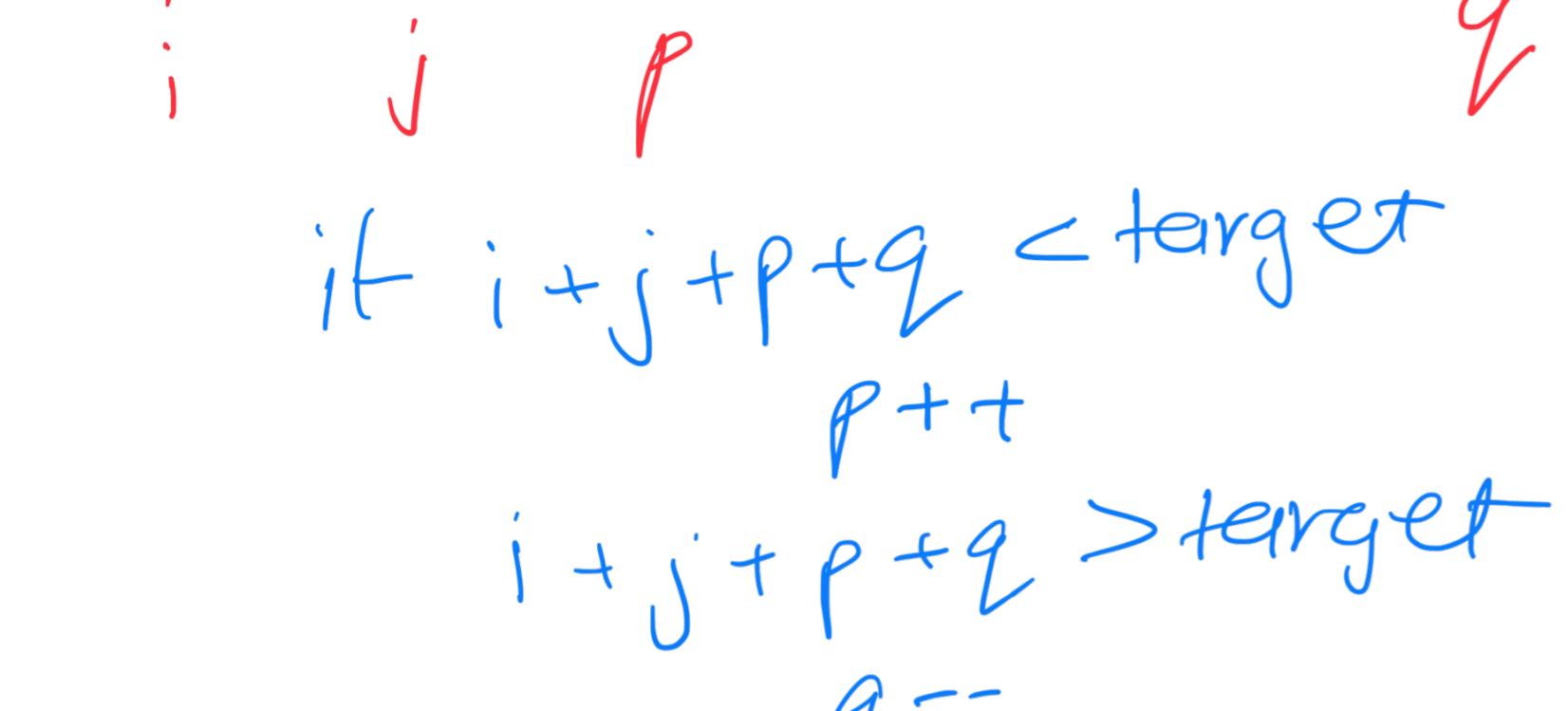


4 Sum

$\text{arr} = [-2, -1, -1, 1, 1, 2, 2]$

non't always be sorted
tar = 0

$i \neq j \neq p \neq q$ return $i+j+p+q$



if $i+j+p+q < \text{target}$

$p++$

$i+j+p+q > \text{target}$

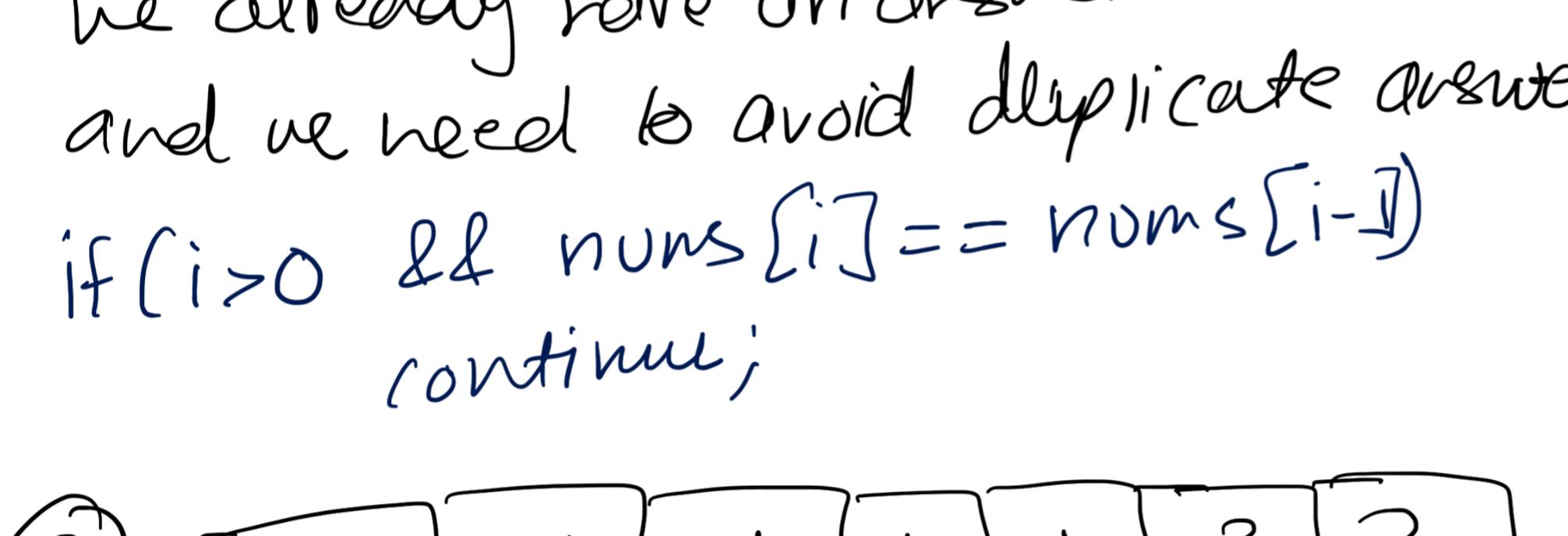
$q--$

$i+j+p+q = \text{target}$

return ans

$p++, q--$

optimizations



$i=0 \& \text{value} = -2$

and if we find answer we do

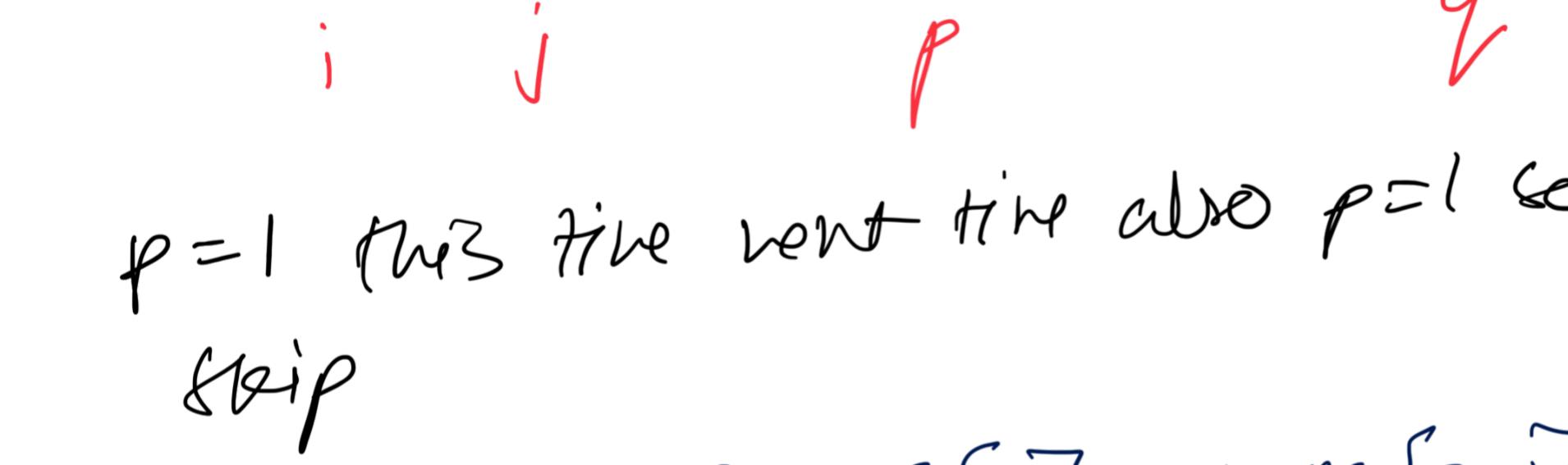
$i++$ so $i=1 \& \text{value} = -2$ again

we should skip this index because

we already have an answer with $i=-2$

and we need to avoid duplicate answers

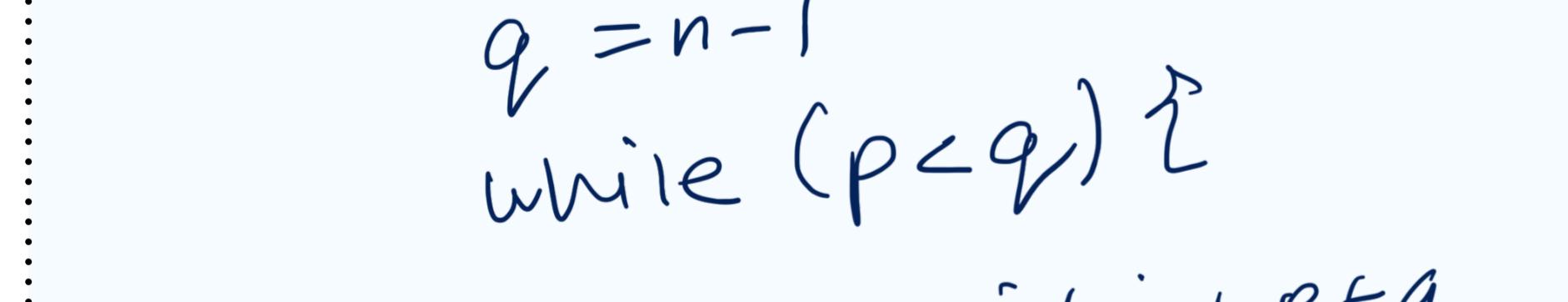
$\text{if } (i > 0 \& \text{nuns}[i] == \text{nuns}[i-1])$
continue;



$j = -1$ for this iteration and
if we find out that $j = -1$ in the
next iteration also so skip it otherwise
we will get duplicate answer

$\text{while } (j < n \& \text{nuns}[j] == \text{nuns}[j-1])$

$j++$



$p=1$ this time next time also $p=1$ so

skip

$\text{while } (p < q \& \text{nuns}[p] == \text{nuns}[p-1])$

$p++$

Code

```

sort
for (i=0 to n) {
    if (i>0 & nuns[i] == nuns[i-1])
        continue;
    for (j=i+1 to n) {
        p = j+1
        q = n-1
        while (p < q) {
            sum = i + j + p + q
            if (sum < tar) p++
            else if (sum > tar) q--
            else {
                return ans
                p++, q--
                while (p < q & nuns[p] == nuns[p-1])
                    p++;
                while (j < n & nuns[j] == nuns[j-1])
                    j++;
            }
        }
    }
}
return ans

```

TC: $O(n \log n + n^3)$