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# Data Structures and Algorithms in Python

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## Study Guide: Hints to Exercises

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# Chapter 10 Maps, Hash Tables, and Skip Lists

## Hints

### Reinforcement

- R-10.1)** This is more challenging because `__delitem__` does not return the deleted value.
- R-10.2)** You must rely on the `iter` method to access the contents of the map.
- R-10.3)** You should not directly call `__iter__`, but you can mimic its style.
- R-10.4)** The first insertion is  $O(1)$ , the second is  $O(2)$ , ...
- R-10.5)** Review the API for `PositionalList` from Section 7.4.
- R-10.6)** Think about which of the schemes use the array supporting the hash table exclusively and which of the schemes use additional storage external to the hash table.
- R-10.7)** Use of Python's `__hash__` method is discussed on page 415.
- R-10.8)** There is a lot of symmetry and repetition in this string, so avoid a hash code that would not deal with this.
- R-10.9)** Try to mimic the figure in the book.
- R-10.10)** Try to mimic the figure in the book.
- R-10.11)** The failure occurs because no empty slot is found. For the drawing, try to mimic the figure in the book.
- R-10.12)** Try to mimic the figure in the book.
- R-10.13)** Think of the worst-case time for inserting every entry in the same cell in the hash table.
- R-10.14)** Mimic the way the figure is drawn.
- R-10.15)** Allow the user to express the maximum load factor as an optional parameter to the constructor.
- R-10.16)** It is okay to insert a new entry on “top” of the deactivated entry object.

- R-10.17)** You will need to keep track of the number of probes in order to apply quadratic probing.
- R-10.18)** Think of where the entry with minimum key is stored.
- R-10.19)** The crucial methods are `__getitem__` and `__setitem__`.
- R-10.20)** Since the map will still contain  $n$  entries at the end, you can assume that each `__delitem__` operation takes the same asymptotic time.
- R-10.21)** What happens in the case where the middle table value equals  $k$ ?
- R-10.22)** Assume that a skip list is used to implement the sorted map.
- R-10.23)** Mimic the style of the figures in the book.
- R-10.24)** You must link out the removed entry's tower from all the lists it belongs to.
- R-10.25)** You will need to rely on the `iter` behavior to find an arbitrary element of the set.
- R-10.26)** For each element of the smaller set, check to see if it is contained in the larger set.
- R-10.27)** Something from this chapter should be helpful!

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## Creativity

- C-10.28)** The existing `__setitem__` implementation can serve as a reasonable model for this new method.
- C-10.29)** You might provide an implementation directly within the `ProbeHashMap`, but you'll need to borrow some techniques from the `HashMapBase` class.
- C-10.30)** You might provide an implementation directly within the `ChainHashMap`, but you'll need to borrow some techniques from the `HashMapBase` class.
- C-10.31)** 1
- C-10.32)** Prepare a concise table of your experimental results.
- C-10.33)** Fortunately, a Python list can be heterogeneous!
- C-10.34)** Oops. We meant to say to reimplement the `HashMapBase` class. Feel free to subclass the nested `Item` class.
- C-10.35)** You need to do some shifting of entries to close up the "gap" just made, but you should only do this for entries that need to move.
- C-10.36)** For part a, note that the symmetry will halve the range of possible values. For part b, note that such automatic collisions will not occur.
- C-10.37)** Perhaps you might define a nonpublic method that generates probe indices.
- C-10.38)** Consider the way `find_range` was implemented for `SortedTableMap`.

- C-10.39)** Try out some examples.
- C-10.40)** Do a “double” binary search.
- C-10.41)** Dovetail two binary searches.
- C-10.42)** Think first about how you can determine the number of 1’s in any row in  $O(\log n)$  time.
- C-10.43)** Think about first sorting the pairs by cost.
- C-10.44)** 1
- C-10.45)** Consider augmenting each node  $v$  in a higher level with the number of missing entries in the gap from  $v$  to the next node over.
  
- C-10.47)** Make sure to start with a new empty set (or make a copy of one of the two initial sets).
- C-10.48)** Think of how you could transform  $D$  into  $L$ .
- C-10.49)** Maintain a secondary `PositionalList` instance that represents the FIFO order

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## Projects

- P-10.50)** In a Unix/Linux system, a good place to start is `/usr/dict`.
- P-10.51)** It is okay to generate these phone numbers more-or-less at random.
- P-10.52)** You might consider embedding a next pointer within each item composite.
- P-10.53)** Sentinels can be used in place of the theoretical  $-\infty$  and  $+\infty$ .
- P-10.54)** Try to make your screen images mimic the skip list figures in the book.
- P-10.55)** For each word  $t$  that results from a minor change to  $s$ , you can test if  $t$  is in  $W$  in  $O(1)$  time.