

# Report for discrete maths lab work

*For more detailed documentation, check the code's documentation*

The function reads from `base.txt` and writes to

- `transitive_closure.txt`
- `symmetric_closure.txt`
- `reflexive_closure.txt`
- `equality_class_division.txt`

*Should there occur any problem with the code, please contact Petro Mozil*  
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For the lab work, we used python, which is counterproductive.

## The functions are as such:

- `symmetric_closure` - makes a symmetric closure of matrix representation of a relation
- `symmetric_check` - check if the matrix representation is symmetric
- `reflexive_closure` - makes a reflexive closure of matrix representation of a relation
- `reflexive_check` - check if the matrix representation if reflexive
- `transitive_closure` - makes a transitive closure of matrix representation of a relation
- `transitive_check` - check if a relation is transitive
- `equivalence_class` - creates a davision of a set by the equivalence relation (if makes it equivalent)

## The next functions are rather self-explanatory

- `read_file`
- `write_matrix`
- `write_set`

## Here's the breakdown of all the complexities:

- `symmetric_closure` -  $O(n^2)$
- `symmetric_check` -  $O(n^2)$
- `reflexive_closure` -  $O(n)$
- `reflexive_check` -  $O(n)$
- `transitive_closure` -  $O(n^3)$

- transitive\_check -  $O(n^3)$
- equivalence\_class -  $O(n^2)$
- read\_file -  $O(n^2)$
- write\_matrix -  $O(n^2)$
- write\_set -  $O(n^2)$

## Notes

- There is a check of matrix's squareness in all the closures

```
assert all(len(matrix) == len(x) for x in matrix) and matrix is not None
```

- Also, the transitive check is  $O(n^3)$  because the function makes a transitive closure of a matrix