

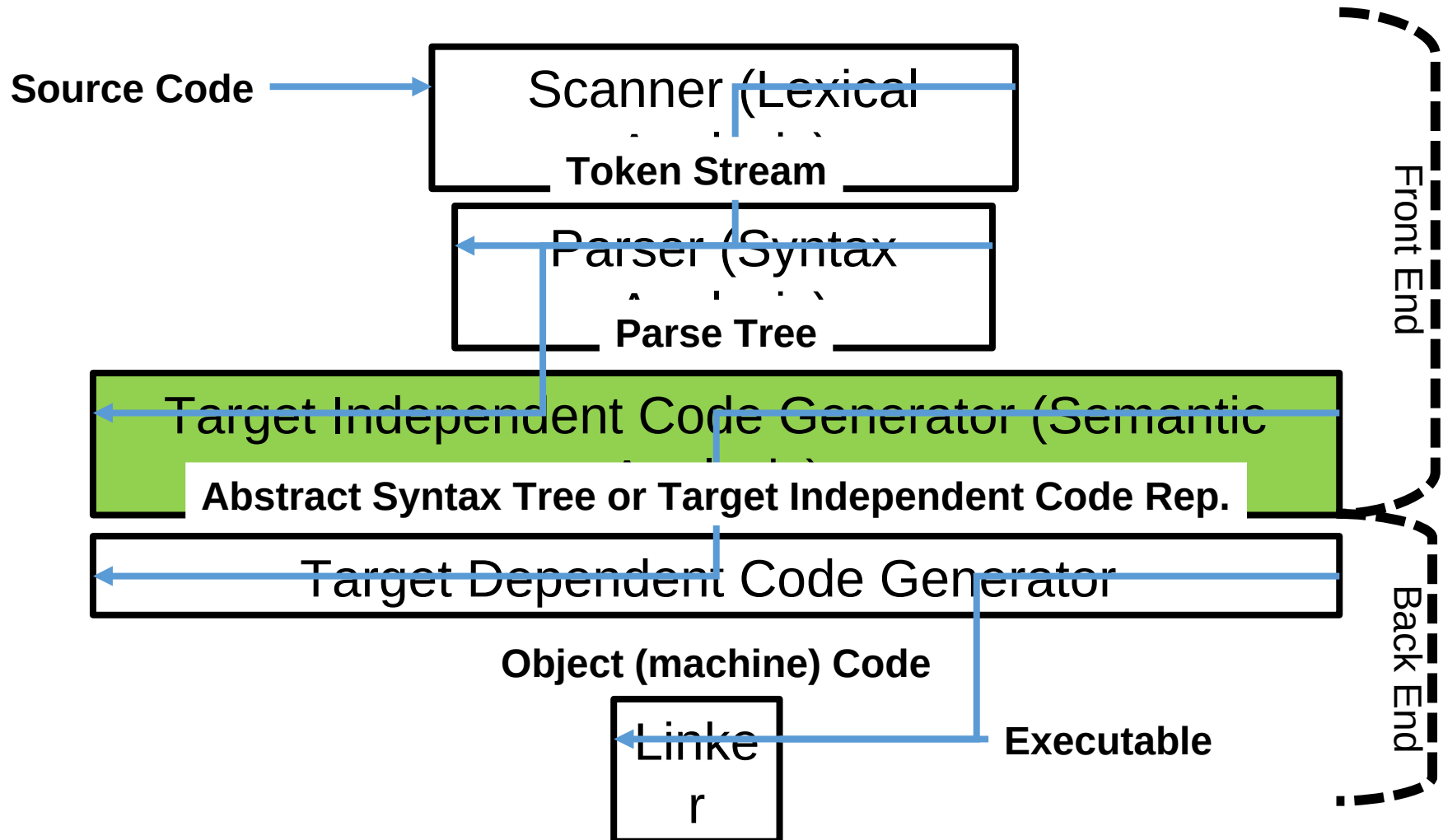
Semantic Analysis and Attribute Grammars

CSCI 3136: Principles of
Programming Languages

Agenda

- S-Attributed and L-Attributed Grammars
- Examples
- Action Routines

Recall: Phases of Compilation



Example 1: $L = \{anbncn | n \geq 0\}$

- This is not a context free language, but can be specified by an attribute grammar

CFG w/ Labeled Symbols	Semantic Rules									
	\square if A1.count \neq B1.count or A1.count \neq C1.count, error									
$S \rightarrow A1\ B1\ C1$										
$A \rightarrow A1\ a$	\square A.count = A1.count + 1									
$A \rightarrow \epsilon$	\square A.count = 0	<table><tr><th>Symbol</th><th>Attributes</th></tr><tr><td>A</td><td>count : int</td></tr><tr><td>B</td><td>count : int</td></tr><tr><td>C</td><td>count : int</td></tr></table>	Symbol	Attributes	A	count : int	B	count : int	C	count : int
Symbol	Attributes									
A	count : int									
B	count : int									
C	count : int									
$B \rightarrow B1\ b$	\square B.count = B1.count + 1									
$B \rightarrow \epsilon$	\square B.count = 0									
$C \rightarrow C1\ c$	\square C.count = C1.count + 1									
$C \rightarrow \epsilon$	\square C.count = 0									

- Example: Consider parsing: aaaabbbbccccc

Example 2:

$L = \{\square^H \{a,b,c\}^* : |\square|a=|\square|b=|\square|c\}$

CFG w/ Labeled Symbols	Semantic Rules
$S \rightarrow X1$	\square if $X1.aCount \neq X1.bCount$ or $X1.aCount \neq X1.cCount$, error
$X \rightarrow a X1$	\square $X.aCount = X1.aCount + 1;$ $X.bCount = X1.bCount;$ $X.cCount = X1.cCount;$
$X \rightarrow b X1$	\square $X.bCount = X1.bCount + 1;$ $X.aCount = X1.aCount;$ $X.cCount = X1.cCount;$
$X \rightarrow c X1$	\square $X.cCount = X1.cCount + 1;$ $X.bCount = X1.bCount;$ $X.aCount = X1.aCount;$
$X \rightarrow \epsilon$	\square $X.aCount = 0;$ $X.bCount = 0;$ $X.cCount = 0;$

Symbol	Attributes
X	aCount : int bCount : int cCount : int

Why do we need the **S** \rightarrow **X** production?

Types of Attributes

- The previous examples are of *synthesized* (bottom up) attribute grammars.
- There are two types of Attributes
 - ***Synthesized attributes*** are computed in the RHS and stored in LHS
 - ***Inherited attributes*** are computed using LHS and RHS and used by symbols further to the right.

Example 3: $L = \{anbncn | n \geq 0\}$

- Using inherited attributes instead of synthesized.

CFG w/ Labeled Symbols	Semantic Rules		
$S \rightarrow A1\ B1\ C1$	$\square\ B1.iCount = A1.count; C1.iCount = A.count$		
$A \rightarrow A1\ a$	$\square\ A.count = A1.count + 1$		
$A \rightarrow \epsilon$	$\square\ A.count = 0$		
$B \rightarrow B1\ b$	$\square\ B1.iCount = B.iCount - 1$	Symbol	Attributes
$B \rightarrow \epsilon$	$\square\ \text{if } B.iCount \neq 0, \text{ error}$	A	count : int
$C \rightarrow C1\ c$	$\square\ C1.iCount = C.iCount - 1$	B	iCount : int
$C \rightarrow \epsilon$	$\square\ \text{if } C.iCount \neq 0, \text{ error}$	C	iCount : int

- Example: Consider parsing: `aaaabbbbcccc`

Example 4: Using Inherited Attributes

$L = \{ \square^H \{ a^* b^* c^* \} \}$

CFG w/ Labeled Symbols

$\epsilon \rightarrow X1$

$X \rightarrow a X1$

$X \rightarrow b X1$

$X \rightarrow c X1$

$X \rightarrow \epsilon$

Semantic Rules

\square $X1.aCount = 0; \quad X1.bCount = 0; \quad X1.cCount = 0;$

\square $X1.aCount = X.aCount + 1;$
 $X1.bCount = X.bCount; \quad X1.cCount = X.cCount;$

\square $X1.bCount = X.bCount + 1;$
 $X1.aCount = X.aCount; \quad X1.cCount = X.cCount;$

\square $X1.cCount = X.cCount + 1;$
 $X1.bCount = X.bCount; \quad X1.aCount = X.aCount;$

\square **if** $X.aCount \neq X.bCount$ **or** $X.aCount \neq X.cCount$,
error

Symbol	Attributes
X	aCount : int bCount : int cCount : int

Recap

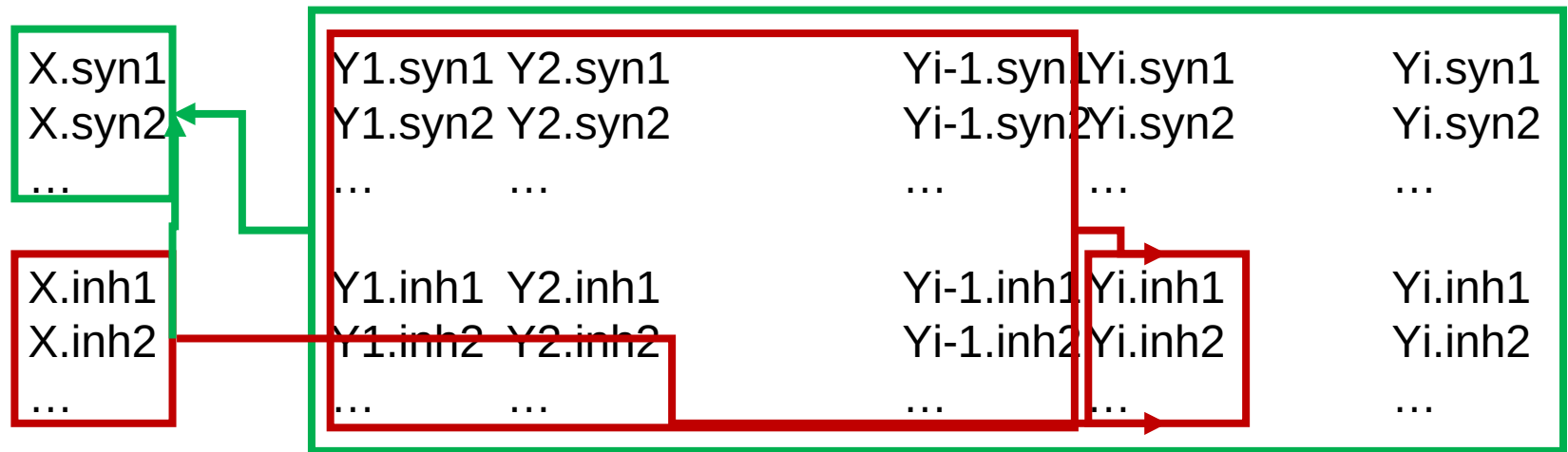
- Parse trees can be annotated or decorated with attributes and rules, which are executed as the tree is traversed.
- Synthesized attributes
 - Attributes of LHS of production are computed from attributes of RHS
 - Attributes flow bottom-up in the parse tree.
- Inherited attributes
 - Attributes in RHS are computed from attributes of LHS and symbols in RHS preceding them.
 - Attributes flow top-down in the parse tree.

S-Attributed and L-Attributed Grammars

- S-attributed grammar
 - All attributes are synthesized.
 - Attributes flow bottom-up.
- L-attributed grammar
 - Variables have both inherited and synthetic attributes
 - For each production $X \rightarrow Y_1 Y_2 \dots Y_k$,
 - $X.\text{syn}$ depends on
 - $X.\text{inh}$
 - $Y_1.\text{inh}, Y_1.\text{syn}, Y_2.\text{inh}, Y_2.\text{syn}, \dots Y_k.\text{inh}, Y_k.\text{syn}$
 - For all $1 \leq i \leq k$ $Y_i.\text{inh}$ depends on

Data Flow in L-Attributed Grammars

$X \rightarrow Y_1 Y_2 \dots Y_{i-1} Y_i \dots Y_n$



Computing L-Attributed Grammars

```
execute_rules( Node t, Node []  
left_sibs ):
```

```
    # Don't use t.synthetic and  
    t.parent.synthetic
```

```
    t.compute_inherited( t.parent,  
left_sibs )
```

```
    children = []
```

```
    for each child of t:
```

```
        execute_rules( child, children )
```

Motivation: Why are they useful?

- In many cases context free grammars that capture associativity rules are not LL(1)
- We can rewrite the grammars to be LL(1) but...
- Resulting grammars do not capture associativity rules
- So, use attribute (L-attributed) grammars to capture the associativity rules.

Example: Left Associative Grammar

- Grammar

- $E \rightarrow E A T$
- $E \rightarrow T$
- $T \rightarrow \text{Int}$
- $A \rightarrow +$
- $A \rightarrow -$

Predictor Table	
Production	Predictor Set
$E \rightarrow EAT$	{Int}
$E \rightarrow T$	{Int}
$T \rightarrow \text{Int}$	{Int}
$A \rightarrow +$	{+}
$A \rightarrow -$	{-}

- Parsing the expression

5 - 2 + 3 illustrates left associativity: (5 - 2) + 3

- This grammar is not

Example: Refactored Grammar

- Grammar

- $E \rightarrow T E'$
- $E' \rightarrow \varepsilon$
- $E' \rightarrow A T E'$
- $T \rightarrow \text{Int}$
- $A \rightarrow +$
- $A \rightarrow -$

- Parsing the expression

5 - 2 + 3 illustrates

Predictor Table	
Production	Predictor Set
$E \rightarrow T E'$	{Int}
$E' \rightarrow \varepsilon$	{ ε }
$E' \rightarrow A T E'$	{+, -}
$T \rightarrow \text{Int}$	{Int}
$A \rightarrow +$	{+}
$A \rightarrow -$	{-}

Use an L-Attributed Grammar to Fix Left Associativity

Idea: Carry forward the left most computed value to ensure left associativity.

Sym	Attributes
E	val : int
E'	val : int op : int
T	val : int
A	func : operation
Int	val : String

- Try parsing: 5 - 2 + 3

Labeled CFG	Semantic Rules
$E \rightarrow T E'1$	$\square E'1.op = T1.val; E.val = E'.val$
$E' \rightarrow \epsilon$	$\square E'.val = E'.op$
$E' \rightarrow A1 T1 E'1$	$\square E'1.op = A.func(E'.op, T1.val); E'.val = E'1.val$
$T \rightarrow Int1$	$\square T.val = Str2Int(Int1.val)$
$A \rightarrow +$	$\square A.func = add$
$A \rightarrow -$	$\square A.func = sub$

Example: Error Checking

Labeled CFG	Semantic Rules
Assignment \rightarrow LValue1 '=' Expr1	<input type="checkbox"/> if not assignable(Lvalue1.t, Expr1.t), error
LValue \rightarrow Id1 ArrIdx1	<input type="checkbox"/> if not declared(Id1.name), error <input type="checkbox"/> if not indexable(Id1.name, ArrIdx1.dim), error
ArrIdx $\rightarrow \epsilon$	<input type="checkbox"/> ArrIdx.dim = 0
ArrIdx \rightarrow '[' Expr1 ']' ArrIdx1	<input type="checkbox"/> if not isType(Expr1.t, Integer), error <input type="checkbox"/> ArrIdx.dim = ArrIdx1.dim + 1

Sym	Attributes
Assignment	
LValue	t : Type
Id	name : String
ArrIdx	dim : int
Expr	t : Type

Example: Generate Java Code

Labeled CFG	Semantic Rules
$E \rightarrow E1A1T1$	<input type="checkbox"/> $E.tmp = tmpSeqNum++$ output ("int tmp%d = tmp%d %s %s;", $E.tmp, E1.tmp, A1.op, T1.var$)
$E \rightarrow T1$	<input type="checkbox"/> $E.tmp = tmpSeqNum++$ output ("int tmp%d = %s;", $E.tmp, T1.var$)
$T \rightarrow Id1$	<input type="checkbox"/> $T.var = id1.name$
$A \rightarrow '+'$	<input type="checkbox"/> $A.op = "+"$
$A \rightarrow '-'$	<input type="checkbox"/> $A.op = "-"$

Sym	Attributes
E	$tmp : int$
T	$var : String$
Id	$name : String$
A	$op : String$

Try generating Java code
for the expression: $a + b - c$

Action Routines

- Action routines are instructions for ad-hoc translation interleaved with parsing
- Parser generators allow programmers to specify action routines as part of the grammar
- Action routines can appear anywhere in a rule (as long as the grammar is LL(1)).
- Example
 - $E1 \rightarrow A T \{E2.op = A.fun(E1.op, T.val)\} E2 \{E1.val = E2.val\}$
- Action routines are supported, for example, in yacc and bison