# Modeling Complex Random Memristor Networks

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#### **Novel Electronics**

Computers aren't getting much faster. (2D photolithographic silicon/CMOS)

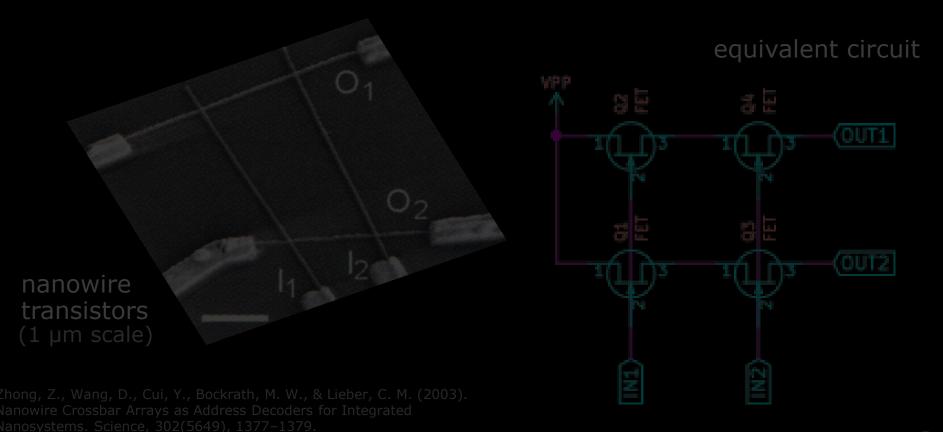
search for new computing methods

- 3D circuitry
- quantum computing
- programmable hardware (FPGA)
- photonic computing
- neuromorphic computing (nanowire electronics)

#### Nanowires for Electronics

Nanowire (NW): 1D cylinder of Ag, Si, Au...

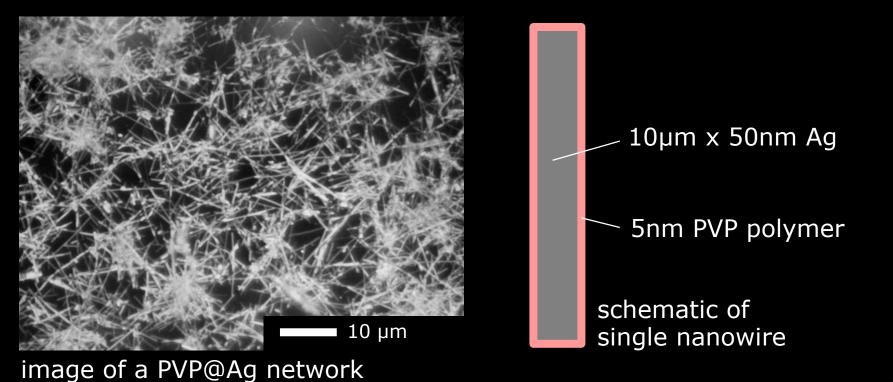
NW-NW junction = circuit element



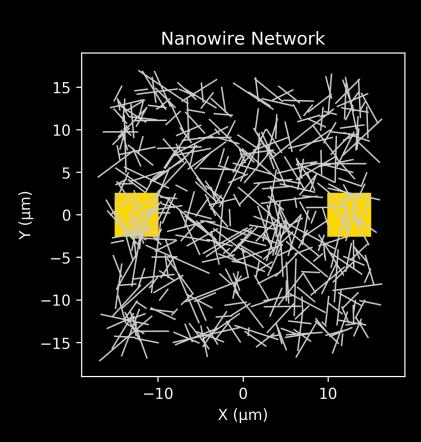
## PVP@Ag Nanowire Networks

collection of Ag nanowires with PVP coating

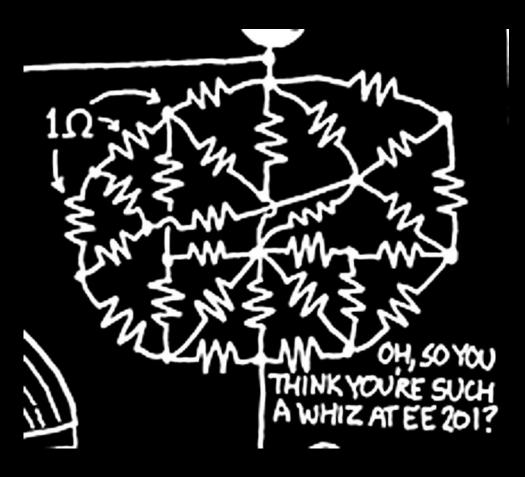
- model properties, understand potential
- similar to neural network?



# Step 1: Create Simulation



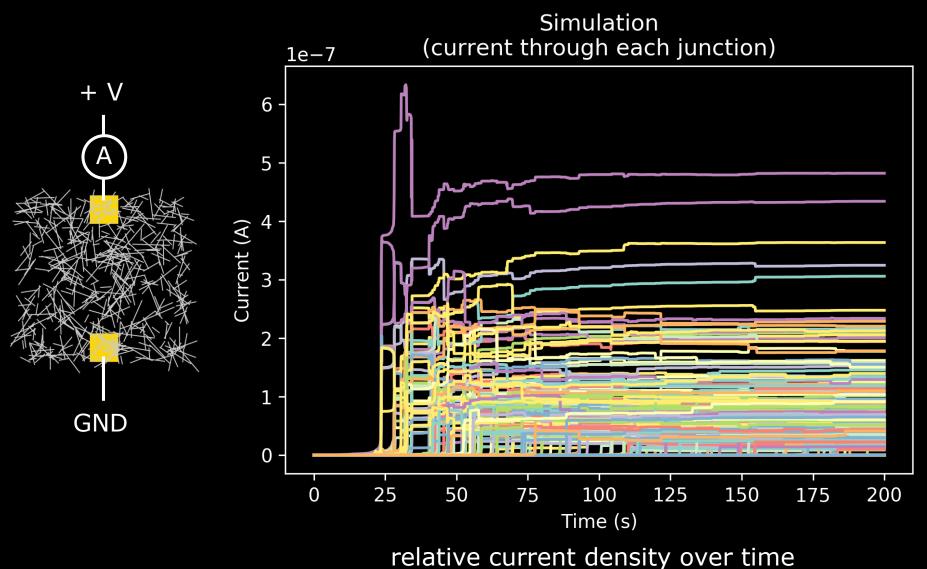
a complete simulated network



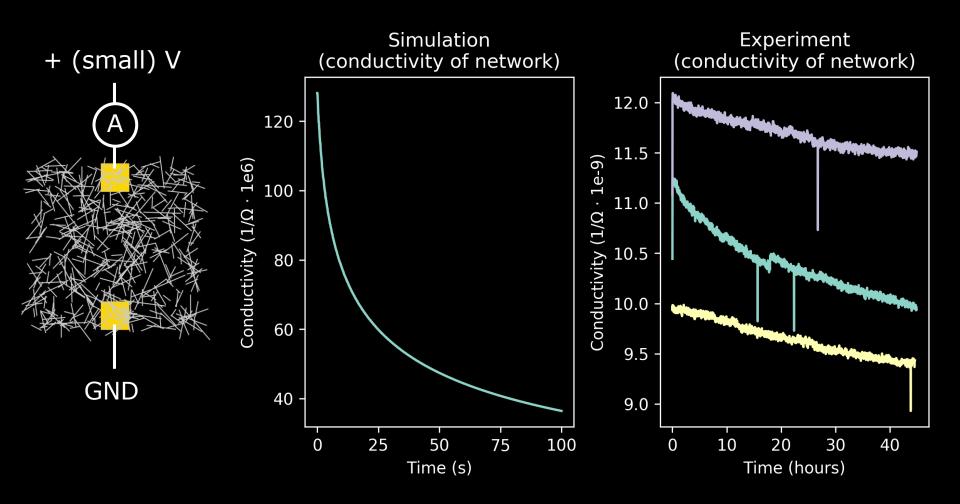
equivalent circuit

Munroe, R. Circuit Diagram. XKCD 730.

### Step 2: Response to Constant Voltage

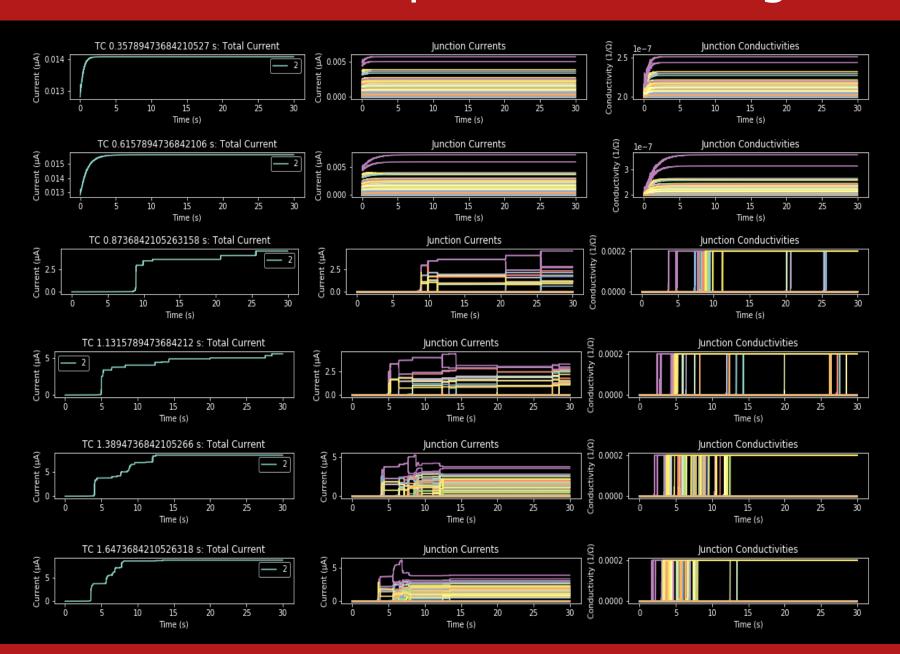


## Step 3: Resistance Decay with Time

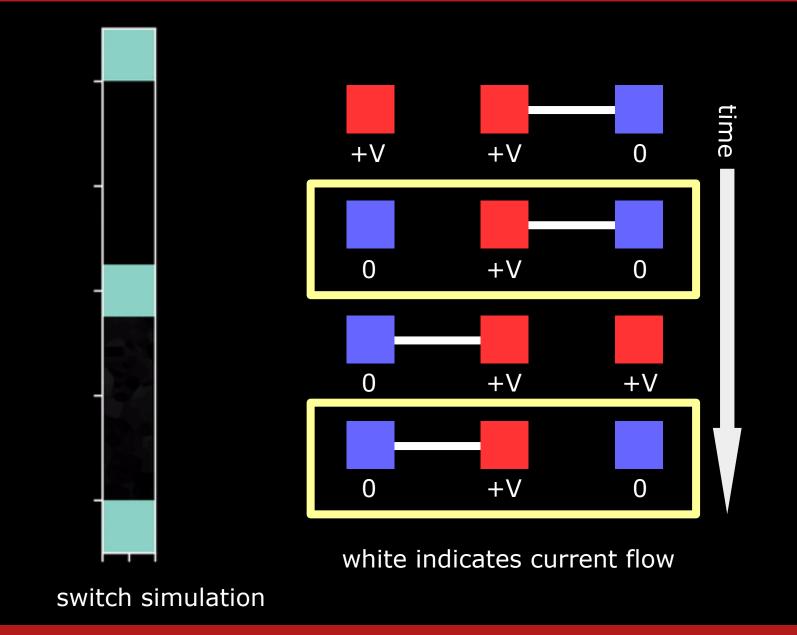


full decay is very slow- weeks!

### Parameter sweep found nothing else



## One use: current switch



### Conclusions

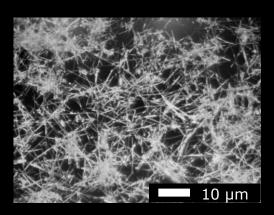
- Simulation predicts behavior
- Junction memristor hypothesis supported
- Network acts like planar memristor

#### Applications:

- Switch for a finite state machine
- Ephemeral memory: information that disappears after a week
- Custom non-CMOS electronics
- Planar memristance

#### Future work:

- Attempt to control memristor parameters (decay, resistance)
- Add capacitance for higher-order behavior



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- Nano Functionality Integration Group: Qiao Li, Adrian, Sasaya...
- Dr. Lynn Rathbun and other program coordinators

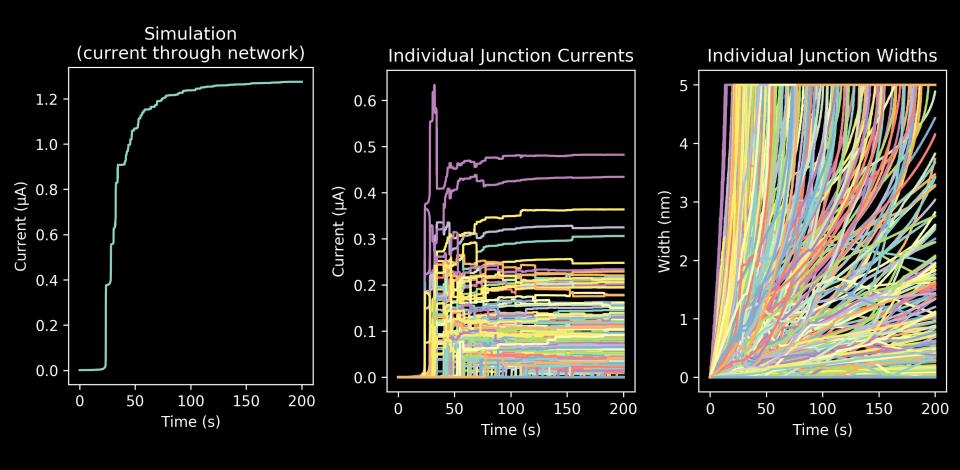








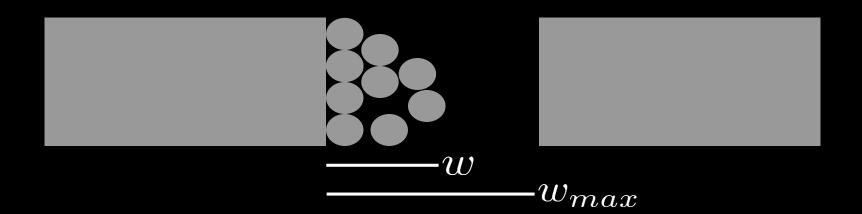
#### Junction Behavior

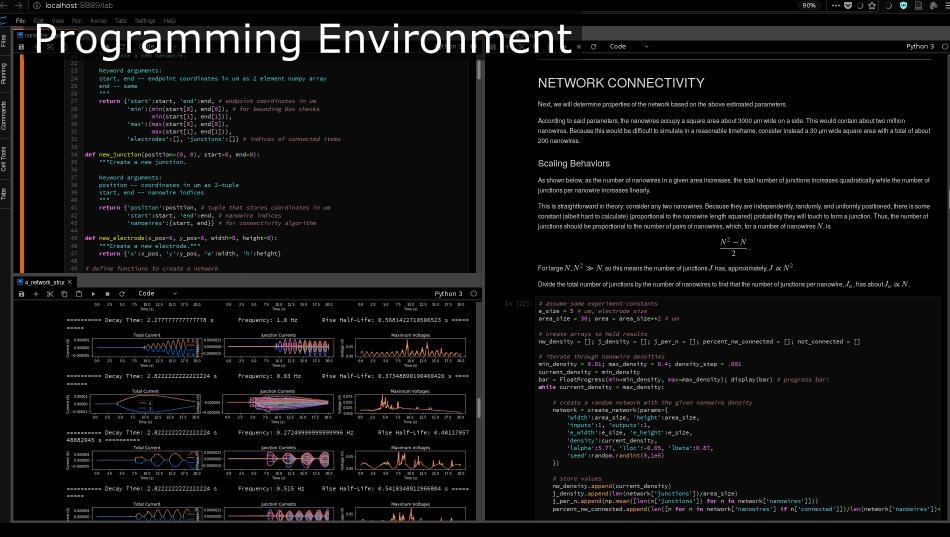


#### NW-NW Junction Electrical Model

$$V = \left[\frac{w}{w_{max}} \cdot R_{on} + \left(1 - \frac{w}{w_{max}}\right) \cdot R_{off}\right] \cdot I$$

$$\frac{dw}{dt} = \mu_v \cdot \frac{R_{on}}{w_{max}} \cdot |I| - \frac{w}{\tau}$$







) JupyterLab





### Test Apparatus

