

COMP41610 – Practical 3 – Neil Grogan - 13204052

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I. Matrix multiplication**Map**

For the map function we could split the matrices in to the numbers they will multiplied by:

A = 2*2 matrix:

[1,2]

[3,4]

B = 2*2 matrix:

[5,6]

[7,8]

would become:

(A[0,0], B[0,0]) -> (0,0 [1,5])

(A[0,1], B[1,0]) -> (0,0 [2,7])

Reduce

Reduce_function we could then multiply this line on each core (and every other line at the same time):

(0, 1), * (0,5) = (0,5)

(0, 2), * (0,7) = (0,14)

This could then be further reduced by adding the result of the multiplication:

(0,0) = (0,5) + (0,14)

\therefore (0,0) = (19)

Mapper:

Input: <row, [values]>

Ex: <A, [1,5]> <B, [2,7]>

Emit: <row, [value]>

Ex: <0,0, [1]>, <0,0, [5]>, <0,1, [2]>, <1,1, [7]>

Reducer:

Input: <row, [value]>

Ex: <0,0, [1]>, <0,0, [5]>, <0,1, [2]>, <1,1, [7]>

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Emit: <rows, [values]>

Ex. <0,0, [5]>, <0,1 [14]>

Keep reducing:

Input: <rows, [value]>

Ex. <0,0, [5]>, <0,1 [14]>

Emit: <row, [value]>

Ex. <0,0, [19]>

II. Dissimilarity Matrix

For the map function we could split the matrix in to the numbers they will operated on:

$$A = \{x_1(5, 3), x_2(2,6), x_3(4,1)\}$$

would become:

$$(x_1(5, 3), x_2(2,6)) \rightarrow (x_{1i} [2,5]), (x_{2i} [6,3])$$
$$(x_1(5, 3), x_3(4,1)) \rightarrow (x_{1j} [4,5]), (x_{3j} [1,3])$$
$$(x_2(2,6), x_3(4,1)) \rightarrow (x_{2k} [4,2]), (x_{3k} [1,6])$$

Reduce

Reduce_function we could then minus these numbers on each core (and every other line at the same time):

$$(x_{1i} [5,2]) \rightarrow 2-5 \rightarrow (x_{1i} [-3])$$
$$(x_{2i} [6,3]) \rightarrow 6-3 \rightarrow (x_{2i} [3])$$

Reduce

We could further reduce them by squaring these numbers on each core (and every other line at the same time):

$$(x_{1i} [-3]) \rightarrow 9 \rightarrow (x_{1i} [9])$$
$$(x_{2i} [3]) \rightarrow 9 \rightarrow (x_{2i} [9])$$

Reduce

We could further reduce them by adding these numbers on each core (and every other line at the same time):

$$(x_{1i} [9]) + (x_{2i} [9]) \rightarrow 18 \rightarrow (x_{12i} [18])$$

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This could then be further reduced by getting the square root as the result:

$(x12i [18]) \rightarrow 4.242640687119285$

$\therefore (x12i) = 4.242640687119285$

Mapper:

Input: $\langle \text{segment1}, [\text{values}] \rangle \langle \text{segment2}, [\text{values}] \rangle$

Ex: $\langle A, [1,5] \rangle \langle B, [2,7] \rangle$

Emit: $\langle \text{segment_joined}, [\text{values}] \rangle$

Ex: $\langle A_B [1,5,2,7] \rangle$

Reducer:

Input: $\langle \text{segment_joined}, [\text{values}] \rangle$

Ex: $\langle A_B [1,5,2,7] \rangle$

Emit: $\langle \text{seg1}, [\text{values}] \rangle, \langle \text{seg2}, [\text{values}] \rangle$

Ex. $\langle A1 [2,1] \rangle, \langle B1 [7,5] \rangle$

Keep reducing (minus):

Input: $\langle \text{seg1}, [\text{values}] \rangle, \langle \text{seg2}, [\text{values}] \rangle$

Ex. $\langle A1 [2,1] \rangle, \langle B1 [7,5] \rangle$

Emit: $\langle \text{segment}, [\text{value}] \rangle, \langle \text{segment}, [\text{value}] \rangle$

Ex. $\langle A1 [1] \rangle, \langle B1 [2] \rangle$

Keep reducing (square):

Input: $\langle \text{segment}, [\text{value}] \rangle, \langle \text{segment}, [\text{value}] \rangle$

Ex. $\langle A1 [1] \rangle, \langle B1 [2] \rangle$

Emit: $\langle \text{segment}, [\text{value}] \rangle, \langle \text{segment}, [\text{value}] \rangle$

Ex. $\langle A1 [1] \rangle, \langle B1 [4] \rangle$

Keep reducing (add):

Input: $\langle \text{segment}, [\text{value}] \rangle$

Ex. $\langle A1 [1] \rangle, \langle B1 [4] \rangle$

Emit: $\langle \text{segment}, [\text{value}] \rangle$

Ex. $\langle A1B1 [5] \rangle$

Keep reducing (square root):

Input: $\langle \text{segment}, [\text{value}] \rangle$

Ex. $\langle A1B1 [5] \rangle$

Emit: $\langle \text{segment}, [\text{value}] \rangle$

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Ex. <A1B1 [2.23606797749979]>