## Comparing with MMST

## Meyer-Miller-Stock-Thoss

In action-angle variables:

$$\hat{a}_{i}^{\dagger} \hat{a}_{i} V_{ii}(Q) \mapsto n_{i} V_{ii}(Q)$$

$$\hat{a}_{i}^{\dagger} \hat{a}_{j} V_{ij}(Q) \mapsto \sqrt{\left(n_{i} + \frac{1}{2}\right) \left(n_{j} + \frac{1}{2}\right)} e^{i(q_{i} - q_{j})} V_{ij}(Q)$$

- Meyer & Miller obtained from a classical model, similar in spirit to DCMF
- Stock & Thoss derivation is based on boson analogy
- Langer modification required in MM (arises from commutation relation in ST)