

## Classification and Regression Evaluation

		actual	
		+	-
predicted	+	TP	FP
	-	FN	TN

(confusion matrix)

$$\text{accuracy} = \frac{TP + TN}{TP + TN + FP + FN}$$

$$\text{misclass. rate} = 1 - \text{accuracy}$$

$$\text{precision} = \frac{TP}{TP + FP} \quad (\% \text{ of correct + preds})$$

$$\text{recall / TP rate} = \frac{TP}{TP + FN} \quad (\% \text{ accuracy of + class})$$

~~PPV~~ ⊖

$$\text{TN rate} = \frac{TN}{TN + FP} \quad (\text{accuracy of - class})$$

Note that for both regression + classification, you can always compare the likelihood on a test set (if it is a probabilistic model) to select amongst models. The abs. value of this is not meaningful, however.

$O^{\text{th}}$  order comparison:

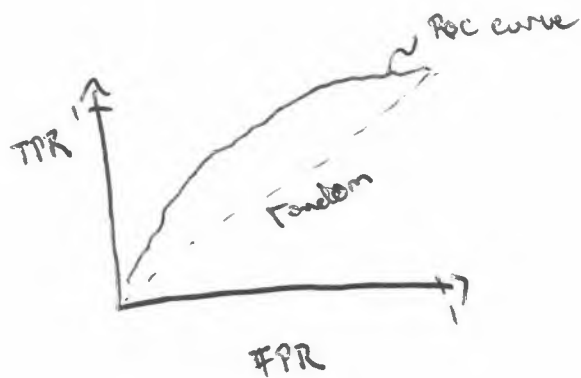
Compare model to a model that simply predicts most frequent class (w/o looking at input)

$F_1$  score = compromise between precision and recall

$$\text{FN rate} = \frac{FN}{TP + FN} \quad (\text{error of + class})$$

$$\text{FP rate} = \frac{FP}{TN + FP} \quad (\text{error of - class})$$

ROC Curves show full spectrum of different TPR / FPR for different threshold values



- a single metric from this curve is the AUC (area under the curve)

• 1 is the best.

• .5 is random

Regression

$R^2$  <sup>measures</sup> order is to compare your model to just predicting the mean (this is basically  $r^2$ )

$$R^2 = 1 - \frac{\frac{1}{n} \sum_{i=1}^n (\hat{y}_i - \bar{y})^2}{\frac{1}{n} \sum_{i=1}^n (y_i - \bar{y})^2}$$

- 1 - FUV

• (the <sup>mean</sup> squared error in units of the most simple model you can think of, just predicting a mean. 1 -

to get  $R^2 \in [0, 1]$  )  
 $\uparrow$  worse  $\uparrow$  better  
 neg  $R^2$  is very bad (worse than predicting just mean)

• also sometimes described as the fraction of explained Variance

• MSE and RMSE

$$\text{MSE} = \frac{1}{n} \sum_{i=1}^n (\hat{y}_i - y_i)^2$$

$$\text{RMSE} = \sqrt{\text{MSE}}$$

← nice because it expresses the error in the original units of  $y$ , so if "typical" values of  $y$  are  $y_{\text{typ}}$ , then we would like  $\text{RMSE} < y_{\text{typ}}$ .

• Several metrics are used to quantify performance ~~on the~~ using just the training set data. These metrics need to penalize somehow for # of features used in model bc more features typically means more overfitting.

- adjusted  $r^2$ : handy way of penalizing the  $r^2$  value for # of features
- AIC: information theoretic criterion
- BIC: derived from a bayesian POV