A Choreographic View of Smart Contracts

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Prologue An inspiring initiative

Prologue An inspiring initiative

Act I..... A coordination framework

Prologue An inspiring initiative

Act I A coordination framework

Act II Some tool support

Prologue An inspiring initiative

Act I A coordination framework

Act II Some tool support

Act III A little exercise

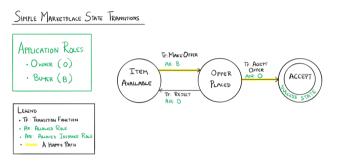
Prologue An inspiring initiative Act I A coordination framework Act II Some tool support Act III A little exercise Epilogue Work in progress

- Prologue -

[An inspiring initiative]

A nice sketch! [5, 6]

A smart contract among Owners and Buyers



initially buyers can make offers
then

either an owner can accept an offer and the protocol stops **or** the offer is rejected and the protocol restarts

What did we just see?

A smart contract looks like

a choreographic model

global specifications determine the enabled actions along the evolution of the protocol

a typestate

In OOP, "can reflects how the legal operations on imperative objects can change at runtime as their internal state changes." [2]

A new coordination model

So, we saw an interesting model where

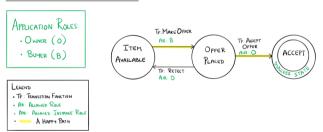
distributed components coordinate through a global specification

which specifies how actions are enabled along the computation

"without forcing" components to be cooperative!

Let's look at our sketch again

SIMPLE MARKETPLACE STATE TRANSITIONS



Let's look at our sketch again

SIMPLE MARKETPLACE STATE TRANSITIONS APPLICATION ROLES: TE: MAKE OFFER · OWNER (0) AR: B TE: AGEPT OFFER AIR: O ITEM OFFER · BUYER (B)

TF: RETECT

AVAILABLE

EGENT

TRANSITION FUNCTION

ALLOWED RALE ALLOWED INSTANCE ROLE A HAPPY PATH

ACCEPT

PLACED

but... X what's the difference between roles and instances? X can buyers be owners too? X what's the scope of quantifications? X when are transitions enabled? X how does the state of the contract change?

Let's go formal!

Our first attempt was to "look for into our toolbox", but

X are known notions of well-formedness suitable?

X data-awareness is crucial

✓ we got roles okay, but

X limitations on instances of roles

X instances can have one role only

Let's go formal!

Our first attempt was to "look for into our toolbox", but

- **X** are known notions of well-formedness suitable?
- X data-awareness is crucial
- ✓ we got roles okay, but
- X limitations on instances of roles
- X instances can have one role only

So we had to came up with some new behavioural types.

...and by the way



Bug-free programming is a difficult task and a fundamental challenge for critical systems. To this end, formal methods provide techniques to develop programs and certify their correctness.

https://medium.com/@teamtech/formal-verification-of-smart-contracts-trust-in-the-making-2745a60ce9db



https://ethereum.org/en/develo pers/docs/smart-contracts/forma l-verification/

- Act I -

[A coordination framework]

Participants p, p', \dots

```
Participants p, p', ... have roles R, R', ...
```

```
Participants p, p', ...
have roles R, R', ...
and cooperate through a coordinator c
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u, v, ... represent sorted state variables of c (sorts include data types such as 'int', 'bool', etc. as well as participants' roles)
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        which can be thought of as an object with "fields" and "methods":
     u, v, ... represent sorted state variables of c (sorts include data types such as
              'int', 'bool', etc. as well as participants' roles)
     f, g, ... represent the operations admitted by c
      u := e is an assignment which updates the state variable u to a pure
              expression e on
                  - function parameters
                  - state variables u or old u (representing the value of u before the
             assignment) [3, 4]
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             expression e on
                  - function parameters
                  - state variables u or old u (representing the value of u before the
             assignment) [3, 4]
   A.A'... range over finite sets of assignments where each variable can be assigned
             at most once
```

A DAFSM c on roles $R_1, \dots R_m$ and state variables u_1, \dots, u_n is a finite-state machine "instantiated" by a participant p whose transitions are decorated as follows¹

 $^{^1\}mathrm{See}\ [1,\ \mathrm{Def.}\ 1];$ here we just simplified the notation and adapted it to our needs

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```
\underbrace{\{\gamma\} \text{ new R p} \triangleright \text{start}(c, \cdots, T_i \times_i, \cdots) \{\cdots u_j := \mathbf{e}_j \cdots\}}_{}
```

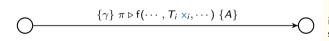
c is freshly created by p which also initialises state variables \mathbf{u}_j with expressions \mathbf{e}_j which are built on state variables and parameters \mathbf{x}_i

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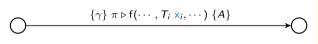
where γ is a guard (ie a boolean expression) and $\pi ::= \text{new R p } | \text{any R p } | \text{p}$ is a <u>qualified participant</u> calling f with parameters x_i state variables are reassigned according to A if the invocation is successful

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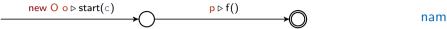


accepting states are denoted as usual

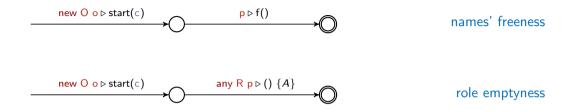
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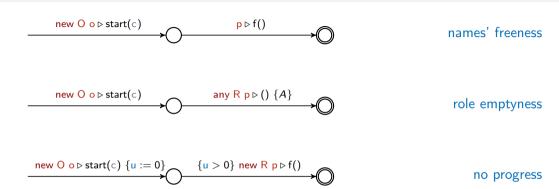
Exercise: modelling

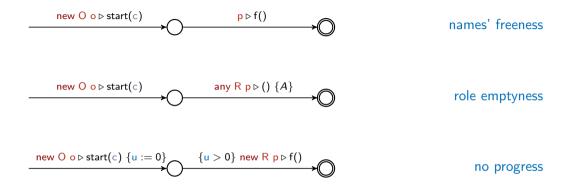
Give a DAFSM for the protocol on slide 7 resolving the ambiguities discussed there.



names' freeness







Save names' freeness, the other properties are undecidable in general, so we'll look for sufficient conditions to rule out nonsensical DAFSMs

Closed DAFSMs

<u>Binders:</u> parameter declarations in function calls (with scope local to the transition), new R p, and any R p (with scope along paths)

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p is bound in
$$\{\gamma\} \ \pi \triangleright \mathsf{f}(\cdots, T_i \times_i, \cdots) \ \{A\} \}$$
 if, for some role R, $\pi = \mathsf{new} \ \mathsf{R} \ \mathsf{p}$ or $\pi = \mathsf{any} \ \mathsf{R} \ \mathsf{p}$ or there is $i \ \mathsf{s.t.} \ \times_i = \mathsf{p}$ and $\mathsf{T} = \mathsf{R}_i$

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The occurrence of p is bound in a path

$$\sigma \bigcirc \xrightarrow{\{\gamma\} \ \mathsf{p} \triangleright \ \mathsf{f}(\cdots) \ \{A\}} \bigcirc \cdots$$

if p is bound in a transition of σ

Closed DAFSMs

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The occurrence of p is bound in a path

$$\sigma \circ \xrightarrow{\{\gamma\} \mathsf{p} \triangleright \mathsf{f}(\cdots) \{A\}} \cdots$$

if ${\bf p}$ is bound in a transition of σ

A DAFSM is <u>closed</u> if all occurrences of variables are bound in the paths of the DAFSM they occur on

Role emptyness

A transition
$$\bigcap$$
 $\{\gamma\}$ $\pi \triangleright f(\cdots, T_i \times_i, \cdots) \{A\}$ \longrightarrow expands role R if $\pi = \text{new R p}$ or there is i s.t. $\times_i = \text{p}$ and $T_i = \text{R}$

Role R is expanded in a path

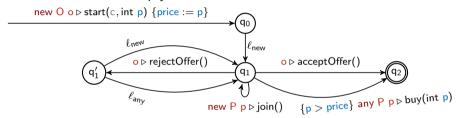
$$\sigma \bigcirc \xrightarrow{\{\gamma\} \text{ any R } \mathsf{p} \triangleright \mathsf{f}(\cdots) \{A\}} \cdots \cdots$$

if a transition in σ expands R

A DAFSM <u>expands</u> R if all its paths expand R and is <u>(strongly) empty-role free</u> if it expands all its roles

Exercise: Role emptyness

Is the DAFSM below empty-role free?



```
 \ell_{new} = \{ newOffer > 0 \} \text{ new B b} \triangleright makeOffer (int newOffer) } \{ offer := newOffer \} \text{ and } \\ \ell_{any} = \{ newOffer > 0 \} \text{ any B b} \triangleright makeOffer (int newOffer) } \{ offer := newOffer \}
```

Progress

A DAFSM with state variables u_1, \ldots, u_n is consistent if

for each
$$\bigcap$$
 $\{\gamma\} \ \pi \triangleright f(\cdots, T_i \times_i, \cdots) \ \{A\}$ \longrightarrow (S)

$$\mathbb{V}_U \, \underline{\mathbb{I}}_X \left(\gamma \{ \mathsf{old} \, \mathsf{u}_1, \ldots, \mathsf{old} \, \mathsf{u}_n / \mathsf{u}_1, \ldots, \mathsf{u}_n \} \, \, \wedge \, \, \gamma_A \, \Longrightarrow \, \bigvee_{1 \leq j \leq m} \underline{\mathbb{I}}_{Y_j} \, \gamma_j \right) \, \text{is satisfiable}$$

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for each
$$\bigcirc \qquad \{\gamma\} \ \pi \triangleright f(\cdots, T_i \times_i, \cdots) \ \{A\} \longrightarrow \bigcirc$$

$$\mathbb{V}_U \, \mathbb{H}_X \left(\gamma \{ \mathsf{old} \, \, \mathsf{u}_1, \ldots, \mathsf{old} \, \, \mathsf{u}_n / \mathsf{u}_1, \ldots, \mathsf{u}_n \} \, \, \wedge \, \, \gamma_A \, \Longrightarrow \, \bigvee_{1 \leq j \leq m} \mathbb{H}_{Y_j} \, \gamma_j \right) \, \, \mathsf{is} \, \, \mathsf{satisfiable}$$

$$U = \{u_i, \text{old } u_i\}_{1 \le i \le n}$$

$$X = \{x \mid \exists i : x = x_i\}$$

$$\gamma_A = \bigwedge_{u := e \in A} u = e \land \bigwedge_{u \notin A} u = \text{old } u$$

$$U = \{\mathbf{u}_i, \mathsf{old}\ \mathbf{u}_i\}_{1 \leq i \leq n}$$

$$X = \{\mathsf{x} \mid \exists i : \mathsf{x} = \mathsf{x}_i\}$$

$$\gamma_A = \bigwedge_{\mathsf{u} = \mathsf{of}} \mathsf{u} = \mathsf{e} \land \bigwedge_{\mathsf{u} \notin \mathsf{old}} \mathsf{u} = \mathsf{old}\ \mathsf{u}$$

$$Y_j = \{\mathsf{x} \mid \mathsf{x} \ \mathsf{is} \ \mathsf{a} \ \mathsf{parameter} \ \mathsf{of} \ \mathsf{the} \ j^{\mathsf{th}} \ \mathsf{outgoing} \ \mathsf{transitions} \ \mathsf{of} \ \mathsf{s} \quad \mathsf{if} \ \mathsf{s} \ \mathsf{not} \ \mathsf{accepting}$$

$$\mathsf{True} \qquad \mathsf{otherwise}$$

Progress

A DAFSM with state variables u_1, \ldots, u_n is consistent if

$$\mathbb{V}_U \, \mathbb{I}_X \left(\gamma \{ \text{old } \mathbf{u}_1, \dots, \text{old } \mathbf{u}_n / \mathbf{u}_1, \dots, \mathbf{u}_n \} \ \land \ \gamma_A \implies \bigvee_{1 \leq j \leq m} \mathbb{I}_{Y_j} \, \gamma_j \right) \text{ is satisfiable}$$

and
$$\xrightarrow{\{\gamma\} \ \pi \ \triangleright \ \mathsf{start}(\cdots, \ T_i \times_i, \cdots) \ \{A\}}$$
 is such that $\ \Xi_X \ \gamma \ \mathsf{is} \ \mathsf{satisfiable}$

$$U = \{\mathbf{u}_i, \text{old } \mathbf{u}_i\}_{1 \leq i \leq n}$$

$$X = \{\mathbf{x} \mid \exists i : \mathbf{x} = \mathbf{x}_i\}$$

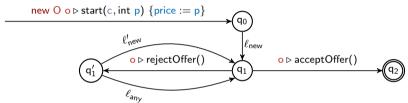
$$\gamma_A = \bigwedge_{\mathbf{u} \in A} \mathbf{u} = \mathbf{e} \land \bigwedge_{\mathbf{u} \notin A} \mathbf{u} = \text{old } \mathbf{u}$$

$$Y_j = \{\mathbf{x} \mid \mathbf{x} \text{ is a parameter of the } j^{\text{th}} \text{ outgoing transition of s} \text{ if s not accepting otherwise}$$

$$\gamma_j = \{\text{the guard of the } j^{\text{th}} \text{ outgoing transitions of s} \text{ if s not accepting otherwise}$$

Exercise: Consistency

Is the DAFSM below consistent?



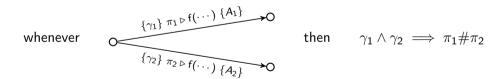
```
\begin{array}{l} \ell_{\mathsf{new}} = \{\mathsf{newOffer} > 0\} \ \ \mathsf{new} \ \ \mathsf{B} \ \ \mathsf{b} \ \ \mathsf{b} \ \mathsf{makeOffer}(\mathsf{int} \ \mathsf{newOffer}) \ \{\mathsf{offer} := \mathsf{newOffer}\}, \\ \ell'_{\mathsf{new}} = \{\mathsf{newOffer} \geq \mathit{price} * 1.05\} \ \ \mathsf{new} \ \ \mathsf{B} \ \ \mathsf{b} \ \ \mathsf{b} \ \mathsf{makeOffer}(\mathsf{int} \ \mathsf{newOffer}) \ \{\mathsf{offer} := \mathsf{newOffer}\}, \\ \mathsf{newOffer}\}, \ \mathsf{and} \\ \ell_{\mathsf{any}} = \{\mathsf{newOffer} \geq \mathit{price} * 1.05\} \ \ \mathsf{any} \ \ \mathsf{B} \ \ \mathsf{b} \ \mathsf{b} \ \mathsf{makeOffer}(\mathsf{int} \ \mathsf{newOffer}) \ \{\mathsf{offer} := \mathsf{newOffer}\} \\ \end{array}
```

Determinism

Let $_{-}\#_{-}$ be the least binary symmetric relation s.t.

new R p#
$$\pi$$
 and new R p#any R' p' and R \neq R' \Longrightarrow any R p#any R' p'

A DAFSM is deterministic if



Exercise: Determinism



is deterministic or not, depending on the labels ℓ_1 and ℓ_2 .

- **1** Is it the case that S is not deterministic whenever $\ell_1 = \ell_2$?
- **2** Find two labels ℓ_1 and ℓ_2 that make $\mathcal S$ deterministic
- **3** Find two labels $\ell_1 \neq \ell_2$ that make \mathcal{S} non-deterministic

Well-formedness

A DAFSM is well-formed when it is

closed,

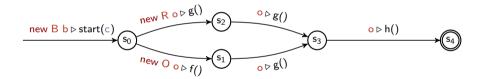
empty-role free,

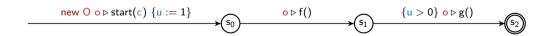
consistent, and

deterministic

Exercise: Well-formedness

Which of the following DAFSM is well-formed?





– Act II –

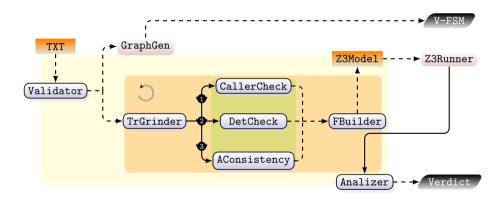
[A tool]

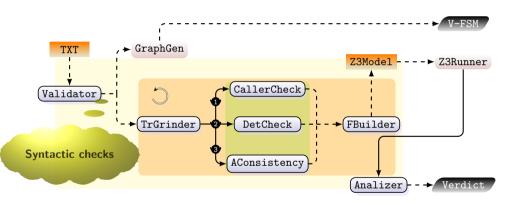
Verification

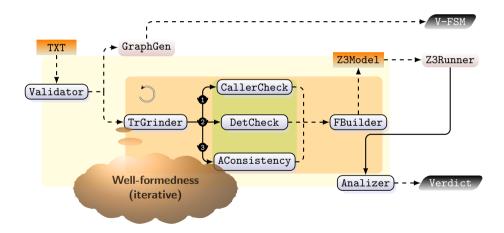
Checking well-formedness by hand is laborious and cumbersome (and boring)

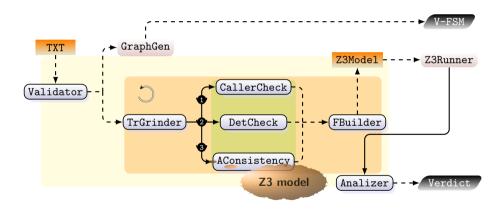
So we implemented a tool which

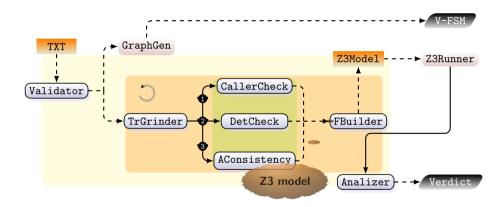
- ✓ features a DSL to specify DAFSMs
- ✓ verifies well-formedness (relying on the SMT solver Z3)
- ✓ it's efficient enough
- X but cannot handle roles and inter-contract interactions

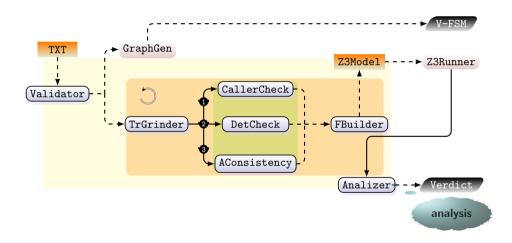












Getting **TRAC**

```
In the cloud: https://trac-5sy1.onrender.com/
or
In your hands: https://github.com/loctet/TRAC/tree/TRAC_v1/
    Installation instructions in the README.md
```

Dependencies: GraphViz and Python 3.7 or later

```
\langle pars \rangle ::= \varepsilon \mid \langle dcl \rangle (,\langle dcl \rangle)^* \qquad \langle dcl \rangle ::= \langle str \rangle \langle str \rangle
```

```
roles \langle str \rangle^+ // set the roles dafsm \langle str \rangle (\langle pars \rangle) by \langle dcl \rangle { // \langle dcl \rangle declares the participant creating the contract
```

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roles \langle str \rangle^+ // set the roles dafsm \langle str \rangle (\langle pars \rangle) by \langle dcl \rangle { // \langle dcl \rangle declares the participant creating the contract : \langle dcl \rangle := e ; // state variables (if any) with their initial assignment
```

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roles \langle str \rangle^+ // set the roles dafsm \langle str \rangle (\langle pars \rangle) by \langle dcl \rangle { // \langle dcl \rangle declares the participant creating the contract \vdots // state variables (if any) with their initial assignment \vdots if \gamma // initial guard (this clause can be omitted) }
```

```
\langle pars \rangle ::= \varepsilon \mid \langle dcl \rangle (,\langle dcl \rangle)^*
                                                                                                 \langle dcl \rangle ::= \langle str \rangle \langle str \rangle
    \langle IbI \rangle ::= \{ \gamma \} \ \pi > \langle str \rangle (\langle pars \rangle) \{ \langle asgs \rangle \}
     \langle asgs \rangle ::= \varepsilon \mid \langle asg \rangle (;\langle asg \rangle)^*
                                                                                                  \langle asg \rangle ::= \langle str \rangle := e
roles \langle str \rangle^+
                                                                                                                                               // set the roles
dafsm \langle str \rangle (\langle pars \rangle) by \langle dcl \rangle \{
                                                                          //\langle dcl \rangle declares the participant creating the contract
 \langle dcl \rangle := e;
                                                                              state variables (if any) with their initial assignment
                                                                                           // initial guard (this clause can be omitted)
[\langle str \rangle] \langle lbl \rangle [\langle str \rangle]:
                                                // the initial state defaults to the source state of the first transition
                                                                                   // final states are strings with a trailing '+' sign
```

Exercise: TRAC usage (I)

Edit a .trac file for the contract specified at https:

//github.com/Azure-Samples/blockchain/blob/master/blockchain-workben ch/application-and-smart-contract-samples/basic-provenance/readme.md

The syntax of non-logical expressions is as in python while logical expressions are of the form

- Not(e)
- And(e_1, \ldots, e_n)
- $Or(e_1, \ldots, e_n)$
- Imply(e₁, e₂)

See $\label{lem:htm} \textbf{See https://ericpony.github.io/z3py-tutorial/guide-examples.htm} \ \ \textbf{for examples}.$

Exercise: TRAC syntax (II)

Edit a .trac file for the DAFSM on slide 13.

- Act III -

[A little exercise]

A non-trivial contract

Use TRAC to specify a well-formed DAFSM for a contract that helps to raise funds.

The instantiating participant plays the role of the owner of the contract.

Once instantiated with a goal (the amount of money to raise), the contract handles a fundraising campaign whereby contributors can deposit funds if the campaign is active.

Once the goal is met, the owner triggers an inspection phase done by two agents.

At the end of the inspection one of the agents closes the campaign so that the owner can finally withdraw the funds.

eM's solution

```
roles Onwer Constributor Agent
dafsm fundraising(float g) by Onwer o {
   float goal :=g;
   bool status := False:
   float balance :=0:
   if g > 0
[q0]
    And(Not(status), \_amount > 0, balance < goal)}
   new Constributor u > deposit(float _amount)
    balance := balance +_amount
[q0]
[q0] {Not(status)} o > stop() {status := True} [q0]
[q0]
    And(Not(status), balance > = goal)
   o > sendInspection(Agent a1)
```

- Epilogue -

[Work in progress]

Work in progress

Thank you

References I

- [1] J. Afonso, E. Konjoh Selabi, M. Murgia, A. Ravara, and E. Tuosto. TRAC: A tool for data-aware coordination (with an application to smart contracts).
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- [2] R. Garcia, E. Tanter, R. Wolff, and J. Aldrich. Foundations of typestate-oriented programming. ACM Trans. Program. Lang. Syst., 36(4), Oct. 2014.
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