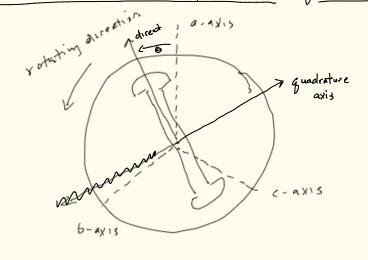
21st Century Pomer System Dynamics EECS 290

Feb 11 2019 Lecture notes.

Spring 2019



Example currents

iq =
$$I_{a,max}$$
 cos Θ + I_{3})

ic = $I_{c,max}$ cos Θ + I_{3})

$$i_0 = \sqrt{3} \left(i_0 + i_0 + i_0 \right)$$

 $i_d = \sqrt{3} \left[i_0 \cos \theta + i_0 \cos \left(\theta - \frac{2\pi}{3} \right) + i_0 \cos \left(\theta + \frac{2\pi}{3} \right) \right]$
 $i_q = \sqrt{\frac{2}{3}} \left[+ i_0 \sin \theta + i_0 \sin \left(\theta - \frac{2\pi}{3} \right) + i_0 \sin \left(\theta + \frac{2\pi}{3} \right) \right]$

note, 6= wt+00 > transformation is time dependent.

Park's transformation, ctd.

Let
$$X_{abc} = \begin{bmatrix} \times_q \\ \times_b \\ \times_c \end{bmatrix}$$
 and $X_{abc} = \begin{bmatrix} X_0 \\ X_{ab} \\ X_q \end{bmatrix}$

Then Park's tranformation (a.k.a the dq-transformation) is

Park's transformation, ctol

A nice teature! (here u is terminal voltage)

p(t)= ugiq + ubis + uzic = uoio + udid + ugiq

Note: The transformation is not unique-different pipers and books might point & and q in different directions. So check.

As with pos-neg-zero sequence, the zero component is negligible in balanced conditions.

Why use the day transform?

. The day coordinates rotate with the rotor.

=> sinusoidal quantities transform to constant values in dq-frame.

. This simplifies the analysis in many situations.

Ch2- Power system components.

I'll focus on

· Basic generator components

rotor armature

damper

exciter + voltage regulator

turbine governors

Basic Generator Components

Fig 2.2.

Synchronous Generators

مناتعان برح

flux

MBB Fig 3.9)

1 0 b₂

- Rotar flux of induced by field winding
- When the rotor rotates, emf induced in armature
- -This leads to current.
 flow, which also
 produces a magnetic
 field (not shown)
- Also not shown damper windings. More on these in a moment.

F_f = magneto motive force: magnetic eguivalent to voltage

(non-rotating-

so only rotor

field shown.)

Danger windings

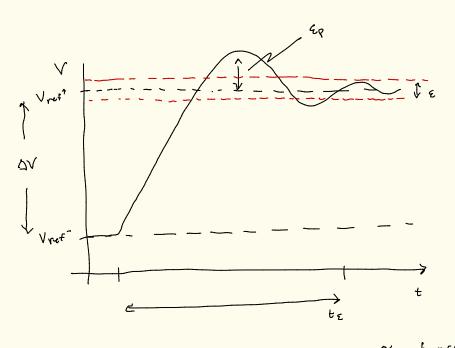
- . It a synchronous machine "falls out of step" with grid frequency, oscillations in the relative speed of the machine could ensue
- · Dumper windings are short circuited loops in the stator.
- · Currents induced here produce magnetic fields that oppose the asynchrony
 - > helps restore synchrony.
- · very important for dynamic modeling
- · won't be considered in today's static discussions

Exciter systems

Fiz 2.3e.

SRZ Slipring; SG = synch generator; ET = excitation xfrmr; AUR= thyristor controlled voltage regulator.

- . The exciter induces a magnetic field in the rotor.
- · Many means of doing this. Key
 features
 produce a dc current
 - Adjustable voltage -> vary field strength and in turn vary sq output voltage.
 - Different configurations -> different output voltage dynamies!
- · This one, w/ thyristor control AVR,



tr = time to go from

Vref- + 0.1 AV

to

Vref- + 0.9 AV.

Ep= overshoot

te= time to arrive to within & of Vreft

If z= 4-0.5% and DV=10% of original

te < 0.35 for static (thyristor-controlled) AVR

Steam turbines

- · Many Forms in MBB
 - Steam
 - Combustian
 - combined cycle
- · Key point: Each has it's own control and process flow.
 - These lead to different dynamics
 - Important to get these details right. We will explore as interest and time permits.

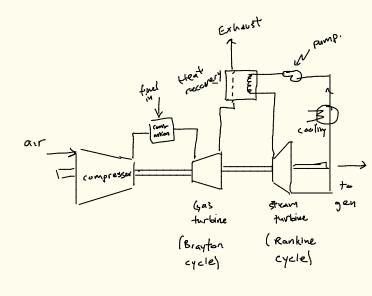
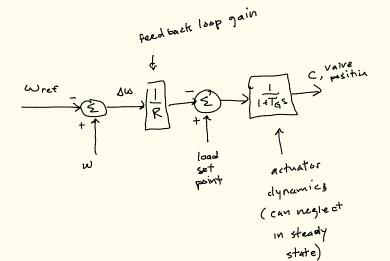


Fig 2.9

Turbine governing

 $Q = \frac{R}{\omega_n}$

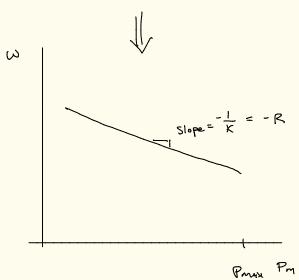


TG: not sure what this is, not listed in MBB.

Look in Kundur?

Turbine governing, Ctd.

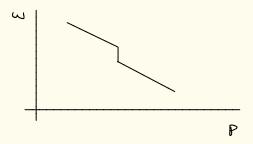
$$\frac{\Delta P}{P_n} = -K \frac{\Delta \omega}{\omega_n} = -\frac{1}{R} \Delta \omega$$



Turbine governing, ctd

Note:

Most systems have a deadband



- Mechanical systems can't avoid this
- But even in electrical-hydraulie systems it is desirable
 - recognizes some normal frequency variation ox.
 - avoids wear and tear.
- In U.S., Leaderend is ~ 35 mHz.

(h3- Power system in steady state

I'll facus on

- · Generator terminal Voltage
- · Non salient pole rotors
- i.e. rotors w just one N-S pale pair
 - These have constant airgap flux, so analysis is simpler.
 - Salient pole: for slow spining things (hydro, wind).

Generator - no load

= No Of cosonf = Wil cosonf # armature windings mutual inductance NONr

Stator phase currents

This generates another field

Fr = Nairejo

The total is

$$\dot{F}_{a} = \dot{F}_{A} + \dot{F}_{B} + \dot{F}_{C}$$

Mow let's refer to how things add up in [fig 3.11]

Here the total field is

$$E_r = E_f + E_q = E_f - jX_q I$$
Armature reaction
reaction

armature reactance See Fig 3.12a

armature resistance,

$$\chi(\frac{1}{a}) = \chi_0 e^{-1} = \frac{\chi_0}{e} = 0.37 \chi_0$$

- Often called 2

I is the "time constant"

- Time when - 1 is in the exponential.

















Time constants - higher order systems.

- · Higher order system time constants harder to characterize
- · But if
 - all eigenvalues are regative, and
 - one eigen value for the system is real and much closer to zero
 - then the largest eigenvalue can be thought of as the inverse of the

dominant time constant for the system