





Output development using R & R markdown

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Foundations for inference
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ER-BioStat











The airquality data

Introduction

What do we do in this session?

- We conduct a simple analysis for the variable Wind speed in the airquality data:
 - Summary statistics.
 - Graphical display: histogram.
 - Confidence interval.
 - Test of hypothesis.

Focus:

- How to conduct the analysis in R?
- How to produce an output ?
- How to combine text and software output in the same document?







The airquality data

R Program: Case studies_Prog1_V1.R

Part 1
The dataset

The airquality data in R

Variables names:

Ozone: Mean ozone in parts per billion from 1300 to 1500 hours at Roosevelt Island. Wind: Average wind speed in miles per hour at 0700 and 1000 hours at LaGuardia Airport.

The airquality data in R

> head(airquality)

	zone	Solar.R	Wind	Temp	Month	Day
1	41	190	7.4	67	5	1
2	36	118	8.0	72	5	2
3	12	149	12.6	74	5	3
4	18	313	11.5	62	5	4
5	NA	NA	14.3	56	5	5
6	28	NA	14.9	66	5	6







The airquality data

Part 2
Analysis plan + analysis in R

Analysis plan

- Response: wind speed.
- Analysis:
 - Calculate mean and SD.
 - Construct 95% C.I. for the population mean.
 - Test the hypothesis for the population mean.

Case 1: using a N(0,1)

If
$$X \sim N(\mu, \sigma^2)$$

then:
$$\overline{X} \sim N(\mu, \frac{\sigma^2}{n})$$

And
$$Z_{\overline{X}} = \frac{\overline{X} - \mu}{\sqrt{\frac{\sigma^2}{n}}} \sim N(0,1)$$

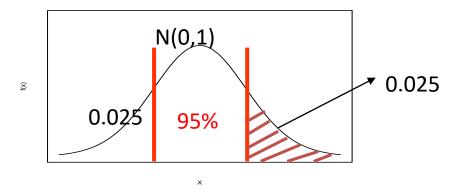
If $X \sim N(\mu, \sigma^2)$ 1. X has a normal distribution with unknown μ and known σ^2 .

CI for case 1

Stap 1: example, choose $1-\alpha = 0.95$

$$Z_{\bar{X}} = \frac{X - \mu}{\sqrt{\frac{\sigma^2}{n}}} \sim N(0,1)$$

Stap 3: critical point:



CI for case 1

Step 4: calculate the point estimator :

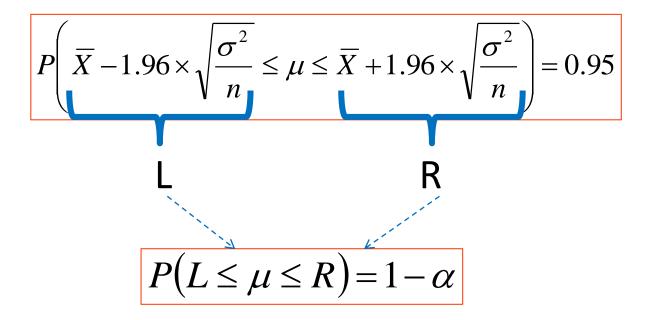
Step 5: calculate the CI

For this, we know:
$$P\left(-1.96 \le \frac{\overline{X} - \mu}{\sqrt{\frac{\sigma^2}{n}}} \le 1.96\right) = 0.95$$

or, after the conversion of the formula:

$$P\left(\overline{X} - 1.96 \times \sqrt{\frac{\sigma^2}{n}} \le \mu \le \overline{X} + 1.96 \times \sqrt{\frac{\sigma^2}{n}}\right) = 0.95$$

CI for case 1



So, a $(1-\alpha)$ CI for μ is :

$$\left[\frac{1}{x} - z \sqrt{\frac{\sigma^2}{n}}, \frac{1}{x} + z \sqrt{\frac{\sigma^2}{n}} \right]$$

Two sided hypothesis testing

The mean under H_0 is not equal to the mean under H_1 :

$$H_0: \mu = \mu_{H_0}$$
 $H_1: \mu \neq \mu_{H_0}$

$$H_1: \mu \neq \mu_{H_0}$$

null hypothesis

alternative hypothesis

two sided test problem

Test statistic

$$Z_{\bar{X}} = \frac{\bar{X} - \mu_0}{\sqrt{\frac{\sigma^2}{n}}} \sim N(0,1)$$

R functions for the analysis

```
mean()var()z.test()
```

R program for the analysis: Airquality.R

wind<-airquality\$Wind
$$\overline{X} = \frac{1}{n} \sum_{i=1}^{n} X_i$$
 SD.wind<-sqrt(var(wind))
$$S = \sqrt{\frac{1}{n-1} \sum_{i=1}^{n} (X_i - \overline{X})^2}$$

wind=na.omit(airquality\$Wind)
library(TeachingDemos)

z.test(wind, sd=SD.wind) $\frac{1}{\sigma} = \frac{1}{\sigma} = \frac{1}$

z.test(wind, SD.wind, mu=9)
$$Z_{\bar{X}} = \frac{\bar{X} - \mu_0}{\sqrt{\frac{\sigma^2}{n}}} \sim N(0,1)$$

 H_0 : $\mu = 9$

 H_1 : $\mu \neq 9$

Output

```
> wind<-airquality$Wind
> M.wind<-mean(wind)
> SD.wind<-sqrt(var(wind))
> M.wind
[1] 9.957516
> SD.wind
[1] 3.523001
```

Output (C.I)

> wind=na.omit(airquality\$Wind)

```
> library(TeachingDemos)
> z.test(wind,sd=SD.wind)
          One Sample z-test
data: wind
z = 34.961, n = 153.00000, Std. Dev. = 3.52300, Std. Dev. of the sample
mean = 0.28482, p-value < 2.2e-16
alternative hypothesis: true mean is not equal to 0
95 percent confidence interval:
  9.399284 10.515749
sample estimates:
                                    \left| \overline{x} - z \sqrt{\frac{\sigma^2}{n}}, \overline{x} + z \sqrt{\frac{\sigma^2}{n}} \right| = [9.399, 10.515]
mean of wind
     9.957516
```

Output (test of hypothesis)

```
> z.test(wind, SD.wind, mu=9)
        One Sample z-test
data: wind
z = 3.3619, n = 153.00000, Std. Dev. = 3.52300, Std. Dev. of the sample
mean = 0.28482, p-value = 0.0007742
alternative hypothesis: true mean is not equal to 9
95 percent confidence interval:
  9.399284 10.515749
                                                  ^{*} H_0: \mu = 9
sample estimates:
                                                   H_1: \mu \neq 9
mean of wind
    9.957516
                                                  A two sided test
```

Case 3: using a $t_{(n-1)}$ distribution

An estimate for the standard error of the sample mean.

$$SE = \frac{S}{\sqrt{n}}$$
 The standard deviation. The sample size.

If the sample comes from a population whose distribution is normal and the variance is unknown, and the sample size is small, then:

$$T_{\overline{X}} = \frac{\overline{X} - \mu}{\sqrt{\frac{S^2}{n}}} \sim t_{(n-1)}$$

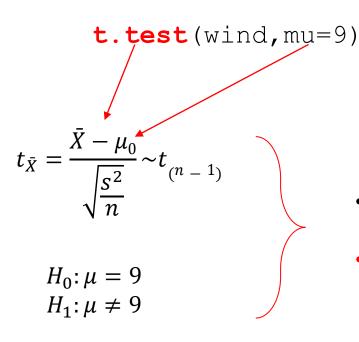
A Student t-distribution with (n-1) degrees of freedom is denoted by t (n-1).

R functions for the analysis

• In our case, n=153 (n>30 !!!) but, for illustration, we will use t distribution for the test.

```
mean()
```

- var()
- t.test()



- Two sided t test with unknown variance.
- n>30.

Output (C.I)

```
> t.test(wind, mu=0)
          One Sample t-test
data: wind
t = 34.961, df = 152, p-value < 2.2e-16
alternative hypothesis: true mean is not equal to 0
95 percent confidence interval:
  9.394804 10.520229
sample estimates:
mean of x
                              \left[\overline{x} - t\sqrt{\frac{s^2}{n}}, \overline{x} + t\sqrt{\frac{s^2}{n}}\right] = [9.394, 10.520]
 9.957516
```

Output (test of hypothesis)

```
t.test(wind, mu=9, var.equal=TRUE)

One Sample t-test

data: wind

t = 3.3619, df = 152, p-value = 0.0009794

alternative hypothesis: true mean is not equal to 9

95 percent confidence interval:

9.394804 10.520229

Sample estimates:

H_0: \mu = 9

H_1: \mu \neq 9

mean of x

9.957516

A two sided test
```







The airquality data

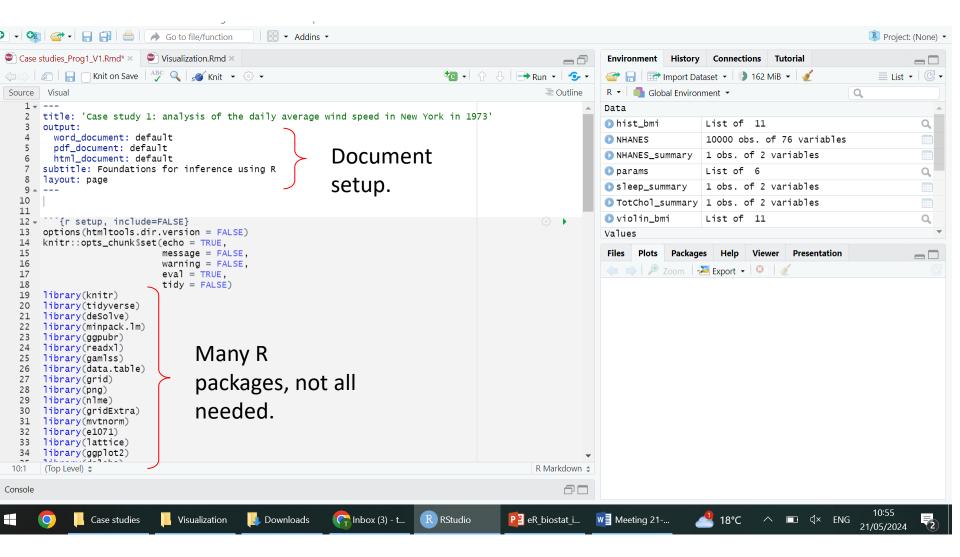
Part 3
The Rmd program

R program for the analysis: Case Study_ Prog1_V1.Rmd

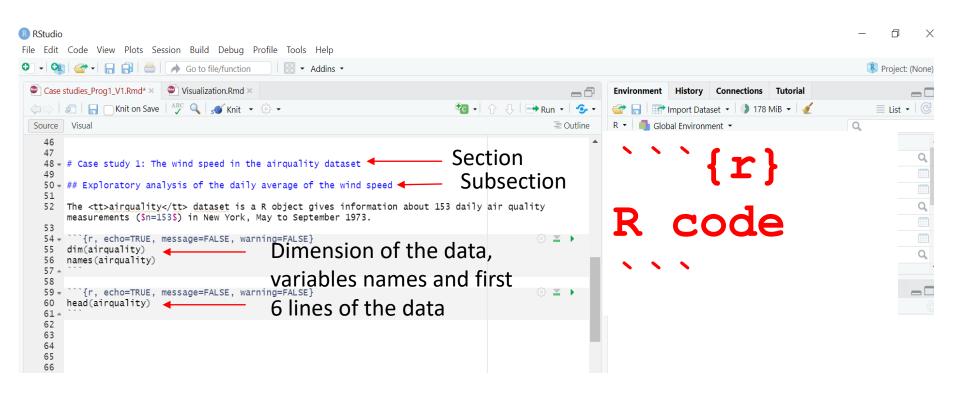
The output

- We run the R markdown file.
- Produce output format: Word document.

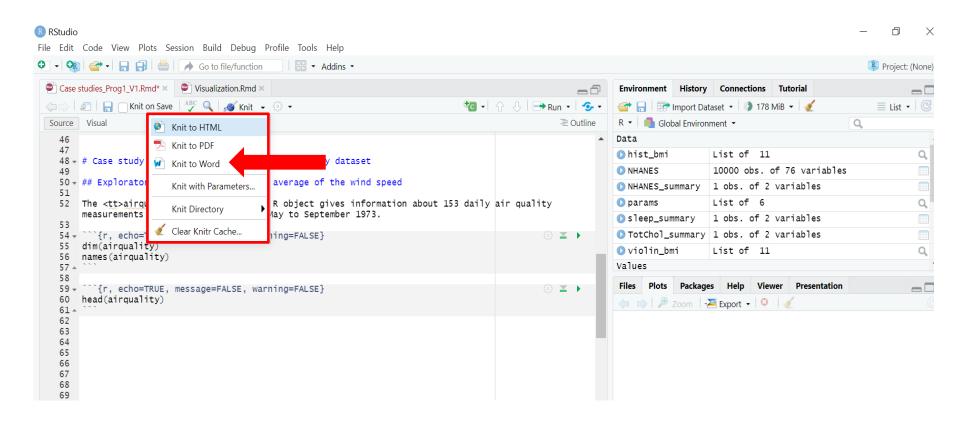
The Rmd program



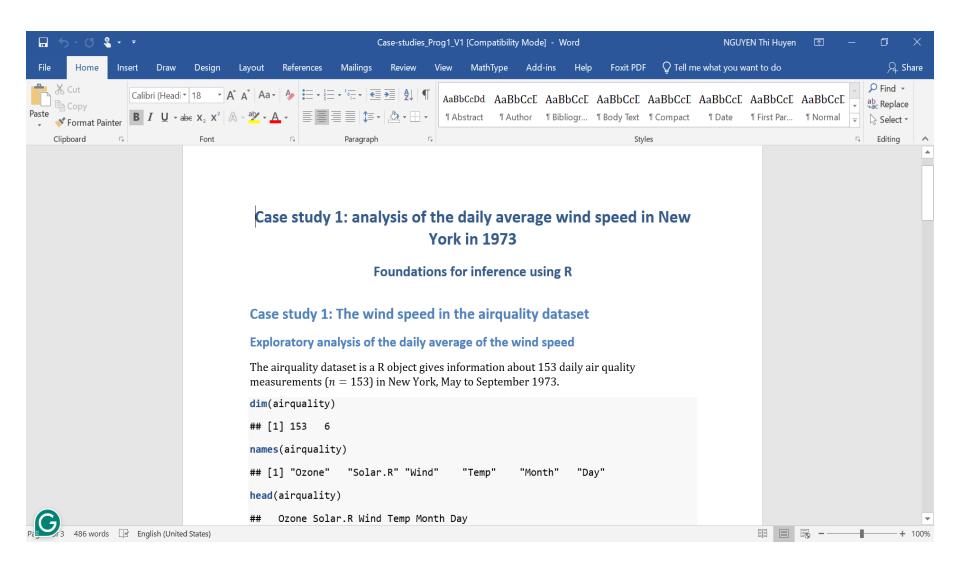
The Rmd program



Choose the output



The Word document output









The airquality data

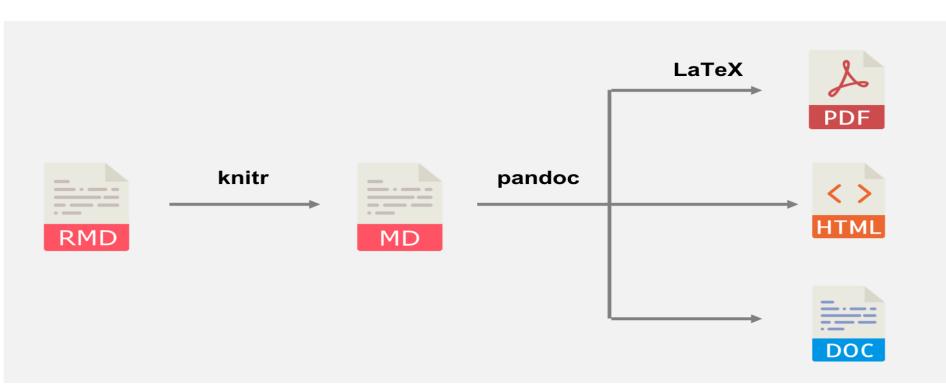
Part 4
How to produce the Word output?

Reproducible Research

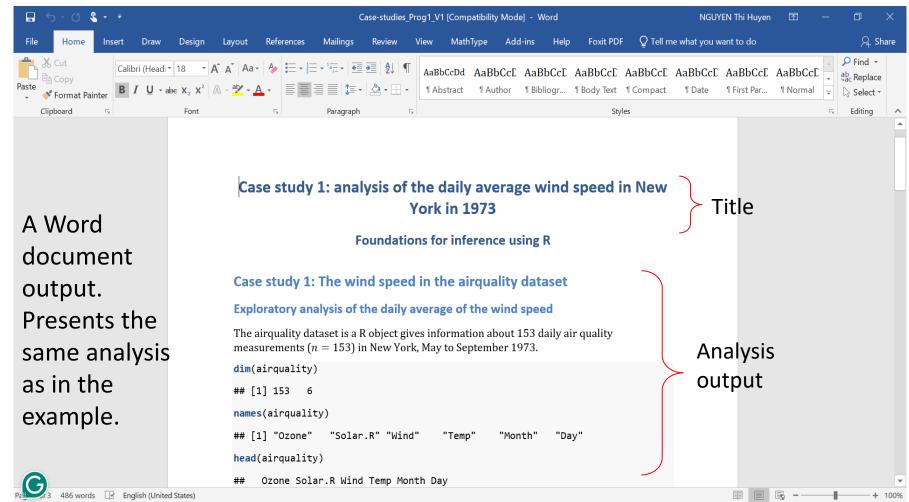
- Aim: create an output in a Word document.
- Can be used to communicate the analysis' results with other people in the organization.
- Not all potential readers are interested on "how to do the analysis".
- We DO NOT aim to develop a report for the analysis but to provide a document from which the results can be seen and discuss by different people in the organization.

The Rmd file

- Analyses high quality report.
- Rmarkdown Different dynamic and statistic formats (html, pdf, word, books, dashboard, e.t.c).



The Word output







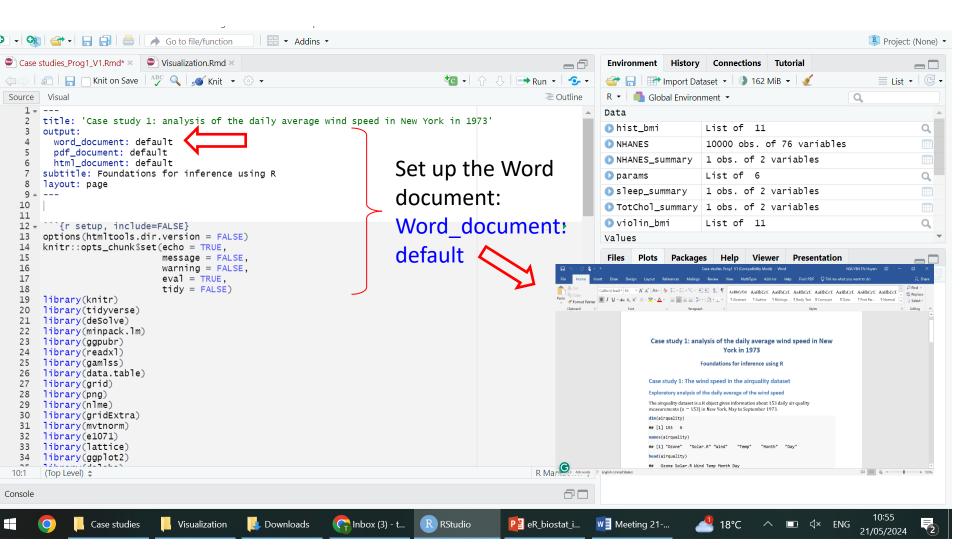


Part 4.1: How to set up the Word file?

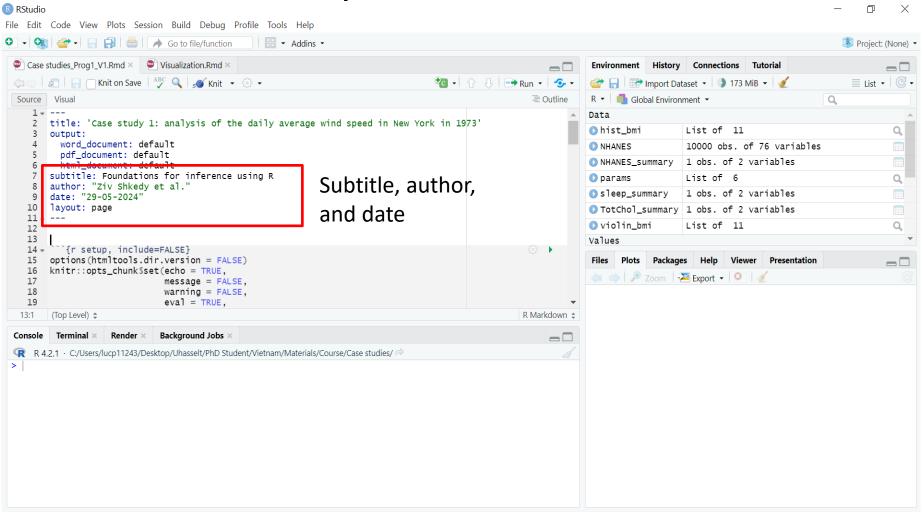
The Rmd file

- We use Rmd file to
 - Conduct the analysis.
 - Set up the document.
- We use a Word file in order to
 - Present & communicate the result.

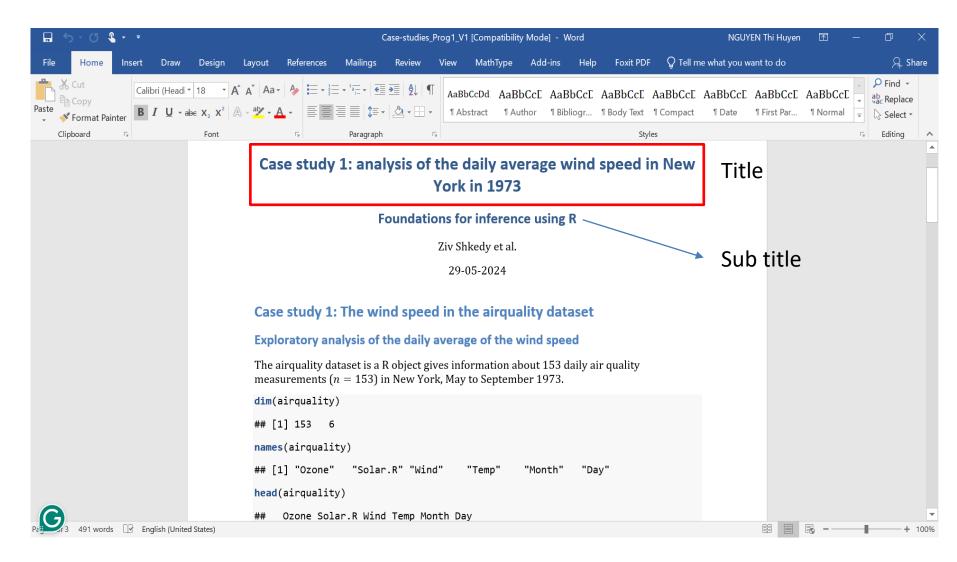
Set up the document



Titles, authors and dates



Titles, authors and dates





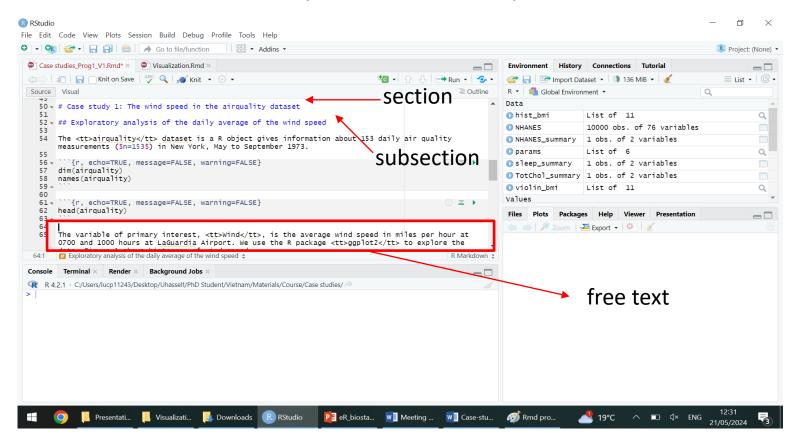




Part 4.2:

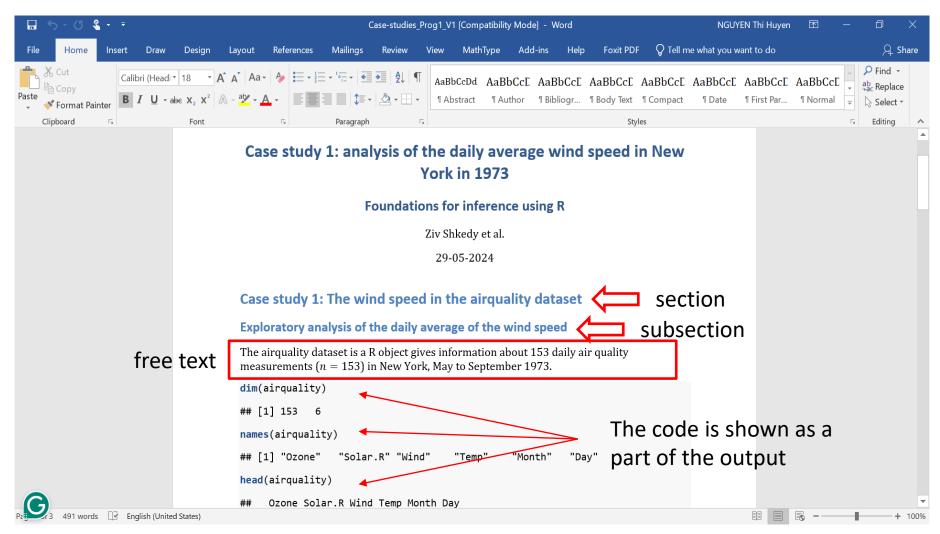
The Word document and the Rmd program in details.

Section, subsection, subsubsection

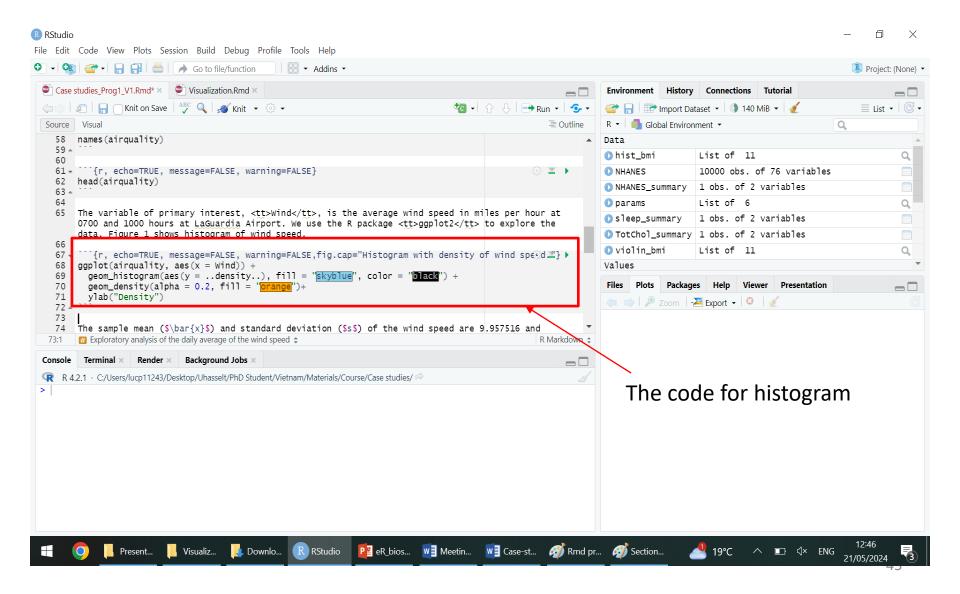


In addition to the code, we can add free text in the Rmd file.

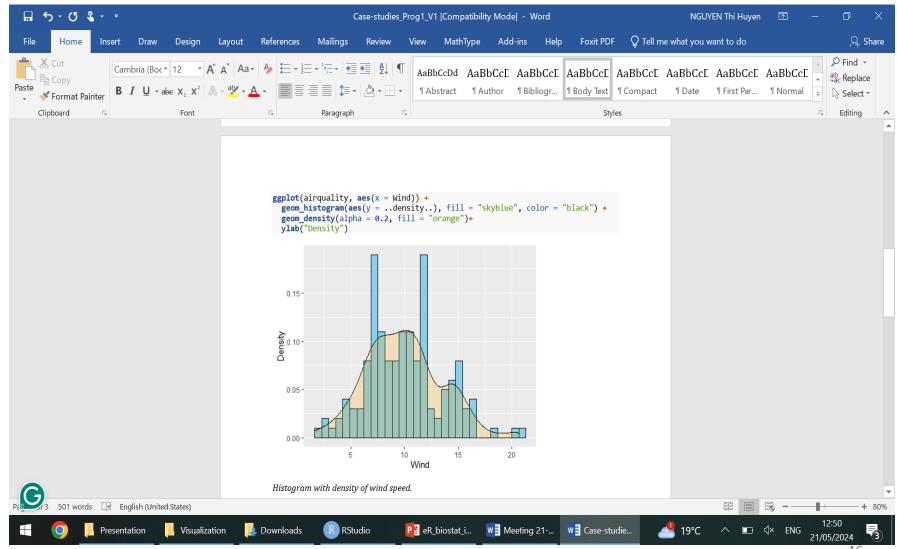
Section, subsection, subsubsection



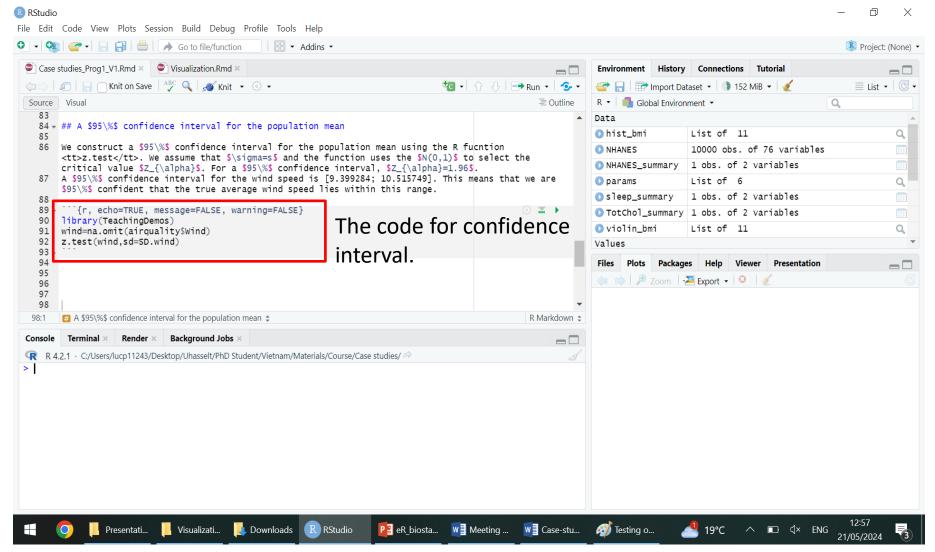
Code in the Rmd file



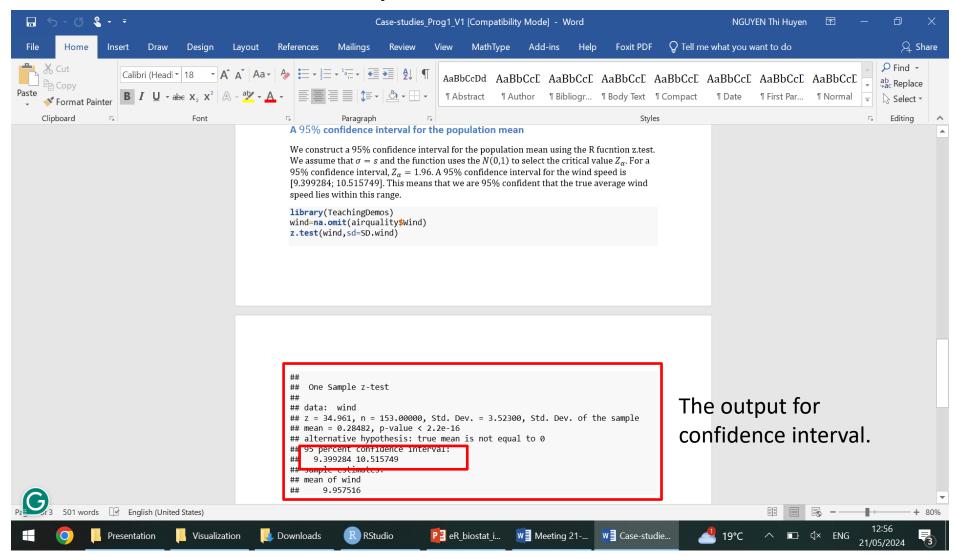
The output in the Word file



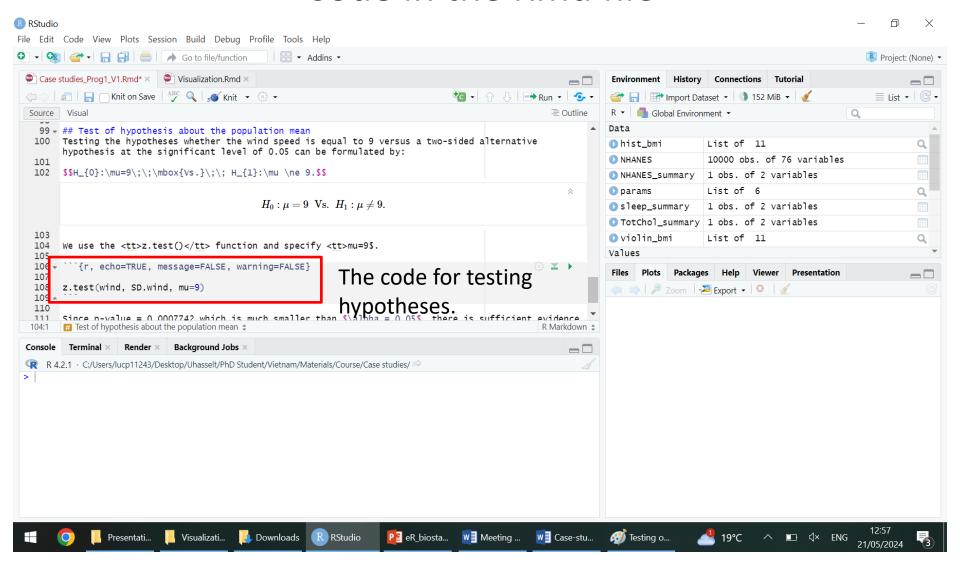
Code in the Rmd file



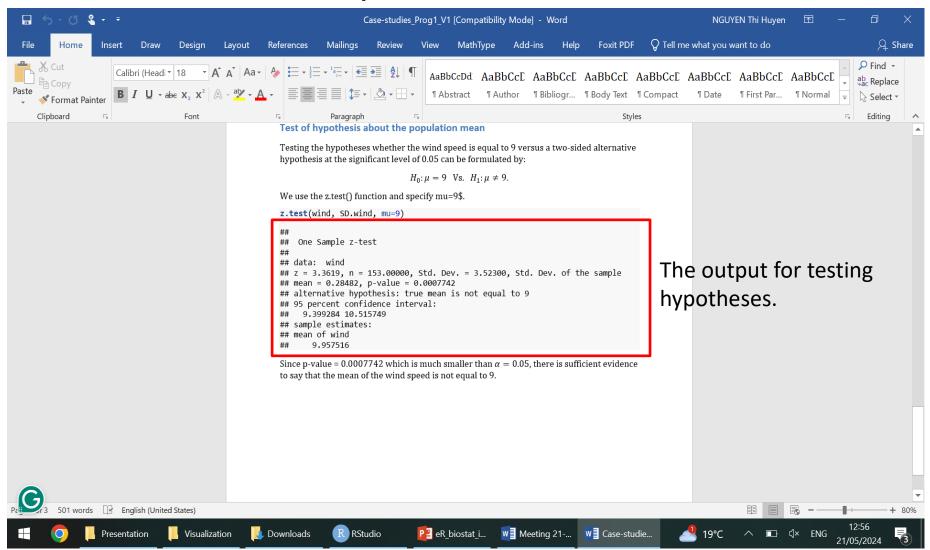
The output in the Word file



Code in the Rmd file



The output in the Word file



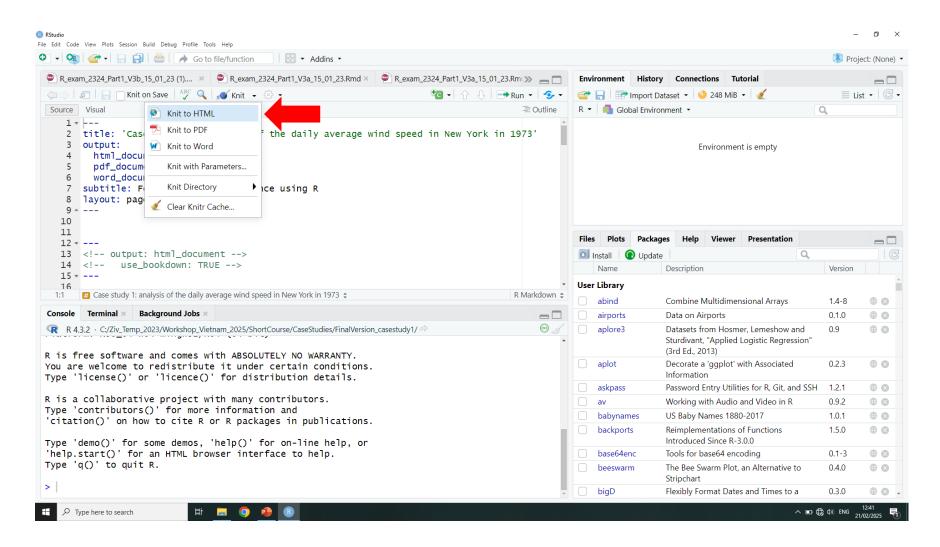




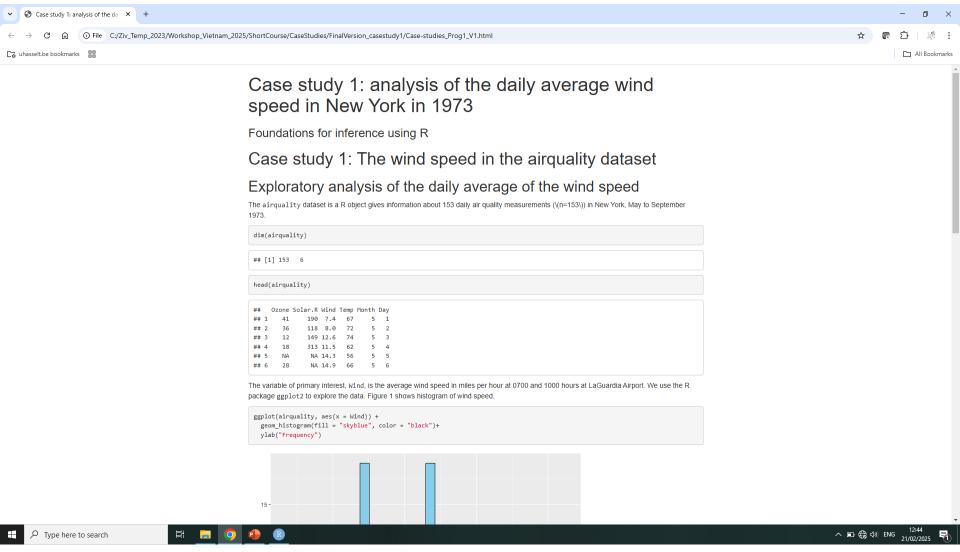


Part 5: How to set up the HTML file?

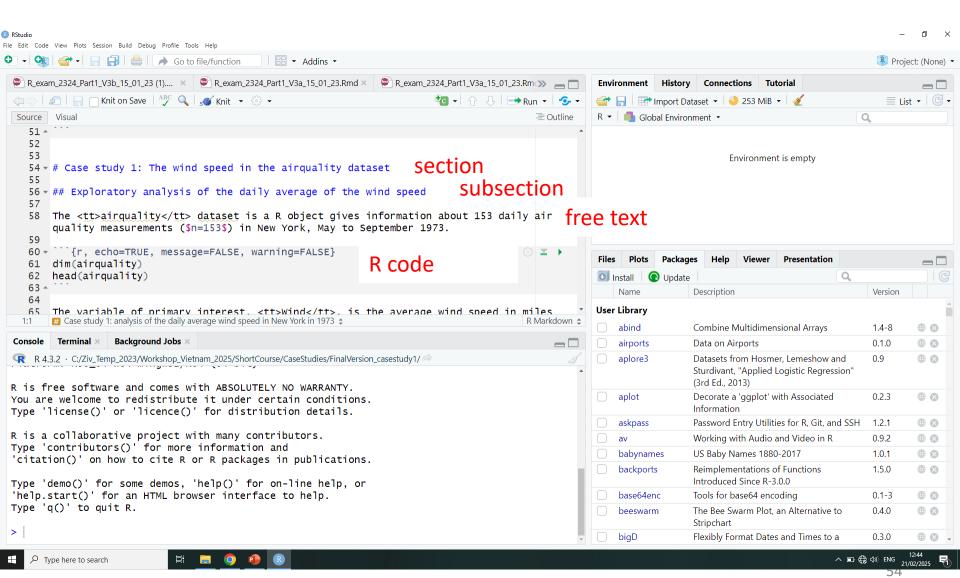
Setup the HTML document



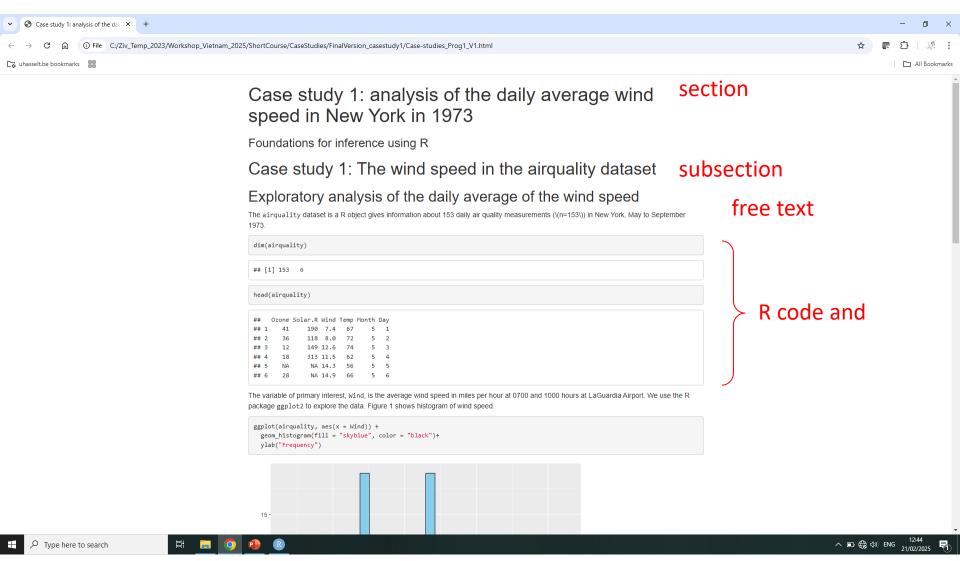
The output



The Rmd file



The output



Discussion

- R Studio + R markdown:
- Easy to use.
- Text + code.
- Output:
 - Standard: HTML, PDF, DOC.
 - Example: Word.doc.