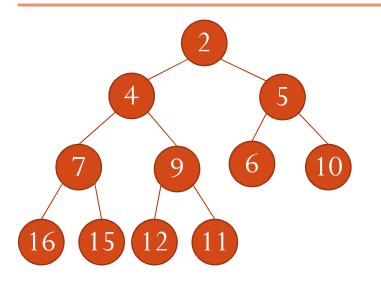
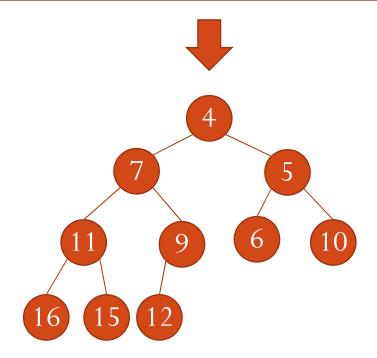
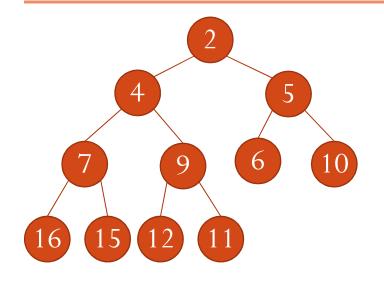
- Using priority queue (min-heap)
 - Complete binary tree
 - Min-Heap property: Key of each node is smaller than or equal to the key of its children
 - Operations:
 - deleteMin(): return the node having minimum key, remove this node from the min-heap
 - insert(k): insert a key into the min-heap
 - upHeap(u): adjust the heap (upward) when the key of a node u decreases
 - downHeap(u): adjust the heap (downward) when the key of a node u increases

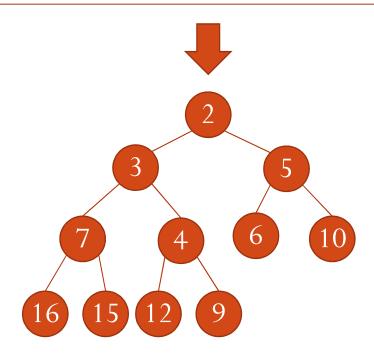


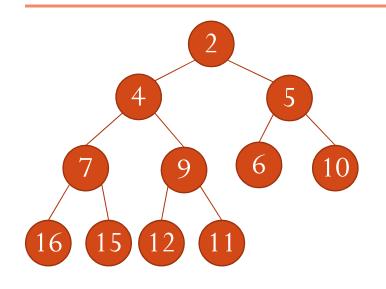
- deleteMin():
 - 1) swap(2,11)
 - 2) downHeap from 11 to recover Min-Heap property
 - 3) return 2



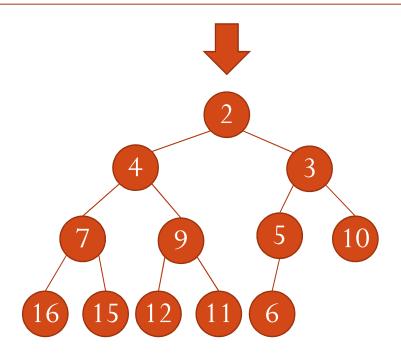


- decreaseKey(11,3):
 - 1) upHeap(3)





- insert(3):
 - 1) attach 3 as left-child of 6
 - 2) upHeap(3)



```
DIJKSTRA-HEAP(G = (V,E), s, t){
initHeap(H);
for v \in A(s) do H.insert(v, c(s,v));
while(not H.empty()){
  v = H.deleteMin(); fixed[v] = true;
  if (v = t) break;
  for x \in A(v) do if (not fixed[v]) then {
    if (not H.contains(x)) then insert(x, d[v] + c(v,x));
    else{
      if (d[x] > d[v] + c(v,x)) then{
        d[x] = d[v] + c(v,x); H.decrease(x, d[x]);
output(d[t]);
```