## TASK 3

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## init

clear, clc

## b

```
syms sigma

M = [ sigma+3, 4; -9/4, sigma-3 ];
[V, D] = eig(M);
fprintf('The eigenvalues are [%s, %s].\n', diag(D))
normalizedV = -V/norm(V);
fprintf('The eigenvector is [%s, %s].\n', normalizedV)
inverseM = inv(M);
fprintf('The inverse matrix is [%s, %s ; %s, %s]. \n\n',
  inverseM(1,1), inverseM(1,2), inverseM(2,1), inverseM(2,2))
```

C

```
syms c d
eq1 = sigma - c*d == sigma + 3;
eq2 = d^2 = 4;
eq3 = -c^2 = -(9/4);
eq4 = sigma + c*d == sigma - 3;
eq = [eq1; eq2; eq3; eq4];
S = solve(eq);
I = find(S.c > 0);
fprintf('The variable c = %s, d = %s. \n', S.c(I), S.d(I))
M = [sigma - c*d, d^2; -c^2, sigma + c*d];
[V, D] = eig(M);
fprintf('The eigenvalues are [%s, %s].\n', diag(D))
fprintf('The eigenvector is [%s, %s]/%s.\n', V, norm(V))
inverseM = inv(M);
fprintf('The inverse matrix is [%s, %s; %s, %s]. \n', inverseM(1,1),
 inverseM(1,2), inverseM(2,1), inverseM(2,2))
```

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```
In[591]:= sigma0 = -1;
      StreamPlot[
       \{(sigma + 3) * x + 4y, -9/4x + (sigma - 3)y\}/. \{sigma \rightarrow sigma0\},
       \{x, -10, 10\},\
       {y, -10, 10},
       StreamStyle → {Red},
       PlotLabel \rightarrow StringJoin["\sigma = ", ToString[N[sigma0]]],
       FrameLabel → {Style["x", Black, Medium], Style["y", Black, Medium]},
       Epilog → {{PointSize[Large], Point[{0, 0}]},
         Text[Style["Stable fixed point", Medium, Bold], {0, -1}]},
       LabelStyle → Directive [FontSize → 15]
      ]
      sigma0 = 0;
      StreamPlot[
       { (sigma + 3) * x + 4y, -9/4x + (sigma - 3) y} /. {sigma \rightarrow sigma0},
       \{x, -10, 10\},\
       {y, -10, 10},
       StreamStyle → {Red},
       PlotLabel \rightarrow StringJoin["\sigma = ", ToString[N[sigma0]]],
       FrameLabel → {Style["x", Black, Medium], Style["y", Black, Medium]},
       Epilog → {{PointSize[Large], Point[{0, 0}]},
         Text[Style["Unstable fixed point", Medium, Bold], {0, -1}]},
       LabelStyle → Directive[FontSize → 15]
      sigma0 = 1;
      StreamPlot[
       \{ (sigma + 3) * x + 4y, -9/4x + (sigma - 3) y \} /. \{ sigma \rightarrow sigma 0 \}, \}
       \{x, -10, 10\},\
       {y, -10, 10},
       StreamStyle → {Red},
       PlotLabel \rightarrow StringJoin["\sigma = ", ToString[N[sigma0]]],
       FrameLabel → {Style["x", Black, Medium], Style["y", Black, Medium]},
       Epilog → {{PointSize[Large], Point[{0, 0}]},
         Text[Style["Unstable fixed point", Medium, Bold], {0, -1}]},
       LabelStyle → Directive[FontSize → 15]
```



