$$m^{\Downarrow} := \begin{cases} m \, \eta & \text{if } m :: (\alpha \to \mathbb{D}_{\alpha}) \to \beta \\ m \, (\lambda n. \, n^{\Downarrow}) & \text{otherwise} & \equiv m \, (\star \, (\eta \, \dots \, (\star \, (\eta \, \eta)))) \end{cases}$$
$$m^{\Downarrow} := \lambda k. \, (m^{\Downarrow}) \star k \quad \equiv \star \, (\Downarrow \, m)$$

 $m^{\mathbb{I}} := \lambda k. \ m \left(\lambda n. \ k \ n^{\mathbb{I}} \right) = \left(\star \left(\eta \ \right) \right) \ / \ m$ $\mu \ m := m \star \lambda x. \ x = \mathbb{I} \left(\left(\star m \right) \ / \left(\star \left(\eta \star h \right) \right) \right)$