# MAP: Estimation of biophysical attributes Dominic Hewitt do6743he-s

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I used this opportunity to apply what I'm learning about python, Jupyter notebooks and LATEX. The following is a Jupyter notebook I created for doing this assignment with added commentary with LATEX

### 1 loading the data

First I needed to import the required packages

```
[63]: import pandas as pd
  import geopandas as gpd
  import matplotlib.pyplot as plt
  import plotly.graph_objects as go
  from plotly.subplots import make_subplots
  import rasterio
  import numpy as np
  from rasterio.plot import show, show_hist
  from scipy.stats import linregress, describe, rv_histogram
```

Then I load the excel file into a GeoPandas Dataframe, I also set the CRS

```
[2]: df = pd.read_excel('field_observation.xls')
point_data = gpd.GeoDataFrame(df, geometry=gpd.points_from_xy(df.X, df.Y))
point_data.set_crs(epsg=32644, inplace=True)
```

```
[2]:
                                                       canopy density (%)
         Plot
                    Х
                                      nnx
            0 548171 3057513 273.033333 416.966667
                                                                     0.0
    0
    1
            1 547415 3052674 247.833333 578.266667
                                                                    81.0
    2
            2 547177 3052725 239.900000 576.566667
                                                                    46.0
    3
            3 546887 3052673 230.233333 578.300000
                                                                    84.8
    4
            4 546619 3052552 221.300000 582.333333
                                                                    79.0
                                                                     . . .
    367
          367 549780 3065424 326.666667 153.266667
                                                                    76.0
    368
          368 550326 3065855 344.866667 138.900000
                                                                    81.0
    369
          369 549604 3065668 320.800000 145.133333
                                                                    81.0
```

```
370
     370 548628 3065963 288.266667 135.300000
                                                                  75.1
371
                                                                  86.0
     371 548309 3065676 277.633333 144.866667
    light intensity
                                            geometry
0
               18.40
                     POINT (548171.000 3057513.000)
1
                2.20
                     POINT (547415.000 3052674.000)
2
               11.80 POINT (547177.000 3052725.000)
3
                1.90 POINT (546887.000 3052673.000)
                2.30 POINT (546619.000 3052552.000)
4
                 . . .
. .
                4.27 POINT (549780.000 3065424.000)
367
368
                1.60 POINT (550326.000 3065855.000)
369
                3.60 POINT (549604.000 3065668.000)
370
                2.87 POINT (548628.000 3065963.000)
371
                1.00 POINT (548309.000 3065676.000)
[372 rows x 8 columns]
```

I then used GDAL to extract the required bands and convert the raster to .tif format.

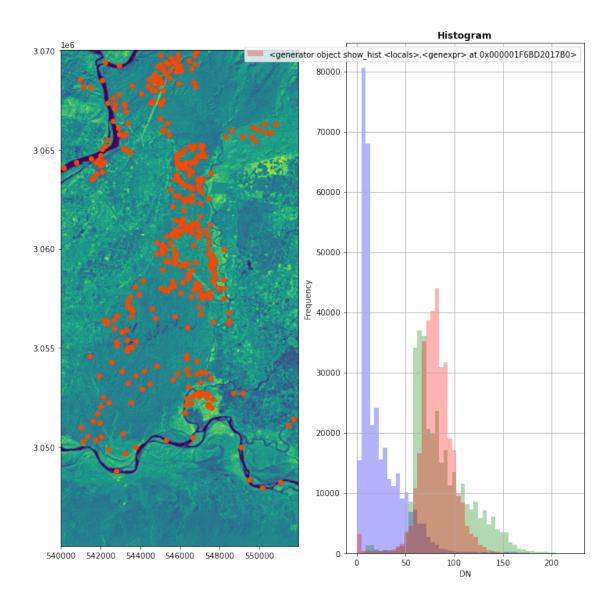
```
[3]: | !gdal_translate np_20011024_refl.img -b 4 -b 5 -b 3 np_20011024_refl.tif

Input file size is 400, 834
```

Next I load the raster data and plot sample points on top to visualise the data I also added a histogram of the bands DNs

0...10...20...30...40...50...60...70...80...90...100 - done.

```
[4]: s = rasterio.open('np_20011024_refl.tif')
fig, (ax, axhist) = plt.subplots(1, 2, figsize=(12,12))
point_data.plot(ax=ax, color='orangered')
show(s, ax=ax)
show_hist(s, bins=50, histtype='stepfilled', lw=0.0, stacked=False, alpha=0.3,___
ax=axhist)
plt.show()
```



## 2 Extract samples and calculate SVIs

I then used rasterio to to extract the DNs values from the raster, and then calculated the NDVI and SR values

```
# calculate SR
      point_data['SR'] = point_data['Raster Value'].str[0]/point_data['Raster Value'].
       \rightarrowstr[2]
      # a look at the dataframe with extracted DNs, calculated NDVI ans SR indices,
       \rightarrow values
      point_data.head()
[79]:
         Plot
                    Х
                              Y
                                                          canopy density (%)
                                         nnx
                                                     nny
      0
            0
               548171
                        3057513
                                              416.966667
                                                                          0.0
                                 273.033333
      1
                                                                         81.0
            1 547415
                        3052674
                                 247.833333
                                              578.266667
      2
            2 547177
                                                                         46.0
                        3052725
                                 239.900000
                                              576.566667
      3
            3 546887
                        3052673
                                 230.233333
                                              578.300000
                                                                         84.8
            4 546619
                        3052552 221.300000
                                              582.333333
                                                                         79.0
         light intensity
                                                               Raster Value
                                                                                  NDVI \
                                                  geometry
      0
                                                             [145, 152, 38]
                     18.4 POINT (548171.000 3057513.000)
                                                                             0.584699
      1
                      2.2 POINT (547415.000 3052674.000)
                                                               [128, 90, 3]
                                                                             0.954198
      2
                     11.8 POINT (547177.000 3052725.000)
                                                                [93, 76, 5]
                                                                             0.897959
      3
                      1.9 POINT (546887.000 3052673.000)
                                                               [132, 88, 8]
                                                                             0.885714
      4
                      2.3 POINT (546619.000 3052552.000)
                                                               [117, 82, 8]
                                                                             0.872000
                SR
          3.815789
      0
      1 42.666667
      2 18.600000
      3 16.500000
      4 14.625000
```

I'd noticed later on in the analysis, that there was one or more of the SR values causing an error by giving an infinity value. So for the sake of continuity I with deal with it here

```
[9]: point_data['SR'].describe()
               372.000000
[9]: count
     mean
                      inf
     std
                      NaN
                 0.000000
     min
     25%
                 4.826923
     50%
                 8.286364
     75%
                11.500000
                      inf
     max
     Name: SR, dtype: float64
```

...and replace these inf values with Nan values

```
[10]: point_data['SR'].replace(np.inf, np.nan, inplace=True)
```

## 3 Correlation coefficients and Scatter plots

The the correlation coefficients between single spectral bands and the forest canopy attributes and between SVIs and forest canopy attributes were calculated

```
[11]: canopy_band4 = point_data['canopy density (%)'].corr(point_data['Raster Value'].
       \rightarrowstr[0])
      canopy_band5 = point_data['canopy density (%)'].corr(point_data['Raster Value'].
       \rightarrowstr[1])
      canopy_band3 = point_data['canopy density (%)'].corr(point_data['Raster Value'].
       \rightarrowstr[2])
      canopy_NDVI = point_data['canopy density (%)'].corr(point_data['NDVI'])
      canopy_SR = point_data['canopy density (%)'].corr(point_data['SR'])
      light_band4 = point_data['light intensity'].corr(point_data['Raster Value'].
       →str[0])
      light_band5 = point_data['light intensity'].corr(point_data['Raster Value'].
       \rightarrowstr[1])
      light_band3 = point_data['light intensity'].corr(point_data['Raster Value'].
       \rightarrowstr[2])
      light_NDVI = point_data['light intensity'].corr(point_data['NDVI'])
      light_SR = point_data['light intensity'].corr(point_data['SR'])
```

...and added to a dict and convert to a dataframe for easy reading

```
[12]: canopy density (%) light intensity
Band 4 0.320603 -0.323536
Band 5 -0.216024 0.206974
Band 3 -0.53462 0.525831
```

```
NDVI 0.53777 -0.533861
SR 0.608042 -0.594625
```

Above we can see that, so far, SR (simple ratio) has the highest correlation with canopy cover and light intensity

I then tested the correlation between the two biophysical attributes

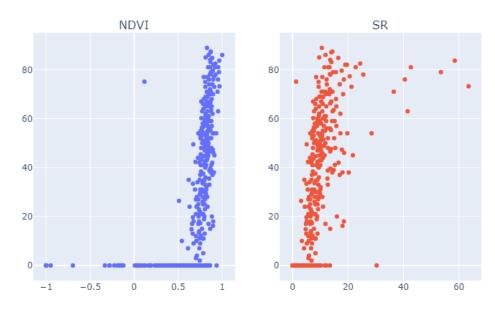
```
[13]: point_data['canopy density (%)'].corr(point_data['light intensity'])
```

#### [13]: -0.9886624290330429

As they correlate so highly I will from here on use only Canopy Density for workong with biophysical attributes

Next, I plotted scatter plots of the SVIs against Canopy Density

#### Scatter plots of SVIs against Canopy Density (%)



As per the instructions, I filtered out the zero values and also the outlier in the NDVI

#### and then recalculated the correlation coefficients

```
biological attributes canopy density (%) light intensity
Band 4
                                 0.326074
                                                   -0.30899
Band 5
                                                   0.286562
                                -0.282964
Band 3
                                                   0.533888
                                -0.560606
NDVI
                                 0.617229
                                                  -0.588258
SR
                                 0.458158
                                                  -0.431034
```

And I noticed the NDVI now shows a stronger relationship with Canopy Density

Re-plotting the scatter plots visualises the result

fig.show()





#### 4 SVI Raster creation

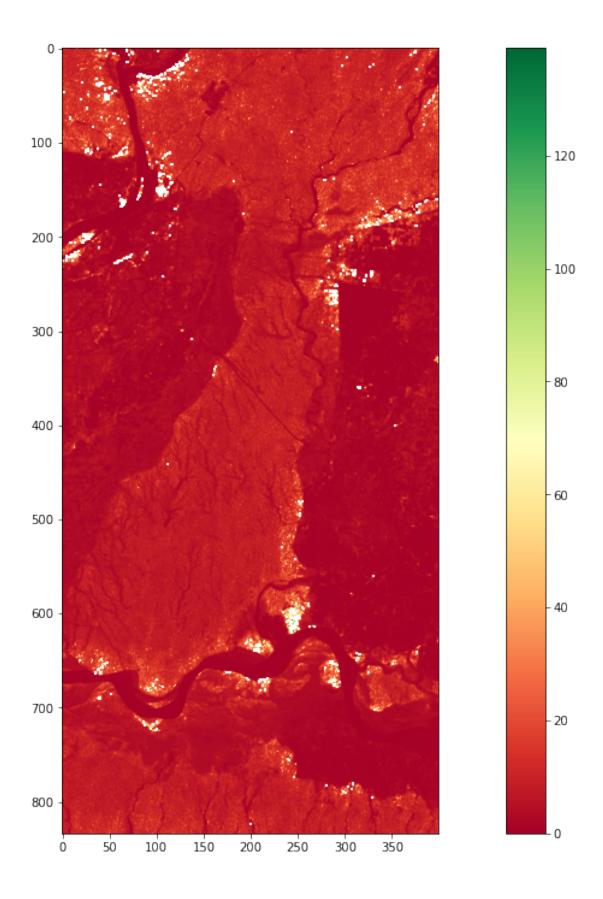
First, I set variables for each band I would be using

```
[23]: red = s.read(3).astype(float)
nir = s.read(1).astype(float)
np.seterr(divide='ignore', invalid='ignore') # ignore division errors
```

and proceeded to calculate SR for each pixel and render the layer

```
[24]: SR = nir/red

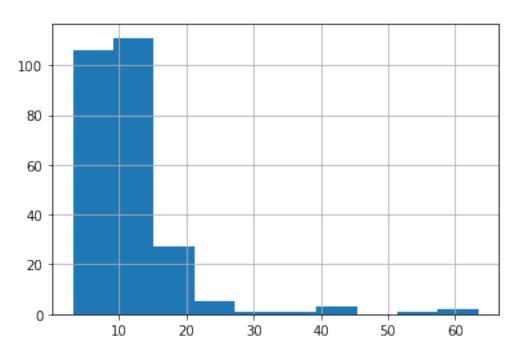
plt.figure(figsize = (20,12))
 plt.imshow(SR, cmap="RdYlGn")
 plt.colorbar()
 plt.show()
```



the distribution doesnt look right, maybe some erroneous values at the top end ...

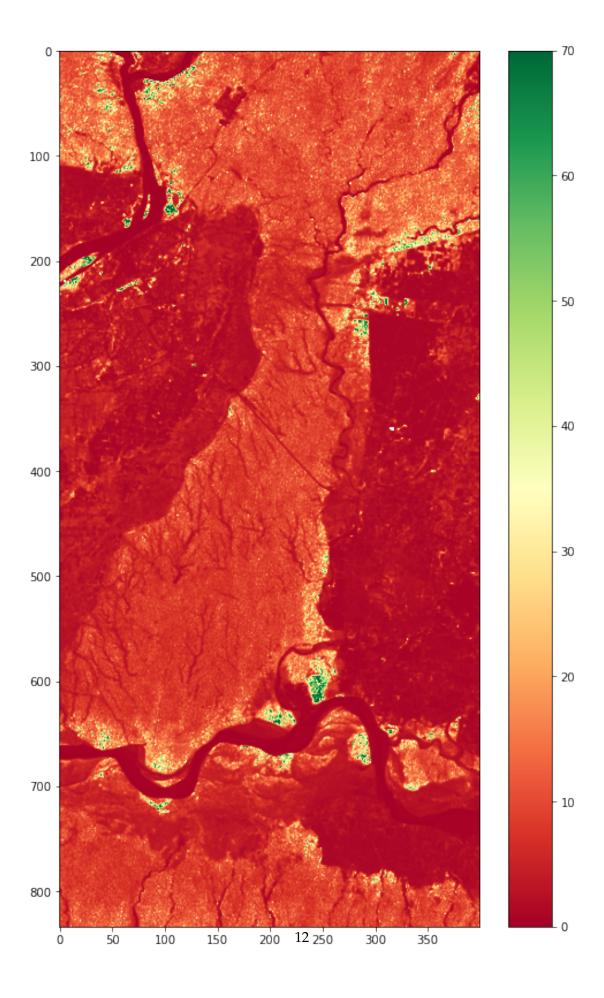
```
[25]: point_data_new['SR'].hist() # look at the histogram of the point data
```

## [25]: <AxesSubplot:>



After looking at the above graph, I re-plotted the raster but clipped the values to those present from the sample points

```
[59]: # replot with clipped outliers
plt.figure(figsize = (9,14))
plt.imshow(np.clip(SR, 0, 70), cmap="RdYlGn")
plt.colorbar()
plt.show()
```

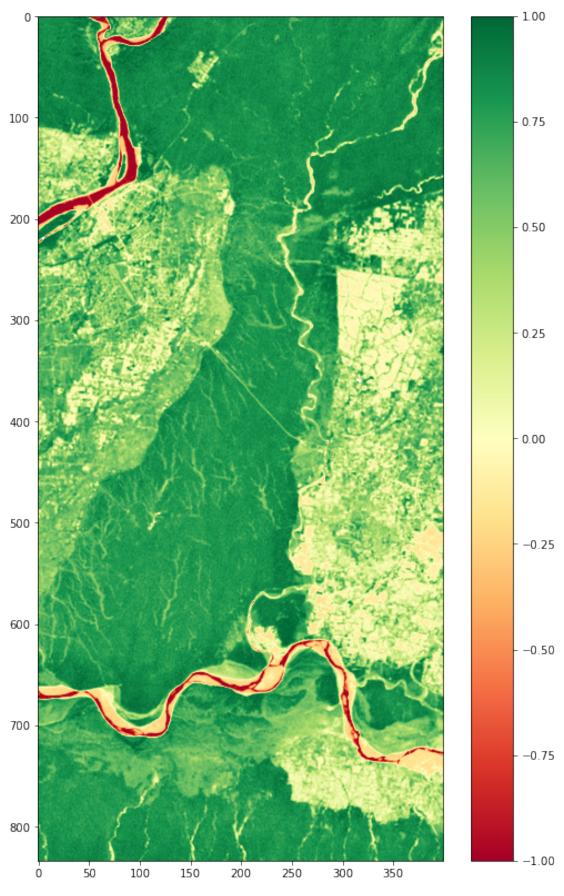


Then I did the same For NDVI

```
[58]: NDVI = (nir-red)/(nir+red)

plt.figure(figsize = (9,14))
plt.imshow(NDVI, cmap="RdYlGn")
plt.colorbar()
plt.show()
```

and these values where within the -1 to 1 of the NDVI index



## 5 Regression equation

Using the python package Scipy, I calculated the linear line regression statistics for NDVI vs. Canopy Density

```
[29]: reg = linregress(point_data_new['NDVI'],point_data_new['canopy density (%)']) print(reg)
```

```
LinregressResult(slope=186.65945760658215, intercept=-103.7461581835557, rvalue=0.6172289374610263, pvalue=1.7507047946226463e-28, stderr=14.870961139036076, intercept_stderr=12.089842416897852)
```

...and built the regression equation

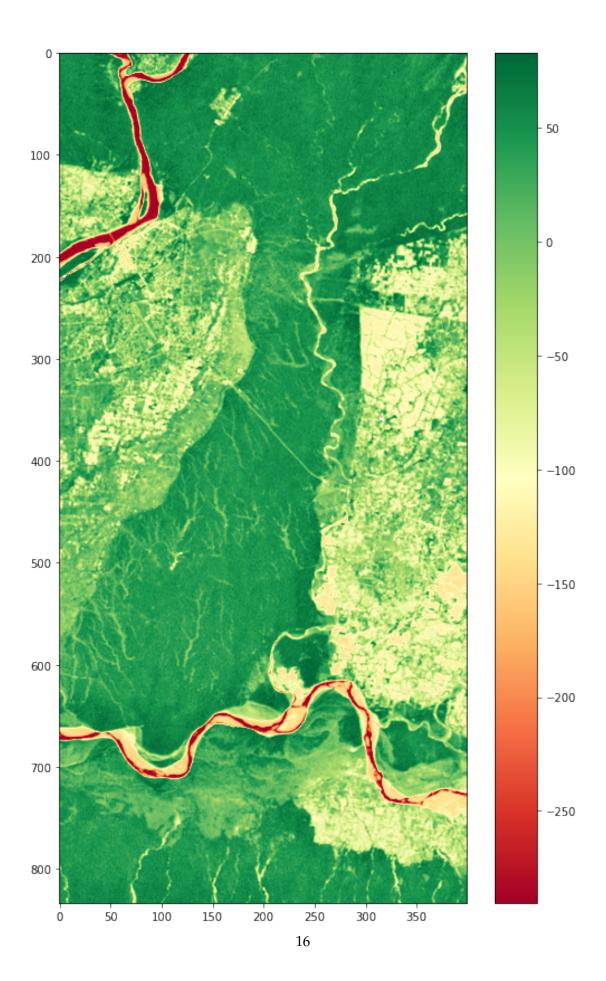
```
[30]: # build regression equation print(f'regression equation is: {reg.intercept} + ({reg.slope} * NDVI)')
```

```
regression equation is: -103.7461581835557 + (186.65945760658215 * NDVI)
```

Finally I applied the equation to the NDVI raster and rendered the result

```
[77]: def NDVI2CD(NDVI):
    return reg.intercept + (reg.slope * NDVI)

plt.figure(figsize = (9,14))
plt.imshow(NDVI2CD(NDVI), cmap="RdYlGn")
plt.colorbar()
plt.show()
```



Although the raster looks logical, the values are not the expected percentage range (between 0 and 100)

I think this is because there a significantly larger variance of DNs than that taken from the sample plots, including urban areas and waterbodies (which were excluded during analysis). I think a common method is to mask these areas before applying raster transformations/calculations

```
[37]: plt.hist(NDVI2CD(NDVI))
```

```
[37]: (array([[ 12.,
                       0.,
                             5., ..., 227., 278., 185.],
              [ 13.,
                       3.,
                             2., ..., 217., 274., 193.],
              [ 15.,
                       0.,
                             1., ..., 215., 305., 191.],
                             3., ..., 152., 101., 167.],
              1..
                             1., ..., 169., 96., 172.],
                 1.,
                             0., ..., 159., 95., 180.]]),
                       1.,
       array([-290.40561579, -253.07372427, -215.74183275, -178.40994123,
              -141.0780497 , -103.74615818, -66.41426666, -29.08237514,
                               45.5814079 ,
                                               82.91329942]),
                 8.24951638,
       <a list of 400 BarContainer objects>)
```

