

Dynamic Package Interface

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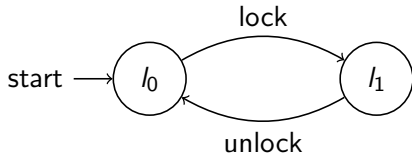
joint work with Shahram Esmaeilsabzali, Rupak Majumdar, and
Thomas Wies.

State machine interface for single object

Example: Spin lock

```
void lock(spinlock *lock)
{
    while (1)
    {
        if (!xchg_32(lock, BUSY)) return;
        while (*lock) cpu_relax();
    }
}
```

```
void unlock(spinlock *lock)
{
    barrier();
    assert(*lock)
    *lock = 0;
}
```



Extend state-machine interface to group of objects.

There can be an unbounded number of objects.

For the sake of simplicity, the example are shown in a non-concurrent setting.

Example: Sets and Iterators

```
class Set {
    protected int sver, size;
    public Set() {
        sver := size := 0;
    }
    public void add(int elem) {
        if (!duplicate) {
            sver++; size++;
        }
    }
    protected void delete(int pos) {
        sver++; size--;
    }
    public Iterator iterator() {
        return (new Iterator(this));
    }
}
```

```
class Iterator {
    int iver, pos;
    Set it_of;
    protected Iterator(Set s) {
        it_of := s; pos := 0;
        iver := s.sver;
    }
    public int next() {
        if (iver == S.sver) then pos++;
        else throw new Exception();
    }
    public void remove() {
        if (iver == S.sver) then {
            it_of.delete(pos);
            iver := S.sver;
        } else {
            throw new Exception();
        }
    }
}
```

Simple OO model: syntax

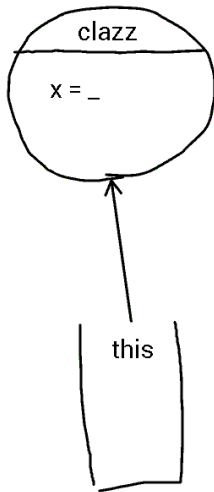
A state is $(O, this, q, v, st)$ where

- O is the set of objects
- q is the control-state
- v is the stack ($this + q$)
- st is the store

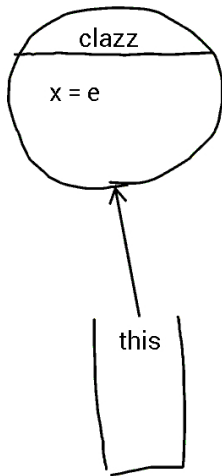
A method is a CFA with the operations on the edges:

- $this.x := \dots$
- $this.m(\dots)$
- **new** $O(\dots)$
- **assume** (\dots)
- **throw** \dots

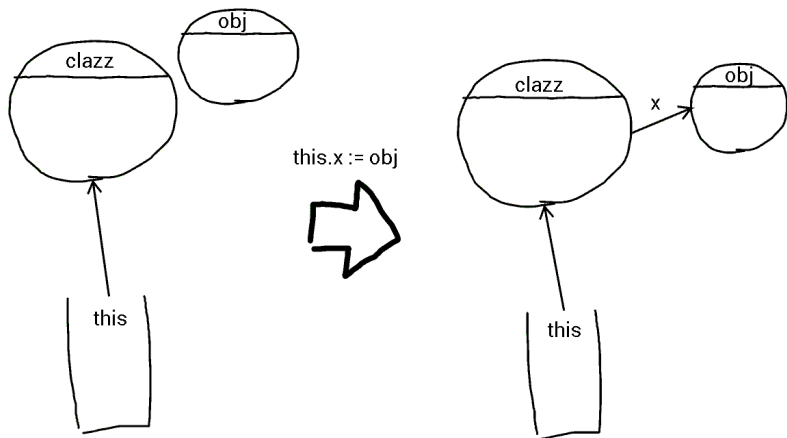
Simple OO model: semantics



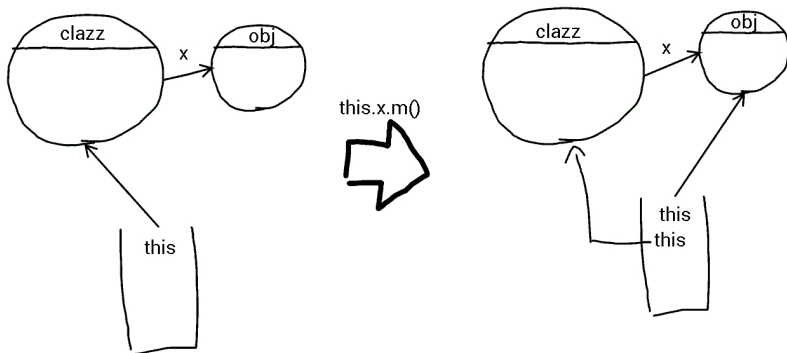
this.x := e



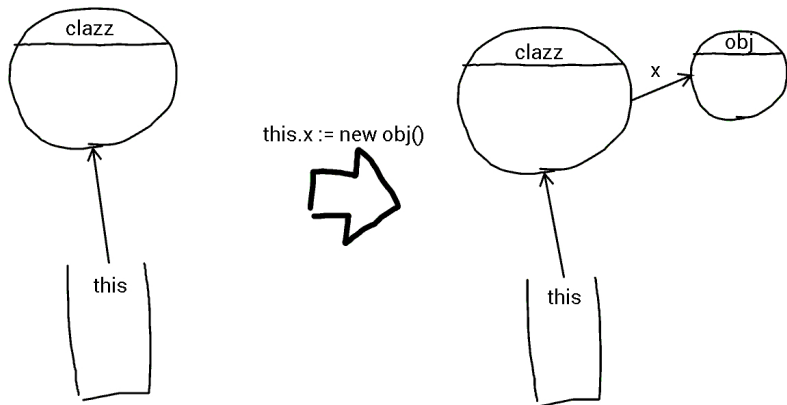
Simple OO model: semantics



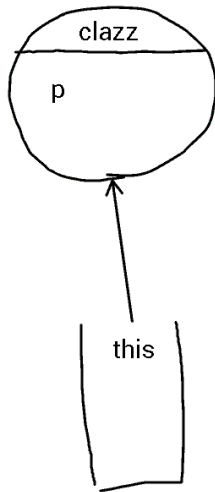
Simple OO model: semantics



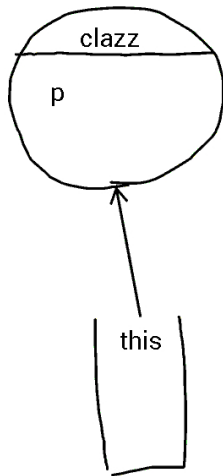
Simple OO model: semantics



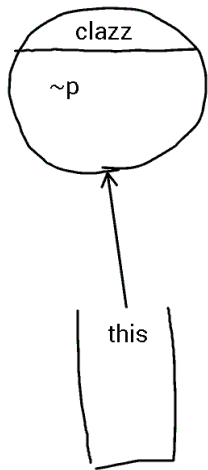
Simple OO model: semantics



`assume(this.p)`



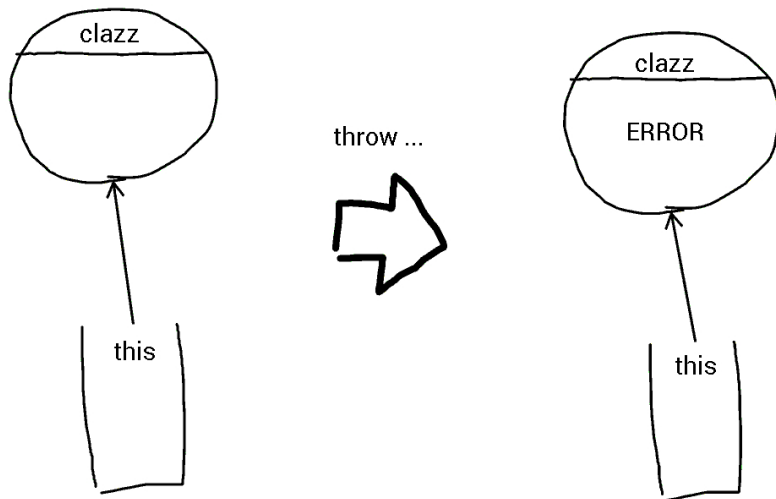
Simple OO model: semantics



assume(this.p)



Simple OO model: semantics



We want interfaces with finite representation.

⇒ cannot remember everything.

⇒ predicate abstraction.

Two classes of predicates:

- unary predicate:

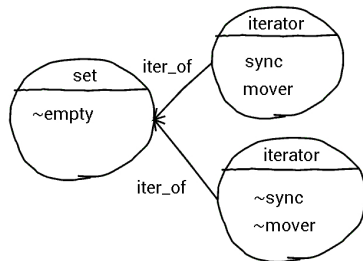
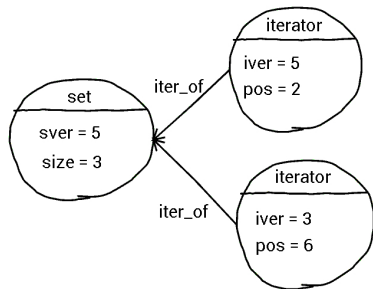
empty for Set (`size = 0`)

- binary predicates:

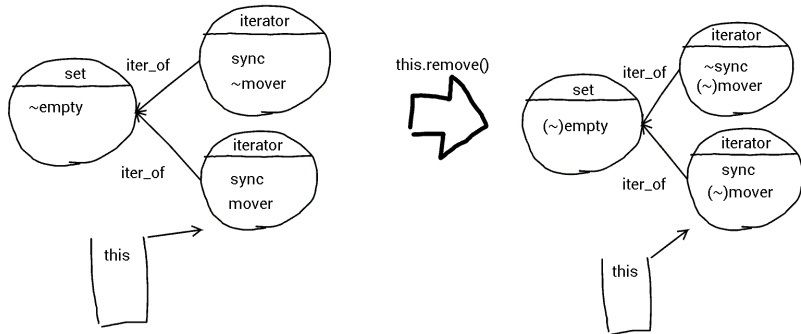
sync for Iterator (`iver = it_of.sver`)

mover for Iterator (`pos < it_of.size`)

Predicate abstraction



Abstract post



The new predicates can be computed testing (for empty in *set*):

$$\varphi(\text{set}, \text{this}) \Rightarrow wp(\text{this.remove}, \text{empty}_{\text{set}'})$$

$$\varphi(\text{set}, \text{this}) \Rightarrow wp(\text{this.remove}, \neg \text{empty}_{\text{set}'})$$

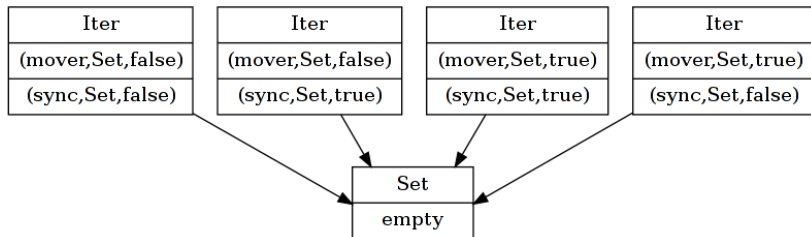
φ encodes the graph structure as a formula.

State-machine interfaces are automata. We try follow that idea with DPI.

- What are the states ?
- What is the alphabet ?

The states

States are graphs. Nodes represent equivalence classes of objects.

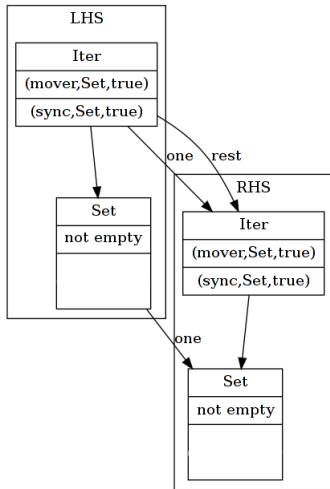


To have a finite number of states in the DPI we require that:

- longest acyclic path in any graph (undirected) is bounded (enforced by a sufficient syntactic restriction).
- there are a finite number of labels (predicate abstraction)
- stratified method call (bounded stack)

The transitions

```
t_3: Iter( -> Set(Set))[] {(mover,Set,true),(sync,Set,true)}.next
```



Similar to state-machine interfaces we need an object (*this*) + method name.

Additionally, the transition has a mapping of equivalence classes in the pre-state to the post-state. The systems are monotonic, so any equivalence classes which is not in the mapping is unchanged.

Under the hood: depth-bounded systems

Monotonicity + the conditions on the graph \Rightarrow DBS

Graphs of equivalence classes are ideals in the state space. By a strange coincidence we had a paper about “Ideal abstraction for WSTS”. How convenient!

The last element needed to compute a DPI: the *covering set*.

Nice properties of the covering set:

- has a compact representation (finite union of ideals)
- is an inductive invariant (subsumes all the system's behaviors)

Extracting the DPI

- compute the covering set and the DBS
- apply the post operator once more
- track each transition to get the DPI

Show PICASSO output for the Set and Iterators example.

How to use a DPI

Unfortunately, a DPI cannot be used out of the box.

Why? the DPI is **saturated**, the initial state of the system is **empty**.

If we know in which equivalence classes the objects belongs, the DPI tells us how to update the state. Some bookkeeping is needed.

We presented:

- DPI as a generalisation of state-machine interfaces to groups of interacting objects.
- Abstraction to compute sound DPI.

Future work:

- Feasibility study for the use of DPI (bookkeeping part).