

Notebook

March 19, 2019

Local date & time is : 03/19/2019 00:55:11 PDT

In [6]: *#Answer to 1a*

```
# Construct the distribution of X
dist_X = Table().values(np.arange(6)).probability(make_array(0.45, 0.25, 0, 0.2, 0.05, 0.05))

# Extract the array of probabilities
probs_X = dist_X[1]

# Get the coefficients of the pgf in the appropriate order
coeffs_X = np.flipud(probs_X)

# Construct the pgf
pgf_X = np.poly1d(coeffs_X)

# Display the pgf
print(pgf_X)
```

5 4 3
0.05 x + 0.05 x + 0.2 x + 0.25 x + 0.45

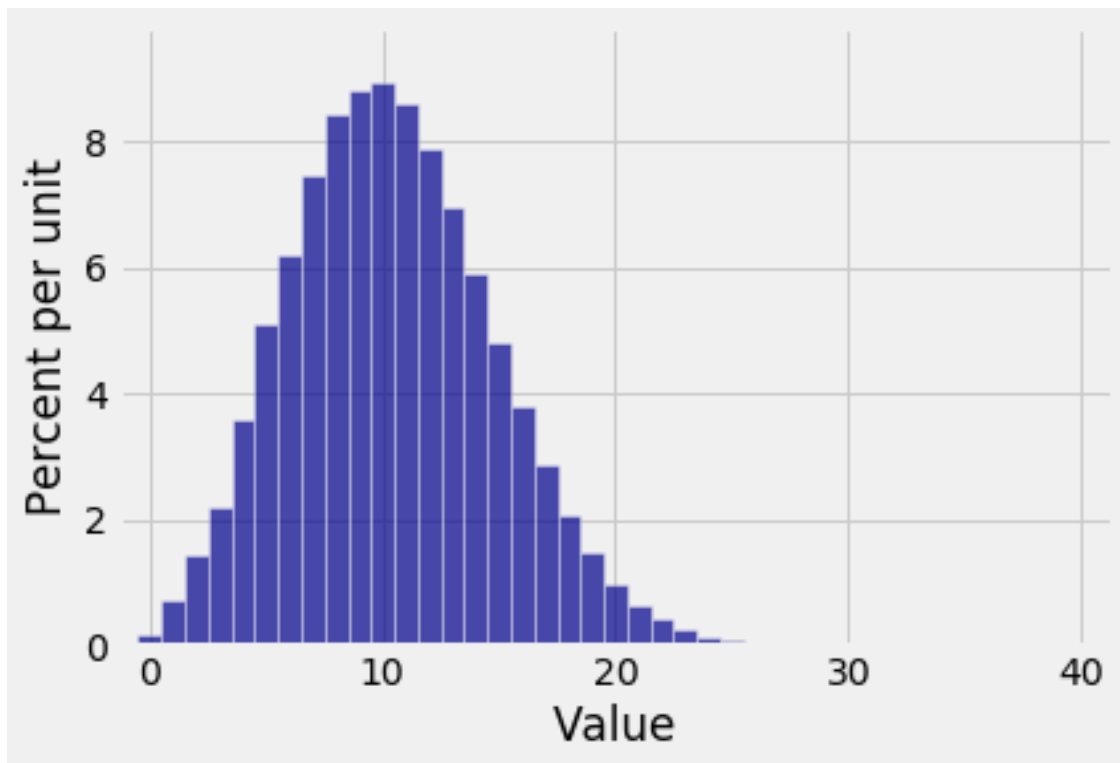
In [7]: *#Answer to 1b*

```
pgf_SX = pgf_X**8 # pgf of S_X
coeffs_SX = pgf_SX.c # coefficients of pgf of S_X

# Distribution object for S_X
# Careful ...
# Think how you will extract the possible values and corresponding chances.
# Use extra lines if you need them.

probs_SX = np.flipud(coeffs_SX)
dist_SX = Table().values(np.arange(41)).probability(probs_SX)

Plot(dist_SX)
```



```
In [9]: #Answer to 1c
        probs_SX[13]
```

```
Out[9]: 0.06964776875000002
```

```
In [10]: np.arange(4, 9)
```

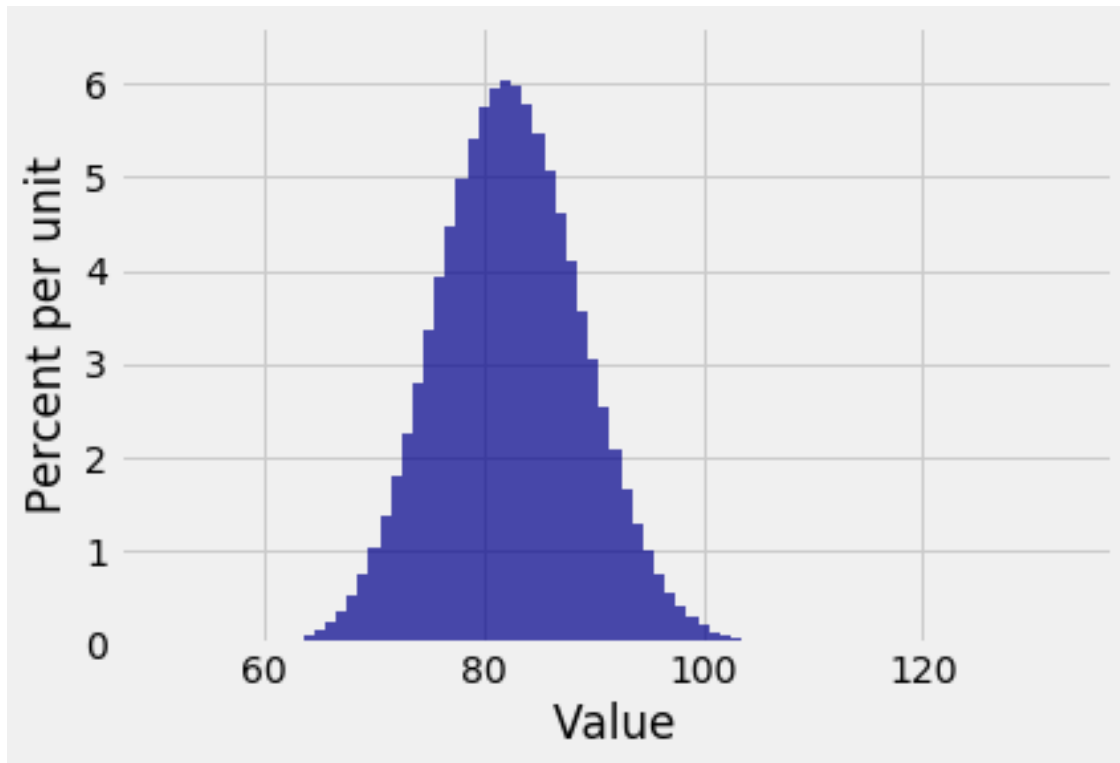
```
Out[10]: array([4, 5, 6, 7, 8])
```

```
In [15]: #Answer to 1d
```

```
# The following is provided as a very brief skeleton
# The solution uses more lines than are provided in the skeleton
# Be sure to refer to your setup for (1a) and (1b)
```

```
dist_Y = Table().values(np.arange(9)).probability(make_array(0, 0, 0, 0, 0.2, 0.2, 0.2, 0.2, 0.2))
probs_Y = dist_Y[1]
coeffs_Y = np.flipud(probs_Y)
pgf_Y = np.poly1d(coeffs_Y) # pgf of Y
pgf_SY = pgf_Y**12 # pgf of S_Y
pgf_W = pgf_SY*pgf_SX # pgf of W = S_X + S_Y
probs_W = np.flipud(pgf_W.c)
dist_W = Table().values(np.arange(137)).probability(probs_W) # distribution object for W

Plot(dist_W)
```



In [17]: *#Answer to 1e*

```
# Use dist_W here
print("E(W) =", dist_W.ev())
print("SD(W) =", dist_W.sd())

# Use dist_X and dist_Y here

print("E(W) =", dist_X.ev()*8 + dist_Y.ev()*12)
print("SD(W) =", ((dist_X.sd()**2)*8 + (dist_Y.sd()**2)*12)**0.5)
```

```
E(W) = 82.40000000000006
SD(W) = 6.578753681359413
E(W) = 82.4
SD(W) = 6.578753681359411
```


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5 newpage

In [4]: $4/12*2*100**2 + 8/12*2*200**2$

Out[4]: 59999.99999999999

In [6]: $(60000 - (166.67)**2)**0.5$

Out[6]: 179.5023985912166