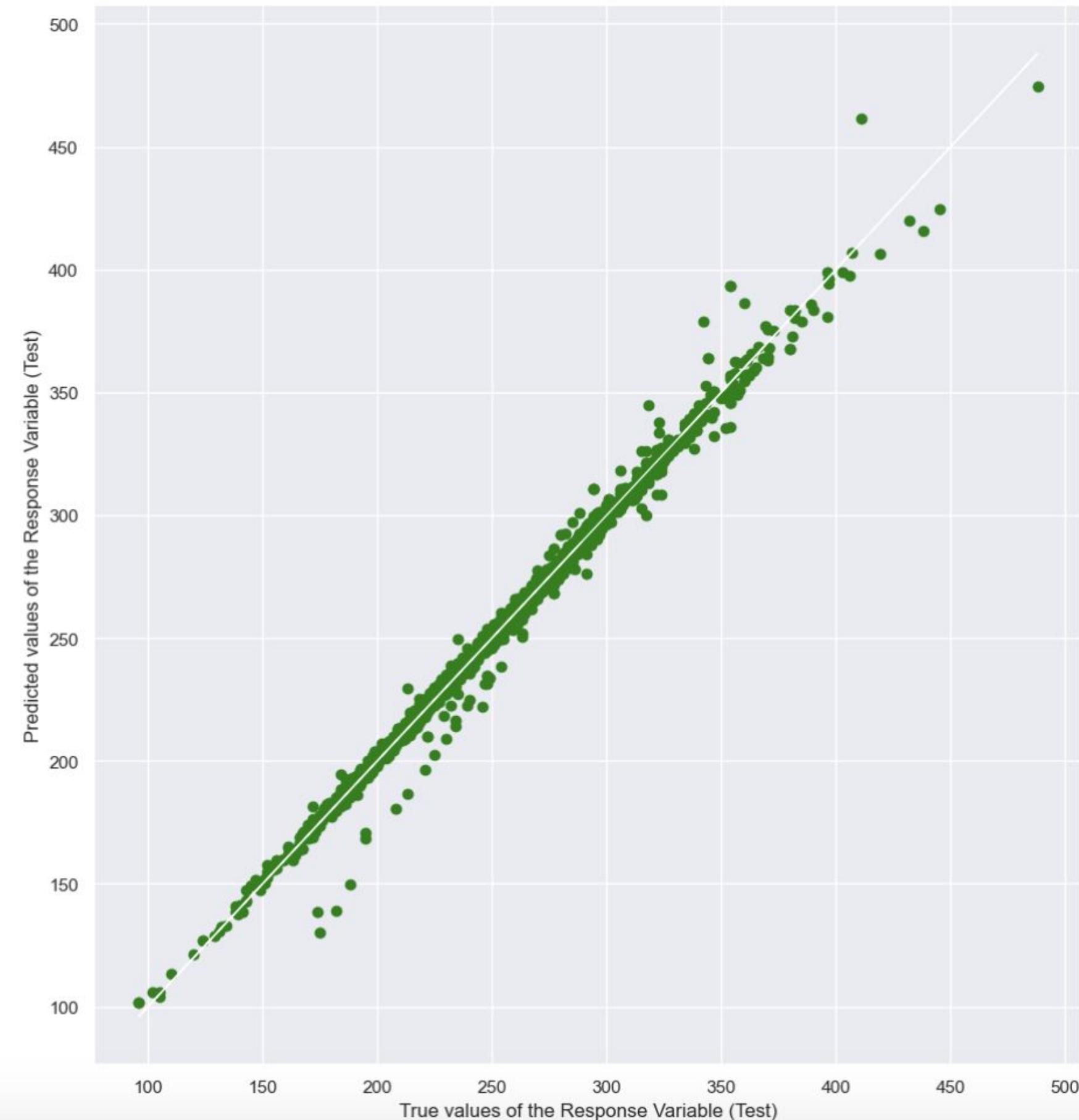
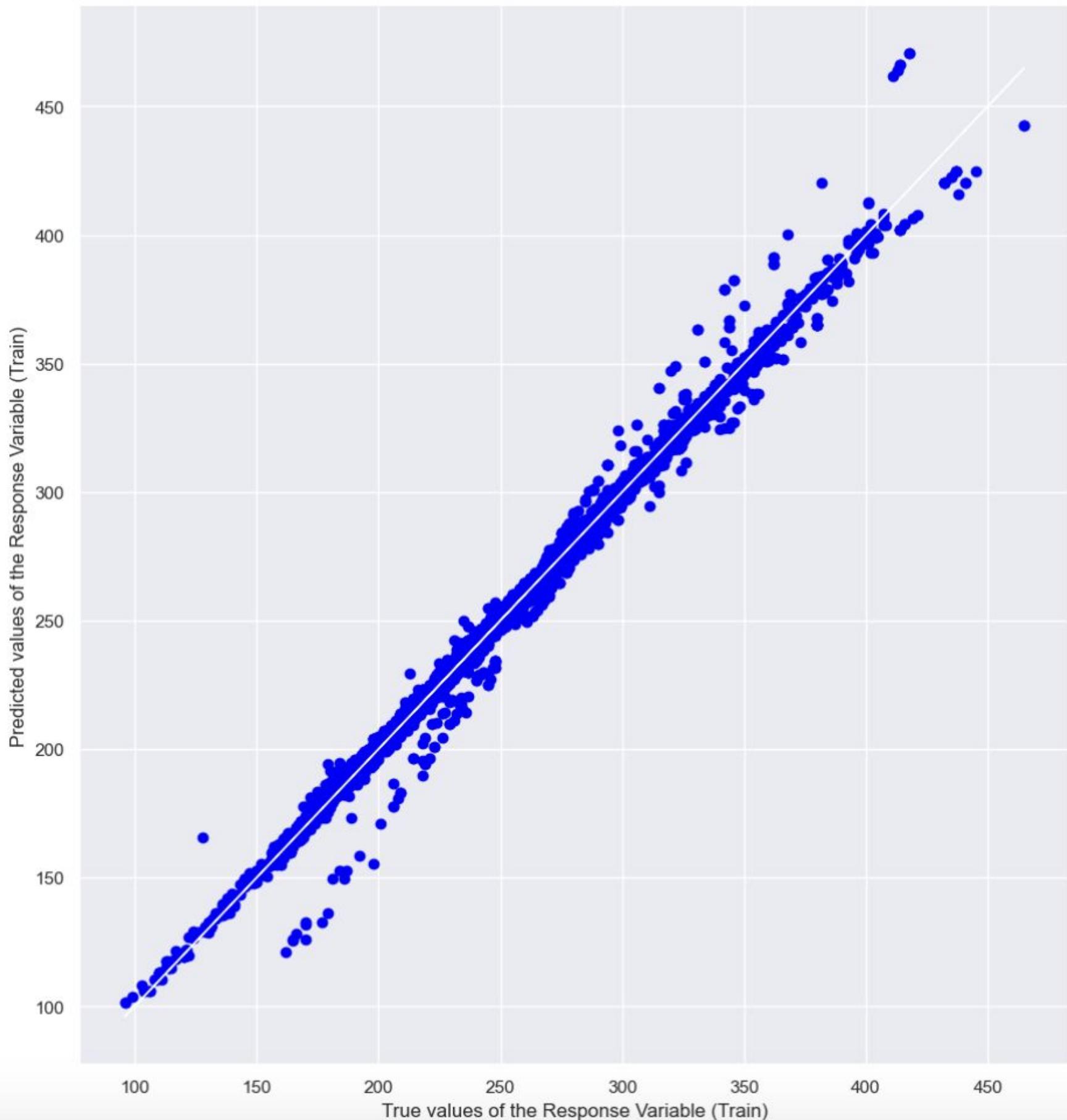
LinearRegression()

```
1 print('Intercept \t: b = ', linreg.intercept_)  
2 print('Coefficients \t: a = ', linreg.coef_)
```

```
Intercept      : b =  [-8.79870338e+12]  
Coefficients   : a =  [[ 1.71381927e-01  6.00511846e-01  2.23369924e+01  3.86860281e-01  
  9.10939369e+12  9.10939369e+12  9.10939369e+12  9.10939369e+12  
  9.10939369e+12  1.12085573e+11  1.12085573e+11  1.12085573e+11  
  1.12085573e+11  1.12085573e+11  1.12085573e+11  1.12085573e+11  
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  1.12085573e+11  1.12085573e+11  1.12085573e+11  1.12085573e+11  
  1.12085573e+11 -4.22775884e+11 -4.22775884e+11 -4.22775884e+11  
  -4.22775884e+11 -4.22775884e+11]]
```

```
1 y_train_pred = linreg.predict(X_train)  
2 y_test_pred = linreg.predict(X_test)  
3
```

# Model 1: Multi Linear Regression



# Ridge and Lasso Regressions

Model Interpretability: Finding  
the most significant factors  
affecting CO<sub>2</sub> Emissions

High multicollinearity between  
our numeric variables, which  
both models can account for.

## Model 2: Ridge Regression

```
1 from sklearn.model_selection import train_test_split  
2 x_train, x_test, y_train, y_test = train_test_split(X, Y, test_size=0.2, random_state=69)  
3 print("The dimension of X_train is {}".format(x_train.shape))  
4 print("The dimension of X_test is {}".format(x_test.shape))
```

The dimension of X\_train is (5874, 30)  
The dimension of X\_test is (1469, 30)

```
1 #We scale our data so that we remove any incorrect penalisation of our loss function. This allows for a more  
2 #optimal model after regularisation is done.  
3 from sklearn.preprocessing import StandardScaler  
4 scale = StandardScaler()  
5 x_train = scale.fit_transform(x_train)  
6 x_test = scale.transform(x_test)
```

## Model 2: Ridge Regression

```
from sklearn.linear_model import Ridge  
ridge = Ridge()
```

```
#we try to identify the alpha value that gives the best results  
grid = {'alpha': [(0.00001 * 10**x) for x in range(1, 8)] }  
from sklearn.model_selection import GridSearchCV  
ridge_cv = GridSearchCV(ridge, grid, cv=3, n_jobs=1)  
ridge_cv.fit(x_train, y_train)  
y_pred = ridge_cv.predict(x_test)
```

Using GridSearchCV to test various alpha values from 0.0001 to 100.  
Optimal alpha value = 0.1

## Model 2: Ridge Regression

```
1 ridge_cv.best_estimator_.intercept_
```

```
249.78379298604014
```

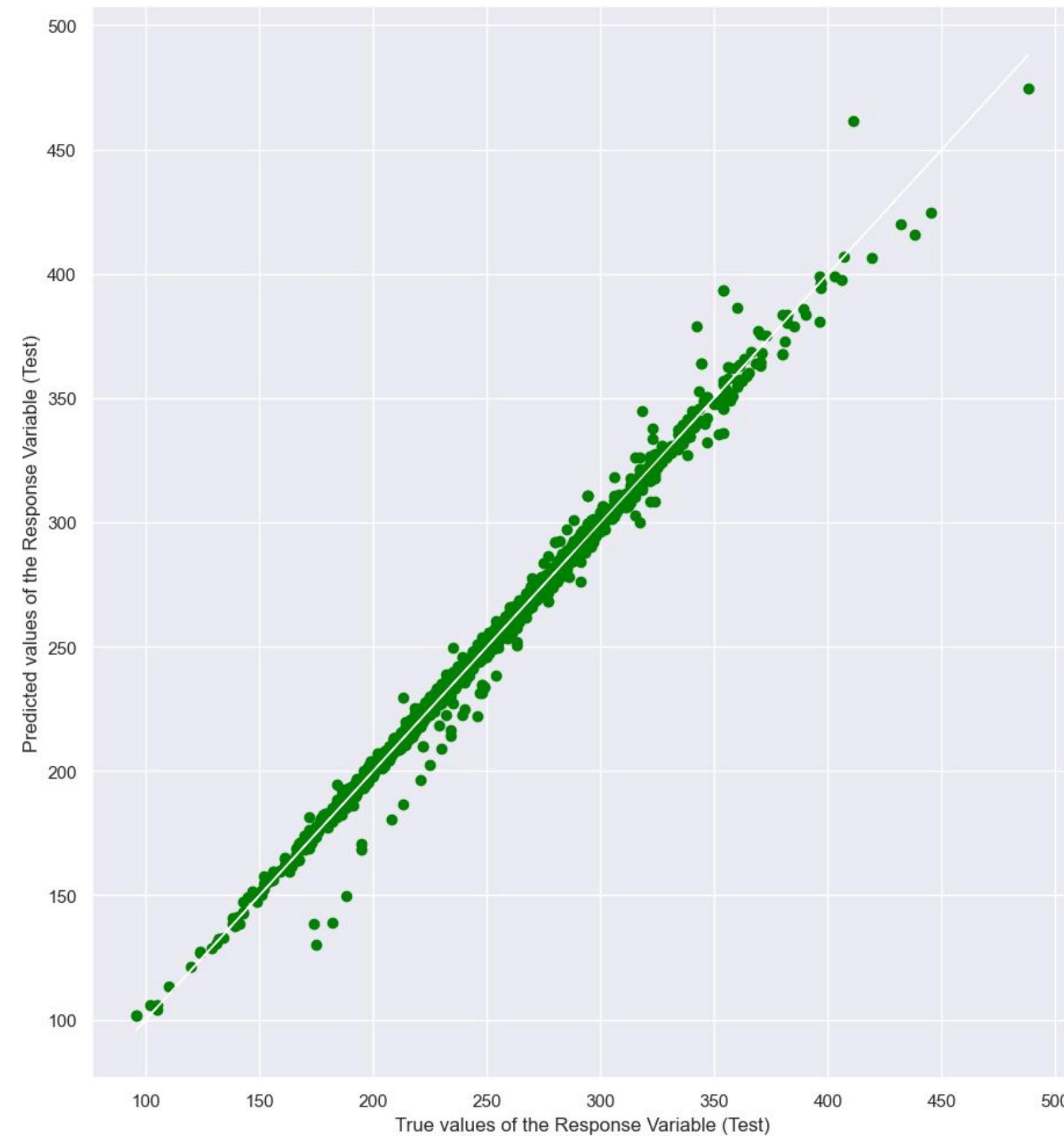
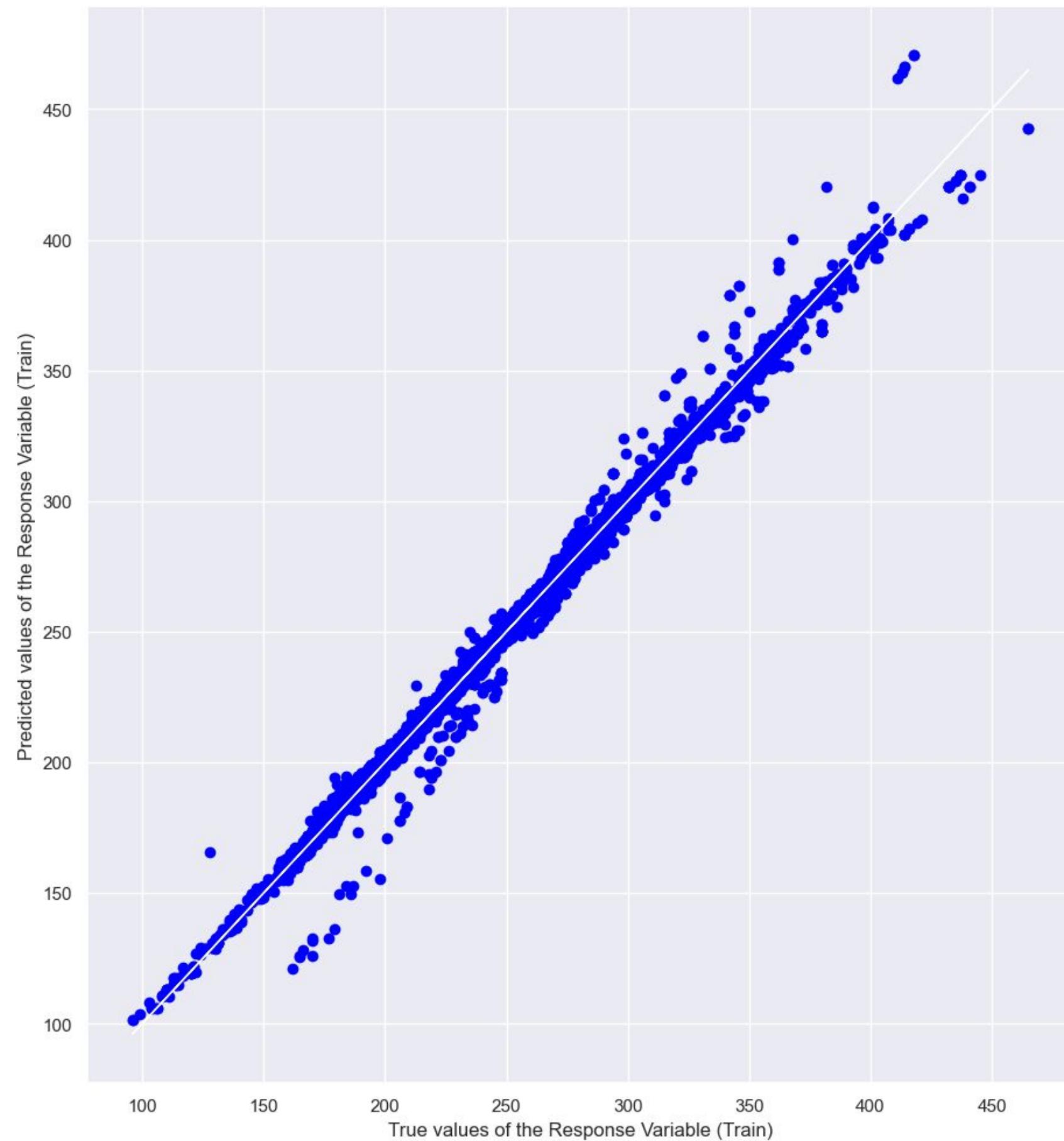
```
1 ridge_cv.best_estimator_.coef_
```

```
array([ 2.35012294e-01,  1.03789344e+00,  6.33529542e+01,  7.10935248e-01,
       5.77996642e+00, -2.25310602e+01, -9.50519088e-01,  3.90077538e+00,
      4.05578009e+00, -2.32552652e-01,  2.33151493e-01, -1.40474527e-01,
     -1.57775666e-01,  6.02204330e-02,  4.54719117e-01,  2.39050623e-01,
      4.37681329e-01, -8.65502478e-03, -1.48569133e-01, -7.62200757e-02,
     2.50634321e-01,  8.38092469e-02, -6.55521904e-03, -7.97161554e-01,
     -1.12973936e+00, -4.80597534e-03,  7.15979506e-02,  6.89947145e-02,
     -1.88141713e-01, -3.72582132e-03])
```

LEGEND: FT - Fuel Type, VClass - Vehicle Class, TType - Transmission Type

[Engine Size(L), Cylinders, Fuel Consumption Comb (L/100 km), Gears,  
FT\_Diesel, FT\_Ethanol, FT\_Natural Gas, FT\_Premium Gasoline,  
FT-Regular Gasoline, VClass\_COMPACT, VClass\_FULL-SIZE, VClass\_MID-SIZE,  
VClass\_MINICOMPACT, VClass\_MINIVAN, VClass\_PICKUP TRUCK - SMALL, VClass\_PICKUPTRUCK - STANDARD,  
VClass\_SPECIAL PURPOSE VEHICLE, VClass\_STATION WAGON - MID-SIZE, VClass\_STATION WAGON - SMALL, VClass\_SUBCOMPACT,  
VClass\_SUV - SMALL, VClass\_SUV - STANDARD, VClass\_TWO-SEATER, VClass\_VAN - CARGO,  
VClass\_VAN - PASSENGER, TType\_A, TType\_AM, TType\_AS,  
TType\_AV, TType\_M]

## Model 2: Ridge Regression



## Model 3: Lasso Regression

```
1 X = final_data
2 y = cd_data["CO2 Emissions(g/km)"]
3
4 X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=69)
5 print("The dimension of X_train is {}".format(X_train.shape))
6 print("The dimension of X_test is {}".format(X_test.shape))
```

```
The dimension of X_train is (5874, 30)
The dimension of X_test is (1469, 30)
```

```
1 #We scale our data so that we remove any incorrect penalisation of our loss function. This allows for a more
2 #optimal model after regularisation is done.
3 scale = StandardScaler()
4 X_train = scale.fit_transform(X_train)
5 X_test = scale.transform(X_test)
```

## Model 3: Lasso Regression

```
1 from sklearn.linear_model import Lasso  
2 lasso = Lasso()  
3 #we try to identify the alpha value that gives the best results  
4 grid = {'alpha': [(0.00001 * 10**x) for x in range(1, 8)] }  
5 lasso_cv = GridSearchCV(lasso, grid, cv=3, n_jobs=-1)  
6 lasso_cv.fit(X_train, y_train)
```

Using GridSearchCV to test various alpha values from 0.0001 to 100.  
Optimal alpha value = 0.001

## Model 3: Lasso Regression

```
1 lasso_cv.best_estimator_.intercept_
```

```
249.78379298604014
```

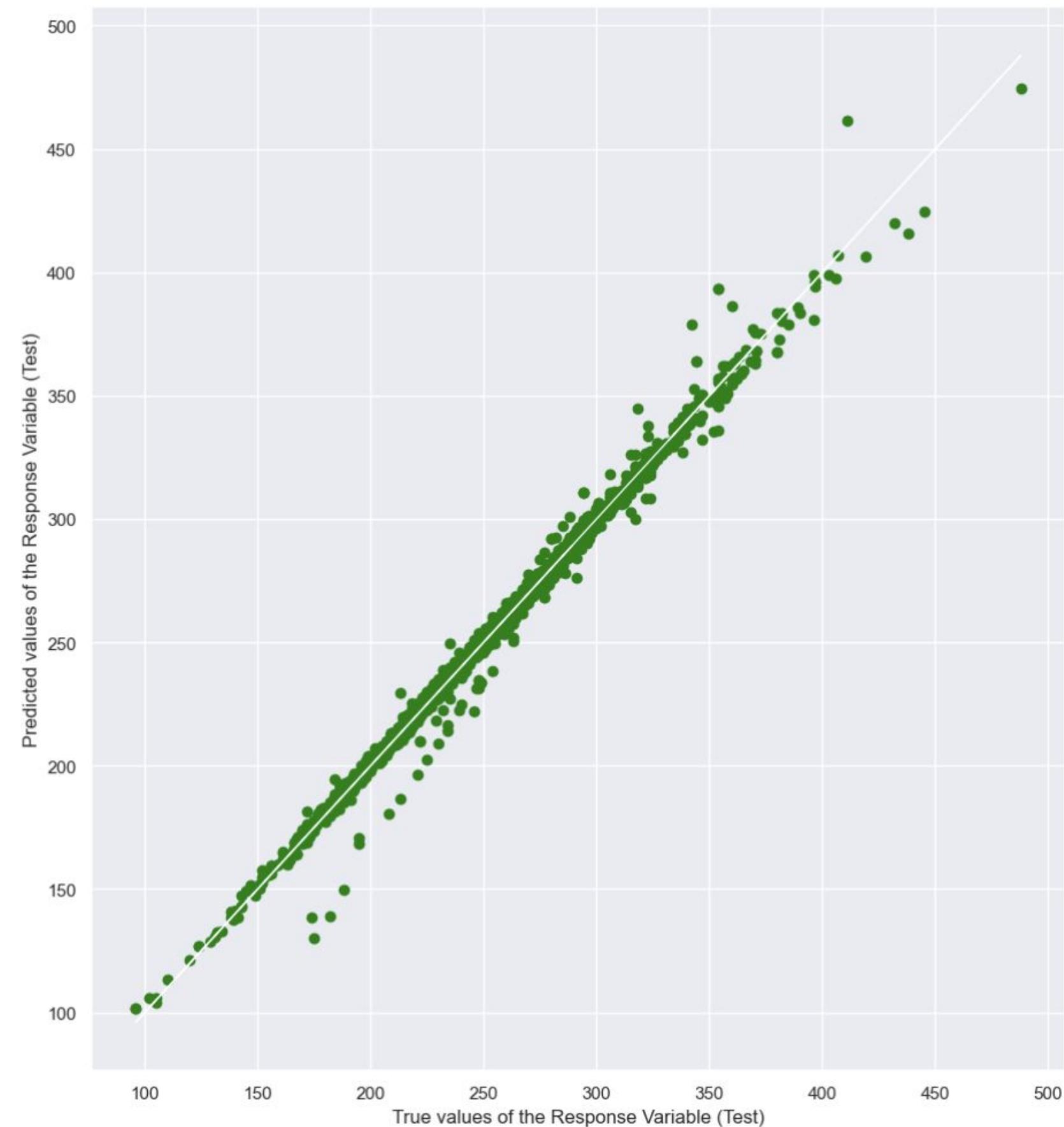
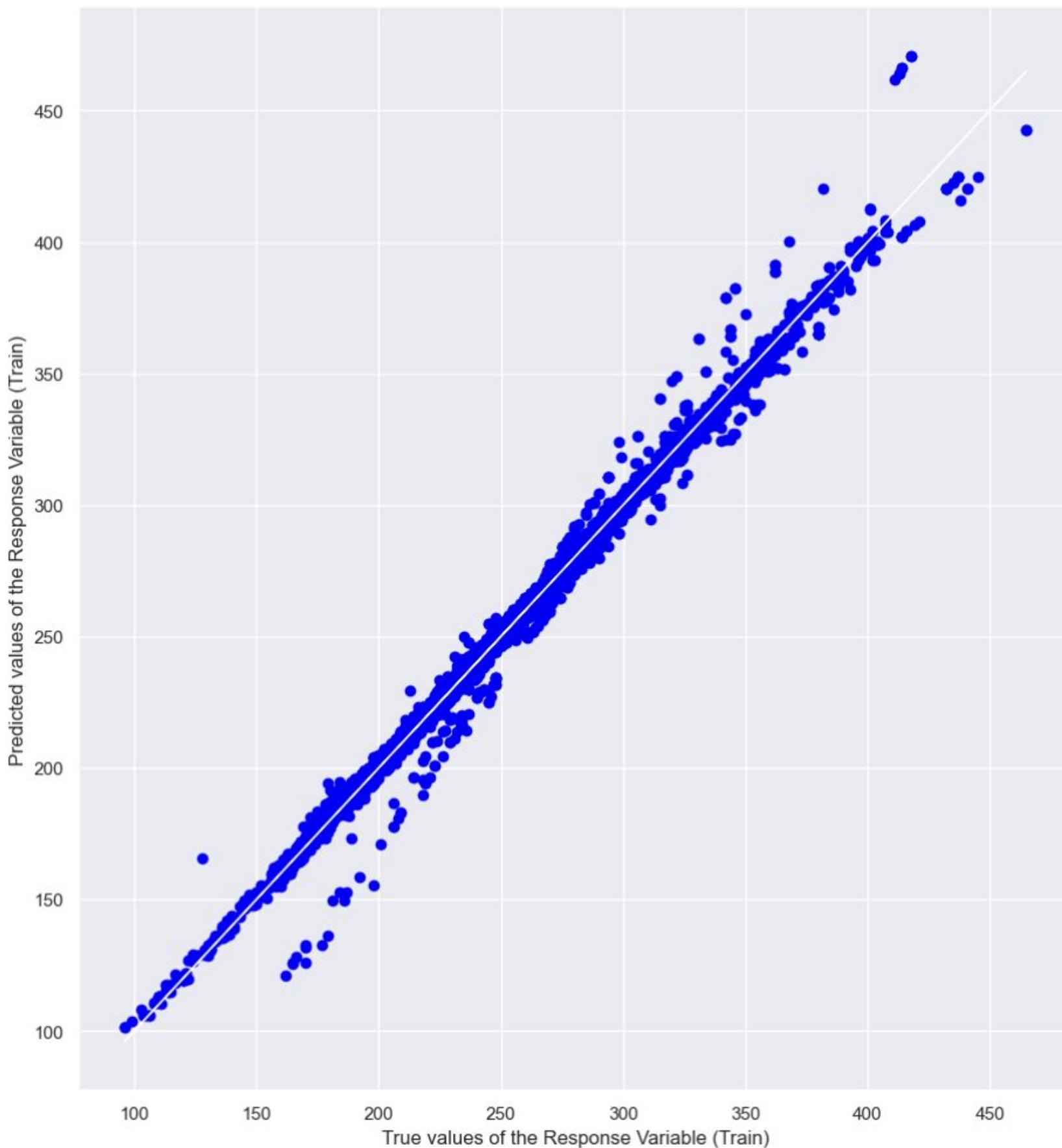
```
1 lasso_cv.best_estimator_.coef_
```

```
array([ 2.32746781e-01,  1.03493865e+00,  6.33593620e+01,  7.10680204e-01,
       4.55498780e+00, -2.42255008e+01, -1.05225664e+00, -0.00000000e+00,
      1.22225236e-01, -2.13763146e-01,  2.46745190e-01, -1.20651631e-01,
     -1.45804081e-01,  6.42525641e-02,  4.60342067e-01,  2.50783722e-01,
      4.41603284e-01, -3.05755826e-03, -1.38307218e-01, -6.09492868e-02,
      2.67806645e-01,  9.72316320e-02,  4.97972019e-03, -7.94087593e-01,
     -1.12529621e+00, -3.63775695e-03,  6.96158965e-02,  6.79317045e-02,
     -1.87007402e-01, -4.15954699e-03])
```

LEGEND: FT - Fuel Type, VClass - Vehicle Class, TType - Transmission Type

[Engine Size(L), Cylinders, Fuel Consumption Comb (L/100 km), Gears,  
FT\_Diesel, FT\_Ethanol, FT\_Natural Gas, FT\_Premium Gasoline,  
FT-Regular Gasoline, VClass\_COMPACT, VClass\_FULL-SIZE, VClass\_MID-SIZE,  
VClass\_MINICOMPACT, VClass\_MINIVAN, VClass\_PICKUP TRUCK - SMALL, VClass\_PICKUPTRUCK - STANDARD,  
VClass\_SPECIAL PURPOSE VEHICLE, VClass\_STATION WAGON - MID-SIZE, VClass\_STATION WAGON - SMALL, VClass\_SUBCOMPACT,  
VClass\_SUV - SMALL, VClass\_SUV - STANDARD, VClass\_TWO-SEATER, VClass\_VAN - CARGO,  
VClass\_VAN - PASSENGER, TType\_A, TType\_AM, TType\_AS,  
TType\_AV, TType\_M]

## Model 3: Lasso Regression



# Comparing the 3 Models

Multi-linear Regression:

Explained Variance ( $R^2$ ):

**0.9907044602598732**

Mean Squared Error (MSE):

**28.628733087673407**

Root Mean Squared Error  
(RMSE):

**5.350582499847414**

Standard Error of Prediction:

**5.070121609360958**

Ridge Regression:

Explained Variance ( $R^2$ ):

**0.9907984867550578**

Mean Squared Error (MSE):

**28.339146951842242**

Mean Absolute Error:

**3.030406582873876**

Lasso Regression:

Explained Variance ( $R^2$ ):

**0.9907984867550578**

Mean Squared Error (MSE):

**28.339146951842242**

Mean Absolute Error:

**3.030406582873876**

**Most significant  
variable:  
Fuel  
Consumption**

# Inrix 2022 Global Traffic Scorecard



## Model 3: Lasso Regression

```
1 lasso_cv.best_estimator_.intercept_
```

```
249.78379298604014
```

```
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```

```
array([ 2.32746781e-01,  1.03493865e+00,  6.33593620e+01,  7.10680204e-01,
       4.55498780e+00, -2.42255008e+01, -1.05225664e+00, -0.00000000e+00,
      1.22225236e-01, -2.13763146e-01,  2.46745190e-01, -1.20651631e-01,
     -1.45804081e-01,  6.42525641e-02,  4.60342067e-01,  2.50783722e-01,
      4.41603284e-01, -3.05755826e-03, -1.38307218e-01, -6.09492868e-02,
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VClass\_SUV - SMALL, VClass\_SUV - STANDARD, VClass\_TWO-SEATER, VClass\_VAN - CARGO,  
VClass\_VAN - PASSENGER, TType\_A, TType\_AM, TType\_AS,  
TType\_AV, TType\_M]

## Recommendations

1. Plan your time and rush hour route
2. Take the public transport
3. Go for regular car servicing



REUTERS

**Thank you!**