

# RW354

# Principles of Computer Networking

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- *Larry L. Peterson and Bruce S. Davie. Computer Networks: A Systems Approach (Second Edition). Morgan Kaufmann Publishers. ISBN 1-55860-577-0.*
- *William Stallings. Data and Computer Communications (Sixth Edition). Prentice-Hall Inc. ISBN 0-13-571274-2.*
- *Andrew S. Tannenbaum. Computer Networks (Fourth Edition). Prentice Hall Inc. ISBN 0-13-349945-6.*

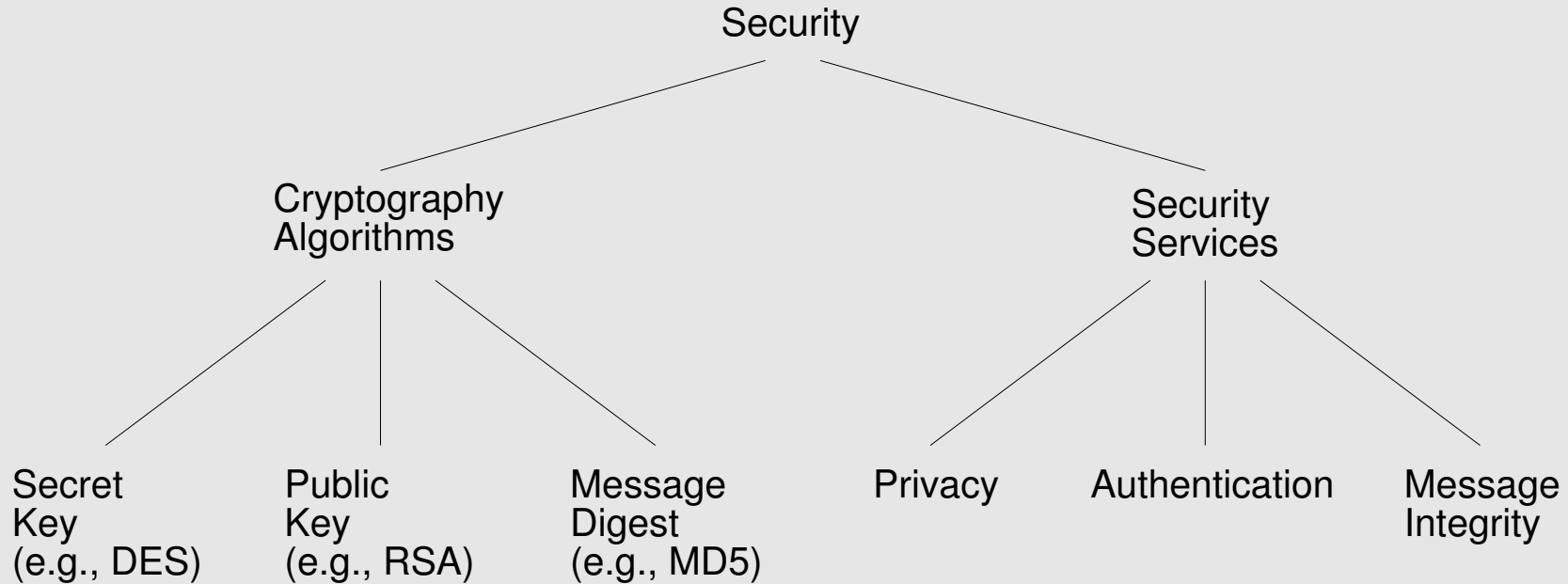
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# Security: overview

- *Cryptography functions*
  - *secret key (e.g. DES)*
  - *public key (e.g. RSA)*
  - *message digest (e.g. MD5).*
- *Security services*
  - *privacy: preventing unauthorized release of information*
  - *authentication: verifying the identity of the remote participant*
  - *integrity: making sure that the message has not been altered.*

# Security: overview



*Let  $P$  denote a plaintext message &  $K$  a key*

$$D_K(E_K(P)) = P.$$

*The encryption algorithms are well known: only the keys are secret.*

# Security: cryptanalysis

*The longer the key, the more work has to be done to decrypt a message by exhaustive search of the key space.*

*The cryptanalysis problem*

- *ciphertext only: the ciphertext is available but no plaintext*
- *known plaintext: some matched ciphertext & plaintext*
- *chosen plaintext: the cryptanalyst can encrypt some pieces of plaintext of her own choosing.*

# Security: cryptanalysis

*Substitution ciphers* replace each letter or group of letters by another letter or group of letters

- *monoalphabetic substitution:  $26! = 4 \times 10^{26}$  possible keys,  $1\mu\text{sec}$  per trial will take  $10^{13}$  years.*

*Transposition ciphers* re-order the plaintext letters but do not disguise them.

*One time pads* are unbreakable. The key is a random bit string known by both parties. The ciphertext is the **EXCLUSIVE OR** of the message & the key. The message length is limited by the length of the key.

# Security: transposition cipher

<u>M</u>	<u>E</u>	<u>G</u>	<u>A</u>	<u>B</u>	<u>U</u>	<u>C</u>	<u>K</u>
<u>7</u>	<u>4</u>	<u>5</u>	<u>1</u>	<u>2</u>	<u>8</u>	<u>3</u>	<u>6</u>
p	l	e	a	s	e	t	r
a	n	s	f	e	r	o	n
e	m	i	l	l	i	o	n
d	o	l	l	a	r	s	t
o	m	y	s	w	i	s	s
b	a	n	k	a	c	c	o
u	n	t	s	i	x	t	w
o	t	w	o	a	b	c	d

Plaintext

pleasetransferonemilliondollarsto  
myswissbankaccountsixtwo

Ciphertext

AFLLSKSOSELAWAIATOOSSCTCLNMOMANT  
ESILYNTWRNNTSOWDPAEDOBUEOERIRICXB

*Columnar transposition: the cipher is keyed by a word or phrase not containing any repeated letters. The key numbers the columns.*

*The plain text is written in rows. The ciphertext is read by columns, starting with the lowest numbered column.*

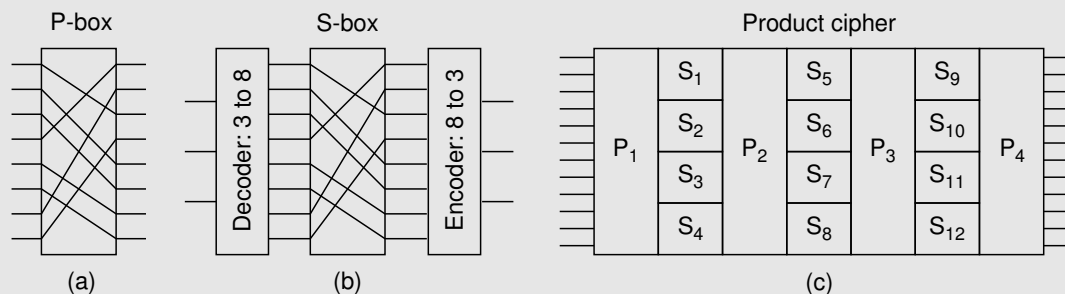


# Security: secret key algorithms

Modern cryptography makes use of *transposition* & *substitution* which are implemented by simple circuits.

A *P-box* performs transposition (permutation). In the figure below the 8 bits (top to bottom) are denoted 01234567: the output is 36071245.

An *S-box* performs substitution. In the figure below the 3-bit input selects 1 of 8 lines & sets it to 1: the other lines are 0. Inputting 8 octal numbers 01234567 yields 24506713.



*P-boxes* & *S-boxes* are cascaded to form a *product cipher*.

# Security: secret key (DES) encryption

*DES encrypts a 64-bit block of plaintext into 64 bits of ciphertext using a 56-bit key*



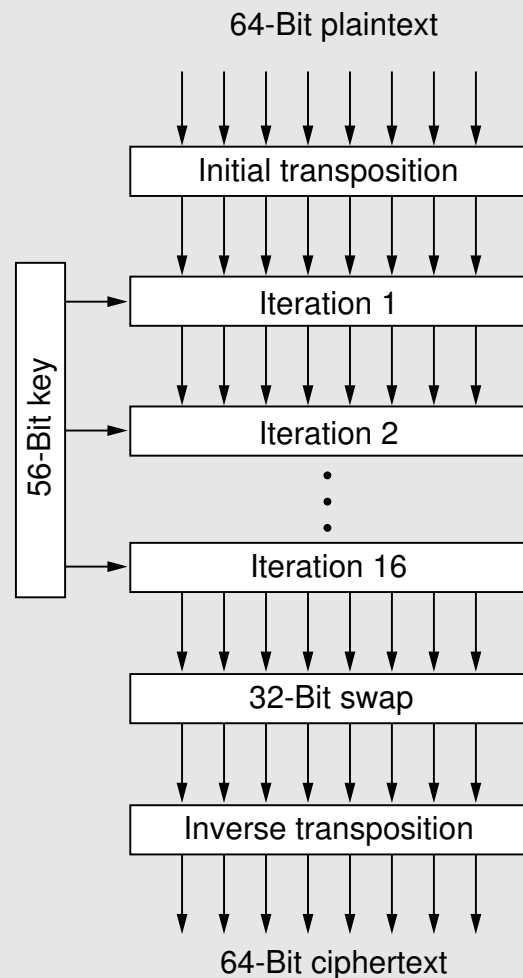
- *symmetric: both participants share a single secret key*
- *64-bit plaintext blocks*
- *64-bit key (56-bits + 8-bit parity)*
- *16 rounds of encryption.*

*Each 64-bit plaintext block is mangled in a sequence of parameterised iterations to produce a 64-bit ciphertext block.*

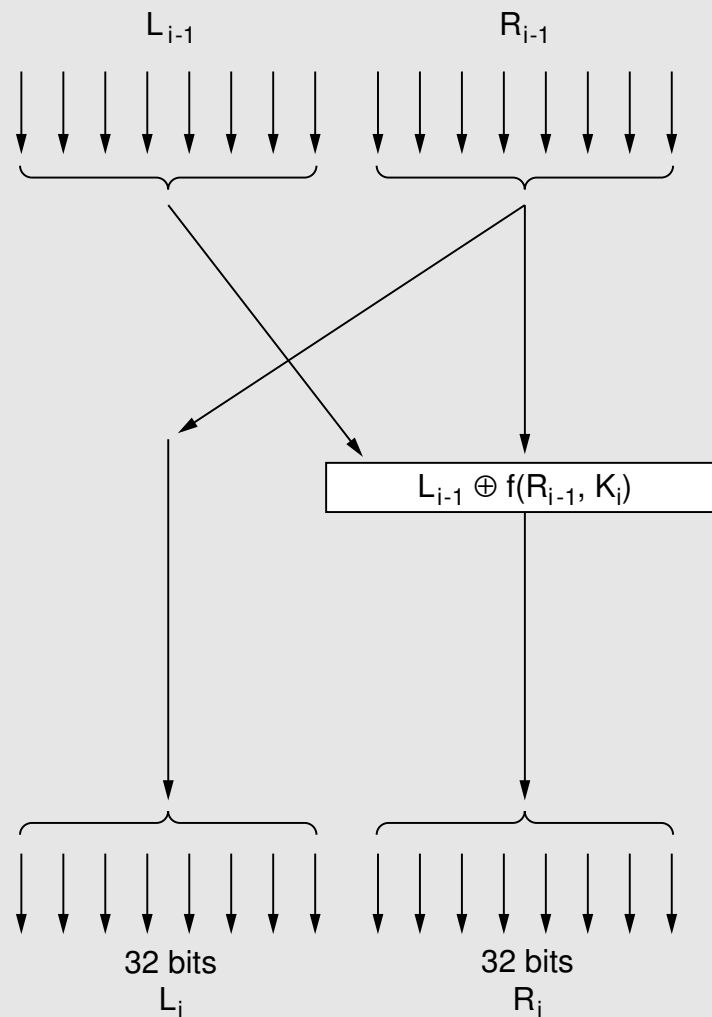


# Security: DES

*DES has 3 phases: an initial shuffle of the 64-bit block, 16 rounds of encryption & a final shuffle.*



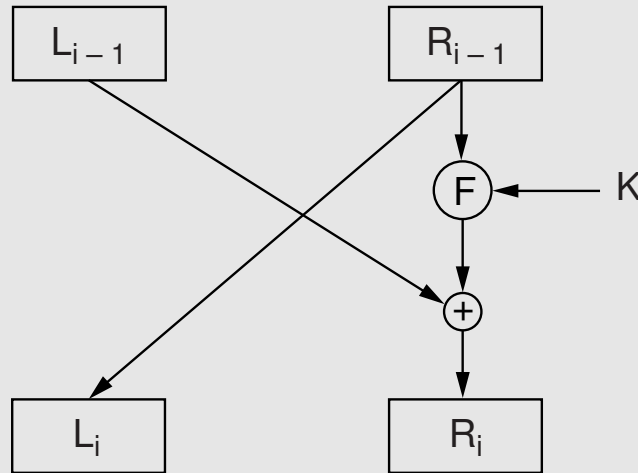
(a)



(b)

# Security: DES

## Manipulation at reach round $i$ of DES



- the 64-bit block from round  $i-1$  is broken into two 32-bit halves  $L_{i-1}, R_{i-1}$
- a 48-bit key  $K_i$  is selected in a complicated way from the 56-bit key  $K_{i-1}$
- the two 32-bit halves  $L_i, R_i$  are computed as  $L_i = R_{i-1}$ ,  $R_i = L_{i-1} \oplus F(R_{i-1}, K_i)$ .

# Security: DES

$$R_i = L_{i-1} \oplus F(R_{i-1}, K_i)$$

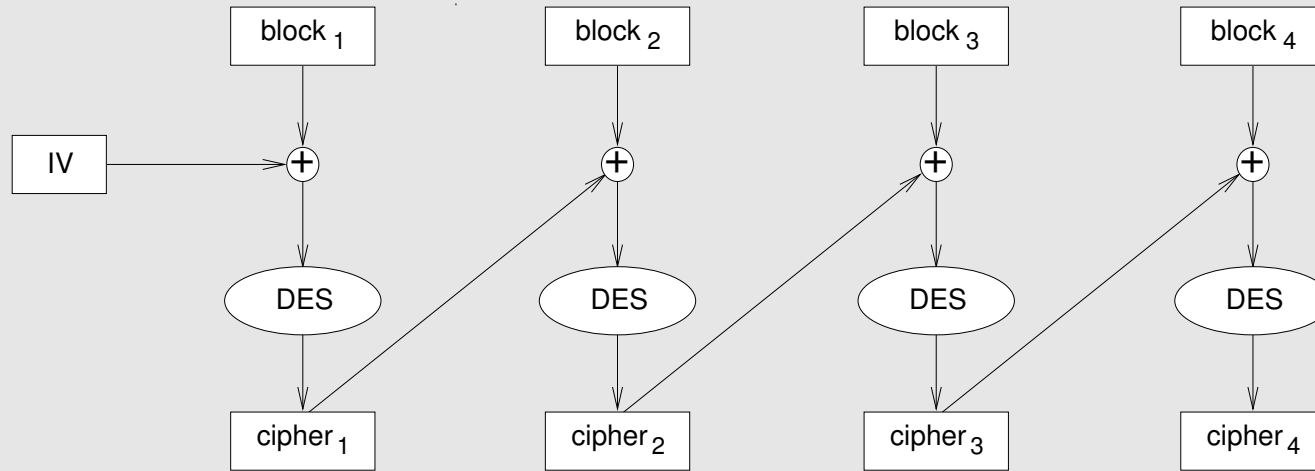
*The function  $F$  expands  $R_{i-1}$  from 32- to 48-bits to combine it with the key 48-bit  $K_i$ .*

*The operation  $L_{i-1} \oplus F(R_{i-1}, K_i)$  is performed in eight 6-bit chunks. Each 6-bit result is fed into an S-box (there are 8 of them, one per chunk) which outputs a 4-bit chunk.*

*The 32 bits are then passed through a P-box.*

# Security: DES

*Cipher block chaining (CBC) is used for larger messages*



# Security: DES

*DES is one of the strongest encryption algorithms ever devised*

- *DES is based on an 128-bit key IBM cipher*
- *there is no published proof that DES is secure*
- *the most serious concern is the key size*
- *the only known way to break DES is to search all  $2^{56} = 7.6 \times 10^{16}$  keys: one computer doing one DES encryption per  $\mu s$  would take  $10^3$  years*
- *searching the key space is highly parallelizable*
- *many applications now use triple-DES.*

# Security: public key (RSA)



*Each participant has a secret key which no-one else knows & a public key which is published*

- *participant A encrypts data for participant B using B's public key*
- *B uses its private key to decrypt the data.*

*Note that A cannot decrypt the message that it has sent to B.*

# Security: RSA

*Generate a public and a private key*

- *choose two 256-bit prime numbers  $p, q$*
- *$n = p \times q$*
- *choose the encryption key  $e$  such that  $e$  and  $(p - 1) \times (q - 1)$  are relatively prime*
  - *two numbers are relatively prime if they have no common factor greater than one*
- *compute the decryption key  $d$  such that*

$$e \times d = 1 \text{ mod } ((p - 1) \times (q - 1))$$

- *the public key is  $\langle e, n \rangle$*
- *the private key is  $\langle d, n \rangle$*
- *discard (do not disclose) the original primes  $p, q$ .*

## Security: RSA example

- *choose  $p = 7, q = 17$*
- *$n = p \times q = 119$*
- *the encryption key  $e$  and  $(p - 1) \times (q - 1) = 96$  are relatively prime:  $e = 5$*
- *$5d = 1 \bmod 96$ : choose  $d = 77$  because  $5 \times 77 = 385$ ,  $385 \bmod 96 = 1$*

*Suppose we wish to encrypt  $m = 19$ .*

*The public key  $\langle e, n \rangle$  is used to encrypt the message*

$$c = m^e \bmod n = 19^5 \bmod 119 = 66.$$

*The private key  $\langle d, n \rangle$  is used to decrypt the message*

$$m = c^d \bmod n = 66^{77} \bmod 119 = 19.$$



## Security: RSA example

*A sends a message  $m$  to B using B's public key  $\langle e, n \rangle$  to encrypt the message  $m$  to a ciphertext  $c = m^e \bmod n$ .*

*If  $e$  is a large number then  $m^e$  will overflow.*

*A simple method (not the best) to compute  $m^e$  is*

```
C = 1;  
for (i=1; i<=e; i++)  
    C = (C * i) % n;
```

*Thus  $16^6 \bmod 119$  is computed as follows:*

```
( 1 * 19 ) mod 119 = 19  
(19 * 19 ) mod 119 =  4  
( 4 * 19 ) mod 119 = 76  
(76 * 19 ) mod 119 = 16  
(16 * 19 ) mod 119 = 66
```



# Security: RSA example

Plaintext (M)		Ciphertext (C)			After decryption	
Symbolic	Numeric	$M^3$	$M^3 \pmod{33}$	$C^7$	$C^7 \pmod{33}$	Symbolic
S	19	6859	28	13492928512	19	S
U	21	9261	21	1801088541	21	U
Z	26	17576	20	1280000000	26	Z
A	01	1	1	1	01	A
N	14	2744	5	78125	14	N
N	14	2744	5	78125	14	N
E	05	125	26	8031810176	05	E
Sender's computation				Receiver's computation		

*In this example  $p = 3$  and  $q = 11$ . Compute the private keys  $\langle e, n \rangle$  and  $\langle d, n \rangle$ .*



## Security: message digest

- *Cryptographic checksum: just as a regular checksum protects the receiver from accidental changes to the message, a cryptographic checksum protects the receiver from malicious changes to the message.*
- *One-way function: given a cryptographic checksum for a message, it is virtually impossible to figure out what message produced that checksum; it is not computationally feasible to find two messages that hash to the same cryptographic checksum.*
- *Relevance: if you are given a checksum for a message & you are able to compute exactly the same checksum for that message, then it is highly likely this message produced the checksum you were given.*

# *Security: performance of encryption algorithms*

## *Software implementations*

- *DES and MD5 are several orders of magnitude faster than RSA*
- *typically: DES achieves 36Mbps, MD5 gets 85Mbps and RSA gets 1Kbps.*

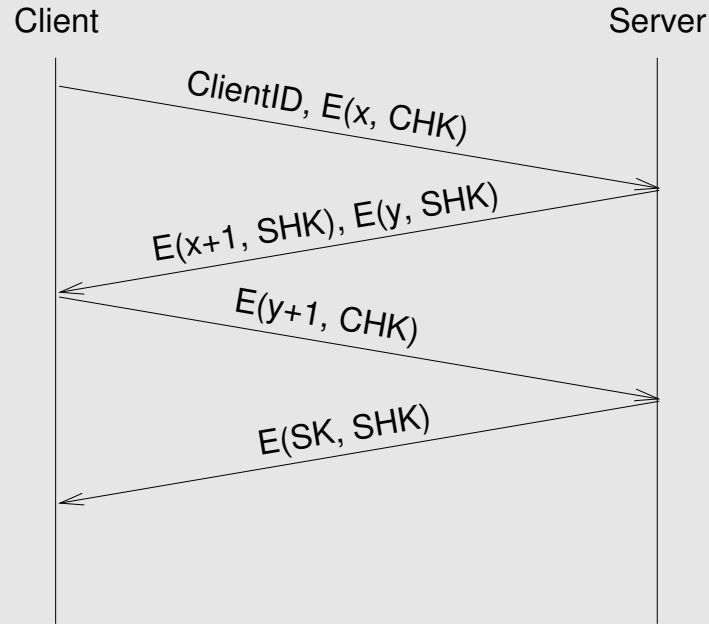
## *Hardware implementations*

- *DES and MD5 achieve several 100's of Kbps*
- *RSA gets 64Kbps.*

*RSA is typically used to encrypt small amounts of data such as keys & passwords. These RSA protected secrets are used with DES & MD5 to encrypt larger amounts of data.*

# Security: authentication protocols

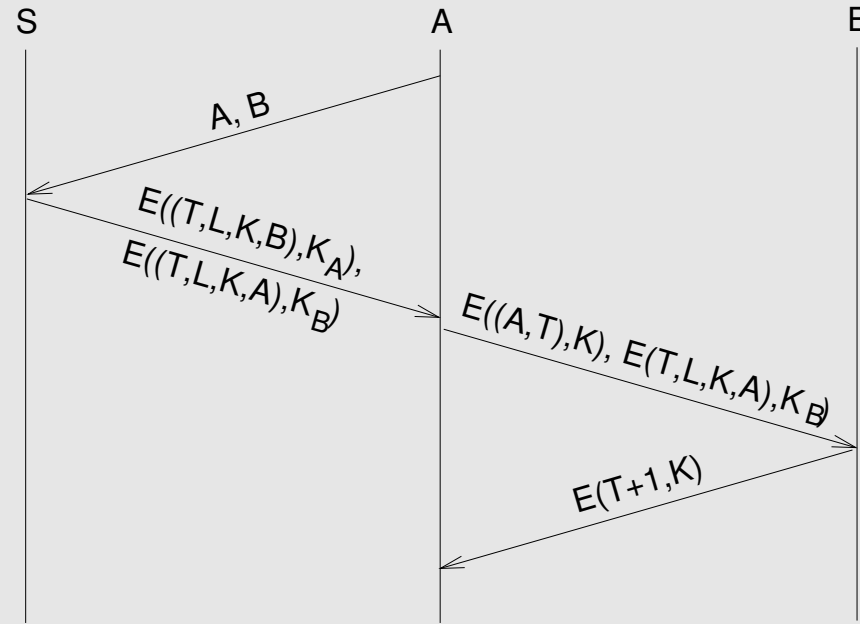
## Three-way handshake



- *CHK: client handshake key*
- *SHK: server handshake key – the key that the server thinks will correspond to the ClientId.*

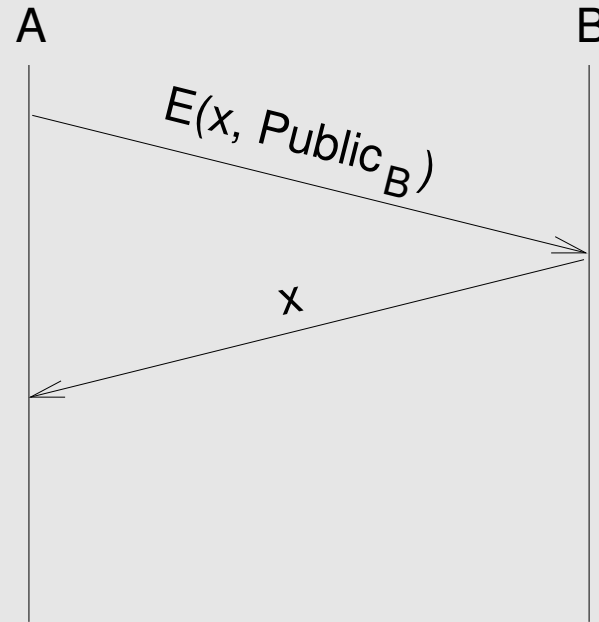
# Security: authentication protocols

## Trusted third party (Kerberos)



# Security: authentication protocols

## Public key authentication



# Security: message integrity protocols

## *Digital signature using RSA*

- *a special case of message integrity where the signature can only have been generated by one participant*
  - *the sender encrypts his signature with his private key*
  - *the receiver verifies the signature using the sender's public key.*



# Security: message integrity protocols

## Keyed MD5

- *the sender*

$$m + MD5(m + k) + E(k, \text{private})$$

- *the receiver*

- *recovers the random key  $k$  using the sender's public key*
- *applies MD5 to  $(m + k)$*
- *compares the result with the checksum sent with the message.*

# Security: message integrity protocols

## *MD5 with RSA signature*

- *the sender*

$$m + E(\text{MD5}(m), \text{private})$$

- *the receiver*
  - *decrypts the signature with the sender's public key*
  - *compares the result with the MD5 checksum sent with the message.*

## *Security: public key distribution*

*A wishes to convey his public key to B.*

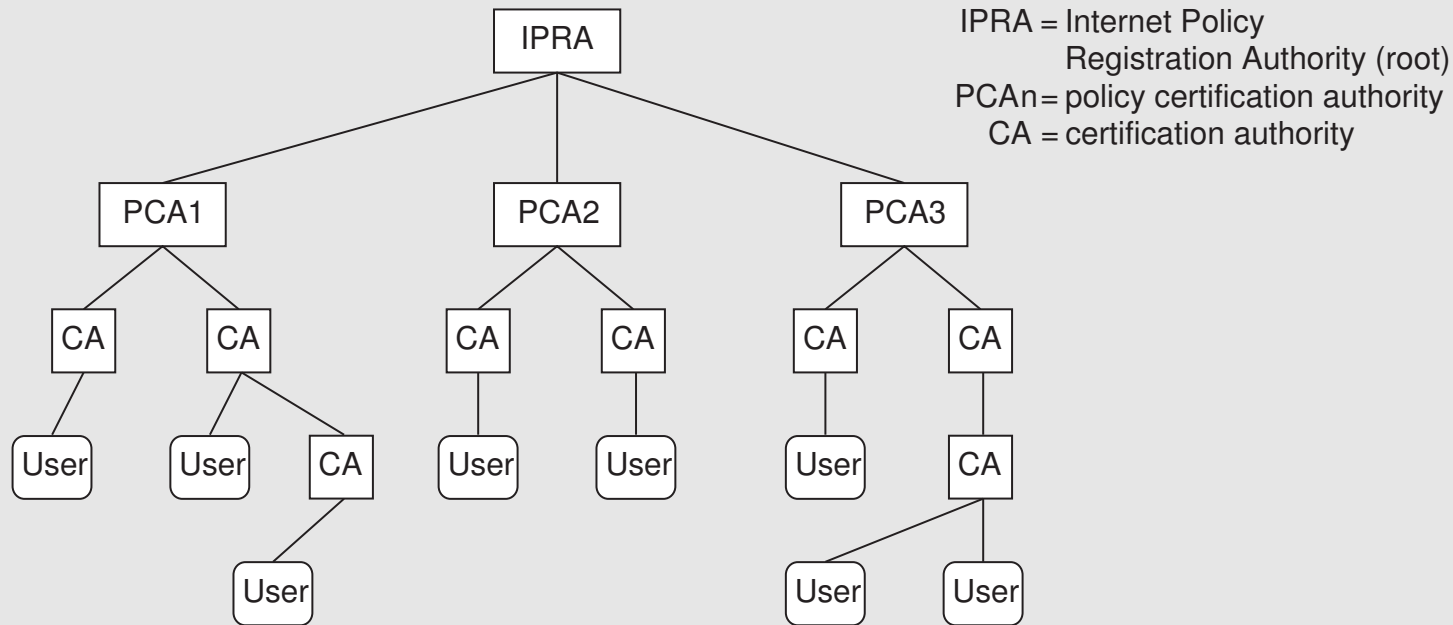
*Question: how does B know that the key comes from A?*

*Answer: use **digital certificates** which prove that the data were generated by the owner of a certain key & that the data were not modified since it was signed.*

*Digital certificates are issued by a **Certification Authority** (CA).*

# Security: public key distribution

*Chains of trust are arranged in a tree-structured hierarchy*



*X.509 defines the standard for digital certificates*

- *the name of the entity being certified*
- *the public key of the entity*
- *the name of the Certification Authority*
- *a digital signature.*

## Security: certificate revocation

*If someone has discovered your private key then that person can impersonate you.*

*A CA can issue a **Certificate Revocation List** (CRL) – a digitally signed list of revoked certificates.*

*When a participant receives a digital certificate for  $B$  he will check the CRL that  $B$ 's certificate has not been revoked.*