

# Assessing Capability from an $\bar{X}$ & s Chart

**Data Science for Quality Management:  
Process Capability**  
with **Wendy Martin**

## **Learning objective:**

Assess capability from an  $\bar{X}$  and  $s$  chart for data that is normally distributed

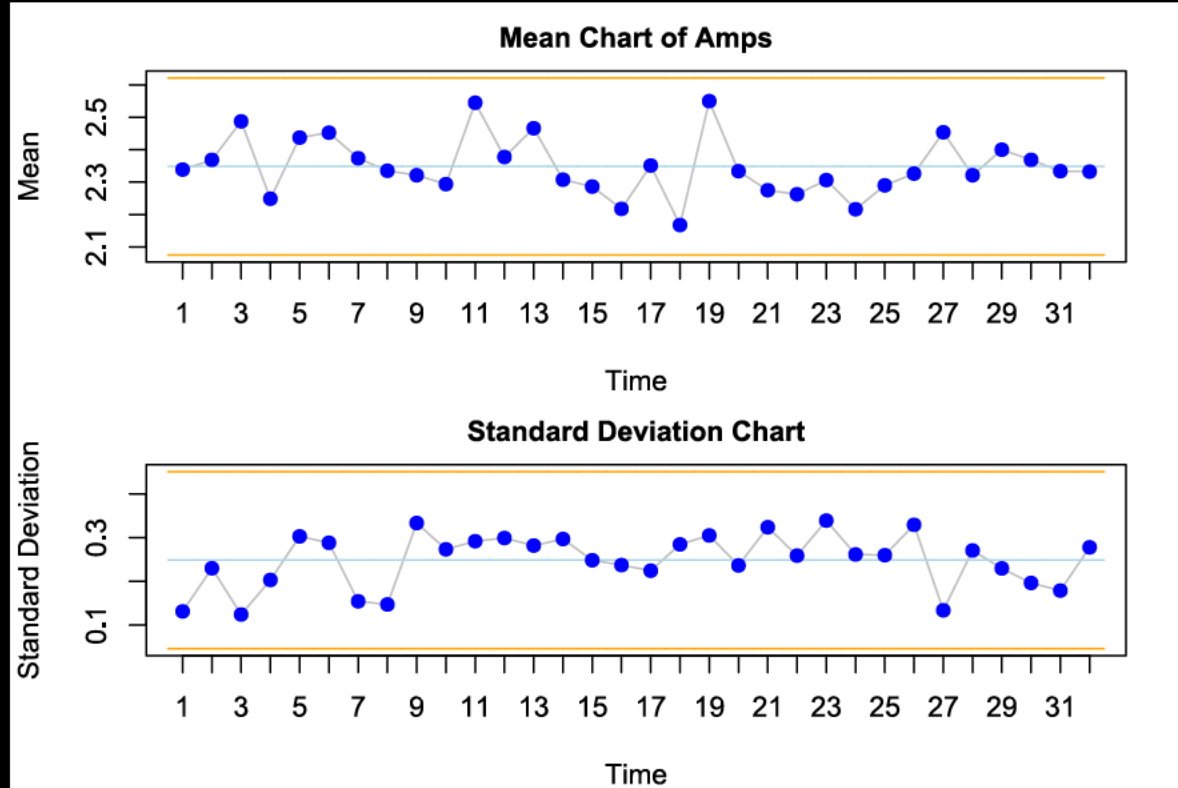
# The Case of the Printed Circuit Board

- Your plant has had some customer concerns with the plating voids on your printed circuit board units.
- Your plant manager has assured the customer that they work correctly but suggests that you investigate the matter

# The Case of the Printed Circuit Board

- You start by assessing the process for control and capability.
- The specifications for the current measurement are  $2.5 \pm 1.0$  amps.
- The supervisor and the lab technician agree to assist you with the initial study of this process.

# X-Bar & s Control Chart



# X-Bar & s Control Chart

- `spcxbars<-  
 spc.chart.variables.mean.and.meanstand  
 arddeviation(data = pcb$amps  
 ,sample = pcb$sample  
 ,stat.lsl = 1.5  
 ,stat.target = 2.5  
 ,stat.usl = 3.5  
 ,chart1.main = "Mean Chart of Amps"  
 ,chart2.main = "S Chart")`

# **X-Bar & s Control Chart**

- Control Analysis – In control

# Estimate the Process Average

$$\hat{\mu} = \bar{\bar{X}} = 2.348$$



# Control Chart Constants

n	$A_2$	$D_3$	$D_4$	$d_2$	$d_3$	$c_4$
2	1.880	None	3.267	1.128	0.853	0.7979
3	1.023	None	2.574	1.693	0.888	0.8862
4	0.729	None	2.282	2.059	0.880	0.9213
5	0.577	None	2.115	2.326	0.864	0.9400
6	0.483	None	2.004	2.534	0.848	0.9515
7	0.419	0.076	1.924	2.704	0.833	0.9594
8	0.373	0.136	1.864	2.847	0.820	0.9650
9	0.337	0.184	1.816	2.970	0.808	0.9693
10	0.308	0.223	1.777	3.078	0.797	0.9727
11	0.285	0.256	1.744	3.173	0.787	0.9754
12	0.266	0.283	1.717	3.258	0.778	0.9776
13	0.249	0.307	1.693	3.336	0.770	0.9794
14	0.235	0.328	1.672	3.407	0.763	0.9810
15	0.223	0.347	1.653	3.472	0.756	0.9823

# Check for Normality (within subgroup)

- `subgroup_norm<-  
ro(summary.continuous(fx =  
amps~sample,  
data = pcb,  
stat.mean = F,  
stat.var = F,  
stat.miss = F),4)`

# Estimate the Std. Dev. From the Chart

```
sbar<-  
mean(spcxbar.s$parameter.standard.deviation)  
c4<-spc.constant.calculation.c4(8)  
sig_est.s<-sbar/c4 = 0.2575694
```

$$\hat{\sigma} = \frac{\bar{s}}{c_4} = \frac{0.249}{0.965} = 0.2576$$

# Estimate the Natural Tolerance

```
nt_est<-6*sig_est.s  
= 1.545417
```

# Sources

The material used in the PowerPoint presentations associated with this course was drawn from a number of sources. Specifically, much of the content included was adopted or adapted from the following previously-published material:

- Luftig, J. An Introduction to Statistical Process Control & Capability. Luftig & Associates, Inc. Farmington Hills, MI, 1982
- Luftig, J. Advanced Statistical Process Control & Capability. Luftig & Associates, Inc. Farmington Hills, MI, 1984.
- Luftig, J. A Quality Improvement Strategy for Critical Product and Process Characteristics. Luftig & Associates, Inc. Farmington Hills, MI, 1991
- Luftig, J. Guidelines for Reporting the Capability of Critical Product Characteristics. Anheuser-Busch Companies, St. Louis, MO. 1994
- Spooner-Jordan, V. Understanding Variation. Luftig & Warren International, Southfield, MI 1996
- Luftig, J. and Petrovich, M. Quality with Confidence in Manufacturing. SPSS, Inc. Chicago, IL 1997
- Littlejohn, R., Ouellette, S., & Petrovich, M. Black Belt Business Improvement Specialist Training, Luftig & Warren International, 2000
- Ouellette, S. Six Sigma Champion Training, ROI Alliance, LLC & Luftig & Warren, International, Southfield, MI 2005