ECES 435 - Homework 1 - 01/17/2020

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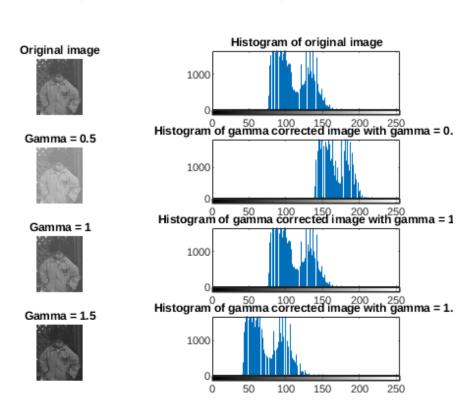
Names: Tai Nguyen, Hieu Mai

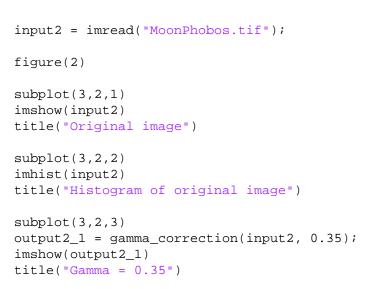
clear; close all; clc

PART 1

```
input1 = imread("pout.tif");
figure(1)
subplot(4,2,1)
imshow(input1)
title('Original image')
subplot(4,2,2)
imhist(input1)
title('Histogram of original image')
subplot(4,2,3)
output1_1 = gamma_correction(input1, 0.5);
imshow(output1 1)
title('Gamma = 0.5')
subplot(4,2,4)
imhist(output1 1)
title('Histogram of gamma corrected image with gamma = 0.5')
subplot(4,2,5)
output1_2 = gamma_correction(input1, 1);
imshow(output1_2)
title('Gamma = 1')
subplot(4,2,6)
imhist(output1 2)
title('Histogram of gamma corrected image with gamma = 1')
subplot(4,2,7)
output1_3 = gamma_correction(input1, 1.5);
imshow(output1_3)
title('Gamma = 1.5')
```

```
subplot(4,2,8)
imhist(output1_3)
title('Histogram of gamma corrected image with gamma = 1.5')
% Answer to question:
% If gamma = 1, the image stays unchanged.
% If gamma < 1, the image becomes brighter with lower contrast.
% If gamma > 1, the image becomes darker with higher contrast.
```





```
subplot(3,2,4)
imhist(output2_1)
title("Histogram of gamma corrected image");

subplot(3,2,5)
output2_2 = histeq(input2);
imshow(output2_2)
title("Histogram-equalized image");

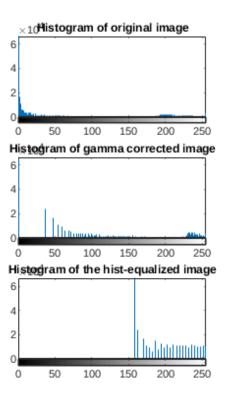
subplot(3,2,6)
imhist(output2_2)
title("Histogram of the hist-equalized image")

% Answer to question:
% The image processed with the gamma correction function has better
% contrast than the one obtained through histogram equalization, but the
% latter is brighter.
```





Histogram-equalized image



PART 2

```
input3 = imread("moon.tiff");
input4 = imread("outoffocus.tif");
figure(3)
subplot(2,2,1)
```

```
imshow(input3)
title("Original image")
subplot(2,2,2)
output3 = sharpening(input3, 4);
imshow(output3)
title("Sharpened image with alpha = 4")
subplot(2,2,3)
imshow(input4)
title("Original image")
subplot(2,2,4)
output4 = sharpening(input4, 10);
imshow(output4)
title("Sharpened image with alpha = 4")
% Answer to question:
% It is impossible to completely recover the in-focus image with this
% filter, because of the unwanted artifacts created around the regions
that
% are not edges, causing an unsmooth transitions between some regions.
```

Original image



Sharpened image with alpha = 4



Original image



Sharpened image with alpha = 4



PART 3

```
input5 = imread("peppersNoise1.tiff");
input6 = imread("peppersNoise2.tiff");
```

```
avg filt3x3 = ones(3,3)/9;
avg_filt5x5 = ones(5,5)/25;
figure(4)
subplot(3,2,1)
imshow(input5)
title("Original image")
subplot(3,2,2)
output5_1 = medfilt2(input5, [3,3]);
imshow(output5 1)
title("Median Filter 3x3")
subplot(3,2,3)
output5_2 = medfilt2(input5, [5,5]);
imshow(output5_2)
title("Median Filter 5x5")
subplot(3,2,4)
output5_3 = conv2(single(input5), avg_filt3x3, 'same');
imshow(output5_3, [])
title("Average Filter 3x3")
subplot(3,2,5)
output5_4 = conv2(single(input5), avg_filt5x5, 'same');
imshow(output5_4, [])
title("Average Filter 5x5")
% Answer to question:
% The average filter is good at softening and removing iid noise from
% images, while the median filter is good for removing pepper noise.
% Depending on the image that needs to be filter, generally a high
filter
% size will result in a blurry image.
```

Original image



Median Filter 5x5



Average Filter 5x5



Median Filter 3x3



Average Filter 3x3



```
figure(5)
subplot(3,2,1)
imshow(input6)
title("Original image")
subplot(3,2,2)
output6_1 = medfilt2(input6, [3,3]);
imshow(output6_1)
title("Median Filter 3x3")
subplot(3,2,3)
output6_2 = medfilt2(input6, [5,5]);
imshow(output6_2)
title("Median Filter 5x5")
subplot(3,2,4)
output6_3 = conv2(single(input6), avg_filt3x3, 'same');
imshow(output6_3, [])
title("Average Filter 3x3")
subplot(3,2,5)
output6_4 = conv2(single(input6), avg_filt5x5, 'same');
imshow(output6_4, [])
title("Average Filter 5x5")
```

Original image



Median Filter 5x5



Average Filter 5x5



Median Filter 3x3



Average Filter 3x3



```
sobel_x = [-1,0,1; -2,0,2; -1,0,1];
sobel_y = [-1, -2, -1; 0, 0, 0; 1, 2, 1];
threshold = 160;
figure(6)
subplot(2,2,1)
imshow(output5 1)
title("Median filtered image (3x3)")
subplot(2,2,2)
g_x = conv2(single(output5_1), sobel_x, 'same');
g_y = conv2(single(output5_1), sobel_y, 'same');
G_1 = uint8(sqrt(g_x.^2 + g_y.^2));
G_1(G_1 < threshold) = 0;
imshow(G_1, [])
title("Edgemap of Median filtered image")
subplot(2,2,3)
imshow(output5_3, [])
title("Average filtered image (3x3)")
subplot(2,2,4)
g_x = conv2(single(output5_3), sobel_x, 'same');
g_y = conv2(single(output5_3), sobel_y, 'same');
```

```
G_2 = uint8(sqrt(g_x.^2 + g_y.^2));
G_2(G_2 < threshold) = 0;
imshow(G_2, [])
title("Edgemap of Average filtered image")

% Answer to question:
% The edgemap of the average filtered image looks cleaner than the one
% processed with the median filter, because the average filter evens out
% the transition of pixels from high to low values, preserving the features
% around the edges, while the median filter leaves pepper noise on the
% image.</pre>
```

Median filtered image (3x3)



Edgemap of Median filtered image



Average filtered image (3x3)

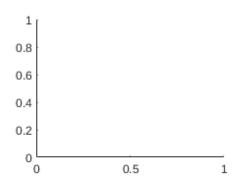


Edgemap of Average filtered image



end

Original image



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