

Universitat Politècnica De Catalunya

ESCUELA TÉCNICA SUPERIOR DE INGENIERÍA DE TELECOMUNICACIÓN DE BARCELONA

Laboratory Session 5

SIMULATION AND PERFORMANCE EVALUATION OF SEMIMARKOVIAN AND PRIORITY SYSTEMS

Anàlisi i Avaluació de Xarxes

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1 Objectives

The objectives of this session can be summarized as follows:

- Consolidate the previous knowledge about M/G/1 and priority systems.
- Introduction of new possibilities of the simulation tool.
 - · Multiple traffic sources assigned to different categories, allowing service differentiation.
 - · Different schedulers.

2 Previous work

For the M/G/1 system and for the M/G/1 system with non-preemptive priority, obtain:

- Waiting, service and transfer times.
- Number of packets in queue, server and system.

2. Previous Work

M/G/1

$$T_{W_0} = \frac{\lambda f(t_0^2)}{2(1-p)} \qquad T_{W_0} + N_W T_T \Rightarrow T_W (\Delta - p) = T_{V_0} \Rightarrow J_W = \frac{J_{W_0}}{(\Delta - p)} \qquad \text{liftle}$$

$$N_W = \lambda T_W \qquad N_W + \lambda T_W \qquad N_W = \lambda T_W \qquad N_W = \lambda T_W \qquad N_W = \lambda T_W = \frac{J_W}{2(1-p)} \qquad N_W = \lambda T_W =$$

Figure 1: Previous Work.

3 M/G/1 System simulationn

Run the following simulation:

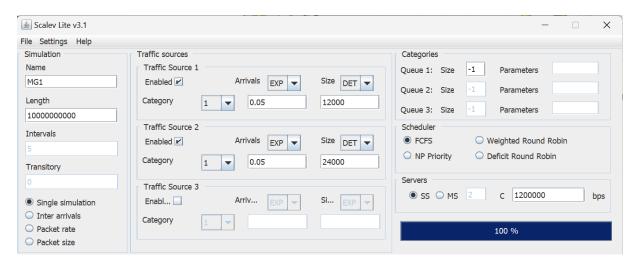


Figure 2: MG1 Scalev Simulation.

3.1 Average values analysis

Study the script MG1.m. Run it and compare the theoretical and the simulated values.

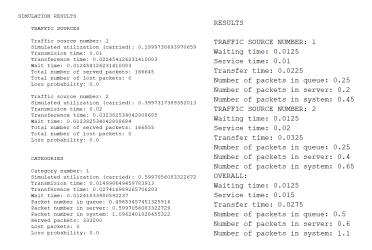


Figure 3: MG1 Average values.

3.2 Transfer time analysis

a) Obtain the transfer time distribution separately for the traffic source 1 and the traffic source 2 and plot them in the same graph. Give your conclusions.

```
%%3.2 transfer time analysis
load output_MG1_source_1.txt
ts1= output_MG1_source_1(:,4);
load output_MG1_source_2.txt
ts2= output_MG1_source_2(:,4);
[ht1,x1] = hist(ts1,20);
area=(x1(2)-x1(1))*sum(ht1);
pdf_ts1=ht1./area;
figure
bar(x1,pdf_ts1);
title('Ts pdf Source 1');
[ht2,x2] = hist(ts2,20);
area=(x2(2)-x2(1))*sum(ht2);
pdf_ts2=ht2./area;
figure
bar(x2,pdf_ts2);
title('Ts pdf Source 2');
load output_MG1_category_1.txt
ts1_cat1=output_MG1_category_1(:,4);
[ht3,x3]=hist(ts1_cat1,20);
area=(x3(2)-x3(1))*sum(ht3);
pdf_ts1_cat1=ht3./area;
figure
bar(x3,pdf_ts1_cat1);
title('Category 1 Ts pdf Source 1');
```

b) Graph in a new plot the transfer time distribution for the category 1. Give your conclusions.

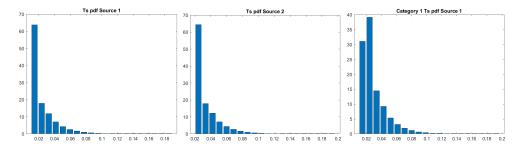


Figure 4: MG1 Transfer time analysis.

3.3 System occupation

Obtain and plot the state probabilities.

```
%%3.3 system occupation
load occupancy_MG1_1.txt;
t_n=[occupancy_MG1_1(:,1),occupancy_MG1_1(:,2),occupancy_MG1_1
(:,3)];
state_prob_sim = state_prob_function(t_n);
figure(1)
bar(state_prob_sim)
title('Simulation state probabilities')
%%funcion de la practica anterior
function [output] = state_prob_function(tmp)
%UNTITLED3 Summary of this function goes here
    Detailed explanation goes here
time=tmp(:,1);
n=tmp(:,2);
prob=zeros(1, max(n)+1);
Max_time=max(time);
for i=1:length(time)-1
 prob(n(i)+1)=prob(n(i)+1)+(time(i+1)-time(i));
end
prob=prob./Max_time;
output=prob;
end
%%funcion de la practica anterior
function [output] = state_prob_function(tmp)
%UNTITLED3 Summary of this function goes here
    Detailed explanation goes here
time=tmp(:,1);
n=tmp(:,2);
prob=zeros(1, max(n)+1);
Max_time=max(time);
for i=1:length(time)-1
  prob(n(i)+1) = prob(n(i)+1)+(time(i+1)-time(i));
prob=prob./Max_time;
output=prob;
end
```

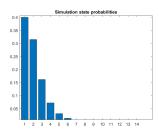


Figure 5: MG1 system occupation.

3.4 Traffic separation in different categories

In this section the same scenario will be simulated, but assigning the two traffic sourcesto different categories. This way we will be able to study the system occupation by each traffic.

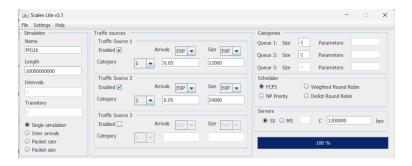


Figure 6: MG1 2 traffic sources Scalev simulation.

```
%%3.4 Traffic separation in different categories
load occupancy_MG1b_1.txt;
t_n1b=[occupancy_MG1b_1(:,1),occupancy_MG1b_1(:,2)+
occupancy_MG1b_1(:,3)];
state_prob_sim1b = state_prob_function(t_n1b);
%col1= interarrival time, col2 = paquetes cola+ servidor
figure(2)
bar(0:length(state_prob_sim1b)-1, state_prob_sim1b)
title ('Simulation state probabilities cat1')
load occupancy_MG1b_2.txt
t_n1b_2=[occupancy_MG1b_2(:,1),occupancy_MG1b_2(:,2)+
occupancy_MG1b_2(:,3)];
state_prob_sim1b_2 = state_prob_function(t_n1b_2);
%col1= interarrival time, col2 = paquetes cola+ servidor
figure (3)
bar(0:length(state_prob_sim1b_2)-1, state_prob_sim1b_2)
title('Simulation state probabilities cat2')
```

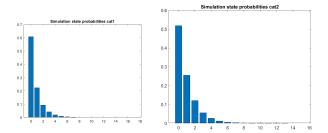


Figure 7: MG1 2 traffic sources state probabilities.

3.5 Comparison of systems with different distribution of the service time

In this section, the wait time of M/M/1 and M/D/1 systems will be compared.

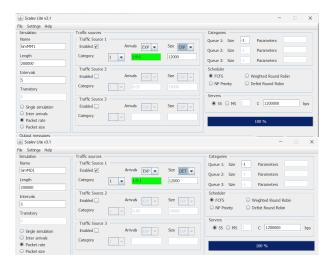


Figure 8: MM1 & MD1 Scalev simulation.

```
%%%3.6 Comparison of system with different distribution
load report_SimMM1.txt;
load report_SimMD1.txt;
the_rho=[0.1:0.1:0.9];
tw1=report_SimMM1(:,7);
tw2=report_SimMD1(:,7);
figure
plot(the_rho, [tw1,tw2]);
legend('MM1','MD1');
title('Wait Time')
```

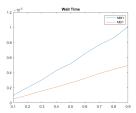


Figure 9: MM1 & MD1 wait time.

Com podem veure, el temps d'espera augmenta més en el cas del M/M/1 ja que el temps de servei no és determinista, com més paquets arribin més en trobaran a la cua.

4 Non-preemptive Priority

4.1 Average values analysis

In this section the packets will receive a different service depending on the category they belong. Compare the following system with FCFS and NPP schedulers.

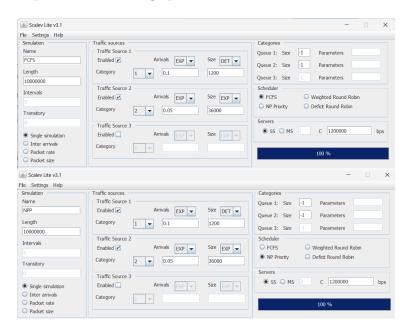


Figure 10: FCFS & NPP Scalev simulation.

• Fcfs

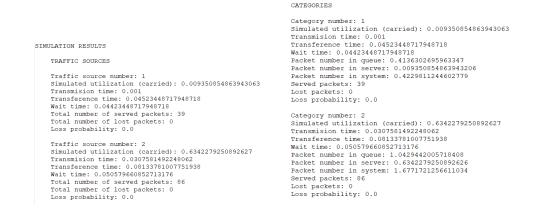


Figure 11: Fcfs Scalev simulation results.

• Npp

```
Category number: 1
Simulated utilization (carried): 0.010554762726734994
Transmision time: 0.001
Transference time: 0.016458768939393994
Wait time: 0.015458768939393939
Total number of served packets: 04
Total number of lost packets: 0
Loss probability: 0.0

Transference time: 0.0218162043859649124
Transmision time: 0.021822456
Wait time: 0.0381022807017543
Total number of served packets: 95
Total number of served packets: 95
Total number of served packets: 95
Total number of lost packets: 0
Loss probability: 0.0

Loss probability: 0.0

Category number: 1
Simulated utilization (carried): 0.010554762726734994
Wait time: 0.01658768939393939

Category number: 0.0164587689393939394
Wait time: 0.016458768939393939

Packet number in server: 0.010554762726735183
Packet number in system: 0.17371840092945892
Served packets: 0
Loss probability: 0.0

Category number: 1
Simulated utilization (carried): 0.6417761506740356
Transmision time: 0.028162043859649124
Transference time: 0.06197227192982456
Wait time: 0.03381022807017543
Packet number in server: 0.6417761506740352
Packet number in server: 0.6417761506740352
Packet number in system: 1.4122670330981766
Served packets: 95
Loss probability: 0.0

Loss probability: 0.0

Loss probability: 0.0

Loss probability: 0.0
```

CATEGORIES

Figure 12: Npp Scalev simulation results.

• Theoretical

```
RESULTS
TRAFFIC SOURCE NUMBER: 1
Waiting time: 0.018187
Service time: 0.001
Transfer time: 0.019187
Number of packets in queue: 0.18187
Number of packets in server: 0.01
Number of packets in system: 0.19187
TRAFFIC SOURCE NUMBER: 2
Waiting time: 0.046633
Service time: 0.03
Transfer time: 0.076633
Number of packets in queue: 0.93266
Number of packets in server: 0.6
Number of packets in system: 1.5327
OVERALL:
Waiting time: 0.037151
Service time: 0.020333
Transfer time: 0.057484
Number of packets in queue: 1.1145
Number of packets in server: 0.61
Number of packets in system: 1.7245
```

Figure 13: Theoretical Matlab results.

Veiem que els resultats són molt similars. Si comparem les dues simulacions (FCFS i NPP), veiem que les diferències només apareixen a la categoria 1 de cada simulació, on els paquets del cas NPP tenen un temps d'espera molt menor a tots els altres casos, és a dir la categoria 2 de NPP i les dues categories de FCFS, que tenen un temps d'espera molt semblant. Això es deu evidentment a que aquests paquets de categoria 1 de NPP són prioritaris.

4.2 Loss probability

Next, the loss probability with finite queues will be analyzed. To do this, compare the following system with FCFS and NPP schedulers:

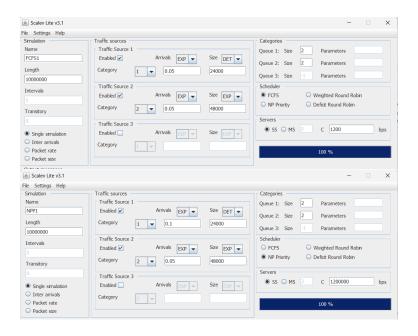


Figure 14: FCFS & NPP Scalev simulation with finit queue.

• Fcfs

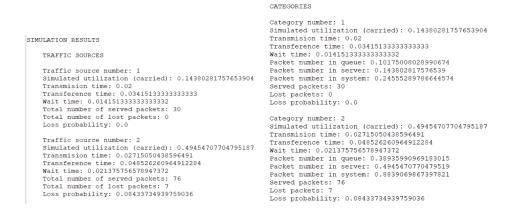


Figure 15: Fcfs Scalev simulation results.

• Npp

```
| Category number: 1 | Simulated utilization (carried): 0.2013631565514223 | Transmission time: 0.02 | Transference time: 0.055535515873015875 | Wait time: 0.035535515873015875 | Packet number in queue: 0.35777718247796947 | Packet number in server: 0.20136315665514212 | Packet number in vision: 0.20136315665514212 | Packet number in server: 0.20136315665514212 | Packet number: 0.20136315665514212 | Packet number: 1 server: 0.20136315665514212 | Pa
```

CATEGORIES

Figure 16: Npp Scalev simulation results.

Com podem veure, cap probabilitat de pèrdua coincideix si comparem la categoria 1 de les dues simulacions i el mateix per la 2. Podem observar que pel cas de NPP la probabilitat de pèrdua augmenta molt en els paquets de tipus 2, ja que són menys prioritaris i s'han d'esperar, en canvi en el cas de FCFS la probabilitat de pèrdua es manté constant independentment de la categoria del paquet.

5 Comparison between FCFS and NPP

a) Do the following simulation and use the script MG1_b.m to analyze the results.

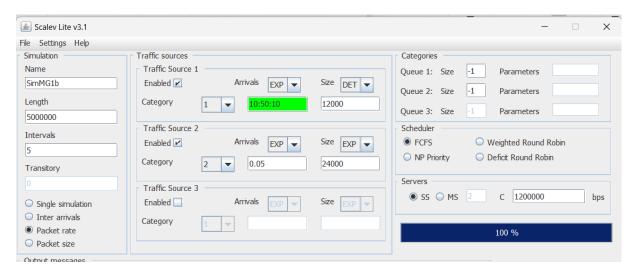


Figure 17: MG1 Scalev simulation.

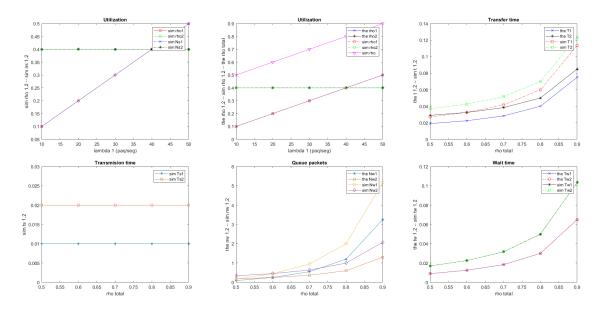


Figure 18: MG1 loss probabilities analysis.

b) Repeat the simulation changing the scheduler to NPP. Use the script MG1_NPP_b.m to analyze the results.

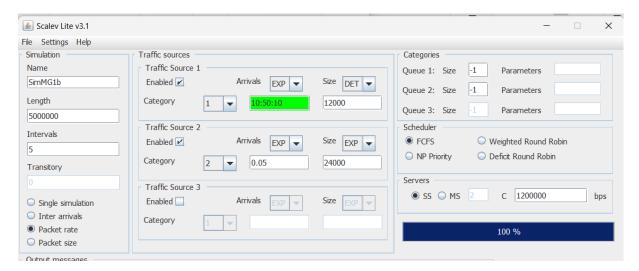


Figure 19: MG1 Scalev simulation.

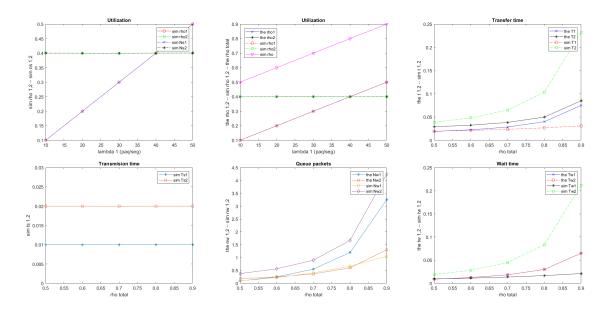


Figure 20: MG1 loss probabilities analysis.

c) Finally, use the script FCFS_NPP.m to compare the results. Give your conclusions.

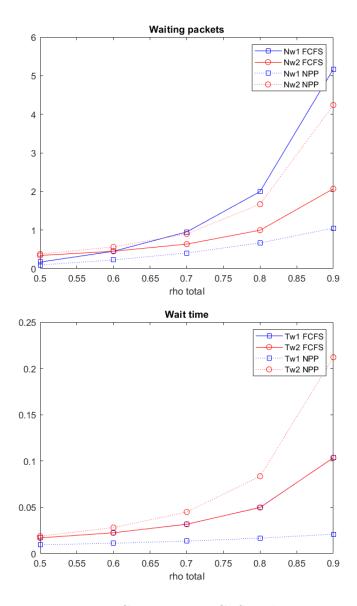


Figure 21: Comparison FCFS and NPP.

El temps d'espera és igual per les dues fonts en el cas de FCFS però en el cas de NPP és diferent. En el tipus 1 és menor que en el tipus 2. Això es deu a que els paquets que tenen prioritat a NPP tindran menys temps d'espera que els de FCFS, però els que tenen menys prioritat tenen major temps d'espera a NPP que a FCFS. Si ens fixem en el nombre mig de paquets, veiem que en el cas de NPP el tipus 1 té menys paquets en cua que el mateix tipus de FCFS, però passa a l'inversa amb els paquets de tipus 2.