

Single element in sorted array

arr = [1, 1, 2, 3, 3, 4, 4, 8, 8]

output = 2

return element amongst the duplicates
in sorted order

$O(\log n)$ TC & $O(1)$ SC

BINARY SEARCH

single $\Rightarrow A[i-1] \neq A[i] \neq A[i+1]$

MOST IMPORTANT

choosing search space

Question mein always odd size ka
array hoga kyunki if we have n
unique values so every n besides
the single element will be dup
so $2*n + 1 \Rightarrow$ odd

So to choose the search space we
will choose the side jidar $A[mid]$

ka baayo is same

but it depends if jo left and right hai of mid
is even or odd let's take an example



in this case we can
say ki single element
will be on the side
jidar either $A[mid-1]$
or $A[mid+1]$ is equal
to $A[mid]$ kyunki
4 elements se 1 is
equal to mid, 2 are
duplicates so baki 1
is the single element



in this case we can
say ki single element
will NOT be on the side
jidar either $A[mid-1]$
or $A[mid+1]$ is equal
to $A[mid]$ kyunki
3 elements se 1 is
equal to mid, 2 are
duplicates so single element
can't lie on the equal side
it'll be double side mein

to solve this issue we will
take $mid \% 2 == 0$ and do
for even number case and
else for odd number case

Pseudocode

st = 0, end = n - 1

while (st <= end) {

mid = st + (end - st) / 2;

if (mid == 0 && A[0] != A[1]) return mid

if (mid == n - 1 && A[n - 1] != A[n - 2]) return mid

if (A[mid - 1] != A[mid] != A[mid + 1])

return mid

if (mid % 2 == 0) {

if (A[mid - 1] == A[mid]) \Rightarrow search space is on the left

end = mid - 1

else \Rightarrow search space is on the right

st = mid + 1

} else {

if (A[mid - 1] == A[mid])

st = mid + 1

else

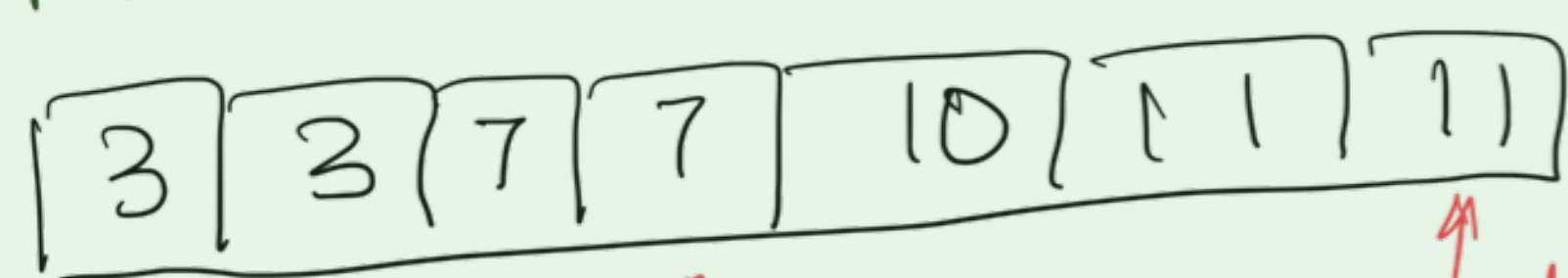
end = mid - 1

}

}

Handling edge cases
if single element is on the
first or last position and
mid gradually comes to that point

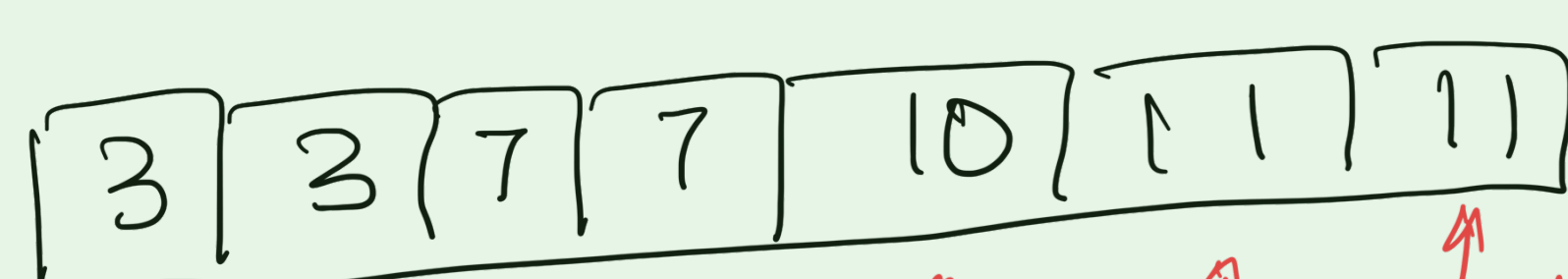
Dry run



mid % 2 \neq 0 \therefore odd element on either side

$A[mid - 1] = A[mid]$

\therefore st = mid + 1



mid % 2 \neq 0 \therefore again odd element

$A[mid - 1] \neq A[mid]$

\therefore end = mid - 1



return mid