Here are 5 challenging examples of **infix to postfix conversion** problems, along with step-by-step explanations and solutions:

Example 1:

Infix Expression:

$$A + B^{*} (C \land D - E) \land (F + G * H) - I$$

Solution Steps:

- 1. Start scanning the expression left to right:
- 2. Use a stack for operators and append operands to the postfix output.

Step	Input Symbol		Sta	ıck	(S))						Po	st	fix	(P)					
1	Α	(u	(unchanged)				Α													
2	+	+					Α													
3	В	+					Α	В												
4	*	+	*				Α	В												
5	(+	*	(Α	В												
6	С	+	*	(Α	В	С											
7	٨	+	*	(٨		Α	В	С											
8	D	+	*	(٨		Α	В	С	D										
9	-	+	*	(-		Α	В	С	D	٨									
10	E	+	*	(-		Α	В	С	D	٨	Е								
11)	+	*				Α	В	С	D	٨	Ε	-							
12	٨	+	٨				Α	В	С	D	٨	Ε	-							
13	(+	٨	(Α	В	С	D	٨	Ε	-							
14	F	+	٨	(Α	В	С	D	٨	Ε	-	F						
15	+	+	٨	(+		Α	В	С	D	٨	Ε	-	F						
16	G	+	٨	(+		Α	В	С	D	٨	Ε	-	F	G					
17	*	+	٨	(+	*	Α	В	С	D	٨	Ε	-	F	G					
18	Н	+	٨	(+	*	Α	В	С	D	٨	Е	-	F	G	Н				
19)	+	٨				Α	В	С	D	٨	Ε	-	F	G	Н	*	+		
20	-	-					Α	В	С	D	٨	Ε	-	F	G	Н	*	+	٨	
21	I	-					Α	В	С	D	٨	Ε	-	F	G	Н	*	+	٨	Ι

Postfix Expression:

Example 2:

Infix Expression:

$$(A + B) * (C + D) / E$$

Postfix:

A B + C D + * E /

Example 3:

Infix Expression:

A * B + C / D ^ E - F

Postfix:

A B * C D E ^ / + F -

Example 4:

Infix Expression:

 $(A + B * C) / (D - E ^ F)$

Postfix:

A B C * + D E F ^ - /

Example 5:

Infix Expression:

A ^ B ^ C + D * E - F / G

Postfix:

A B C ^ ^ D E * + F G / -

Step-by-Step Explanation of Example 5:

- 1. **Precedence**: Exponentiation (^) has the highest precedence and is right-associative.
- 2. Break Down:
 - First handle B ^ C.
 - Then handle A ^ (B ^ C).
 - Then evaluate D * E and F / G.
 - Combine terms with + and -.

These examples challenge precedence handling, associativity, and proper stack usage for grouping and nested expressions!