

Background

Let's assume that the intensity of each line can be described by

$$I_\lambda = \epsilon_\lambda(n_e, T_e) n_e^2 ds \quad (1)$$

where ϵ_λ is the atomic data for that line, n_e is the electron density, T_e is the electron temperature, and ds is the path length through the solar atmosphere. We assume that all of the Fe XIII emission is formed at the same temperature and use a fixed T_e .

Analyzing the Observations

One approach to utilizing the observed intensities is to use equation 1 to form ratios and to infer densities from the observed and theoretical ratios. This is what we've discussed previously.

Another approach is to find the electron density and path length that fits the observed intensities as closely as possible. I've written a routine that implements this. Here is an example fit using the default CHIANTI atomic data:

```
model log_n = 9.48 +- 0.016
model log_ds = 9.14 +- 0.031
chi2 = 153.2
```

Line	Imodel	Iobs	SigmaI	dI/Sigma	dI/I
200.021	2064.02	1809.67	32.90	7.73	14.1
201.121	2506.85	2946.72	51.14	8.60	14.9
202.044	4299.64	4153.84	64.85	2.25	3.5
203.152	932.87	1071.74	48.20	2.88	13.0
203.826	10223.57	10620.57	160.95	2.47	3.7

Again, the idea is to fit all of the Fe XIII intensities as closely as possible simultaneously. For these parameters the spectrum looks something like this

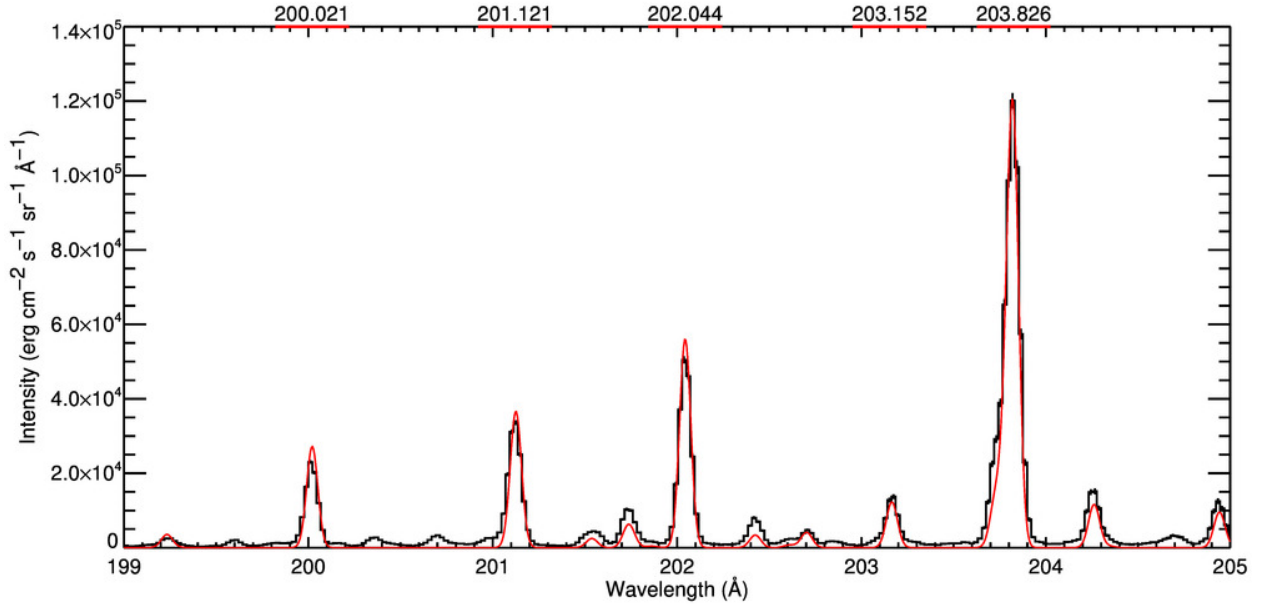


Figure 1: A spectrum computed from CHIANTI for the best-fit density and path length derived from the Fe XIII intensities.

We can repeat this calculation using the perturbed CHIANTI atomic data. For the perturbed data we also appear to get reasonable fits to the observed spectra. For example,

```

model log_n = 9.80 +- 0.026
model log_ds = 8.53 +- 0.050
chi2 = 68.5

```

Line	I _{model}	I _{obs}	SigmaI	dI/Sigma	dI/I
200.021	1775.97	1809.67	32.90	1.02	1.9
201.121	2608.44	2946.72	51.14	6.62	11.5
202.044	4283.36	4153.84	64.85	2.00	3.1
203.152	997.34	1071.74	48.20	1.54	6.9
203.826	11290.98	10620.57	160.95	4.17	6.3

We can repeat this for all of the available perturbed atomic data, which have been calculated for 5-30%. In the following figure we see two features. On the left we see that the path length and the density are inversely correlated, as we expect from Equation 1. On the right we see that for many realizations of the atomic data there are parameter sets that fit the observations as well or better than the default parameters.

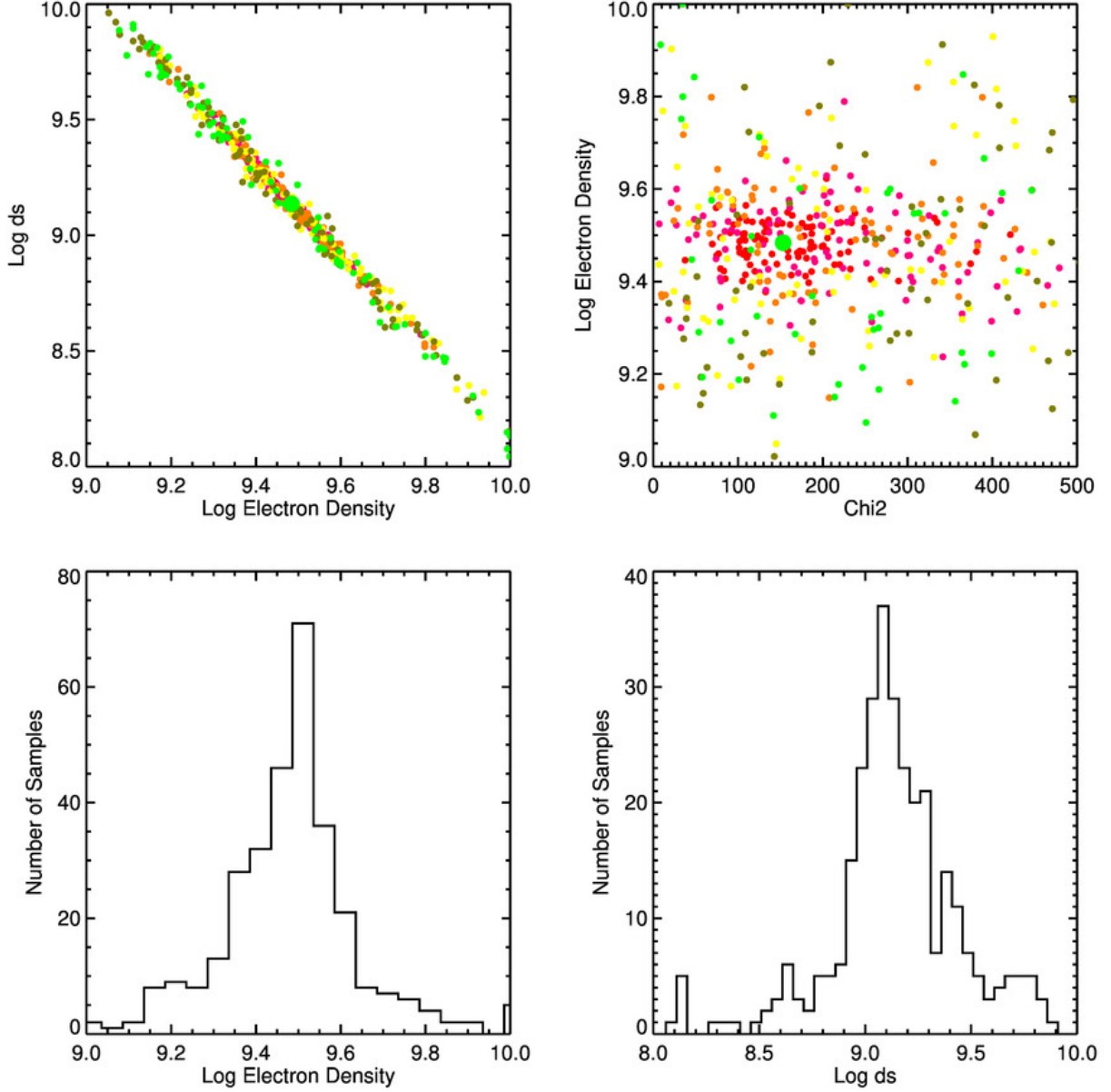


Figure 2: A summary of 600 fits to the observations using perturbed atomic data. The important part of this figure is the upper right, which shows the best-fit density as a function of chi-squared. It suggests that strongly perturbed version of CHIANTI could also reproduce the observed intensities. The bottom panels show the distributions of density and path length for chi-squared less than 250. The large dot represents the solution with the default version of CHIANTI.