

Computational Études

A Spectral Approach

A Tentative Teaching Plan

Course Information

Course: MATH 794 – 01 (CRN 21296)

Semester: Spring 2026

Schedule: Mon & Wed, 16:30 – 17:45

Location: G-G02013




Instructor

Name: Dr. Denys Dutykh

Department: Mathematics

Institution: Khalifa University

Location: Abu Dhabi, UAE

Legend:  Completed  Current  Planned

Week	Dates	Monday Lecture	Wednesday Lecture
1	Jan 12–14	Course introduction Syllabus & overview	Ch. 2: Classical PDEs Heat equation – separation of variables
2	Jan 19–21	Ch. 3: Mise en bouche Method of weighted residuals, collocation example, collocation vs Galerkin	Ch. 4: The Geometry of Nodes Lagrange interpolation, Runge phenomenon, potential theory
3	Jan 26–28	Ch. 5: Differentiation Matrices FD stencils, spectral matrices, Fornberg algorithm	TBA
4	Feb 2–4	TBA	TBA
5	Feb 9–11	TBA	TBA
6	Feb 16–18	TBA	TBA
7	Feb 23–25	TBA	TBA
8	Mar 2–4	TBA	TBA
9	Mar 9–11	TBA	TBA
–	Mar 16–27	<i>Spring Break & Eid Al Fitr – No classes</i>	
10	Mar 30–Apr 1	TBA	TBA
11	Apr 6–8	TBA	TBA
12	Apr 13–15	TBA	TBA
13	Apr 20–22	TBA	TBA
14	Apr 27–29	TBA	TBA
–	May 4–14	Final Examinations Period	

Table 1: Teaching schedule for MATH 794 – Spring 2026

Notes

- This schedule is tentative and may be adjusted based on class progress.
- Chapter numbers refer to *Computational Études: A Spectral Approach*.
- Office hours are available by appointment.
- All course materials are available in the course repository.

Course Projects

Project I: Spectral Methods for Boundary Value Problems

(Based on Chapter 3 –

Assigned: Jan 19, 2026)

Implement spectral methods (collocation and/or Galerkin) to solve a boundary value problem of your choice. Requirements:

1. Find a linear BVP of at least second order with **non-homogeneous** boundary conditions.
2. Construct an exact solution to this problem (or design the problem around a known exact solution).
3. Choose appropriate basis functions that satisfy the boundary conditions identically.
4. Apply the **Collocation** method, **Galerkin** method, or both to obtain a numerical solution.
 - If using **only** the Collocation method, the BVP must have **non-constant coefficients**.
 - If applying **both** methods, the problem may have constant coefficients (though non-constant coefficients are also welcome).
5. Present results in a table that includes the error at the collocation points.
6. Provide graphical representations showing: the exact solution, the numerical approximation, and the difference (error) between them.

Project II

To be announced

Project III

To be announced

Project IV

To be announced

Last updated: January 22, 2026