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R RStudio
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  🗴 🖭 Assignment 2.R × 🗳 Assignment 2 - Daniel Yim.Rmd × 🐧 Assignment 3 - Daniel Yim.Rmd × 🧶 Assignment 5 - Daniel Yim.Rmd × 🐧 Assignment 5 - Daniel Yim.Rmd × 🐧
    🐿 - | 👉 👵 | ➡ Run - | 🤡
    Source Visual
             title: "Assignment 5 - Daniel Yim"
author: "Daniel Yim"
date: "2023-04-10"
            4 date: 2023-04-10
5 output:
6 pdf_document: default
7 word_document: default
         10 → #Assignment 5
         11 - #1. Perform two separate regression analysis models on this dataset using as target variable (dependent variable) y1 13 - # and then using y2. (20 marks)
         15 - #Linear Regression: Y1 Heating Load, X1 Relative Compactness
        15 of the series of the series
                                                                                                                                                                                                                                                                                                                ⊕ ¥ ▶
                    lm(formula = Y1 ~ X1, data = ENB2012_data)
                   Residuals:

Min 1Q Median 3Q Max

-19.569 -6.332 -1.028 3.393 19.259
            Coefficients:
     X1
     Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
     Residual standard error: 7.904 on 766 degrees of freedom
    Multiple R-squared: 0.3873, Adjusted R-squared: 0.3864
F-statistic: 484 on 1 and 766 DF, p-value: < 2.2e-16
#Linear Regression: Y1 Heating Load, X2 Surface Area
                                                                                                                                                                                                                                                                                                              ## ▼ ▶
  lm(formula = Y1 ~ X2, data = ENB2012_data)
    Residuals:

Min 1Q Median 3Q Max

-18.609 -5.524 -1.300 3.529 18.176
 Coefficients:

Estimate Std. Error t value Pr(>|t|)

(Intercept) 72.945395 2.111064 34.55 <2e-16 ***
X2 -0.075387 0.003116 -24.19 <2e-16 ***
  Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' '1
  Residual standard error: 7.602 on 766 degrees of freedom
Multiple R-squared: 0.4331, Adjusted R-squared: 0.43
F-statistic: 585.3 on 1 and 766 DF, p-value: < 2.2e-16
#Linear Regression: Y1 Heating Load, X3 Wall Area
lm(formula = Y1 ~ X3, data = ENB2012_data)
  Residuals:
  Min 1Q Median 3Q Max
-19.0213 -7.3937 -0.4882 7.5728 18.2107
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Coefficients:

Estimate Std. Error t value Pr(>|t|)

(Intercept) -11.259681 2.391323 -4.709 2.96e-06 ***

X3 0.105391 0.007439 14.168 < 2e-16 ***
signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
Residual standard error: 8.988 on 766 degrees of freedom
Multiple R-squared: 0.2076, Adjusted R-squared: 0.2066
F-statistic: 200.7 on 1 and 766 DF, p-value: < 2.2e-16
#Linear Regression: Y1 Heating Load, X4 Roof Area
                                                                                                                                                                         - (3) ¥ ▶
energy_eff_bdg <-1m(Y1\sim X4\,,\ data=ENB2012\_data) summary(energy_eff_bdg)
 lm(formula = Y1 \sim X4, data = ENB2012\_data)
 Residuals:
 Min 1Q Median 3Q Max
-19.5327 -2.6392 -0.3191 2.4997 15.0930
 Coefficients:
 Estimate Std. Error t value Pr(>|t|)
(Intercept) 56.309657  0.746269  75.45  <2e-16 ***
X4  -0.192535  0.004094  -47.03  <2e-16 ***
 Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 5.121 on 766 degrees of freedom
Multiple R-squared: 0.7427, Adjusted R-squared: 0.7424
F-statistic: 2212 on 1 and 766 DF, p-value: < 2.2e-16
#Linear Regression: Y1 Heating Load, X5 Overall Height
energy_eff_bdg <-lm(Y1 ~ X5, data = ENB2012_data)
summary(energy_eff_bdg)
                                                                                                                                                                             lm(formula = Y1 ~ X5, data = ENB2012_data)
 Residuals:
Min 1Q Median 3Q Max
-15.7259 -2.5929 -0.3085 2.0015 11.8241
Coefficients:
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 4.615 on 766 degrees of freedom
Multiple R-squared: 0.7911, Adjusted R-squared: 0.7908
F-statistic: 2901 on 1 and 766 DF, p-value: < 2.2e-16
#Linear Regression: Y1 Heating Load, X6 Orientation
lm(formula = Y1 ~ X6, data = ENB2012_data)
 Residuals:
 Min 1Q Median 3Q Max
-16.285 -9.320 -3.345 9.375 20.781
 Coefficients:
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' '1
Residual standard error: 10.1 on 766 degrees of freedom
Multiple R-squared: 6.691e-06, Adjusted R-squared: -0.
F-statistic: 0.005126 on 1 and 766 DF, p-value: 0.9429
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#Linear Regression: Y1 Heating Load, X7 Glazing Area
                                                                                                                                                                           63 × 1
\begin{array}{lll} & \text{energy\_eff\_bdg} & <-1\text{m(Y1} & \times \text{X7, data} = \text{ENB2012\_data}) \\ & \text{summary(energy\_eff\_bdg)} \end{array}
 lm(formula = Y1 ~ X7, data = ENB2012_data)
 Min 1Q Median 3Q Max
-13.272 -9.193 -3.054 7.253 17.699
 Estimate Std. Error t value Pr(>|t|)
(Intercept) 17.5170 0.7103 24.662 < 2e-16 ***
X7 20.4380 2.6351 7.756 2.8e-14 ***
 signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
 Residual standard error: 9.722 on 766 degrees of freedom
 Multiple R-squared: 0.07281, Adjusted R-squared: 0.0
F-statistic: 60.16 on 1 and 766 DF, p-value: 2.796e-14
#Linear Regression: Y1 Heating Load, X8 Glazing Area Distribution
energy_eff_bdg <-lm(Y1 \sim X8, data = ENB2012_data) summary(energy_eff_bdg)
 lm(formula = Y1 ~ X8, data = ENB2012_data)
 Residuals:
 Min 1Q Median 3Q Max
-14.699 -8.968 -3.132 8.796 21.343
 Coefficients:
 signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 10.06 on 766 degrees of freedom
Multiple R-squared: 0.007633, Adjusted R-squared: 0.006338
F-statistic: 5.892 on 1 and 766 DF, p-value: 0.01544
# Before performing the multivariable regression analysis run some tests to see if the regression model assumptions # (i.e., multicollinearity, normal errors, etc) are met. (20 marks)
#Multiple Regression Analysis Y2 Cooling Load:
energy_eff_bdg <-lm(Y2 ~ ., data = ENB2012_data)
summary(energy_eff_bdg)
call:
 lm(formula = Y2 ~ ., data = ENB2012_data)
Residuals:

Min 1Q Median 3Q Max

-4.9848 -1.1019 -0.1268 0.9315 7.0398
Coefficients: (1 not defined because of singularities)
 Estimate Std. Error t value Pr(>|t|)

(Intercept) 24.435514 12.781437 1.912 0.05628

X1 -14.651807 6.998282 -2.094 0.03662

X2 -0.012596 0.011515 -1.094 0.27438
 X3
X4
                   -0.008022 0.004644 -1.727
                                                           0.08454
                   X5
X6
 X7
X8
                  -2.557639
-0.135906
                    Υ1
 Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 1.946 on 759 degrees of freedom
Multiple R-squared: 0.9586, Adjusted R-squared: 0.9582
F-statistic: 2197 on 8 and 759 DF, p-value: < 2.2e-16
```

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#Check for multicollinearity:
#visually:
pairs(ENB2012_data)
            550 750
                         120 200
                                     2.0 4.0
                                    8 X2 8 8 8 1
                                  8 X4 [
                             x6 (iii) (iiii) x6
                                  X7 (8888) X7
                                   X8 X8
                   'II' | 1
                             Y2 📶 🚻 🚻 iIIII
                  250
                     400
                                           0.0 0.3
                               3.5 5.5
#in terms of correlation numbers:
                                                                                                        ⊕ ¥ ►
cor(ENB2012 data)
X6 X7 X8 Y1 0.000000000 7.617400e-20 0.00000000 0.622271936
X2 -9.919015e-01
               1.000000e+00 0.1955016 8.807195e-01 -0.8581477 1.955016e-01 1.0000000 -2.923165e-01 0.2809757
                                                          0.000000000 4.664140e-20 0.00000000 -0.658119917
0.000000000 0.000000e+00 0.00000000 0.455671365
X3 -2.037817e-01
                                                                                         0.455671365
   X4 -8.688234e-01
                                                          0.000000000 -1.197187e-19 0.00000000 -0.861828052
                                                          0.000000000
                                                                     0.000000e+00 0.00000000
X5
                                                                                          0.889430464
   0.000000e+00
               0.000000e+00
                           0.0000000 0.000000e+00
                                                0.0000000
                                                          1.000000000
                                                                     0.000000e+00 0.00000000
                                                                                         -0.002586763
    7.617400e-20
               4.664140e-20 0.0000000 -1.197187e-19
                                                0.0000000
                                                          0.000000000
                                                                     1.000000e+00 0.21296422
X7
                                                                                          0.269841685
   0.000000e+00 0.000000e+00 0.0000000 0.000000e+00 6.222719e-01 -6.581199e-01 0.4556714 -8.618281e-01
                                                                     2.129642e-01 1.00000000
2.698417e-01 0.08736846
   0.000000e+00
                                                0.0000000
                                                         0.000000000
                                                                                          0.087368460
Υ1
                                                0.8894305 -0.002586763
                                                                                          1.000000000
Y2 6.343391e-01 -6.729989e-01 0.4271170 -8.625466e-01 0.8957852 0.014289598 2.075050e-01 0.05052512 0.975861739
          Y2
X1 0.63433907
X2 -0.67299893
X3 0.42711700
x4 -0.86254660
   0.89578517
X6
   0.01428960
    0.20750499
x8 0.05052512
    0.97586174
Y2
   1.00000000
#vif scores: not working for me
#install.packages("caTools")
#library(caTools)
#install.packages('car')
#library('car')
#energy_eff_bdg <-lm(Y2 ~ ., data = ENB2012_data)</pre>
#2. Which variables are significant in both models (with v1 and v2)? (20 marks)
#For Y1: significance found with x1, x2, x3, x4, x5, x7, x8
#For Y2: significance found with x1, x5, x6, x7, x8
#In both models: X1, X5, X7, and X8 are significant
# Remove least significant variables
```{r}
 (i) ¥ ▶
energy_eff_bdg2 <- lm(Y2 \sim . - X2 - X3 - X4 - X6 - X7,data = ENB2012_data)
summary(energy_eff_bdg2)
```

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Call: lm(formula = Y2 \sim . - X2 - X3 - X4 - X6 - X7, data = ENB2012_data)
 Residuals:
 Min 1Q Median 3Q Max
-4.2465 -1.2952 -0.0042 0.7360 7.7676
 Coefficients:
 signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' '1
 Residual standard error: 1.98 on 763 degrees of freedom
Multiple R-squared: 0.9569, Adjusted R-squared: 0.9567
F-statistic: 4235 on 4 and 763 DF, p-value: < 2.2e-16
par(mfrow=c(2,2))
plot(energy_eff_bdg2)
 A < X</p>
 Residuals vs Fitted
 Normal Q-Q
 Standardized residuals
 ω
 0
 0
 0
 ? − 0 ∞
 10
 15
 20
 25 30
 35
 -2
 -1
 0
 2
 Fitted values
 Theoretical Quantiles
 VIStandardized residuals
 Scale-Location
 Residuals vs Leverage
 Standardized residuals
 4
 1.0
 0
 0.0
 0.000 0.005 0.010 0.015 0.020 0.025
 Fitted values
 Leverage
#3. Interpret some of the coefficients of the variables in the models you run (20 marks) # For Y2 Cooling Load, the variable is reduced by x1, x2, x3, x7, and x8.
#4. Is your model overall significant or well specified (hint: Fisher) (20 marks)
#perform Fisher's LSD
#perform Fisher's LSD
'`{r}
install.packages('agricolae')
library(agricolae)
head(ENB2012_data)
energy_eff_bdg3 <- aov(X1 ~ X8,data = ENB2012_data)
summary(energy_eff_bdg3)
print(LSD.test(energy_eff_bdg3,"X1"))</pre>
```

```
#3. Interpret some of the coefficients of the variables in the models you run (20 marks)
For Y2 Cooling Load, the variable is reduced by X1, X2, X3, X7, and X8.
#4. Is your model overall significant or well specified (hint: Fisher) (20 marks)
#perform Fisher's LSD
 install.packages('agricolae')
library(agricolae)
head(ENB2012_data)
energy_eff_bdg3 \ <- \ aov(X1 \ \sim \ X8, data \ = \ ENB2012_data)
summary(energy_eff_bdg3)
print(LSD.test(energy_eff_bdg3,"X1"))
 colorer many to reporte to acts or passing and the forest protection many colored and total colored an
 tbl_df
 R Console
 0 64 0.684027 0.735973 0.71 0.71 0.71 0.71 0.71
0 64 0.714027 0.765973 0.74 0.74 0.74 0.74 0.74
 0.71 0.71
 0.74 0.74
 0 64 0.734027 0.785973 0.74 0.74 0.74 0.74
0 64 0.734027 0.785973 0.76 0.76 0.76 0.76 0.76
0 64 0.764027 0.815973 0.79 0.79 0.79 0.79
 0.76 0.76
 0.79 0.79
 0 64 0.764027 0.815973 0.79 0.79 0.79 0.79
0 64 0.794027 0.845973 0.82 0.82 0.82 0.82 0.82
0 64 0.834027 0.885973 0.86 0.86 0.86 0.86 0.86
0 64 0.874027 0.925973 0.90 0.90 0.90 0.90 0.90
0 64 0.954027 1.005973 0.98 0.98 0.98 0.98 0.98
 0.82 0.82
 0.86 0.86
 0.9 0.90
 0.98 0.98
 $comparison
 NULL
 $groups
 X1 groups
 0.98 0.98
 0.9 0.90
 0.86 0.86
 0.82 0.82
 0.79 0.79
 de
 0.76 0.76
 ef
 fg
 0.74 0.74
 0.71 0.71
 għ
hi
 0.69 0.69
 0.66 0.66
 ij
jk
 0.64 0.64
 0.62 0.62
 attr(,"class")
[1] "group"
```





A tibble: 6 x 10

<b>X1</b> <dbl></dbl>	<b>X2</b> <dbl></dbl>	<dpl></dpl>	<b>X4</b> <dbl></dbl>	<b>X5</b> <dbl></dbl>	<b>X6</b> <dbl></dbl>	<b>X7</b> <dbl></dbl>	<b>X8</b> <dbl></dbl>	<b>Y1</b> <dbl></dbl>	<dbl></dbl>
0.98	514.5	294.0	110.25	7	2	0	0	15.55	21.33
0.98	514.5	294.0	110.25	7	3	0	0	15.55	21.33
0.98	514.5	294.0	110.25	7	4	0	0	15.55	21.33
0.98	514.5	294.0	110.25	7	5	0	0	15.55	21.33
0.90	563.5	318.5	122.50	7	2	0	0	20.84	28.28
0.90	563.5	318.5	122.50	7	3	0	0	21.46	25.38

6 rows