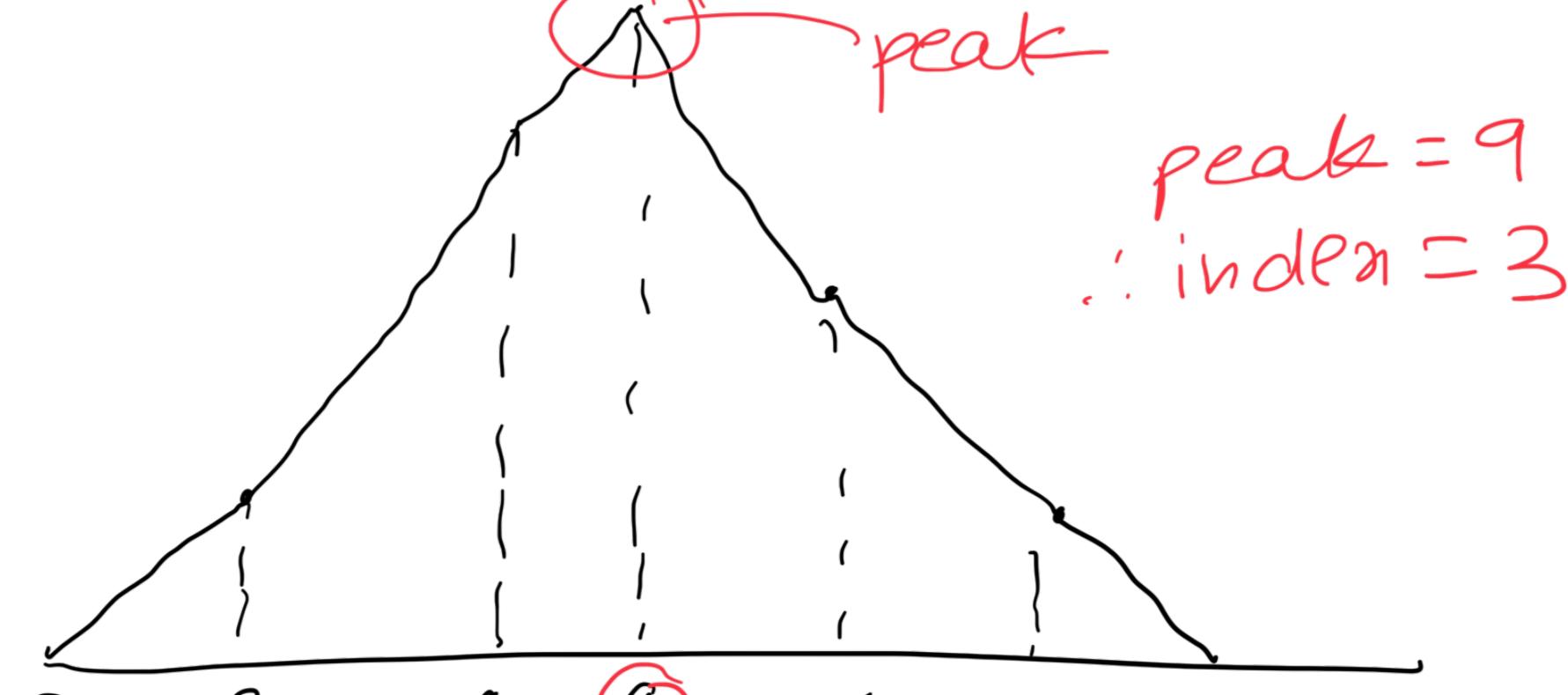


Peak index in mountain array

arr = [0, 3, 8, 9, 5, 2]

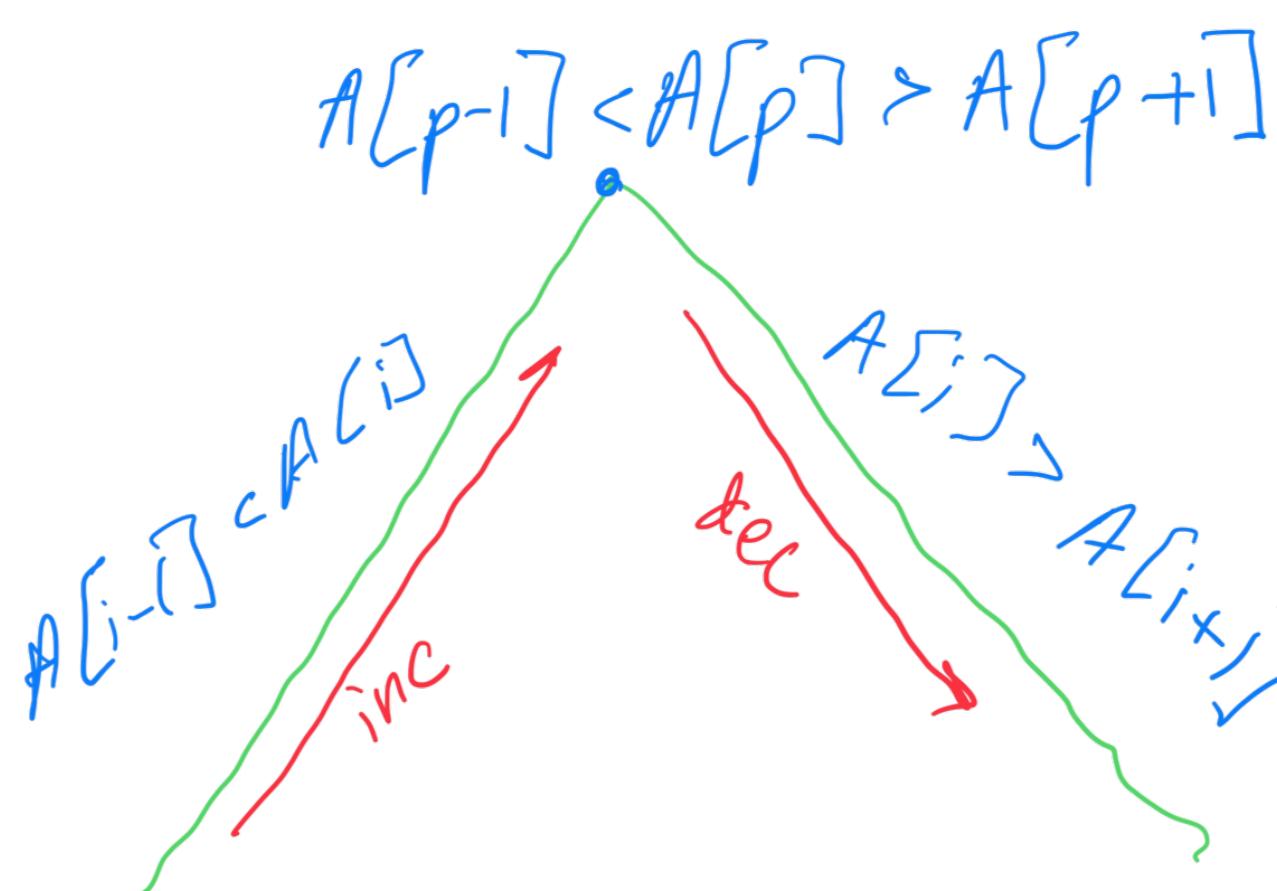
return index of peak element



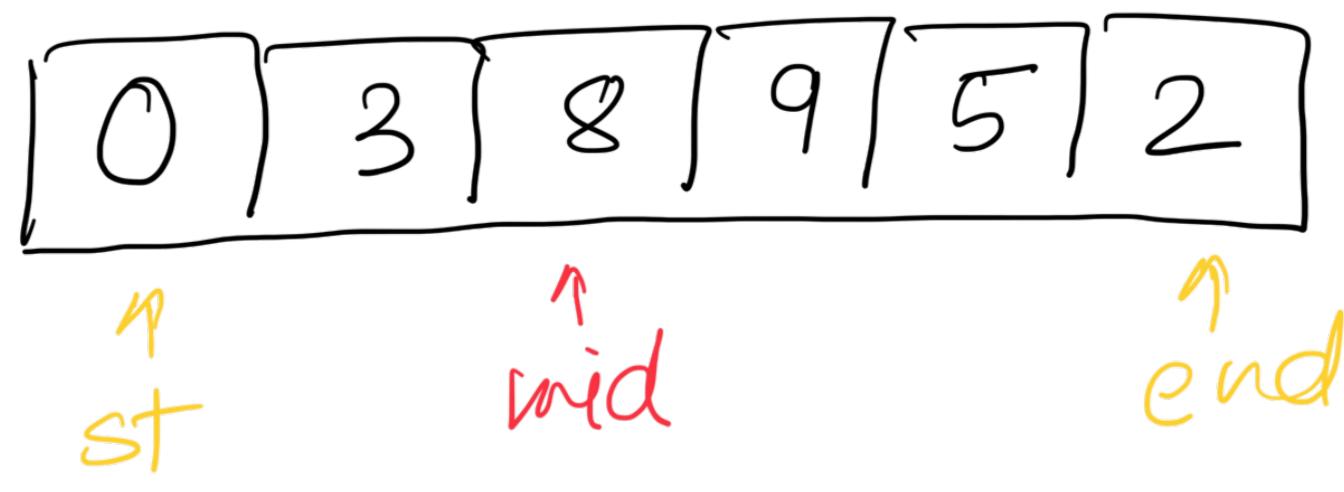
$$\text{peak} = 9$$

$\therefore \text{index} = 3$

$A[i-1] < A[i]$  } increasing order       $A[i] > A[i+1]$  } decreasing order  
 $A[p-1] < A[p] > A[p+1]$



and also its always a mountain array so answer will never be at id 0 & n-1 (so exclude from search space)

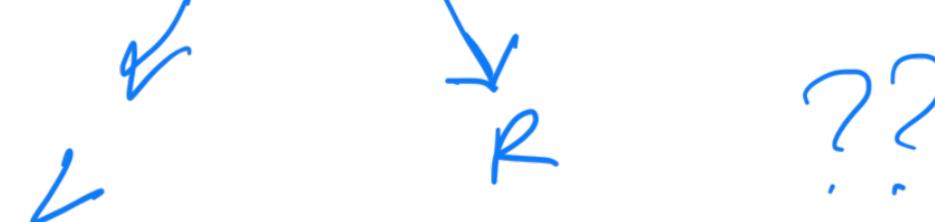


$$① \text{mid} = \frac{s + e - s}{2}$$

$$② A[\text{mid}-1] < A[\text{mid}] > A[\text{mid}+1]$$

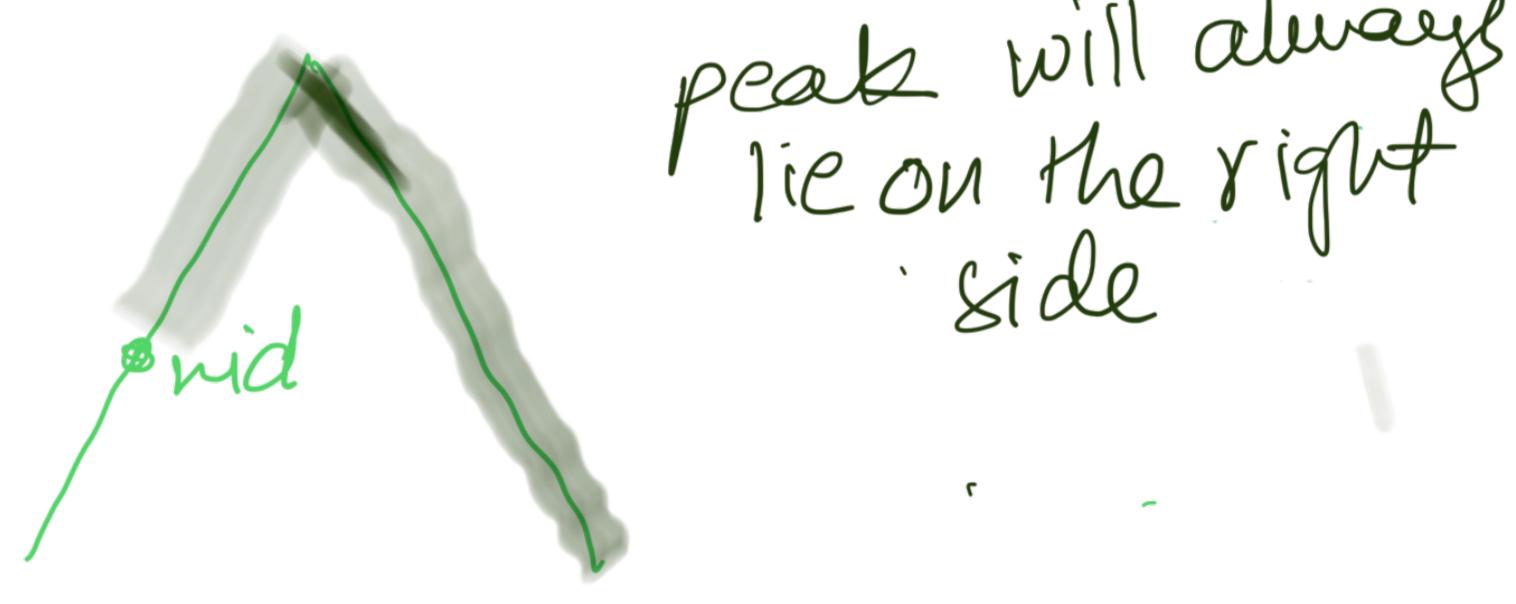
return mid

③ Search space



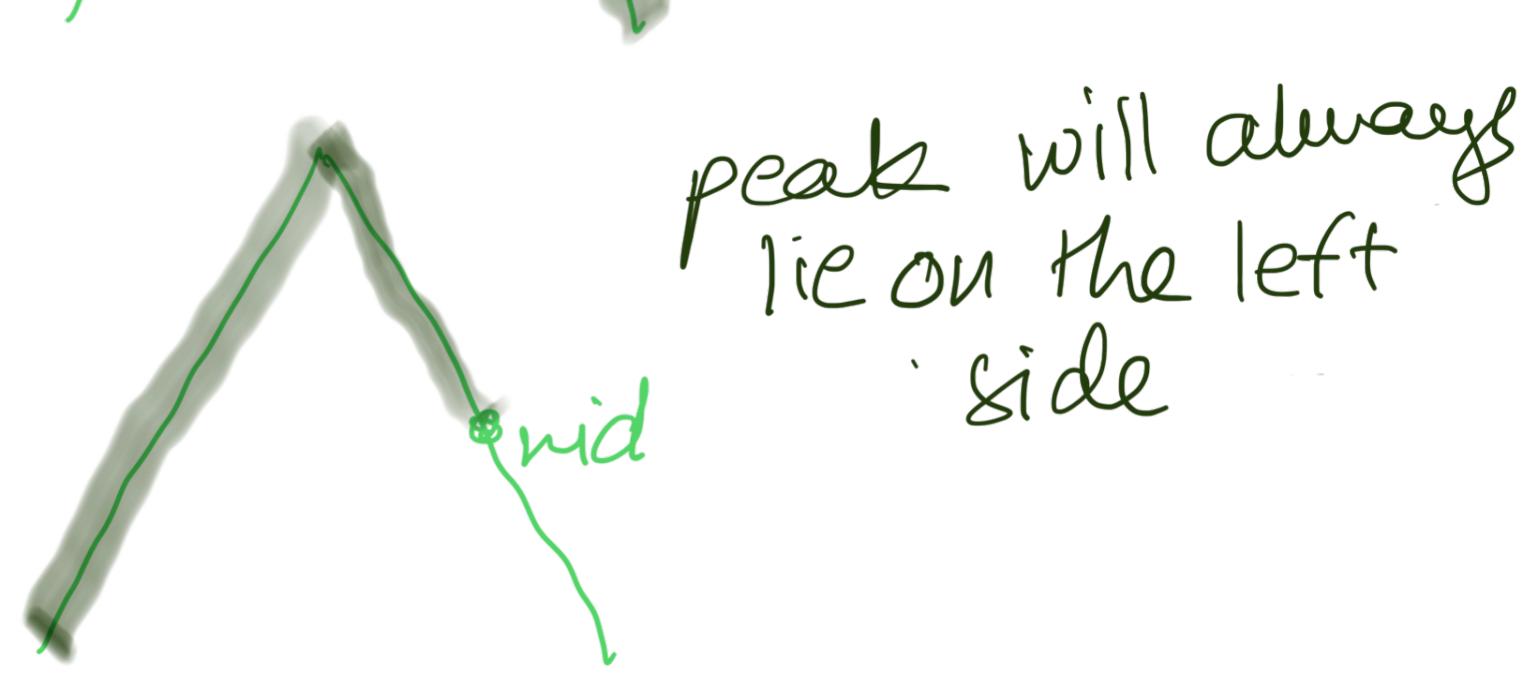
Case 1: mid = peak

Case 2:



peak will always lie on the right side

Case 3:



peak will always lie on the left side

mid  
lies on the left      lies on the right  
 $A[\text{mid}-1] < A[\text{mid}]$       else  
 $\Rightarrow \text{st} = \text{mid} + 1$        $\Rightarrow \text{end} = \text{mid} - 1$   
do right search      do left search

Pseudo code

$\text{st} = 1, \text{end} = n-2$   
while ( $\text{st} < \text{end}$ ) {

$\text{mid} = \text{st} + (\text{end} - \text{st}) / 2$

    if ( $A[\text{mid}-1] < A[\text{mid}] > A[\text{mid}+1]$ ) {

        return mid;

        if ( $A[\text{mid}-1] < A[\text{mid}]$ ) {

$\text{st} = \text{mid} + 1;$       left side of the mountain co  
            right side of mountain search space  
            is on the left

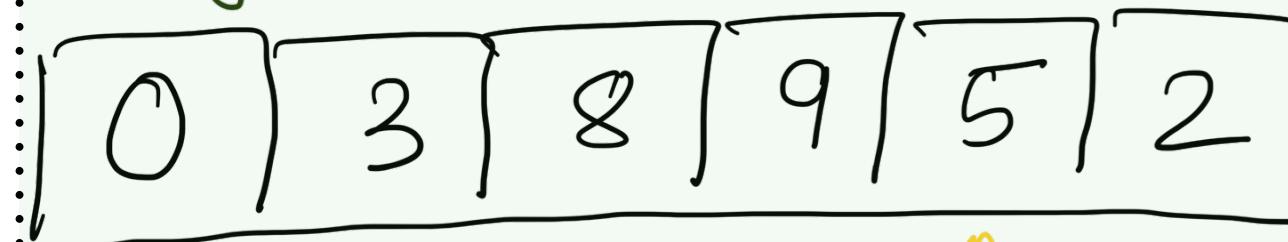
        } else {

$\text{end} = \text{mid} - 1;$

        }

    }

Dry run

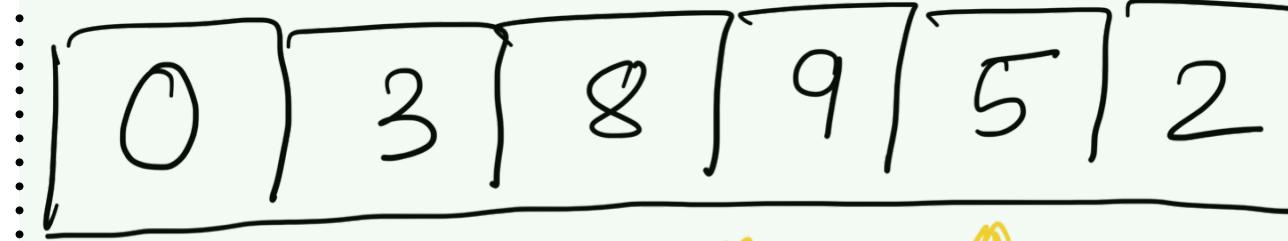


st mid end

mid > st but mid ≠ end  $\Rightarrow$  not peak

mid > st  $\Rightarrow$  search space is on the right side

st = mid + 1



st mid end

mid > st and mid > end  $\Rightarrow$  PEAK