

CE 3354 Engineering Hydrology
Exam 1

1. For a watershed with a size of 120 km^2 , the following data on precipitation P , evaporation E and runoff Q are recorded in watershed mm.

Table 1: Monthly Precipitation (P), Evapotranspiration (E), and Runoff (Q)

Month	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
P (mm)	250	205	165	50	5	0	0	5	10	55	65	190
E (mm)	5	25	30	50	80	100	150	70	60	20	10	5
Q (mm)	150	110	80	5	0	0	0	0	0	10	15	120

Determine:

- The month (end) when the amount of water stored in the basin is the largest.
- The month (end) when the amount of water stored in the basin is the smallest.
- The difference (in m^3) in the amount of water stored in the basin between these two extremes.
- The likely climate type (arid, humid temperate or humid tropical) one would expect to find this catchment.

Solution(s): Items 1,2, and 3 are determined using a water budget approach. An excel spreadsheet is shown in Figure(s) ??, and ??

Item 4 requires internet research to learn about climate classification. The model I used is *Köppen climate classification*, Gupta's classification(s), and Mays' classifications follow closely. A good starting place is Wikipedia https://en.wikipedia.org/wiki/K%C3%B6ppen_climate_classification.

For the supplied monthly values we can make the following assertions:

- Rainfall (P) is highly concentrated in Jan–Mar and Dec.
- Dry season from May–Sep (very low P, high E).
- E is high in May–Sep, reaching a peak in July (150 mm) when P is 0.

These data indicate a distinct wet/dry seasonality.

The Köppen classification scheme:

- Distinct wet and dry seasons
- Wet summer is not present — rainfall is in winter.

	A	B	C	D	E	F	G	H	I	J
1	ce3354-ex1-2025-2-problem1					$S_0(\text{mm})$	225	<= Changed until non-negative computed storage, one can answer questions on the change in storage terms as well		
2	DATA SUPPLIED									
3	Area (km ²)	120				COMPUTED VALUES				
4	MONTH	P(mm)	E(mm)	Q(mm)	$\Delta S(\text{mm})$	S(mm)			S(m ³)	
5	Jan	250	5	150	95	320			38400000	
6	Feb	205	25	110	70	390			46800000	
7	Mar	165	30	80	55	445	MAXIMUM VALUE		53400000	
8	Apr	50	50	5	-5	440			52800000	
9	May	5	80	0	-75	365			43800000	
10	Jun	0	100	0	-100	265			31800000	
11	Jul	0	150	0	-150	115			13800000	
12	Aug	5	70	0	-65	50			6000000	
13	Sep	10	60	0	-50	0	MINIMUM VALUE		0	
14	Oct	55	20	10	25	25			3000000	
15	Nov	65	10	15	40	65			7800000	
16	Dec	190	5	120	65	130			15600000	
17										
18								$\Delta S(\text{m}^3)$	53400000	

Figure 1: Rainfall-runoff plot for the catchment

- Dry summer with high E
- Total annual precipitation is moderate (1000 mm)

This pattern is typical of a Mediterranean Climate (Köppen: Csa or Csb) Csa: Hot, dry summer; mild, wet winter (likely match)

Characteristics:

- Summer drought
- 3+ months with $P \leq 30$ mm and $E \geq 60$ mm (May–Sep fits)
- Wet winters ($P \geq E$ in Jan–Mar, Dec)

The catchment is most likely in a Mediterranean climate (Köppen Csa), common in:

- Coastal California
- Southern Europe (e.g., Spain, Italy)

	A	B	C	D	E	F	G	H	I
1	ce3354-ex				$S_0(\text{mm})$			<= Changed until non-negative computed storage, one can answer questions on the change in storage terms as well	
2	DATA SUPPLY						225		
3	Area (km ²): 120				COMPUTED VALUES				
4	MONTH	P(mm)	E(mm)	Q(mm)	$\Delta S(\text{mm})$	S(mm)			S(m ³)
5	Jan	250	5	150	=B5-C5-D5	=G1+F5			=0.001*G5*\$B\$3*1000*1000
6	Feb	205	25	110	=B6-C6-D6	=F6+G5			=0.001*G6*\$B\$3*1000*1000
7	Mar	165	30	80	=B7-C7-D7	=F7+G6		MAXIMUM VALUE	=0.001*G7*\$B\$3*1000*1000
8	Apr	50	50	5	=B8-C8-D8	=F8+G7			=0.001*G8*\$B\$3*1000*1000
9	May	5	80	0	=B9-C9-D9	=F9+G8			=0.001*G9*\$B\$3*1000*1000
10	Jun	0	100	0	=B10-C10-D10	=F10+G9			=0.001*G10*\$B\$3*1000*1000
11	Jul	0	150	0	=B11-C11-D11	=F11+G10			=0.001*G11*\$B\$3*1000*1000
12	Aug	5	70	0	=B12-C12-D12	=F12+G11			=0.001*G12*\$B\$3*1000*1000
13	Sep	10	60	0	=B13-C13-D13	=F13+G12		MINIMUM VALUE	=0.001*G13*\$B\$3*1000*1000
14	Oct	55	20	10	=B14-C14-D14	=F14+G13			=0.001*G14*\$B\$3*1000*1000
15	Nov	65	10	15	=B15-C15-D15	=F15+G14			=0.001*G15*\$B\$3*1000*1000
16	Dec	190	5	120	=B16-C16-D16	=F16+G15			=0.001*G16*\$B\$3*1000*1000
17									
18								$\Delta S(\text{m}^3)$	=MAX(I5:I16)-MIN(I5:I16)

Figure 2: Rainfall-runoff plot for the catchment

- Western Australia
- Cape region of South Africa
- Parts of central Chile

2. A watershed with a catchment area of $1mi^2$ converts about 60-percent of precipitation into streamflow, the remainder is lost. The watershed response equation is

$$k \frac{dQ}{dt} + Q(t) = P(t) \cdot A \cdot C \quad (1)$$

where $Q(t)$ is the streamflow leaving the catchment, $P(t)$ is the precipitation entering the catchment, A is the catchment area, C is the precipitation to streamflow conversion fraction, and k is the basin characteristic time constant.

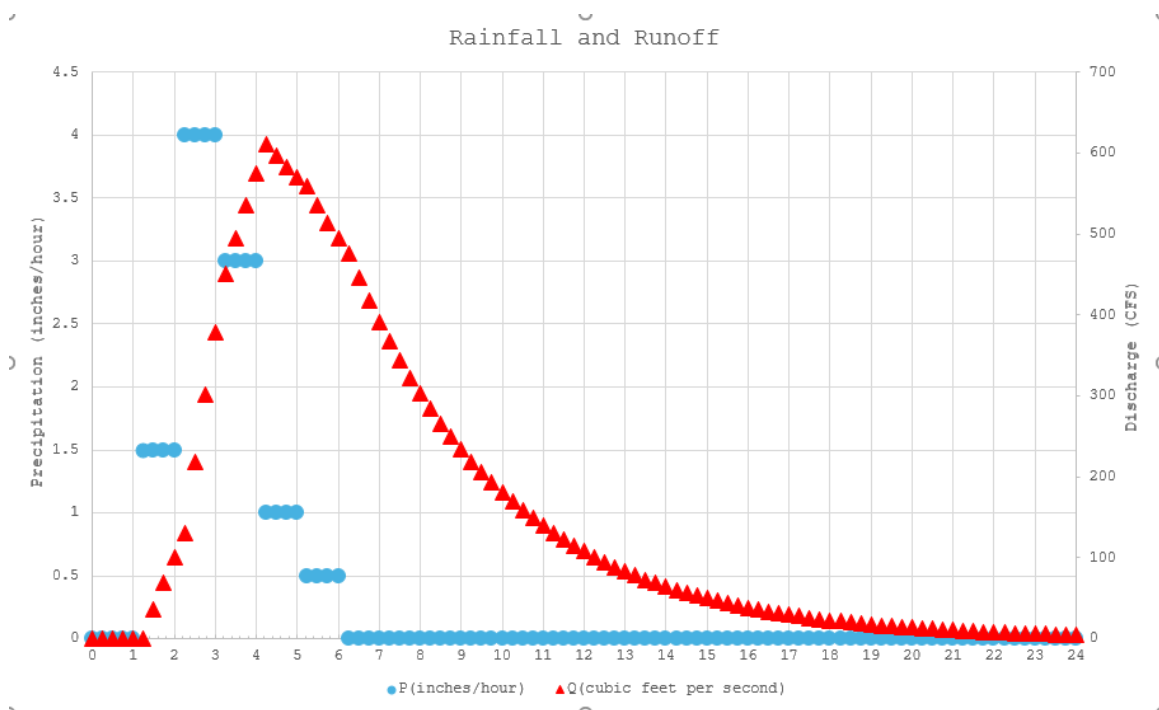


Figure 3: Rainfall-runoff plot for the catchment

Using the information in Figure ?? determine:

- The maximum discharge rate in cubic feet per second.
- The time when the maximum discharge occurs.
- The value in hours of the of the basin time constant k .
- The total volume in acre feet of precipitation entering the catchment (before any losses)
- The total volume in acre feet of discharge leaving the catchment

3. Using an appropriate NRCS 24-hour rainfall distribution

Determine:

- a) The cumulative rainfall depth (inches) for a 50-yr ARI storm in Lubbock, Texas.
- b) The rainfall intensity (inches/hour) for each half-hour increment of the storm.
- c) The maximum rainfall intensity (inches/hour) in any 30-minute interval.

4. The relation between infiltration capacity in mm/hour and the time (in hours) since the start of the experiment as measured with an infiltrometer is depicted in Figure ??.

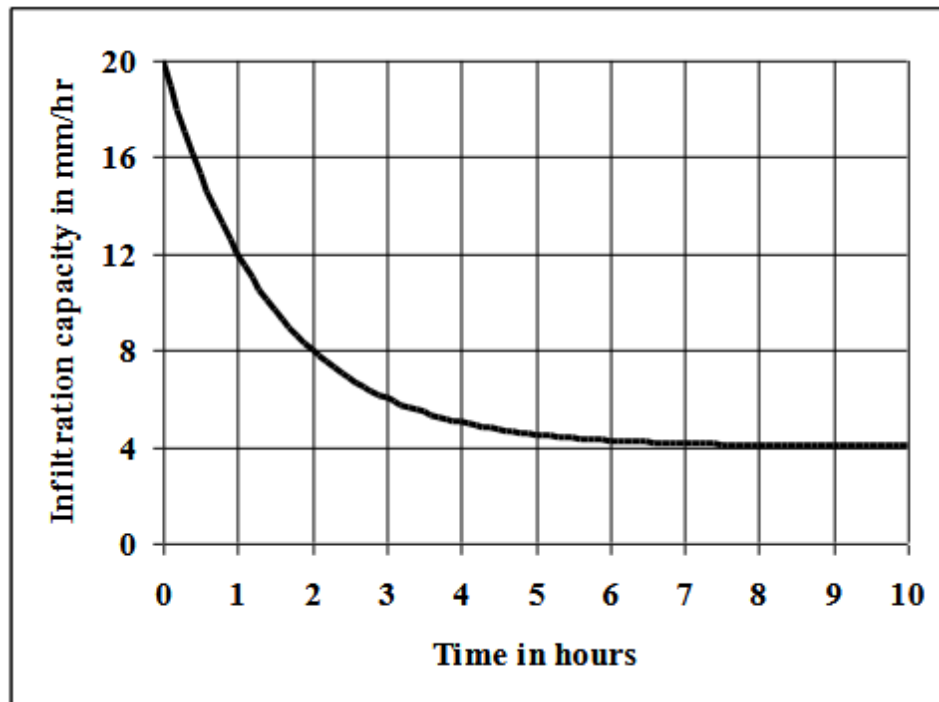


Figure 4: Infiltrometer data for some soil

The relationship is to be described with the Horton infiltration model

$$q(t) = f_c + (f_o - f_c)e^{-kt} \quad (2)$$

Determine:

- The equilibrium infiltration rate, f_c , in mm/hr.
- The initial (dry soil) infiltration rate, f_o , in mm/hr.
- The soil constant k .
- The total amount of water that will infiltrate into an initially dry soil during a rainstorm with a duration 60 minutes and a constant intensity of 20 mm/h.
- The total amount of water that will infiltrate into an initially dry soil during a rainstorm with a duration 480 minutes and a constant intensity of 12 mm/h.