

Programming

- In order to accomplish this assignment I attempted to modify the lib/obj-loader.js file as little as possible by post-processing the values it produces
- I modified readObjFile to return a Promise
 - this way I can use a callback function to initialize the model once it's finished loading
- I added a function initModel that does processing on the vertices and normals every time we load the object file
 - extracts object arrays (loads data to use in array buffers)
 - sets the vertex normals
 - averages vertex normals as the average of the normals of the faces it is a component in
 - normalize vertex normal vectors
 - replace normals array that was generated with the face
 - normalizes vertices according to largest component of bounding box
 - calculates the center of mass of the object
 - stores transformation to move object to its center of mass in cmMatrix
 - assigns vertex buffers the data from the model
- I modified initScene() to run the initModel code after it's finished downloading the model
- I modified drawScene()
 - disable the default spinning behavior
 - move the object to align its center of mass to the origin (mvMatrix.multiply(cmMatrix))
 - to enable the rotation buttons, using the curRot matrix to store rotation
 - to enable the zoom in and zoom out buttons using translation equal to camZ

Questions

- let m = new Matrix4();
- 1.1 $R(45, \langle 0, 1, 0 \rangle) =$
 - m.setRotate(45, 0,1,0).str()

```
[ 0.7071067690849304, 0, 0.7071067690849304, 0
0,          1, 0,          0
-0.7071067690849304, 0, 0.7071067690849304, 0
0,          0, 0,          1 ]
```

- 1.2
 - $\theta = \arccos((\langle 1, 1, 0 \rangle \cdot \langle 0, 1, 0 \rangle) / (\sqrt{1^2 + 1^2 + 0^2} * \sqrt{0^2 + 1^2 + 0^2}))$
 - $\theta = 45$ degrees
 - $\text{axis} = \langle 1, 1, 0 \rangle \times \langle 0, 1, 0 \rangle = \langle 0, 0, 1 \rangle$
 - $R(\theta, \text{axis}) =$
 - m.setRotate(45, 0,0,1).str()

```
[ 0.707..., -0.707..., 0, 0  
 0.707..., 0.707..., 0, 0  
 0, 0, 1, 0  
 0, 0, 0, 1 ]
```

- you can multiply this and the $\langle 1, 1, 0 \rangle$ to get the resulting vector $\langle 0, 1, 0 \rangle$

- 1.3 $R(45, \langle 1, 1, 0 \rangle)$

```
[0.8535534143447876, 0.1464466154575348, 0.5, 0  
 0.1464466154575348, 0.8535534143447876, -0.5, 0  
 -0.5, 0.5, 0.7071067690849304, 0  
 0, 0, 0, 1]
```

- not sure what problem means by "in terms of", if it means to applying them in order then the resulting matrix is

- ``m.setIdentity().rotate(45, 0,1,0).rotate(45, 0,0,1).rotate(45, 1,1,0).str()``

```
[-6.172263589121485e-9, 6.172263589121485e-9, 0.9999999403953552, 0  
 0.7071067690849304, 0.7071067690849304, 0, 0  
 -0.7071067690849304, 0.7071067690849304, 1.2688051498344066e-8, 0  
 0, 0, 0, 1]
```

- 1.4
 - rotation of $\langle 1, 0, 0 \rangle$ to $\langle -1, -2, -3 \rangle$
 - translation from $\langle 0, 0, 0 \rangle$ to $\langle 2, 4, 6 \rangle$
- 1.5,
- 1.6. $(1, 2, 3)$
- 1.7.
- 1.8.