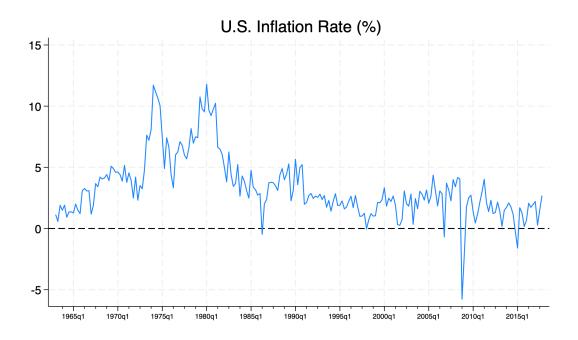
# On Unit Root Test (cont.)

Duong Trinh

March 2024

Plot values of Infl from 1963:Q1 through 2017:Q4. Do you think that Infl has a stochastic trend?

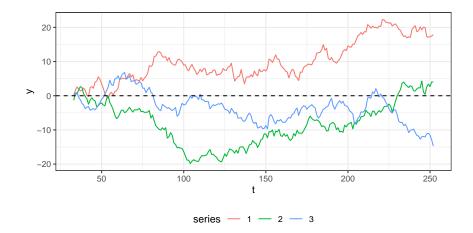


## Several possible time series

 $\mathrm{DGP}(1)$ : Nonstationary series

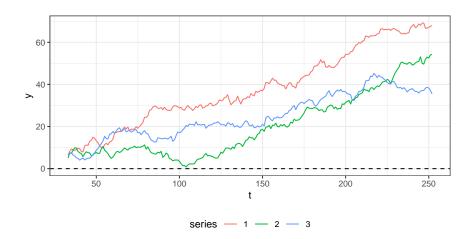
DGP(1a): Random walk without drift

$$y_t = y_{t-1} + \epsilon_t; \quad \epsilon_t \sim N(0, 1)$$



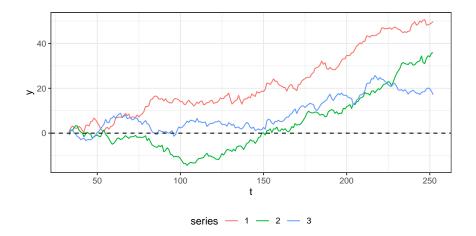
#### DGP(1b): Random walk with a drift

$$y_t = 0.2 + y_{t-1} + \epsilon_t, \quad \epsilon_t \sim N(0, 1)$$



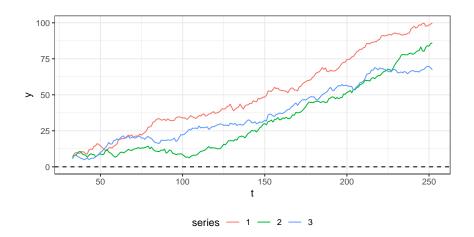
#### $\mathrm{DGP}(1\mathrm{c})$ : Random walk with a trend term

$$y_t = 0.001 \cdot t + y_{t-1} + \epsilon_t; \quad \epsilon_t \sim N(0, 1)$$



 $\mathrm{DGP}(1\mathrm{d})$ : Random walk with a drift and a trend

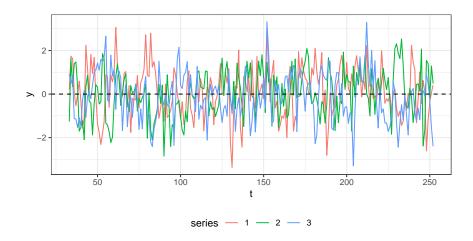
$$y_t = 0.2 + 0.001 \cdot t + y_{t-1} + \epsilon_t; \quad \epsilon_t \sim N(0, 1)$$



DGP(2): Stationary series

DGP(2a): Stationary AR(1)

$$y_t = 0.4 \cdot y_{t-1} + \epsilon_t; \quad \epsilon_t \sim N(0, 1)$$



### $\mathrm{DGP}(2\mathrm{b})$ : Stationary $\mathrm{AR}(1)$ with a deterministic trend

$$y_t = 0.02 \cdot t + 0.4 \cdot y_{t-1} + \epsilon_t; \quad \epsilon_t \sim N(0, 1)$$

