

**Problem 1: Common sequence (turn in your codes)**

- 1.1) Create a 'unit\_impulse' **function** that creates a unit impulse sequence  $y(n)$ . The function should accept input arguments of  $n_p$ ,  $n1$ , and  $n2$  where  $n1$  and  $n2$  are the start and the end of the sequence;  $n_p$  is the position of the pulse. Note that for each value of  $n$ :

$$y(n) = \begin{cases} 1 & \text{when } n = n_p \\ 0 & \text{when } n \neq n_p \end{cases}$$

- 1.2) Create a 'unit\_step' **function** that creates a unit step sequence  $y(n)$ . The function should accept input arguments of  $n_s$ ,  $n1$ , and  $n2$  where  $n1$  and  $n2$  are the start and the end of the sequence;  $n_s$  is the step position. Note that for each value of  $n$ :

$$y(n) = \begin{cases} 1 & \text{when } n \geq n_s \\ 0 & \text{when } n < n_s \end{cases}$$

**Problem 2: Time-shift and Time-reversal (turn in your codes and plots)**

- 2.1) Create a 'time\_shift' **function** that create an output sequence  $y(n)$  as a delayed version of the input sequence  $x(n)$ . The function should accept input arguments of  $x$ ,  $n$ , and  $n_d$  where  $n_d$  is the number of samples delayed.

- 2.2) Let  $x(n) = 2n + 3$ , where  $n = -10:10$ .

- a. Plot  $x(n)$ .
- b. Plot a time delayed version of  $x(n)$  delayed by 3 samples.
- c. Plot the time-reversal of  $x(n)$

- 2.3) Plot  $y(n) = 5*\delta(n + 4) - 2*\delta(n - 2)$ ;  $n = -10:10$

- 2.4) Plot  $z(n) = u(n) - u(n-4)$  ;  $n = -10:10$

where  $\delta(n)$  is the unit impulse sequence and  $u(n)$  is the unit step sequence.

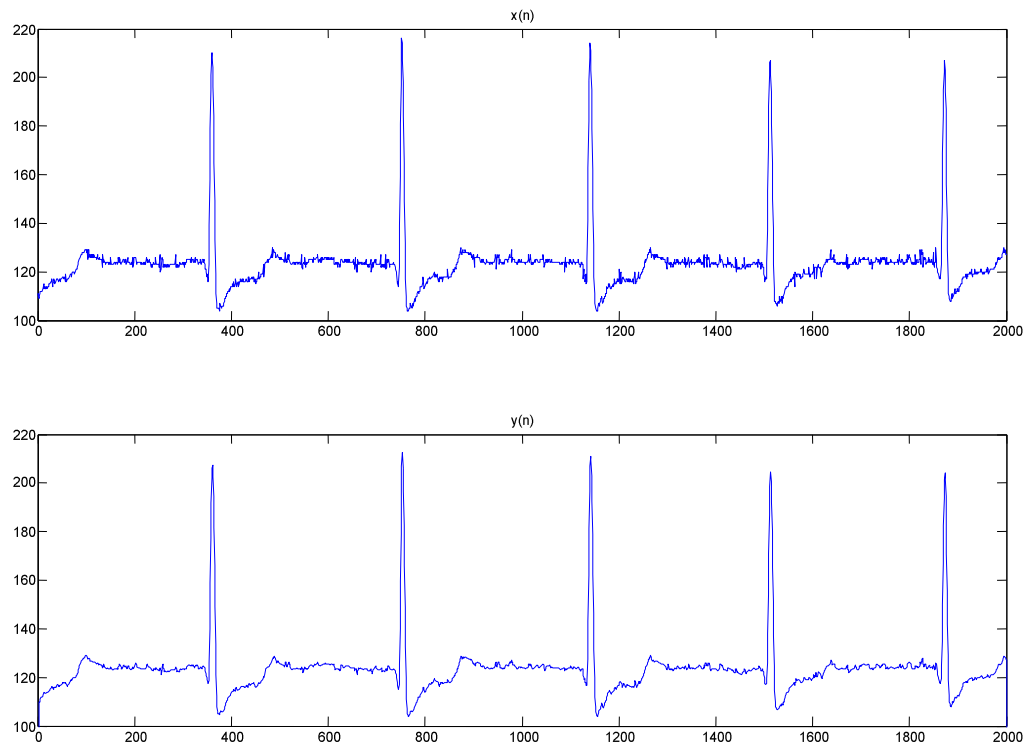
**Problem 3: Systems (turn in your codes and plots)**

The additional file 'SAMPLE\_ECG.mat' stores a sequence of Electrocardiography, an interpretation of the electrical activity of the heart over a period of time.

- 3.1) Load and Plot the signal. Call this signal  $x(n)$
- 3.2) Using for loop, write a program that creates an output  $y(n)$  where

$$y(n) = \frac{x(n) + x(n + 1) + x(n + 2)}{3}$$

- 3.3) Plot both  $x(n)$  and  $y(n)$  in a same figure using the subplot command. The vertical axis varies from 100 to 200 and the horizontal axis varies from 0 to 2000 for both plots. Hint: use the command `axis([0 2000 100 220])`. Your figure should look similar to the following: (remember to put titles for each plots)



3.4) Does  $y(n)$  look smoother than  $x(n)$ ? You have just filtered the original signal using a low-pass filter. The filter is supposed to remove high frequency components of the signal.

Read:

- a) Direct form-II implementation of a standard difference equation.
- b) Convolution of two discrete-time signals.
- c) Nyquist theorem