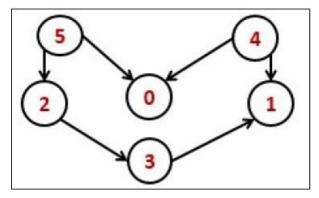
# **Topological Sorting**

The topological sorting for a directed acyclic graph is the linear ordering of vertices. For every edge U-V of a directed graph, the vertex u will come before vertex v in the ordering.



As we know that the source vertex will come after the destination vertex, so we need to use a stack to store previous elements. After completing all nodes, we can simply display them from the stack.

## Input and Output

### Input:

000000

000000

000100

010000

110000

101000

### Output:

Nodes after topological sorted order: 5 4 2 3 1 0

### Algorithm

topoSort(u, visited, stack)

**Input** – The start vertex u, An array to keep track of which node is visited or not. A stack to store nodes. **Output** – Sorting the vertices in topological sequence in the stack.

#### Begin

mark u as visited

for all vertices v which is adjacent with u, do

```
if v is not visited, then
topoSort(c, visited, stack)
done

push u into a stack
End

performTopologicalSorting(Graph)
Input - The given directed acyclic graph.Output - Sequence of nodes.
Begin
initially mark all nodes as unvisited
for all nodes v of the graph, do
if v is not visited, then
topoSort(i, visited, stack)
done
pop and print all elements from the stack
End.
```

## Example

```
for(int v = 0; v<NODE; v++) {
   if(graph[u][v]) \ \{
                             //for allvertices v adjacent to u
     if(!visited[v])
       topoSort(v, visited, stk);
    }
  }
 stk.push(u); //push starting vertex into the stack
void performTopologicalSort() {
 stack<int> stk;
 bool vis[NODE];
  for(int i = 0; i < NODE; i++)
   vis[i] = false; //initially all nodes are unvisited
  for(int i = 0; i < NODE; i++)
   if(!vis[i]) //when node is not visited
     topoSort(i, vis, stk);
  while(!stk.empty()) {
   cout << stk.top() << " ";
   stk.pop();
main() {
 cout << "Nodes after topological sorted order: ";</pre>
  performTopologicalSort();
```

## Output

Nodes after topological sorted order:  $5\ 4\ 2\ 3\ 1\ 0$