

## THE UNIVERSITY OF TEXAS AT ARLINGTON, TEXAS DEPARTMENT OF ELECTRICAL ENGINEERING

# EE 5356 DIGITAL IMAGE PROCESSING

**PROJECT # 12** 

by

SOUTRIK MAITI 1001569883

**Presented to** 

Dr. K.R.RAO

**April 26, 2019** 

### **Geometric Mean Filter**

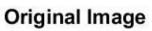
#### MATLAB Code:

```
clc;
clear all;
close all;
%% Reading the image
img = imread('lena512.bmp');
img = img(:,:,1);
%% Setting the size for the GM filter
Gx x = size(img);
Nm 0 = Gx \times (1);
%% Plotting the original image
figure(1);
imshow(img);
title('Original Image');
saveas(gca, 'Origin.jpg');
%% Converting the image to the Fourier transform
imge ft = fft2(img);
img3 one = fftshift(imge ft);
Tx x = zeros(Nm 0);
Tx y = zeros(Nm 0);
Tx z = zeros(Nm 0);
%% Filtering the images with different k
Tx x = h fil ter(0.0025, Nm 0);
Tx y = h fil ter(0.001,Nm 0);
Tx z = h fil ter(0.00025, Nm 0);
Aa x = randn(Nm 0, Nm 0);
Aax FT = fft2(Aa x);
h1 Filtone = fft\overline{2}(Tx x);
h2 Filttwo = fft2(Tx y);
h3 Filtthree = fft2(Tx z);
Ww x = img3 one.*Tx x + Aax FT;
Img3 Tx = ifft2(ifftshift(Ww x));
Ww y = img3 one.*Tx y + Aax FT;
Img3 Ty = ifft2(ifftshift(\overline{W}w y));
Ww z = img3 one.*Tx z + Aax FT;
Imge Tz = ifft2(ifftshift(Ww z));
%% Displaying the degraded images
figure(2);
```

```
subplot(3,1,1);
imshow(uint8(Img3 Tx));
title('Degraded image with k = 0.0025');
subplot(3,1,2);
imshow(uint8(Img3 Ty));
title('Degraded image with k = 0.001');
subplot(3,1,3);
imshow(uint8(Imge Tz));
title('Degraded image with k = 0.00025');
saveas(gca,'deg imgs.jpg');
%% Steps for image restoration
Qq u = zeros(Nm 0);
Qq u = abs(fftshift(ifft2(fft2(img).*conj(fft2(img)))))./(Nm 0^2);
Qq v = zeros(Nm 0);
Qq v = abs(fftshift(ifft2(fft2(Aa x).*conj(fft2(Aa x)))))./(Nm 0^2);
Qq w = fftshift(fft2(Qq u));
Qq x = fftshift(fft2(Qq v));
Ee x = Geo Mean filt(Qq w,Qq x,Tx x,0.25,Nm 0);
Ee y = Geo Mean filt(Qq w, Qq x, Tx y, 0.25, Nm 0);
Ee z = Geo Mean filt(Qq w, Qq x, Tx z, 0.25, Nm 0);
ResultantA = Ww x.*Ee x;
ResultantB = Ww y.*Ee y;
ResultantC = Ww z.*Ee z;
IR fil 1 = ifft2(ifftshift(ResultantA));
IR fil 2 = ifft2(ifftshift(ResultantB));
IR fil 3 = ifft2(ifftshift(ResultantC));
%% Displaying Images with different K values
figure(3);
subplot(3,1,1);
imshow(uint8(IR fil 1));
title('Restored image with values k = 0.0025 and s = 0.25');
subplot(3,1,2);
imshow(uint8(IR fil 2));
title('Restored image with values k = 0.001 and s = 0.25');
subplot(3,1,3);
imshow(uint8(IR fil 3));
title('Restored imagewith values k = 0.00025 and s = 0.25');
saveas(gca, 'res img.jpg');
```

```
% Manually Defined Functions
% Geometric Mean Filter:
function Ff x = Geo Mean filt(aa,bb,cc,dd,ee)
Cc x = invese_filtr(cc, ee);
Ff x = ((Cc_x).^dd).^*(aa.^*conj(cc)./(aa.^*(abs(cc).^2)+bb)).^(1-dd);
end
% H Filter:
function Ss x = h_fil ter(Ssy,Ssz)
    for Hs x = 1:Ssz
                   for Hs y = 1:Ssz
                                       Ss \times (Hs \times Hs y) = exp(-Ssy*((Hs \times -Ssz/2)^2 + (Hs y - Ssx + Ssz/2)^2 + (Hs y - Ssx + S
Ssz/2)^2)^(5/6);
                   end
end
end
% Inverse Filter:
function Cc x = invese filtr(Cc y, Cc z)
ep = 0.001;
for Sx = 1:Cc z
                   for Sy = 1:Cc z
                                      if(Cc y(Sx,Sy) < ep)
                                                          Cc \times (Sx, Sy) = 0;
                                      else
                                                          Cc_x(Sx,Sy) = 1/Cc_y(Sx,Sy);
                                      end
                   end
end
end
```

Results:





Degraded image with k = 0.0025



Degraded image with k = 0.001



Degraded image with k = 0.00025



Restored image with values k = 0.0025 and s= 0.25



Restored image with values k = 0.001 and s = 0.25



Restored imagewith values k = 0.00025 and s= 0.25



#### **Conclusion:**

• The formula for the geometric mean is gicen as:

$$G = \sqrt[n]{a_1 \cdot a_2 \cdots a_n}$$

- The GMF is better at eliminating Gaussian type noise as well as at the same time conserving edges when compared to the arithmetic mean filter (AMF).
- The GMF is highly prone to negative outliners.
- The GMF is a combination of both the Wiener filter and constrained least squares principles.
- The resultant image obtained at the end of the geometric mean filter is found to be smoother and sharp.
- The filters are easy to develop as they are designed using Fourier domain and the approximate circuit matrix. It is developed using approximate circuit matrix and Fourier Domain. Filters used here are easy to develop, implement and understand.