

TECHNICAL UNIVERSITY OF DENMARK

CONSTRAINED OPTIMIZATION

COURSE 02612

---

# Assignment 1

---

*Authors:*

Jakub CZERNY, s99999

Oskar HINT, s161559

Joachim Finn JENSEN, s134052

March 12, 2017



**Contents**

<b>1</b>	<b>Introduction</b>	<b>1</b>
<b>2</b>	<b>Assignment</b>	<b>1</b>
2.1	Problem 1 - Quadratic Optimization . . . . .	1
2.2	Problem 2 - Equality Constrained Quadratic Optimization . . . . .	1
2.3	Problem 3 - Inequality Constrained Quadratic Programming . . . . .	1
2.4	Problem 4 - Markowitz Portfolio Optimization . . . . .	1
2.5	Problem 5 - Interior-Point Algorithm for Convex Quadratic Programming . .	1
<b>3</b>	<b>Conclusion</b>	<b>1</b>

## 1 Introduction

this is some report

## 2 Assignment

### 2.1 Problem 1 - Quadratic Optimization

blablablablbal

### 2.2 Problem 2 - Equality Constrained Quadratic Optimization

blablablablbal

### 2.3 Problem 3 - Inequality Constrained Quadratic Programming

From page 475 in Nocedal and Wright the following system is given.

$$\begin{aligned} \min_x q(x) &= (x_1 - 1)^2 + (x_2 - 2.5)^2 \\ s.t. \quad x_1 - 2x_2 + 2 &\geq 0, \\ -x_1 - 2x_2 + 6 &\geq 0, \\ -x_1 + 2x_2 + 2 &\geq 0, \\ x_1 &\geq 0, \\ x_2 &\geq 0. \end{aligned} \tag{1}$$

in MatLab a contour plot of this is made and seen in figure 1.

### 2.4 Problem 4 - Markowitz Portfolio Optimization

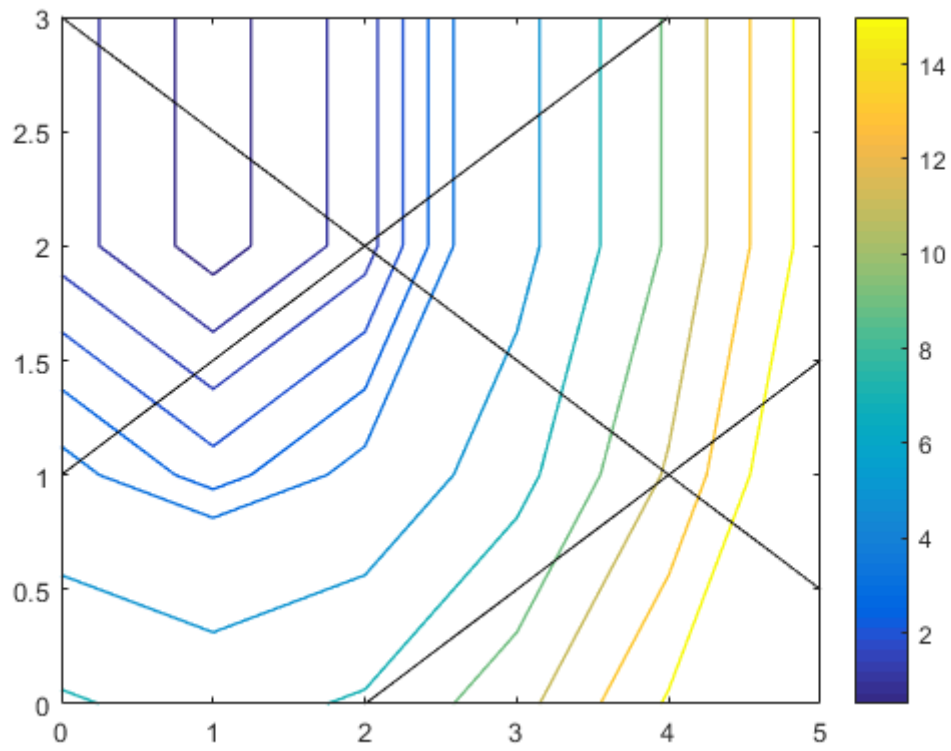
blablablablbal

### 2.5 Problem 5 - Interior-Point Algorithm for Convex Quadratic Programming

blablablablbal

## 3 Conclusion

Some conclusions things



**Figure 1:** A contour plot of the problem.