

# Assignment No.1

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Get CPP code from

<https://github.com/dukkipativijay/Fwciith2022/tree/main/Assignment%201/Codes/src>

Get Assembly code from

<https://github.com/dukkipativijay/Fwciith2022/tree/main/Assignment%201%20-%20Assembly/Codes>

Get GCC code from

<https://github.com/dukkipativijay/Fwciith2022/tree/main/Assignment%201%20-%20GCC/codes>

and latex-tikz codes from

<https://github.com/dukkipativijay/Fwciith2022/blob/main/Assignment%201/Latex%20File.tex>

## 1 QUESTION-2016 SECTION C Q6(D)

Reduce the following Boolean Expression to its simplest form using k-map  $F(X, Y, Z, W) = \sum(2, 6, 7, 8, 9, 10, 11, 13, 14, 15)$

**Abstract- This manual shows how to use 7447 BCD-seven segment display encoder to display Boolean Logic**

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## 3 COMPONENTS

Component	Value	Quantity
Resistor	220 Ohm	1
Arduino	UNO	1
Seven Segment Display		1
Decoder	7447	1
Jumper Wires	M-M	20
Breadboard		1

Table 3.0

## 4 HARDWARE

Make connections between seven segment display and the 7447 ic as per the given table

7447	13	12	11	10	9	15	14
Display	a	b	c	d	e	f	g

Table 4.0

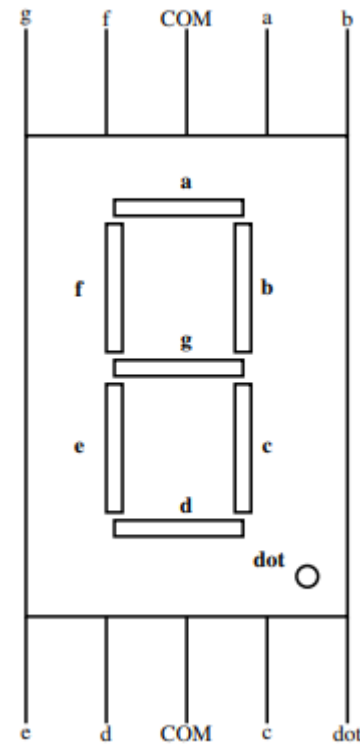


Figure 1

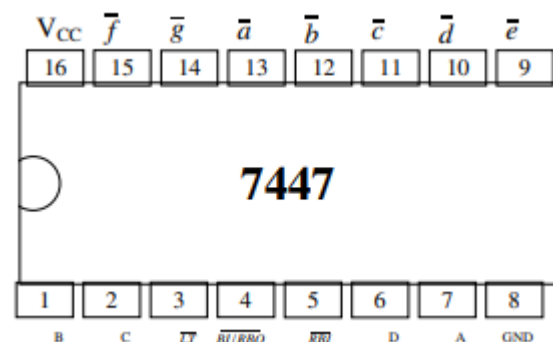


Figure 2

<b>7447</b>	D	C	B	A
<b>Arduino</b>	5	4	3	2

Table 4.1

	X	Y	Z	W
<b>Input</b>	0	1	1	0
<b>Arduino</b>	6	7	8	9

Table 4.2

In the above example we are taking number 6 as input in binary format by taking 0,1,1,0 as input to the Arduino digital pins 6,7,8,9 respectively.

## 5 SOLUTION

### Truth Table

X	Y	Z	W	F(X,Y,Z,W)
0	0	0	0	0
0	0	0	1	0
0	0	1	0	1
0	0	1	1	0
0	1	0	0	0
0	1	0	1	0
0	1	1	0	1
0	1	1	1	1
1	0	0	0	1
1	0	0	1	1
1	0	1	0	1
1	0	1	1	1
1	1	0	0	0
1	1	0	1	1
1	1	1	0	1
1	1	1	1	1

Table 5.0

XY \ ZW	00	01	11	10
00	0	0	0	1
01	0	0	1	1
11	0	1	1	1
10	1	1	1	1

Table 5.1

The expression from the above k-map is  $XY'$

XY \ ZW	00	01	11	10
00	0	0	0	1
01	0	0	1	1
11	0	1	1	1
10	1	1	1	1

Table 5.2

The expression from the above k-map is  $XW$

XY \ ZW	00	01	11	10
00	0	0	0	1
01	0	0	1	1
11	0	1	1	1
10	1	1	1	1

Table 5.3

The expression from the above k-map is  $XZ$

XY \ ZW	00	01	11	10
00	0	0	0	1
01	0	0	1	1
11	0	1	1	1
10	1	1	1	1

Table 5.4

The expression from the above k-map is  $YZ$

XY \ ZW	00	01	11	10
00	0	0	0	1
01	0	0	1	1
11	0	1	1	1
10	1	1	1	1

Table 5.5

The expression from the above k-map is  $ZW'$

1. From Table 5.1, we get our first term as  $XY'$
2. By solving Table 5.2 we get the second term as  $XW$
3. By solving the k-map in Table 5.3, we get the third term as  $XZ$
4. By Solving Table 5.3 we get the fourth term as  $YZ$
5. From the Table 5.5 we get the last term as  $ZW'$

Finally we get the simplified boolean expression below

$$F = XY' + XW + XZ + YZ + ZW'$$