Comment on QBism and locality in quantum mechanics

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Felix Bloch recounted that after Erwin Schrödinger introduced his wave function ψ , a verse circulated among his fellow students:

Erwin with his psi can do

Calculations quite a few.

But one thing has not been seen:

Just what does ψ really mean?¹

According to Fuchs et al., the question regarding the meaning of ψ , which was raised shortly after the formulation of quantum mechanics, has remained unsolved. Originally, Schrödinger had proposed that $|\psi(x,t)|^2$ represented the charge density of the electron at time t in an interval between x and x + dx, but he soon realized that this interpretation ran into difficulties even for a free electron, because his equation for ψ implied that ψ would spread as a function of time.³ But experimentally it was well known that the electron remains localized like a point particle. Shortly afterwards, Max Born introduced the interpretation that $|\psi(x,t)|^2$ is the *probability* density for an electron to be found at time t in this interval.^{4,5} In his own words, "the motion of particles follows the laws of probability, but the probability itself spreads in harmony with causal laws," and in a footnote he clarified his statement with the remark that "the knowledge of a state at all points in one moment, determines the state at all times." By probability, it is important to emphasize here that Born meant the frequency of different outcomes predicted by $|\psi|^2$, after a given experiment is repeated multiple times under identical initial conditions. These conditions, and the various possible final outcomes are experimentally established by measurement devices that can permanently record such events by a macroscopic and time irreversible process. Virtually all experiments in quantum mechanics have these features, whether the measuring apparatus consists of an ancient Geiger counter or a modern detector. The observer's main role is to design and build the devices required for a given experiment, to calculate the frequency or probability for all possible outcomes according to quantum mechanics, encapsulated in ψ , and to publish the results. Up to date, experiments in the micro-world have always confirmed Born's frequency interpretation of $|\psi|^2$.

By taking a *subjective* or Bayesian view of probabiltiy, the QBist interpretation of quantum mechanics, described in the article by Fuchs *et al.*, effectively denies that the outcome of experiments are described by permanent records, independently of the views of any particu-

lar observer or so-called "agent." Although Fuchs et al. agree that quantum states determine probabilities through the Born rule, they assert without any justification that, "since probabilities are the personal judgements of an agent, it follows that a quantum assignment is also a personal judgment of the agent assigning that state" (p. 749). But for any experiment these agents calculate the same values for ψ , and therefore they all obtain the same probability $|\psi|^2$ to observe the possible outcomes of their experiment. In their article, Fuchs et al. do not provide a single experiment that falsifies this conventional view of quantum mechanics, proposing, instead, their QBism interpretation of quantum mechanics without providing a single experiment that validates it.

(1) German

Als ich klein war, wurde man nur am Freitag gebadet. when I little was got MAN only on Friday bathed

'When I was little, we only had a bath on Fridays.'

(2) German

Wenn ich Kinder hätte, könnte man zusammen Monopoly spielen. If I kids had could man together Monopoly play.

'If I had children, we could play Monopoly together.'

(3) German

Linguistikstudent linguistics-student

'linguistics student'

(4) die (interessante) [wie man am schnellsten reich wird] (*interessante) Frage the interesting how one the fastest rich gets interesting question 'The (interesting) question (of) how one gets rich fastest'

(5) German

die [wie wird man am schnellsten reich] (*interessante) Frage the how become one the fastest rich interesting question

'The "how does one get rich fastest" (*interesting) question'

For an example, consider the eponymous double-slit experiment discussed in all elementary textbooks on quantum mechanics. At sufficiently low intensity, a light beam containing only a few photons impinging on the slit with a photographic screen behind it records the individual impacts of these photon. At first these photons appear randomly scattered on this screen, but after a large number of them are recorded, a pattern forms corresponding to the well known interference pattern that forms on the screen when a high intensity light beam is transmitted through the slits. It has been demonstrated in numerous experiments that this interference pattern corresponds precisely to the frequency or probability distribution evaluated according to $|\psi|^2$ that individual photons land on a given spot on the screen.

Regarding the question addressed by Fuchs et al. on whether quantum mechanics is nonlocal, consider the correlation between the spin states of two electrons with total spin angular momentum zero. This is the main spin component in the ground state of the helium atom, and there has never been any issue about locality concerning this correlation, because the two electrons are confined spatially to the domain of the atom. Now suppose that these two electrons are ionized simultaneously without affecting their total spin state, and the two electron move apart. Then quantum mechanics predicts that in the absence of any new interaction or entanglement with other particles (e.g., the environment) these correlations remain the same, even after these electrons are separated by a large distance. What would be "spooky," using Einstein's terminology, is that the initial two-electron spin correlation would change under these conditions. Hence, contrary to the claim of Fuch's et al. (p. 751), quantum mechanics does assign correlations to space-like separated events. Unlike in classical mechanics, however, the observed spin state of an electron depends also on the measuring device, which can be altered during the time that these electrons travel to reach these devices in a correlation experiment, leading, from the viewpoint of reality in classical physics, to an apparent non-locality. Correlated events can be recorded by detectors at space-like separations, and afterwards sent to a single agent, as it is readily done in practice. Hence, the question of locality is not resolved by flat as claimed by Fuchs et al. in their QBist interpretation of quantum mechanics.

Fuchs et al. conclude that: "...quantum mechanics itself does not deal directly with the objective world; it deals with the experiences of that objective world that belong to whatever particular agent is making use of the quantum theory" (p. 750). But in his lengthy correspondence with Einstein, Born already had emphasized that in practice, classical me-

chanics also is a statistical theory, because the initial conditions and the final outcome are never know with absolute precision.⁶ In particular, in systems obeying chaotic dynamics, sensitivity to initial conditions implies that the outcome can be completely random. The essential difference in quantum mechanics, however, is that the precision of initial conditions is limited by Heisenberg's uncertainty principle $\Delta p \Delta x \geq \hbar/2$. Hence, contrary to Fuchs *et al*, quantum theory deals with the objective world as directly as does classical mechanics.

¹ F. Bloch, "Reminiscenses of Heisenberg and the early days of quantum mechanics," Phys. Today **29**, 23–27 (1976).

² C.A. Fuchs, N.D. Mermin, and R. Schack, "An Introduction to QBism with an application to the locality of quantum mechanics," Am. J. Phys. 82 (8), 749–754 (2014).

³ K. Przibrtam, *Letters on Wave Mechanics* (Philosophical Library, NY, 1967) p. 59. In a letter to Lorentz on June 6, 1926, Schrodinger wrote: "Would you consider it a very weighty objection against the theory if it were to turn out that the electron is incapable of existing in a completely field-free space?"

 $^{^4\,}$ M. Born, "Zur Quantenmechanik der Stossvorgänge," Zeitschrift für Physik ${\bf 37},\,863–865$ (1926).

 $^{^5\,}$ M.Born, "Quantummechanik der Stossvorgänge," Zeitschrift für Physik $\mathbf{38},\,803–827$ (1926).

⁶ M. Born, "The statistical interpretation of quantum mechanics," Nobel Lecture, December 11, 1954, Nobel Lectures in Physics, 1942-1962 (Elsevier Publishing Company) pp. 264,265