

# PnS 2018

## Deep Learning with Raspberry Pi

### Session 3

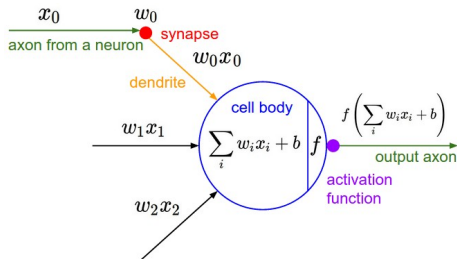
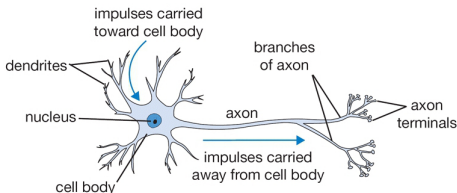
PnS 2018 Team

Institute of Neuroinformatics  
University of Zürich and ETH Zürich

# Outline

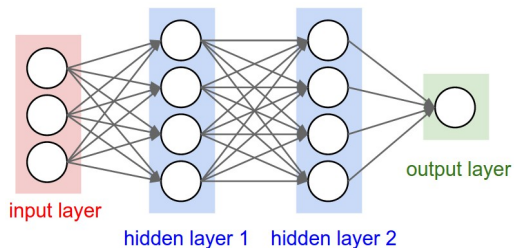
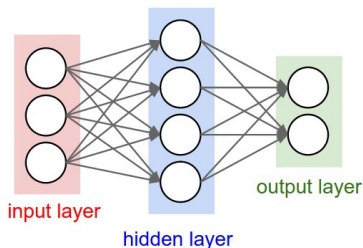
- 1 Multi-Layer Perceptron
- 2 Regularization
- 3 Convolution
- 4 Convolutional Neural Networks

# Artificial Neuron: Overview



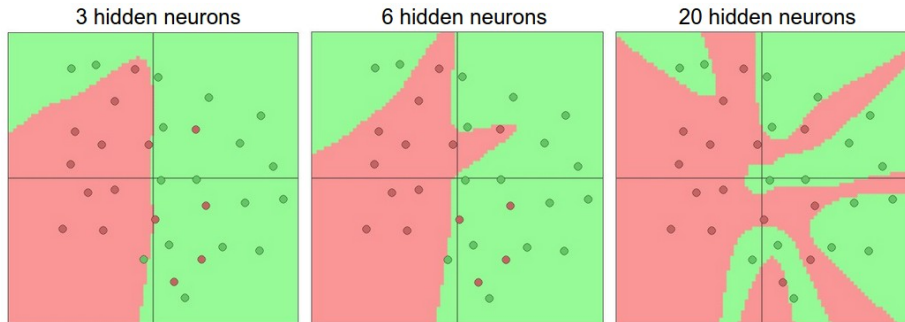
- A basic computational model of the biological model
- Single neuron as linear/logistic regression

# Multi-Layer Perceptron



- Neurons in an acyclic feed-forward graph
- Fully connected layers
- Each fully connected layer computation is a matrix multiplication, matrix addition and an activation function

# What can an MLP learn?



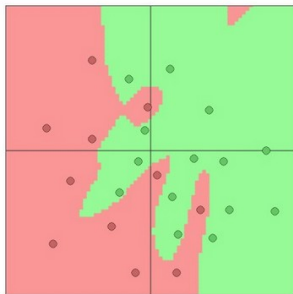
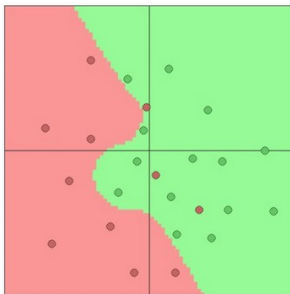
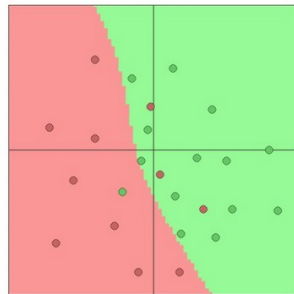
- Neural Networks with at least one hidden layer are universal approximators<sup>1</sup>
- More neurons are expected to approximate better

<sup>1</sup>Approximation by superpositions of a sigmoidal function, by Cybenko G.  
<http://cs231n.github.io/neural-networks-1/>

# Regularization

- Overfitting more probable with larger models
- Could be prevented by using a regularization term in the loss function

# Regularization

 $\lambda = 0.001$  $\lambda = 0.01$  $\lambda = 0.1$ 

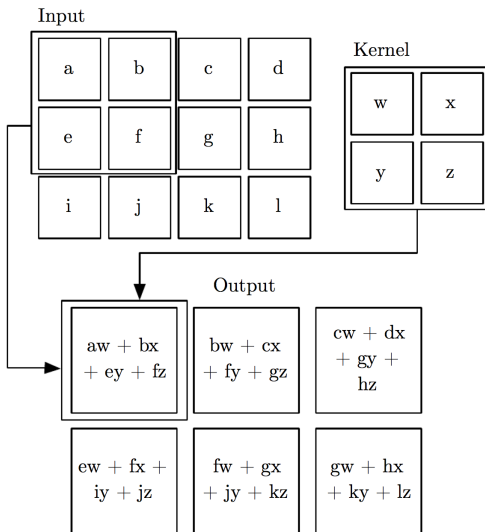
- Use bigger networks but take measures to prevent overfitting

# Working with images

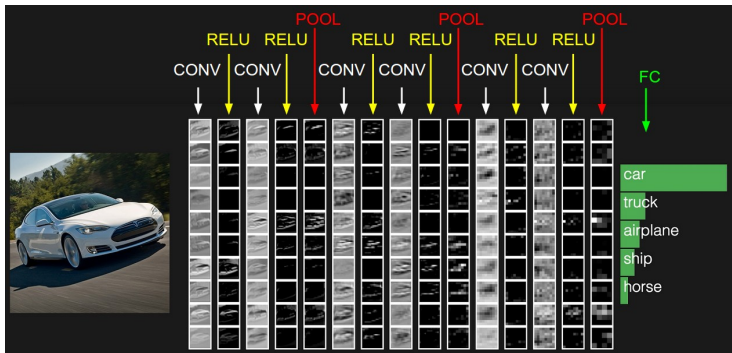
- MLPs do not work well with images
- Hierarchy of local spatial features
- Extract these local spatial features through filters



# 2D convolution operation

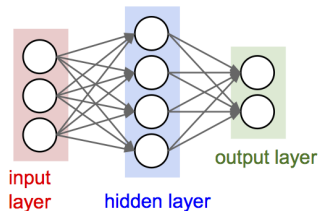


## LeNet-5

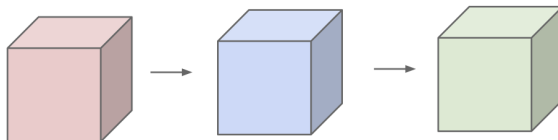


## MLP → ConvNet

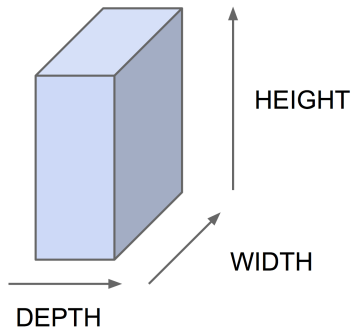
before:



now:



# Feature maps: activations of ConvNets



- Network activations in ConvNets are **feature maps**.
- All ConvNets feature maps arranged in **3 dimensions**.
- Each feature maps has size of (HEIGHT, WIDTH)
- Input image can be a special kind of feature map (e.g. color image is feature maps of some size with depth 3, one for each RGB channel).

# Convolution Layer: simple cell

- Accepts a volume of size  $N_f \times N_h \times N_w$
- Number of filters  $K_m$  with shape  $K_n \times K_h \times K_w$ , stride  $S_h, S_v$ , amount of zero-padding  $P_h, P_v$
- Produce a volume of size  $\hat{N}_f \times \hat{N}_h \times \hat{N}_w$  where

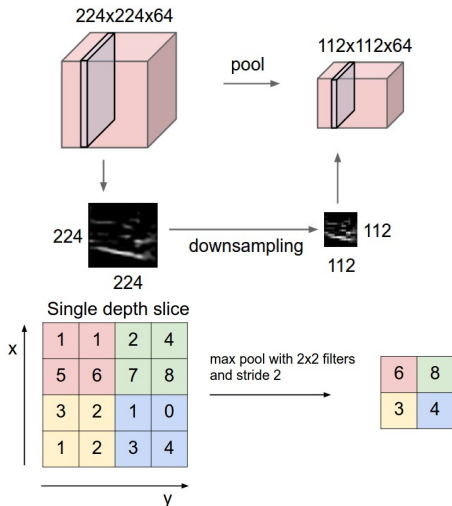
$$\hat{N}_f = K_m$$

$$\hat{N}_h = (N_h - K_h + 2P_v)/S_v + 1$$

$$\hat{N}_w = (N_w - K_w + 2P_h)/S_h + 1$$

Live Demo of convolution

# Pooling Layer: complex cell



## Q&amp;A

