Pedestrian Detection Final Presentation

Purdue University - Vertically Integrated Projects

Image Processing and Analysis - Fall 2024

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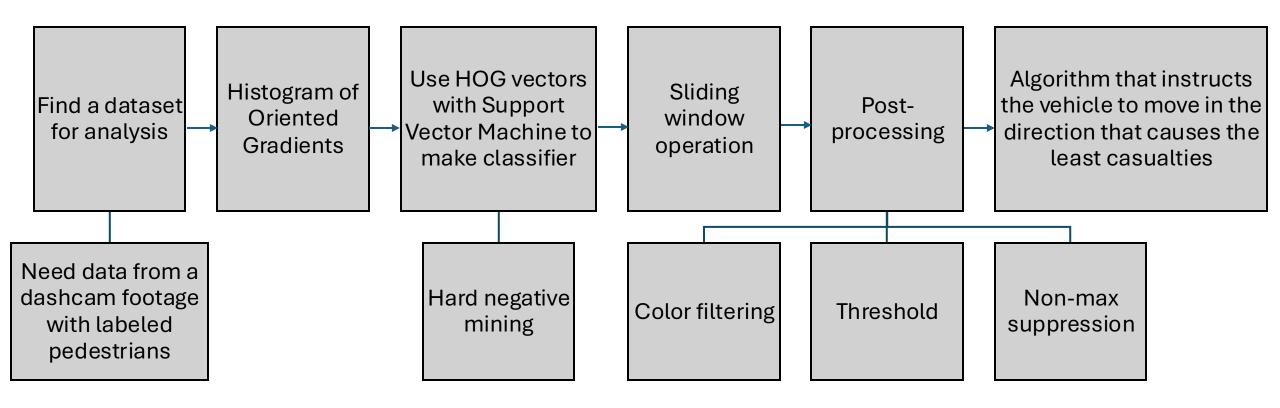


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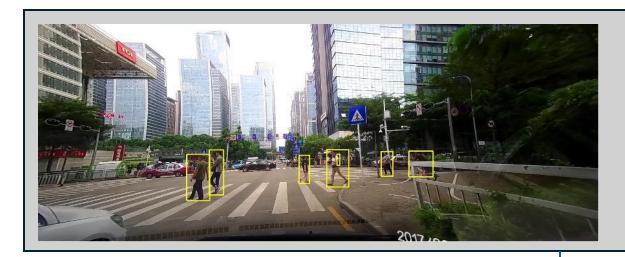


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Project Flow Diagram



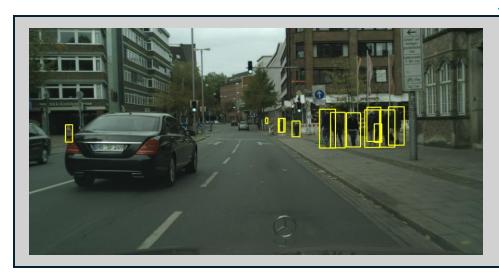
Dataset



WIDER Dataset

- 88,260 images
- Images taken from wide angle camera
- Lighting conditions vary across images

Switched to



Cityscapes Dataset

- 3,475 images
- Images taken without wide angle lens
- Lighting conditions are similar across images

Histograms of Oriented Gradients

Preprocessing

- Grayscale image
- Resize to 1:2
 width to height
 ratio

Gradients

Sobel operator

x-direction

-1 0 1 -2 0 2

y-direction

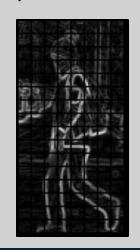
-1	-2	-1
0	0	0
1	2	1

Magnitude and Direction

- Gradient Magnitude
- Gradient Direction $\theta = \arctan\left(\frac{g_y}{g_x}\right)$

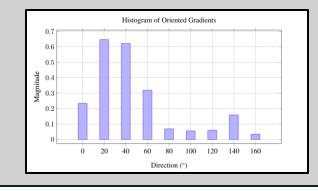
Break into cells

 We used 8x8 pixel cells



Make Histogram for Each Cell

- Direction on x-axis (0-160 degrees)
- Place magnitude values into appropriate bins



Block Normalization

- Create 2x2 blocks of adjacent cells
- Normalize feature vectors in each block

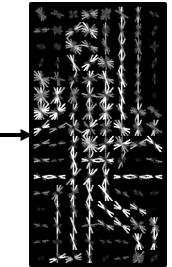
$$\vec{v}_{norm} = \frac{\vec{v}}{\sqrt{\sum_{i}(x_i^2)}}$$

 $\vec{v} = 36x1$ feature vector $x_i = ith$ element in \vec{v}

Original Image



HOG Features



Support Vector Machine (SVM)

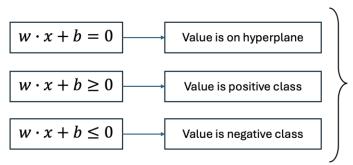
• An algorithm that finds the optimal hyperplane to correctly classify data.

$$w = weight vector$$

 $x = input vector$

b = intercept

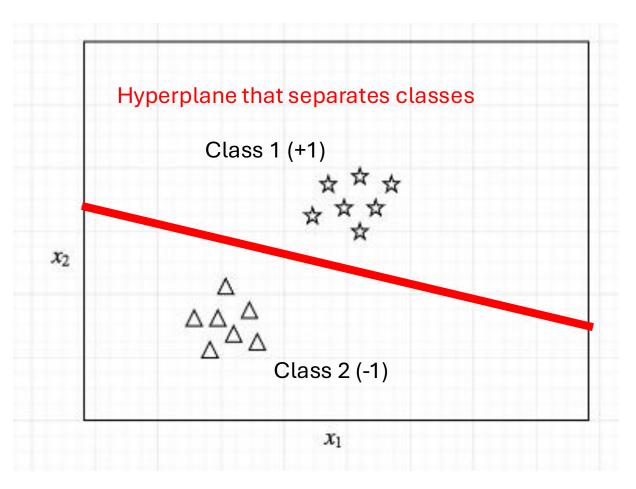
Equation of hyperplane in n-dimensional space:
$$w \cdot x + b = 0$$



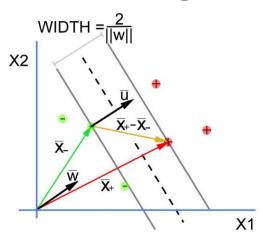
Classify based on location with respect to hyperplane

$$h(x_i) = \begin{cases} +1 & if \ w \cdot x + b \ge 0 \\ -1 & if \ w \cdot x + b \le 0 \end{cases}$$

Hyperplane in 2 dimensions

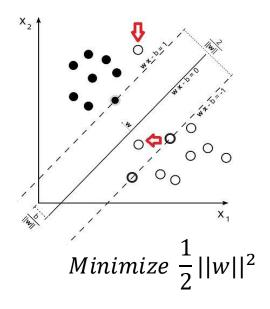


Hard Margin



$$Maximize \xrightarrow{\frac{2}{||w||}} Minimize \xrightarrow{\frac{1}{2}||w||^2}$$

Soft Margin



$$\begin{aligned} & \textit{Minimize Hinge Loss} \\ &= \max(0, 1 - y_i(w \cdot x_i + b)) \end{aligned}$$

The SVM classifier assigns a confidence score c(x) to each point x. The confidence score is given by:

$$c(x) = \frac{(w \cdot x + b)}{\parallel w \parallel}$$

Parameter Update for Hinge Loss

$$\min_{w,b} \left(\frac{1}{n} \sum_{i=1}^{n} \max(0, 1 - y_i(w \cdot x_i + b)) + \frac{\lambda}{2} ||w||^2 \right)$$

$$\max(0, 1 - y_i(w \cdot x_i + b))$$
 Hinge loss term at point i

Objective (Soft Margin SVM Equation)

 $\eta = step size$

 λ = positive constant

 $y_i = classification at point$

Optimize objective to minimize hinge loss. Two Scenarios:

- Scenario 1: point is incorrectly classified or inside margin.
- Scenario 2: point is correctly classified.

$$y_{i}(w \cdot x_{i} + b) < 1 \longrightarrow \begin{array}{c} \nabla_{w} = -y_{i}x_{i} \\ \nabla_{b} = -y_{i} \end{array}$$

$$y_{i}(w \cdot x_{i} + b) \ge 1 \longrightarrow \begin{array}{c} \nabla_{w} = 0 \\ \nabla_{b} = 0 \end{array}$$

$$w_{new} = w - \eta \left(\frac{1}{n} \sum_{i=1}^{n} -y_i x_i + \lambda w \right)$$

$$b_{new} = b - \eta \left(\frac{1}{n} \sum_{i=1}^{n} -y_i \right)$$

We compute new values for w and b. We repeat this process until convergence.

 $w_{new} = w - \eta \lambda w$ $b_{new} = b$

Sliding window

Given an input image of dimensions $H \times W$, the sliding window is applied over a grid of coordinates (x, y) with a fixed window size $w \times h$.

Let the set of all possible window coordinates be:

$$W = \{(x,y) \mid x \in [0, W - w], y \in [0, H - h]\}$$

Given step size s:

$$x_i = x_{i-1} + s,$$

 $y_i = y_{i-1} + s$

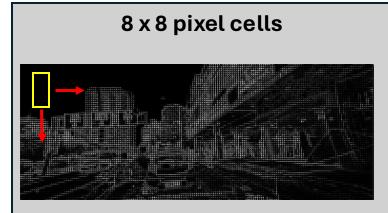
$$f(x,y) = HOG(w(x,y))$$

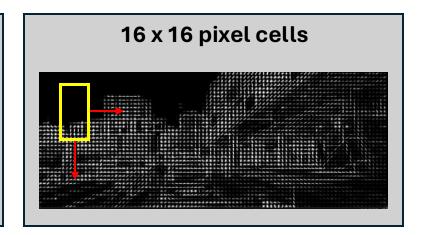
Window contains pedestrian if:

$$c(f(x,y)) > T$$

where T = threshold





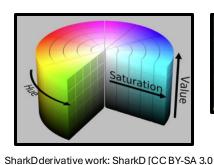


Color Filtering

 Want to flag the colors typically associated with trees (green/brown)

 P_C = Percentage of pixels in hue range T = threshold

$$\text{Classification} = \begin{cases} \text{Not a pedestrian} & \text{if } P_C \geq T, \\ \\ \text{Potential pedestrian} & \text{if } P_C < T. \end{cases}$$



or GFDL], via Wikimedia Commons



Some trees from

the dataset



Filtering Parameters

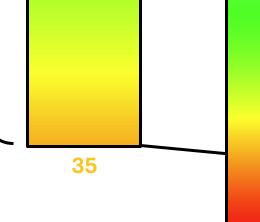
• Score Threshold: 1.2

• Green/Brown Threshold: 30%

HSV Color Range:

(35, 30, 0) to (160, 255, 255)

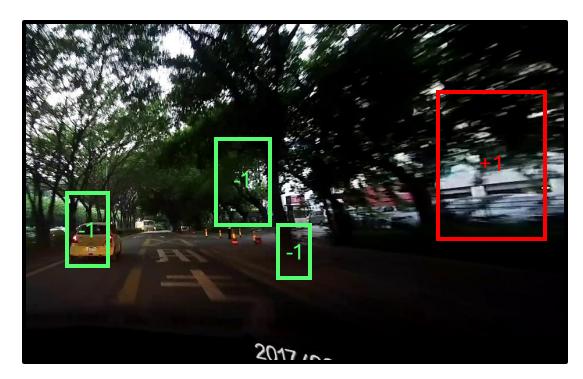
Chose Hues between 35 and 160 to correspond to green/brown



Hard Negative Mining

Train an initial model with part of the training dataset

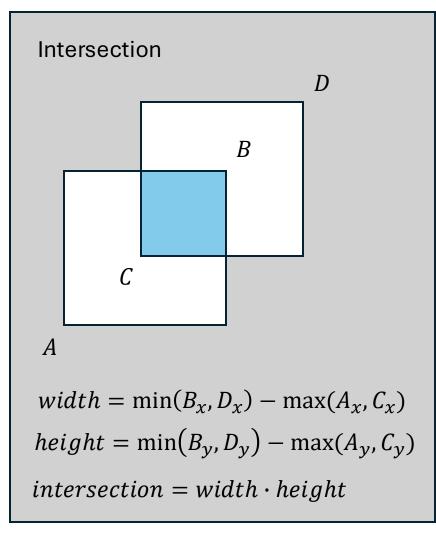
Test it on negative samples from more of the training dataset

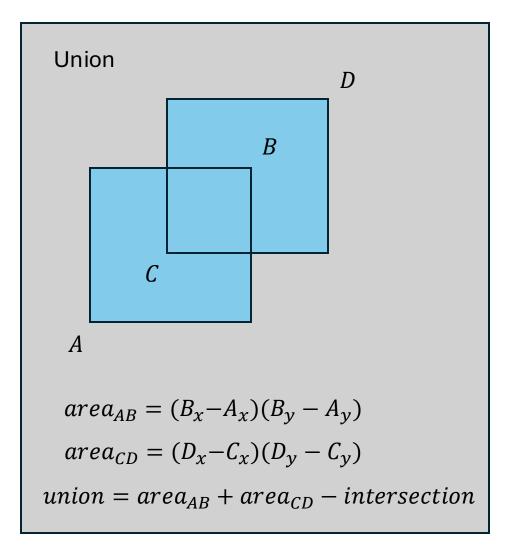


Retrain the model with all the additional false positive misclassifications

This forces the model to target specific features that distinguish between pedestrians and non pedestrians

Intersection Over Union/Jaccard Index





$$IOU = \frac{intersection}{union}$$

Non-Maximum Suppression

s = decision score (distance from hyperplane)

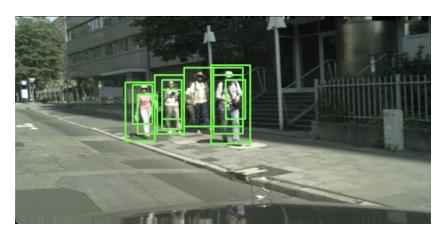
$$\begin{bmatrix} A_x & A_y & B_x & B_y & s_{AB} \\ C_x & C_y & D_x & D_y & s_{CD} \\ \vdots & \vdots & \vdots & \vdots \end{bmatrix}$$
Sorted based on s in descending order

threshold = 0.3

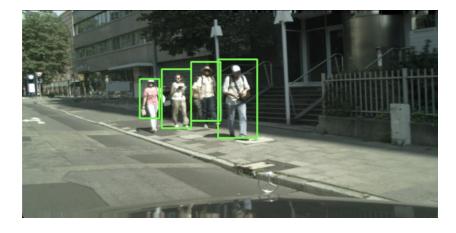
Traverse down the list, computing each box's IOU with the boxes further down the list

If the *IOU* is greater than a threshold, remove the box with the lower s

Before NMS



After NMS



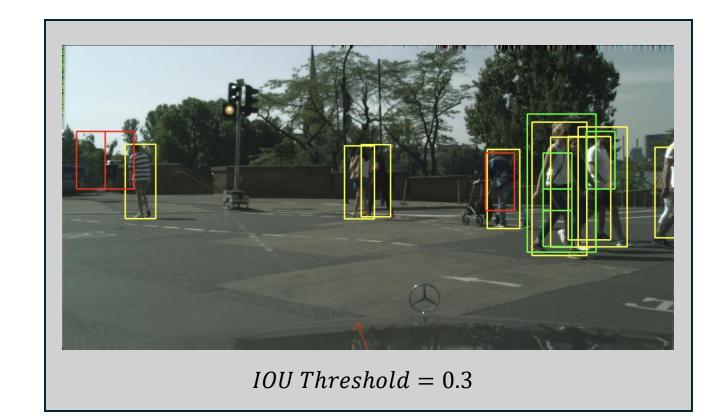
F1 Score

Measures the predictive performance of binary classification models

$$Precision = \frac{True\ Positives\ (TP)}{TP + False\ Positives\ (FP)}$$

$$ext{Recall} = rac{ ext{True Positives (TP)}}{ ext{TP + False Negatives (FN)}}$$

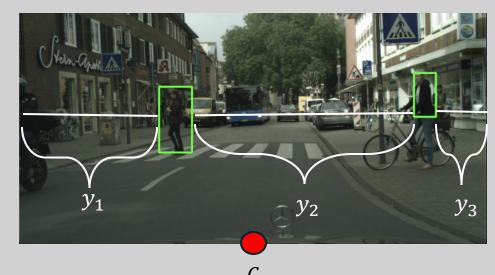
$$ext{F1 Score} = 2 imes rac{ ext{Precision} imes ext{Recall}}{ ext{Precision} + ext{Recall}}$$



- Ground Truths
- False Positives
- True Positives

Precision = 0.57 Recall = 0.44F1 Score = 0.50

Final Output



$$y_{max} = y_2$$

$$\Delta x = Mid(y_{max})_x - C_x$$

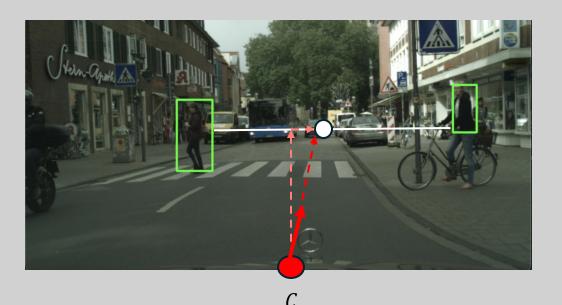
$$\Delta y = Mid(y_{max})_y - C_y$$

$$d = (\Delta x, \Delta y)$$

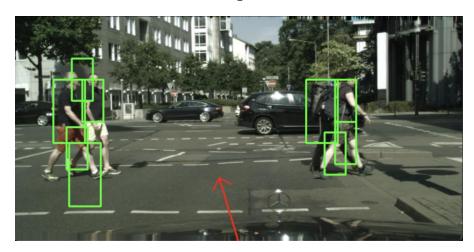
$$d_u = \frac{d}{|d|} = \frac{d}{\sqrt{(\Delta x^2 + \Delta y^2)}}$$

n = # detected pedestrians $y_i = image$ sections with no pedestrians i = n + 1 $L(y_1) = length \ of \ section \ in \ pixels$

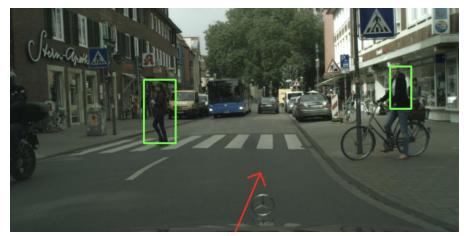
 $y_{max} = \max_{i} L(y_i)$ $w = image \ width$ $C = \left(\frac{w}{2} \ px, 0 \ px\right)$ $Mid(y_i) = Midpoint \ of \ y_i$ $d = direction \ vector$ $d_u = direction \ unit \ vector$



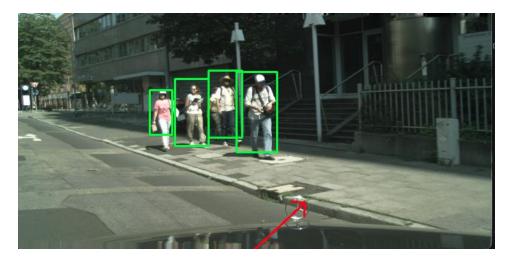
Final Output



$$d_u = (-0.29, -0.96)$$



$$d_u = (0.39, -0.91)$$



References

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