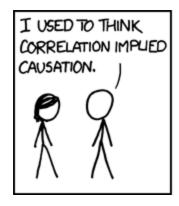
# Regressions

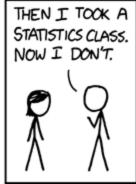
### **Cause and Effect**

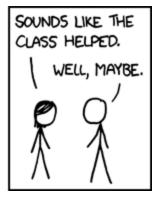
Correlation: Two variables are correlated when changes in one variable occur in a pattern corresponding to changes in the other.

### Cause and Effect

Causation: One variable moves, and the second variable changes because of the movement of the first.







# **Questioning Causality**

When we suspect a causal relationship (that x causes y), it is important to ask ourselves several questions:

- 1. Is it possible that y causes x instead?
- 2. Is it possible that z (a new factor that we haven't considered before) is causing both x and y?
- 3. Could the relationship have been observed by chance?

# **Establishing Causality**

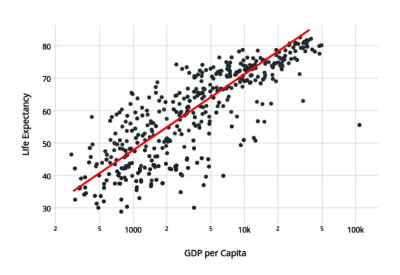
In order to establish causality, we need to meet several conditions:

- ullet We can explain (or at lest hypothesize) why x causes y
- We can demonstrate that nothing else is driving the changes (within reason)
- ullet We can show that there is a **correlation** between x and y

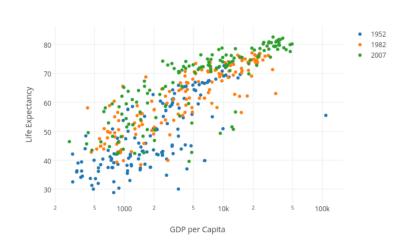
### **Ceteris Paribus**

ceteris paribus means "all else equal"

- Allows us to act as if nothing else were changing
- Mathematically isolates the effect of each individual variable on the outcome of interest
  - Variables are the factors that we want to include in our model

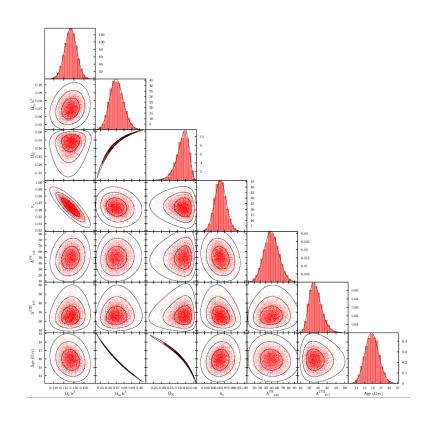


Think about it like a trend line!



Whoops! What if there is another variable?

Or lots of variables??

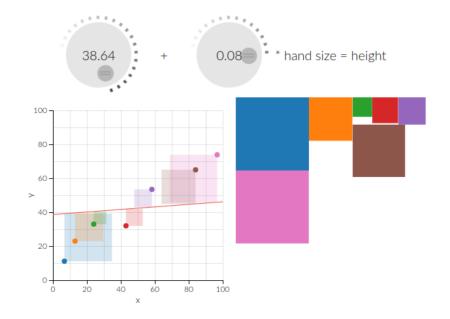


### Minimize Errors and Best Fit Lines



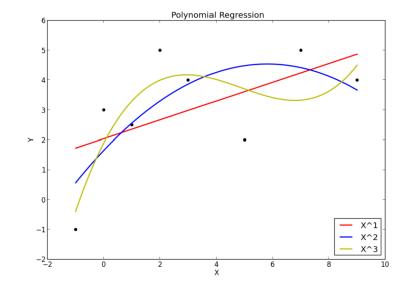
# Minimize Errors and Best Fit Lines

Try it by hand!



# Why LINEAR regression?

- Faster
- More honest



# **OLS** in Python

```
import pandas as pd
import statsmodels.formula.api as smf

data = pd.read_csv(
    "https://github.com/dustywhite7/pythonMikkeli/raw/master/exampleData/fishWeight.csv")

reg = smf.ols("Weight ~ Length1", data=data)

reg = reg.fit()

print(reg.summary())
```

#### In [5]: ▶ reg.summary()

#### Out[5]:

#### OLS Regression Results

Dep. Variable:			Weight			R-squared:			0.839	
Model:			OLS				Adj. R-squared:			0.837
Method:			Least Squares				F-statistic:			815.3
	Date:			Tue, 09 Jun 2020			Prob (F-statistic):			4.75e-64
Time:			20:09:35				Log-Likelihood:			-1015.1
No. Observations:			159				AIC:			2034.
Df Residuals:			157				BIC:			2040.
Df Model:					1					
Covarian		non	robust							
	coef		std err		t		P> t	[0	0.025	0.975]
Intercept	-462.3751		32.2	243	43 -14.340		0.000	-526	3.061	-398.690
Length1	32.7922		1.1	.148 28.55		54	0.000	) 30	0.524	35.061
Omnibus:			9.385 <b>Durbi</b> i			Watson:		0.3	69	
Prob(Omn	0.009 <b>Jar</b>		Jaro	que-Bera (J		(JB):	9.7	68		
Skew:		-0.489			Prob(JB):		(JB):	0.007	57	
Kurtosis:		3.721		Cond. No.		No.	79	0.2		

#### Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

### **Regression Equations**

```
dependent ~ x1 + x2 + x3 + ...
```

We can force variables to be categorical:

```
dependent ~ x1 + x2 + C(x3) + ...
```

Here, we make x3 categorical

# **Regression Equations**

```
dependent ~ x1 + x2 + x3 + ...
```

We can use arithmetic transformations:

```
dependent \sim x1 + I(x2**2) + x3 + ...
```

Here, we square x2

### When OLS Fails

OLS is an inappropriate model whenever you have a binary or discrete dependent variable (think "yes" or "no" questions)

In this case, you should use Logistic Regression instead. More details can be found in the class notes on Mimir/Github.

# Implementing Logistic Regressions

```
formula = "y ~ all_of_the_xs"

reg = smf.logit(formula, data)

reg = reg.fit()

reg.summary()
```

# Lab Time!