

Formal Type Systems, OOP, and Project 4

Formal Type Systems

Recall the typing rules for function abstraction and application from lecture:

$$\frac{\Gamma, v : T_1 \vdash t_2 : T_2}{\Gamma \vdash (\mathbf{lambda} \ v : T_1. t_2) : T_1 \rightarrow T_2} \qquad \frac{\Gamma \vdash t_1 : T_2 \rightarrow T_3 \quad \Gamma \vdash t_2 : T_2}{\Gamma \vdash (t_1 \ t_2) : T_3}$$

Also recall the typing rule for the **let** binding construct:

$$\frac{\Gamma \vdash t_1 : T_1 \quad \Gamma, v : T_1 \vdash t_2 : T_2}{\Gamma \vdash (\mathbf{let} \ v = t_1 \ \mathbf{in} \ t_2) : T_2}$$

Consider the following program fragment

(let $f = (\mathbf{lambda} \ x : \mathit{Int}. (x \leq 10))$ **in** $(f \ 3)$ **)**

Derive the type of this expression in any type environment

Project 4

Consider the following code samples from the uC language in Project 4. Consult the uC spec and the Project 4 spec to determine the appropriate errors output by your semantic analyzer (if any) as well as which phase the errors are caught in.

uC code	Error(s) Reported	Phase
<pre>int foo(int a)(boolean a) { return; }</pre>		
<pre>void main(string[] args)(int c, int b) { c = b = 7; 5 = 7; }</pre>		
<pre>void int_to_long>() {}</pre>		
<pre>struct foo(boolean b); void main(string[] args)() { new foo(null); new foo(true, false); new foo { 3 }; }</pre>		
<pre>void main(string[] args)(foo f) { f = new foo(args[0]); bar(f); } void bar(foo f)() { println(f.s); } struct foo(string s);</pre>		

In our Python code, every uC type of expression is represented as a subclass of `ExpressionNode`. Furthermore, each expression in uC is made up of subexpressions. How might Python's `super()` method be useful when performing type checking on expressions?