华东师范大学期末试卷 (B)

2007-2008 学年第二学期

课程	名称:	软件	工程数	学										
学生	姓名:	: 学 号:												
专	业:		年级/班级:											
课程	课程性质:专业必修													
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_	=	三	四	五	六	七	八	九	十	+	十	总分	阅卷人签名	
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一、(6分)														
用一阶谓词公式描述下列命题的结构(使用全程个体域)														
<u>汽车具</u>														
没有最大的自然数														
二、(9分)														
设 C*是实数部分非零的全体复数组成的集合,C*上的关系 R 定义为:(a+bi) R(c+di) ⇔ac>0, 证明 R 是等价关系。														
三、(10分)														
1. How many one-to-one functions are there from a set with a elements to one														
with	b elem	ents?												

四、(8分)

"MISSISSIPPI"?

Show that for every integer n there is a multiple of n that has only 0s and 1s in its decimal expansion.

2. How many different strings can be made by reordering the letters of the word

五、(6分,)

Use the binomial theorem

$$(x+y)^{n} = \sum_{k=0}^{n} C(n,k) x^{n-k} y^{k}$$

Let n be a nonnegative integer, then

$$\sum_{k=0}^{n} {n \choose k} = 2^n$$

六、(8分)

What is the generation function for $\{a_k\}$, where a_k is the number of solutions of $x_1+x_2+x_3=k$, when x_1,x_2 , and x_3 are integers with $x_1\geq 2$, $0\leq x_2\leq 3$, $2\leq x_3\leq 5$?

七、(6分)

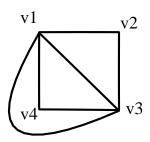
- (a) Find a recurrence relation for the number of bit strings of length n that contain three consecutive 0s.
 - (b) What are the initial conditions?

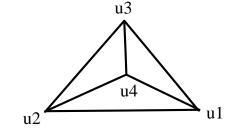
八、(6分) Find the solution to $a_n=7a_{n-2}+6a_{n-3}$ with $a_0=9$, $a_1=10$, and $a_2=32$.

九、(6分) What is the general form of the particular solution of the linear nonhomogeneous recurrence relation $a_n=6a_{n-1}-12a_{n-2}+8a_{n-3}+F(n)$ if (a) $F(n)=n^3$? (b) $F(n)=(-2)^n$? (c) $F(n)=n^42^n$?

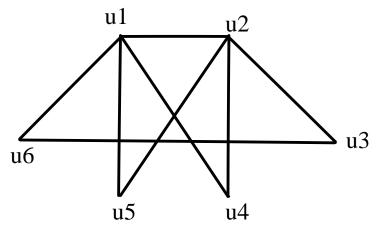
1. Does there exist a simple graph with six vertices of these degrees? If so, draw such a graph.

2. Determine whether the given pair of graphs is isomorphic(同构). Please briefly explain the reason.

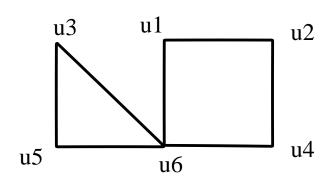




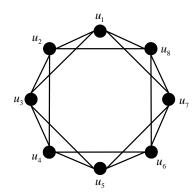
3. Determine whether the graph is bipartite.



4. Find all the cut vertices of the given graph



- 1. For which values of m and n does the complete bipartite graph $K_{m,n}$ have a Hamilton circuit?
- 2. Find the chromatic number (着色数) of the following graph.



十二、(7分)

Prove the following graph is nonplanar (非平面).

