# EECS 490 – Lecture 24

Advanced Metaprogramming

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#### Announcements

- HW5 due tonight at 8pm
- Project 5 due Tue 12/12 at 8pm

#### Templates and Function Overloading

- Function templates can be specialized, but functions can also be overloaded, so overloading a function template with a non-template function is more common
- C++ prefers a non-template over a template instantiation if the parameter types are equally compatible with the arguments

```
template <class T>
string to_string(const T &item) {
   std::ostringstream oss;
   return (oss << item).str();
}
string to_string(bool item) {
   return item ? "true" : "false";
}</pre>
to_string(3.14)
-> "3.14"
to_string(true)
-> "true"
```

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- A key to function templates is that substitution failure is not an error (SFINAE)
- This means that it is not an error if a function template fails to instantiate due to the types and expressions in the header being incompatible with the argument
- Instead, the template is removed from consideration

```
template <class T>
    auto to_string(const T &item) ->
    decltype(std::to_string(item))
    return std::to_string(item);
}
Requires compatible std::to_string()
```

This template fails to instantiate, but the previous one succeeds

```
to_string(Complex{ 3, 3.14 })
-> "(3,3.14i)"
to_string(3.14) ←
-> error: call is ambiguous
```

Both templates are viable

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- Sometimes we need to cause a substitution failure
- Common tool:

```
template <bool B, class T struct enable_if {
  typedef T type;
};</pre>
```

template <class T> struct enable\_if<false, T> {
};

Example:

**}**;

```
template <int N> struct factorial {
    static const typename

resulting in an
    error
```

```
enable_if<N >= 0, long long>::type value =
N * factorial<N - 1>::value;
```

factorial (-3) : value

The standard library defines enable\_if in <type\_traits>.

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This doesn't exist if N < 0,

#### Overloading and Variadic Arguments

We can use the fact that variadic arguments have lowest priority in overload resolution to prefer one overload over another:

```
template <class T>
auto to_string_helper(const T &item, int ignored)
  -> decltype(std::to_string(item))
                                           This overload
  return std::to string(item);
                                           is preferred if
                                            it is viable
template <class T>
string to_string_helper(const T &item, ...) {
  std::ostringstream oss;
                                              Variadic
  oss << item;
                                             arguments
  return oss.str();
template <class T>
                                       Dummy int
string to string(const T &item) {
                                        argument
  return to string helper(item, 0);
                                               12/7/17
```

# Variadic Templates

- C++11 introduced support for templates that take a variable number of arguments
- Allows definition of variadic classes and functions that

are type safe

Example:

Accepts one type argument

Parameter pack accepts zero or more type arguments

```
template <class First, class... Rest>
struct tuple {
    static const int size = 1 + sizeof...(Rest);
    // more code here
};

Size of
parameter pack
```

Empty parameter pack

tuple<int> t1;
tuple<double, char, int> t2;

Parameter pack contains char and int

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# Pattern Expansion

An ellipsis to the right of a pattern that contains the name of a parameter pack is expanded into a comma-separated list

using first\_type = First;
using rest\_type = tuple<Rest...>;

If Rest contains char and int, expanded to tuple
Recursive data

Recursive data representation

# make-tuple (3,4,1)

# **Tuple Definition**

```
template <class First, class... Rest>
         struct tuple {
       static const int size = 1 + sizeof...(Rest);
           using first_type = First;
           using rest_type = tuple<Rest...>;
          first_type first;
                                        Expands to multiple
           rest type rest:
                                            parameters
           tuple(First f, Rest... r) :
             first(f), rest(r...) {}
                                         char ro, int r1
         };
                            10,11
         template <class First>
Base
         struct tuple<First> {
case
       static constint size = 1;
        using first_type = First;
        first_type first;
        -> tuple(First f) : first(f) {}
         };
```

# Constructing a Tuple

 We can write a function template to construct a tuple and then use it with argument deduction

```
template <class... Types>
tuple<Types...> make_tuple(Types... items) {
  return tuple<Types...>(items...);
tuple<int> t1 = make_tuple(3);
tuple<double, char, int> t2 =
  make_tuple(4.9, 'c', 3);
            Argument
              types
             deduced
```

#### Representing a Tuple Element

We define a struct to represent a tuple element:

```
template <int Index, class Tuple>
struct tuple element {
 using rest_type =
    tuple element<Index - 1,</pre>
                  typename Tuple::rest type>;
 using type = typename rest_type::type;
 type &item;
 tuple_element(Tuple &t) :
    item(rest type(t.rest).item) {}
};
template <class Tuple>
struct tuple_element<0, Tuple> {
 using type = typename Tuple::first_type;
 type &item;
 tuple element(Tuple &t) : item(t.first) {}
};
```

# Obtaining a Tuple Element

We can then define a function template to obtain an item from a tuple:

Alias template

```
tuple<double, char, int> t2 = make_tuple(4.9, 'c', 3);
cout << get<0>(t2) << endl;
cout << get<1>(t2) << endl;
cout << get<2>(t2) << endl;
get<0>(t2)++;
get<1>(t2)++;
get<2>(t2)++;
cout << get<0>(t2) << endl;
cout << get<0>(t2) << endl;
cout << get<1>(t2) << endl;
cout << get<1>(t2) << endl;
cout << get<2>(t2) << endl;</pre>
```

C++ defines tuple, make\_tuple(), and get() in <tuple>.

c 3 5.9

d

# Multidimensional Arrays

- We can use metaprogramming to implement a multidimensional array abstraction in C++
- Point: a multidimensional index, represented by a sequence of integers

```
point<3> p = pt(3, -4, 5);
```

 Domain: a range of indices, represented by a lowerbound and an upper-bound point

```
rectdomain<3> rd{ pt(3, -4, 5), pt(5, -2, 8) };
```

Array: constructed over a domain, indexed with a point

```
ndarray<double, 3> A(rd);
A[p] = 3.14;
```

#### **Points**

P = P1(3, -4, 5); P[0] P[1] P[8]

We can implement a point as follows:

```
template <int N> struct point {
                →int coords[N]; ←
    Data
                  int &operator[](int i) { 
representation
                    return coords[i];
                  const int &operator[](int i) const { /
                    return coords[i];
                                                      Inner initializer list
                };
                                                       is for initializing
                                                        coords array
                template <class... Is>
 Function to
               point<sizeof...(Is)> pt(Is... is) {
 construct a
                  return point<sizeof...(Is)>{{ is... }};
   point
```

# Point Operations

Point operations have a common structure:

```
template <int N> 3
   point<N> operator+(const point<N> &a,
                       const point<N> &b) {
point<N> result;
    for (int i = 0; i < N; i++)

result[i] = a[i] + b[i];
     return result;
   template <int N>
  bool operator == (const point < N > &a,
                     const point<N> &b) {
     bool result = true;
     for (int i = 0; i < N; i++)</pre>
       result = result && (a[i] == b[i]);
     return result;
```

#### Generalized Macro

General structure:

Arithmetic structure:

# Implementing Operations

We can implement the operations as follows:

```
POINT ARITH OP(+);
POINT ARITH OP(-);
POINT ARITH OP(*);
POINT ARITH OP(/);
#define POINT COMP OP(op, start, combiner)
  POINT OP(op, bool, bool result = start,
           result = result combiner
                      (a[i] op b[i]), result)
POINT COMP OP(==, true, &&);
POINT COMP OP(!=, false, ||);
POINT COMP OP(<, true, &&);
POINT COMP OP(<=, true, &&);
POINT_COMP_OP(>, true, &&);
POINT COMP OP(>=, true, &&);
```

# Rectangular Domains

■ Interface:

template <int N>

Exclusive upper bound

```
struct rectdomain {
  point<N> lwb;
  point<N> upb;

int size() const;

struct iterator;

iterator begin() const;

iterator end() const;
};
```

```
(1,2,3)
(1,2,4)
(1,3,3)
(1,3,4)
(2,2,3)
(2,2,4)
(2,3,3)
(2,3,4)
```

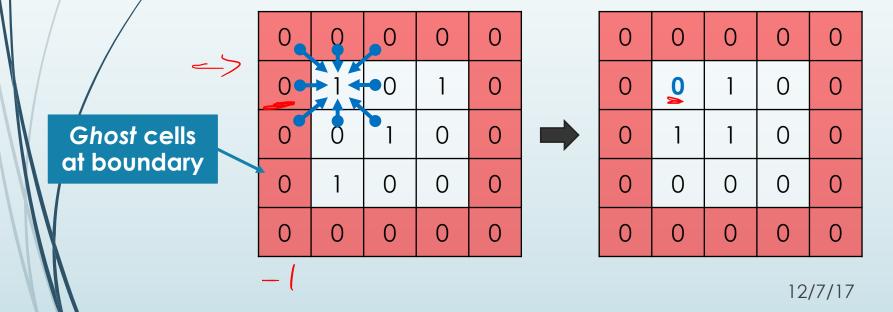
#### Array Interface

```
Dimensionality
             template <class T, int N≯
             struct ndarray {
                                    Element type
             private:
               rectdomain<N> domain;
                                                Translates
           → int sizes[N];
                                             multidimensional
               T *data;←
                                              to linear index
 Linear data
               int indexof(const point<N> &index) const;
representation
             public:
               ndarray(const rectdomain<N> &dom); —
               'ndarray(const ndarray &rhs);
               ndarray &operator=(const ndarray &rhs);
 The Big 3
               ~ndarray();
               T & operator[](const point < N > & index);
               const T &operator[](const point<N> &index) const;
             };
```

■ We'll start again in five minutes.

#### Stencil

- A stencil is an iterative computation that updates grid points according to the previous value of neighboring points
- In the Jacobi method, the updates are out of place, so that new values are recorded in a different grid than old values



#### Stencil Data Structures

Domains and arrays for 3D heat equation:

```
point<3> start = pt(0, 0, 0);
point<3> end = pt(xdim, ydim, zdim);
```

Domain with ghost cells

Include ghost cells in array

# Stencil Loop

A single timestep:

```
for (auto p : interior) {
    gridB[p] =
        gridA[p + pt( 0, 0, 1)] +
        gridA[p + pt( 0, 0, -1)] +
        gridA[p + pt( 0, 1, 0)] +
        gridA[p + pt( 0, -1, 0)] +
        gridA[p + pt( 1, 0, 0)] +
        gridA[p + pt(-1, 0, 0)] +
        WEIGHT * gridA[p];
}
```

 Problem: this is very slow on some compilers, including GCC

#### **Nested Iteration**

- Some compilers can do powerful analysis on nested loops, optimizing the iteration order to take advantage of the memory hierarchy
- This loop is 5x faster in GCC:

```
for (p[0] = interior.lwb[0];
    p[0] < interior.upb[0]; p[0]++) {
    for (p[1] = interior.lwb[1];
        p[1] < interior.upb[1]; p[1]++) {
        for (p[2] = interior.lwb[2];
            p[2] < interior.upb[2]; p[2]++) {
            gridB[p] = ...;
        }
    }
}</pre>
```

#### Implementing Nested Iteration

# Dimensions remaining

Template metaprogramming to generate nested loops:

```
template <int N> struct rdloop {
  template <class F, class... Is>
  static void loop(const F &func, const int *lwb,
                   const int *upb, Is... is) {
    for (int i = *lwb; i < *upb; i++)</pre>
      rdloop<N-1>::loop(func, lwb+1, upb+1, is..., i);
                                    Functor
                                                Index
                                    object
                                                bounds
template <> struct rdloop<1> {
  template <class F, class... Is>
  static void loop(const F &func, const int *lwb,
                   const int *upb, Is... is) {
    for (int i = *lwb; i < *upb; i++)</pre>
      func(pt(is..., i));
                                               Indices
                                             computed
              Call functor with a point
                                                so far
              using computed indices
```

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#### Custom Loop

Loop abstraction:

#### Point variable

#### **Domain**

```
foreach (p, interior) {
  gridB[p] =
    gridA[p + pt( 0, 0, 1)] +
    gridA[p + pt( 0, 0, -1)] +
    gridA[p + pt( 0, 1, 0)] +
    gridA[p + pt( 0, -1, 0)] +
    gridA[p + pt( 1, 0, 0)] +
    gridA[p + pt(-1, 0, 0)] +
    WEIGHT * gridA[p];
};
```

Looks like body of lambda function

#### Loop Macro

Macro for foreach:

Dummy loop header to introduce iterator object

```
#define foreach(p, dom)
  for (auto _iter = (dom).iter();
    !_iter.done;
    _iter.done = true)
    _iter = [&](const decltype((dom).lwb) &p)
```

Iterator object overloads assignment operator to take functor

Capture locals by reference

Deduce point type from domain

Point variable is lambda parameter

#### Fast Iterator

Implementation: struct fast\_iter { const rectdomain &domain; For dummy → bool done; loop header **Assignment** fast iter(const rectdomain &dom) operator : domain(dom), done(false) {} takes functor template <class F> fast iter & operator = (const F & func) { Use nested rdloop<N>::loop(func, domain.lwb.coords, loop generator domain.upb.coords); return \*this;

This matches the performance of nested loops on GCC 6.