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April
\begin{array}{l} \textbf{Apr} \\ \textbf{18} \\ \textbf{(Sarah)} \\ D \\ h_t = \\ h \\ D \\ D \\ L_0 + \\ h_t \\ \cdot \end{array}
 \begin{array}{l} h_t \\ t \\ h_t \\ i \\ (D) = \\ 0 \\ D_0^s = \\ ddt + \\ L_0 + \\ h_- \\ D_1 = \\ L_0 + \\ h_- \end{array}
 t_{0}
t_{0}
L_{0}+
h_{-}
L_{0}+
h_{t}
L_{0}+
h_{t_{0}}
 \begin{array}{c} t_{-} \\ t_{-} \\ L_{0} + \\ h_{-} \\ L_{0} + \\ h_{t} \\ L_{0} + \\ h_{+} \\ (D) = \\ \end{array}
 (D_0)
D_0
L_0 + h_t h_t \lambda_1(t), \dots, \lambda_n(t)

  \begin{array}{l}
    u_1(t), \dots, u_n(t) \\
    y \\
    D = ddt + () \operatorname{arrayc}|cA(t)|
  \end{array}

                            \lambda(t)
  \lambda(t) = (\lambda)_1(t) \lambda_n(t)
A(t) = (X)_1
A \ker(D)
f \in \ker(D)
f = c_1 u_1 + \vdots + c_n u_n
c_1 u_n + c_n u_n
t \in C
ker(D)
k(t) u_k(t) + (L_0 + d_1) (c_k(t) u_k(t))
  (c_k(t)u_k(t))
 \overline{\overline{k}} = 1 n d c_k d t(t) u_k(t) + c(t) d u d t(t) + c_k(t) \lambda_k(t) u_k(t). 
 \lambda_i \\ u_i \\ h_t
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\begin{array}{l} (s,t) \\ \times S^1 \\ D: \\ L_1^2 (\times S^1,^{2n}) L^2 (\times S^1,^{2n}) \\ D = \partial \partial s + J_0 \partial \partial t + S, \end{array}
        \begin{array}{l} J_0 \\ S_n \\ S = \\ S(s,t) \\ \partial S \partial s(s,t) = 0 \end{array}
         \underset{2n}{|s|}\gg

\begin{array}{l}
\omega_{st} = \\
\langle \cdot, J_0 \cdot \rangle \\
Sp(2n)
\end{array}

       Sp(2n)
Sp(2n) \sim Symm
A \mapsto \atop J_0A
S(s,t)
t
\Psi \cdot \\
\times \dot{S}p(2n)
d\Psi dt = J_0S\Psi and \Psi(s,0) = I.
T \\ \Psi(-s,t) = \\ \Psi(-T,t) \\ \Psi(s,t) = \\ \Psi(T,t) \\ s > T \\ \Psi(-T,t) \\ \Psi(s,t) \\ \Psi(s,t) \\ \Psi(s,0) = I

\Psi(s,0) = I

\Psi(s,1)

\gamma: [0,1]Sp(2n)

\gamma(0) = I

\gamma(1)

\begin{array}{l}
\gamma(1) \\
\mu_{CZ}(\gamma) \in \\
Sp^*(2n)
\end{array}

         \begin{array}{c} \widetilde{1} \\ Sp(2n) \backslash \\ Sp^*(2n) \\ \widetilde{\mu}_{CZ} \end{array}
      Sp^*(2n)
M
det(I-
        \begin{array}{c} M) \\ B_{+} = \\ -I \end{array}
         B_{-} = (2) 12 - 1 - 1.
```