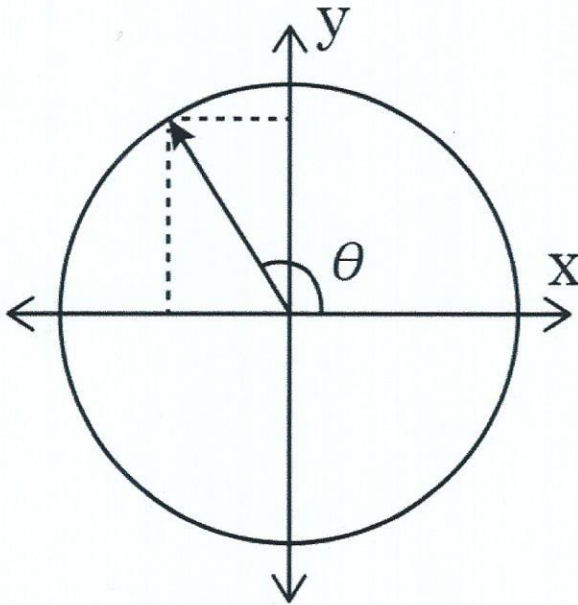


CS148: Reading Guide, Tuesday 1 July

Shirley Ch. 2 pp. 13-29, Ch. 4: Ray Tracing

You'll be needing your basic trig and linear algebra for the second assignment. You should find this reading extremely helpful! The chapter on ray tracing provides a foundation for understanding what you'll be asked to do in HW2, along with many useful derivations.



The figure at left shows the unit circle in the x,y plane. A vector lies on the unit circle at an angle θ to the x -axis as shown.

1) What is the value of the vector projected onto the x -axis? y -axis? (see dashed lines.)

x -axis: $\cos \theta$

y -axis: $\sin \theta$

2) Prove the Pythagorean identity, $\sin^2(\theta) + \cos^2(\theta) = 1$.
(Feel free to continue on the back of this sheet.)

From section 2.3.2 we have

$$a^2 + o^2 = h^2$$

$$\left(\frac{a}{h}\right)^2 + \left(\frac{o}{h}\right)^2 = 1$$

$$\text{since } \sin \theta = \frac{o}{h} \text{ and } \cos \theta = \frac{a}{h}$$

$$\cos^2 \theta + \sin^2 \theta = 1$$

3) If you took the dot product of the given vector with $(1, 0)^T$, would the sign be positive or negative? (Visualize projecting the vector onto the x -axis.)

negative

4) What kind of material might you visualize with Lambertian shading?
Blinn/Phong shading?

Lambert: rough fabric

Blinn/Phong: smooth marble