Seminar 10: Machine Learning for Microeconometrics A Monte Carlo exercise: OLS vs Naive Lasso vs Double Selection LASSO We want to check how the different methods work. Setup of the Monte Carlo Simulation The following simulation is a slightly revised version of the simulation from S. Kranz "Lasso and the Methods of Causality" (https://skranz.github.io/r/2020/09/14/LassoCausality.html) We study different approaches for variable selection using a Monte-Carlo simulation with the following data generating process for $y = 1 + lpha d + \sum_{k=1}^{K_c} eta_k^{cy} x_k^c + \sum_{k=1}^{K_y} eta_k^y x_k^y + arepsilon^y$ $d=1+\sum_{k=1}^{K_c}eta_k^{cd}x_k^c+\sum_{k=1}^{K_e}eta_k^ex_k^e+arepsilon^d$ We have the following potential control variables that are all independently normally distributed from each other: • *d* the endogenous variable • x_k^c is one of K_c confounders that directly affect both d and y. For a consistent OLS estimation of α , we need to control for all • x_k^y is one of K_y variables that only affect the dependent variable y but not the explanatory variable d. Whether we would add it or not in an OLS regression should not affect the bias of our estimator $\hat{\alpha}$. • x_k^e is one of K_e variables that only affect d but not through any other channel the dependent variable y. It constitutes a source of exogenous variation in d. We can estimate in an OLS regression α more precisely if we don't add any x_k^e to the regression. Also, we will see that adding fewer x_k^e can reduce the bias of an OLS estimator that arises if we have not perfectly controlled for all confounders. • We also observe K_u variables x_k^u that neither affect y nor d. They are just uncorrelated noise variables that we ideally leave out of our regressions. The following code simulates a data set with n=200 observations, $K_c=15$ confounders, $K_y=15$ variables that affect only y, $K_e=2$ that provides a source of exogenous variation and $K_u=200$ explanatory variables that are uncorrelated with everything else. The causal effect of interest α , all other regression coefficients and standard deviations are equal to 1. import stata setup stata setup.config("C:/Program Files/Stata17", "se") %%stata clear all set seed 20211109 set linesize 255 set obs 200 forvalues k=1/232{ $g \ V \ k' = rnormal(0,1)$ egen sum c=rowtotal(V1-V15) egen sum_y=rowtotal(V16-V30) egen sum_e=rowtotal(V31-V32) $g d=1+1*sum_c+sum e+rnormal()$ g y=1+d+sum c+sum y+rnormal() OLS We look at five different cases. • kitchen sink specification (throw in all potential variables) Omitted Variable Bias • Data Generating Process controlling variables that correlated with D but not impact y via other channels (valid IV for D) In [4]: %%stata quietly reg y d V* estimates store r1, title(kitchen) qui{ quietly reg y d estimates store r2, title(OVB) quietly reg y d V1-V30 estimates store r3, title(DGP) quietly reg y d V1-V32 estimate store r4, title(D e) quietly ivregress 2sls y V16-V30 (d=V31-V32) estimates store r5, title(IV) estout r^* , keep(d) cells(b se(par fmt(2))) /// legend label varlabels(cons Constant) . quietly reg y d V^{\star} . estimates store r1, title(kitchen) . qui{ . estout r^* , keep(d) cells(b se(par fmt(2))) /// legend label varlabels (cons Constant) kitchen OVB DGP D_e IV b/se b/se b/se b/se LASSO, Post-Lasso and Post Double Selection In the following we estimate the relationship between y and predictors (D and V^*). The goal is to recover the causal parameter α when there are high numbers of potential controls. (NOTE: we assume thta CIA holds.) As we discussed in the lecture, the lasso regression selects a subset of explanatory variables whose estimated coefficients are non-zero. But also the coefficients of the selected variables will be typically attenuated towards 0 because of the penalty term. The post-lasso estimator avoids this attenuation by simply performing an OLS estimation using all the selected variables from the lasso estimation. In the following, we use the stata package "lassopack" and "pdslasso". **LASSO** and Post-Lasso We use three different procedures to determine the penalty parameter λ . 1. cross validation (cvlasso) 2. using information criterion (lasso2) 3. Theoretical value (rlasso) In [5]: %%stata cvlasso y d V*, lopt postres plotcv . cvlasso y d V*, lopt postres plotcv K-fold cross-validation with 10 folds. Elastic net with alpha=1. Fold 1 2 3 4 5 6 7 8 9 10 Lambda MSPE st. dev. 193.65471 1.2727875 30| 9.7231545 176.45096 8.6372147 1.1059851 31| .95771969 160.77554 7.6728737 6.8423957
133.47868 6.154876
121.6208 5.576866
110.81635 5.0997055
100.97173 4.7059639
92.001677 4.3705292
83.828502 4.0886482
76.381409 3.8508632
69.595895 3.6448411 6.8423957 .82191562 34| .70758563 .61325231 .53452071 .47054332 .41351908 38| .36621063 39| .32496497 .29419368 63.413187 3.4825931 .27209035 .25195832 3.3321031 57.779735 .23413112 52.646742 3.1990837 47.969751 3.0825292 .22083539 43.70825 .21557341 461 2.9914454 39.82533 .20837932 2.9094441 47 I .20120308 36.287357 2.8407593 2.7765465 .19469713 33.063688 2.7273386 30.126401 50| .18686482 .18303298 27.450055 2.6888654 51 I 25.011468 22.789518 .18286842 * 2.6734949 2.6801621 .18520002 20.76496 2.6854249 .18826565 54| 18.920258 2.7049528 .19174921 55| .19776096 2.7429811 2.8041509 17.239435 15.707931 .20779702 57| 14.312481 2.8846656 .22185323 13.041 .23929786 2.9667291 11.882474 3.062136 3.158131 3.2604377 3.3429892 3.4294875 3.5160464 .27549286 61| .2975459 62| 9.8650383 8.9886555 .31992363 8.1901281 .35482796 65| 7.4625397 .36713824 6.7995882 3.6165174 .38266566 6.1955315 3.7184379 5.6451376 3.8252545 3.9400959 .42233998 691 5.1436391 70| .44629588 4.0623193 4.6866924 4.1763518 .46576863 4.2703396 71 I .48256248 3.8909744 4.2896207 73| 3.5453109 4.4222282 .50055401 4.5759979 3.2303553 741 .51888628 .53194604 751 2.9433794 4.7444922 4.9214113 2.6818977 .53686173 77| 2.4436453 5.0942629 .54161414 2.2265586 5.254475 78| .54620122 * lopt = the lambda that minimizes MSPE. Run model: cvlasso, lopt ^ lse = largest lambda for which MSPE is within one standard error of the minimal MSPE. Run model: cvlasso, lse Estimate lasso with lambda=25.011 (lopt). Selected | Lasso Post-est OLS 1.7671647 0.2170179 d | 1.6330105 V2 | 0.4018278 0.1438550 0.2795591 V3 | 0.2587519 V4 | 0.1615942 0.3055922 0.1262491 V7 | 0.1710275 0.4392129 0.2960553 0.4429216 V8 I V9 | 0.2431908 0.4571931 0.1001006 V10 | 0.2621215 V11 | 0.1318062 0.3447644 V12 | 0.2067372 0.3165472 V13 | 0.1509648 0.3731960 V14 | 0.1483965 0.4051502 V15 | 0.0047646 0.2698030 0.95661561.02531140.89710650.9708301 V16 | V17 I V18 I 0.8662542 0.8938764 0.8547626 0.8416409 V19 | 0.9733480 1.0402765 V20 I 1.1270631 0.9984264 V21 | 0.8746915 V23 | 0.7131791 0.7185309 0.9730758 V24 | 0.8926904 V25 I 0.9660915 0.9665033 V26 | 0.9687728 1.0361031 1.0507142 V27 | 1.2212056 0.9852362 0.9878084 V28 I 0.8618398 V29 | 0.9939550 0.9288164 1.0054000 V30 | V31 | -0.4784266 -0.4581066 V32 | -0.5223352 -0.6452484 -0.0363806 -0.1394978 V34 | -0.0938583 0.0977555 V38 | -0.0084473 V45 | 0.0015656 -0.0648039 -0.1967482 V52 I V54 | -0.1287554 -0.1463557 -0.0452706 -0.1312493 V56 | V57 | -0.0057927 -0.0307171 -0.0422042 -0.0490789 V60 | 0.1021010 0.0052681 V61 I 0.1242700 V66 | 0.0991859 V73 | 0.0045445 0.1003533 0.0724398 0.0652381 V76 I V81 I 0.0554979 0.0213331 0.1363966 V88 | 0.2787004 -0.0167349 -0.0216251 V90 | V92 | -0.0470425 -0.1255307 -0.1486033 -0.1431532 V95 | -0.0679617 V99 | -0.1253309 V100 | -0.1897291 -0.2020689 0.1251649 0.0303305 V103 I 0.1611949 0.2391026 V106 | V107 | -0.0452993 V112 | -0.0172567 -0.0772297 V117 | -0.1276827 -0.2163777 -0.0433147 -0.1350839 V120 I 0.1371950 V125 | 0.2268413 0.1466474 0.0978578 V127 | -0.0837197 V128 | -0.1895606 -0.2474157 V132 I -0.1073879 -0.0053297 -0.0552603 V136 | 0.0519058 0.0840987 V141 | 0.0240304 0.0589167 -0.0459029 -0.2041398 V145 I V147 | 0.1724170 0.2223354 V152 | -0.0297455 -0.0734237 0.1637939 0.1047062 V157 I 0.1006885 0.0091424 V172 I -0.0615754 V174 | -0.0455010 V185 | 0.1344090 0.0152375 V187 | 0.1005150 0.1293806 -0.0474714 -0.0963638 V190 | V194 I -0.0261797 -0.0418876 V200 | 0.0605138 0.1628385 -0.2376098 V203 I -0.1529307 -0.1019382 V206 I -0.0031466 V207 | -0.1153863 -0.0421372 V209 | 0.1400696 0.2085899 V211 | -0.0530495 -0.0489396 -0.2329026 -0.1003522 V214 I 0.0950572 V218 | 0.2134265 V224 | -0.1424847 -0.1032286 -0.0495117 -0.1217424 V226 I 0.0265184 0.0130600 V227 I 0.0082315 -0.0034970 -0.0831796 Partialled-out* cons | 0.3432482 0.4837121 60 20 6 In(Lambda) ---- MSPE - sd. error — Mean-squared prediction error ---- MSPE + sd. error %%stata lasso2 y d V*, lic(aicc) postres . lasso2 y d V*, lic(aicc) postres Knot | ID Lambda s L1-Norm AICC R-sq | Action 2 | 2 2620.24076 1 0.15052 829.60182 0.1239 | Added d. 3| 20 490.98528 5 1.63202 611.78416 0.7172 | Added V16 V17 V21 V24. 7 4| 21 447.36750 2.14861 601.38752 0.7372 | Added V20 V22. 0.7577 | Added V23. 0.7770 | Added V27 V28. 0.7963 | Added V18 V25. 5| 22 407.62460 2.74113 587.37607 8 10 12 6 | 23 371.41236 7 | 24 338.41711 3.36033 575.15009 4.05026 561.61482 0.8163 | Added V19. 81 25 308.35307 13 4.83485 543.21340 528.54364 0.8333 | Added V26 V107. 9| 26 280.95983 15 5.56418 509.65979 0.8501 | Added V29. 10| 27 256.00013 16 6.36685 7.26676 500.43341 0.8671 | Added V8 V11 V30 V32 V174 V232. 11 | 28 233.25779 22 12| 29 212.53581 24 8.28284 477.49842 0.8845 | Added V12 V224. 25 9.26824 451.49573 0.8999 | Added V31. 26 10.17767 426.39476 0.9129 | Added V100. 27 12.46738 353.91247 0.9402 | Added V157. 28 13.12965 333.79601 0.9466 | Added V226. 14 | 31 176.45096 15 | 34 133.47868 16| 35 121.62080 17| 36 110.81635 30 13.74641 317.83076 0.9521 | Added V4 V209. 18| 37 100.97173 33 14.32838 306.01199 0.9567 | Added V9 V66 V187. 19| 39 83.82850 38 15.40839 283.18608 0.9642 | Added V54 V95 V106 V147 V203. 76.38141 42 15.95030 277.25318 0.9673 | Added V2 V13 V57 V141. 20 | 40 16.48793 272.47368 0.9702 | Added V10 V81 V125 V127. 17.01652 264.92454 0.9727 | Added V76 V166 V218. 17.54675 257.80016 0.9751 | Added V117 V211 V228. 21| 41 69.59589 46 22 | 42 23 | 43 63.41319 49 57.77973 52 18.07165 255.32185 0.9772 | Added V5 V60 V88 V132. 24 | 44 52.64674 56 25| 45 47.96975 58 18.62455 244.99778 0.9792 | Added V3 V7. 62 19.19593 243.13349 0.9810 | Added V14 V99 V152 V214. 26| 46 43.70825 27 | 47 39.82533 68 19.77635 251.45290 0.9827 | Added V56 V92 V128 V190 V194 V227. 74 20.36457 262.09153 0.9842 | Added V52 V103 V120 V136 V200 V207. 28 | 48 36.28736 29| 49 33.06369 30 | 50 31 | 51 30.12640 22.05532 27.45006 86 22.58345 260.37084 0.9889 | Added V15 V38 V45 V61 V73 V134 V206. 32| 52 25.01147 22.78952 95 23.18821 303.50036 0.9898 | Added V33 V46 V86 V139 V142 V149 V150 V216 V2 33| 53 34 | 54 20.76496 98 23.78930 308.39030 0.9907 | Added V1 V116 V123. 35 | 55 18.92026 104 24.43193 339.59114 0.9915 | Added V44 V77 V113 V140 V168 V221 V223. Remov ed V228. 36| 56 37| 57 25.05128 358.35424 0.9923 | Added V39 V75 V94 V193. 25.75127 435.01964 0.9930 | Added V6 V65 V79 V115 V 108 17.23943 435.01964 0.9930 | Added V6 V65 V79 V115 V126 V135 V153 V167 V17 15.70793 117 7 V189. Removed V57. 38 | 58 | 14.31248 | 117 26.51031 414.37760 0.9937 | Added V68. Removed V189. 39| 59 13.04100 121 27.22867 444.88868 0.9943 | Added V57 V163 V170 V229. 40| 60 11.88247 123 27.91090 453.10342 0.9948 | Added V114 V162 V186. Removed V216. 28.61847 540.31246 0.9953 | Added V84 V87 V93 V124 V133 V161 V189 V199. R 41 | 61 10.82687 130 emoved V113. 29.33753 693.94399 0.9957 | Added V70 V85 V97 V101 V111 V137 V148 V205 V2 42| 62 9.86504 139 08 V230. Removed V211. 43| 63 8.98866 30.07366 695.33162 0.9962 | Added V49 V196 V204. Removed V87 V194. 140 44| 64 30.77759 773.36942 0.9965 | Added V36 V74 V89 V119 V171 V215. Removed V68 8.19013 144 45| 65 7.46254 146 31.47698 807.46395 0.9969 | Added V43 V58 V64 V67 V96 V211. Removed V120 V189 V206 V208. 46| 66 6.79959 146 787.77313 0.9972 | Added V51 V79 V182. Removed V38 V60 V70. 32.12481 891.44107 47 | 67 48 | 68 891.44107 0.9974 | Added V35 V62 V108 V154 V178. Removed V79. 942.12173 0.9977 | Added V40 V82 V151. Removed V168. 32.76044 6.19553 150 5.64514 152 33.36608 49| 69 33.95511 1039.71459 0.9979 | Added V59 V71 V102 V105 V202. Removed V45 V11 5.14364 155 50| 70 4.68669 155 34.51296 1022.00988 0.9981 | Added V69 V72 V143. Removed V73 V81 V225. 51| 71 4.27034 158 35.02845 1138.63030 0.9982 | Added V78 V91 V181. 52 | 72 3.89097 162 35.55565 1332.36251 0.9984 | Added V37 V79 V130 V164 V192. Removed V151. 36.08005 1506.20897 0.9985 | Added V109 V180 V188 V222. Removed V230. 36.65839 1894.03936 0.9986 | Added V104 V155 V184 V194 V216. 37.30700 1782.66548 0.9987 | Added V173 V210. Removed V56 V62 V72. 53| 73 3.54531 165 36.08005 1506.20897 54 | 7455 | 75 170 3.23036 2.94338 169 56| 76 37.86633 1955.91045 0.9988 | Added V48 V56 V83 V122 V144. Removed V44 V133 171 2.68190 V193. 57| 77 175 2.44365 38.45121 2414.11982 0.9989 | Added V38 V42 V80 V146 V158 V195. Removed V66 V182. 39.09824 2870.17419 0.9990 | Added V120 V131 V138 V179 V182 V193 V197 V22 58| 78 2.22656 178 0. Removed V43 V78 V95 V195 V227. Use long option for full output. Use lambda=27.4500550129593 (selected by AICC). Selected | Lasso Post-est OLS d | 1.7739059 1.7199908 V2 | 0.2037073 0.3511454 V2 | 0.1329859 0.1572871 0.2049401 0.1146634 0.2349067 V4 | V5 | 0.1506317 0.3518616 0.2870204 0.3663435 0.2266119 0.4079307 V8 | V9 | 0.0910298 V10 I 0.1606296 V11 | 0.1202902 0.2304665 V12 | 0.2020258 0.2575092 V13 | 0.1262425 0.3547255 V14 | V16 I 0.9503031 1.0150096 0.8881534 V17 | 0.8935241 V18 | 0.8653531 0.8987193 V19 | 0.8359564 0.9145585 V20 I 0.9689720 1.0161326 V21 | 0.9858095 1.1178121 0.8661082 0.9654338 V2.2 | 0.7123804 V23 | 0.7247260 0.8865819 0.9591149 V25 | 0.9637724 1.0070754 V26 | 1.0811744 0.9594685 1.0341885 V27 I 1.2132579 0.9845314 0.9961394 V29 | 0.8496424 0.9834720 0.9169324 1.0655068 V30 I -0.4768019 V31 I -0.5119249 V32 | -0.6499044 -0.6250956 V34 | -0.0259141 -0.1306937 V52 | -0.1940602 -0.0534657 -0.1242312 -0.1943650 V54 | V56 I -0.0371161 -0.1088089 0.0028170 V57 | -0.0070057 -0.0670297 V60 I -0.0401164 0.1247185 0.1430068 V66 I V76 I 0.0711598 0.1029364 V81 | 0.0560424 0.0595773 0.1257860 0.2370584 V88 | -0.0141130 -0.0738091 V90 | V92 | -0.0423251 -0.1067082 V95 | -0.1463076 -0.1865202 -0.1386444 -0.0615865 V99 I -0.1872265 V100 I -0.2223115 V103 I 0.0232429 0.0914264 V106 | 0.1526630 0.2510607 V107 | -0.0127425 -0.0469361 -0.0099131 -0.0812417 V112 I V117 I -0.1190439 -0.2038928 V120 | -0.0358203 -0.1097716 0.1279413 0.2269295 V125 | 0.1662350 V127 | 0.0918071 V128 I -0.0712827 -0.2219974 V132 | -0.0960809 -0.2075333 V136 | 0.1469081 0.0451453 0.0235848 0.0228998 V141 I V145 | -0.0315228 -0.1946050 V147 | 0.1665993 0.2307583 V152 | -0.0562443 -0.0275227 0.1186611 V157 | 0.1684175 0.0019873 V172 | 0.0904462 V174 | -0.0449817 -0.0361272 V185 | 0.1132032 0.0045770 0.0978920 0.1216176 V187 I V190 I -0.0424959 -0.1043682 V194 | -0.0232709 -0.0645991 0.0500716 0.1827080 V200 I V203 I -0.1429959 -0.2563450 V207 | -0.0332539 -0.1261842 V209 | 0.1318814 0.2227550 V211 | -0.0466908 -0.0485428 -0.0878162 -0.2204309 V214 | V218 | 0.0844119 0.1795192 V224 | -0.1463122 -0.0853862 -0.1249878 -0.0984599 V226 I 0.0696838 V227 | 0.0241029 V228 I 0.0097119 -0.0153371 -0.0779676 -0.1196546 Partialled-out* cons | 0.3373338 0.3820430 In [7]: \%\stata rlasso y d V* . rlasso y d V* Selected | Lasso Post-est OLS d | 1.3984524 1.7373940 V17 | 0.0878541 1.3772976 V24 | 0.0252680 1.2994967 _cons |* 0.6117565 0.2027828 *Not penalized **Double Selection Lasso** The post double selection method by Belloni et. al. (2014) selects the control variables as follows. We run two lasso regressions. • The first regresses d on all potential controls. The second regresses y on all potential controls (excluding d). Then we use the union of the selected variables from both lasso regressions for our post-lasso OLS regression. An intuition for this approach is that confounders are variables that affect both d and y. To ensure that very few confounders are omitted, it thus seems not implausible to use as a broad control set all variables that relevantly affect d or y. Let us apply the post double selection method: %%stata quietly rlasso y V* local string1 = e(selected) di "`string1'" quietly rlasso d V* local string2 = e(selected) di "`string2'" local newlist: list string1 | string2 di "`newlist'" reg y d `newlist' quietly rlasso y V* local string1 = e(selected) di "`string1'" V2 V8 V9 V10 V11 V13 V14 V15 quietly rlasso d V* local string2 = e(selected) di "`string2'" V2 V3 V6 V8 V9 V10 V11 V12 V13 V14 V15 V25 local newlist: list string1 | string2 di "`newlist'" V2 V8 V9 V10 V11 V13 V14 V15 V3 V6 V12 V25 reg y d `newlist' ------ Adj R-squared = 0.7543 Total | 14163.4092 199 71.1729105 Root MSE y | Coefficient Std. err. t P>|t| [95% conf. interval] d | 1.443783 .1290168 11.19 0.000 1.189259 1.698308 V2 | .0304683 .3343658 0.09 0.927 -.6291686 .6901051

 V8 | .6232437
 .3090462
 2.02
 0.045
 .0135573

 V9 | .8211188
 .3271792
 2.51
 0.013
 .1756596

 .1756596 1.466578 V10 | .5466191 .3139174 1.74 0.083 -.0726771 1.165915 V11 | .6675631 .3052216 2.19 0.030 .0654218 1.269704 V13 | .3324538 .3463546 0.96 0.338 -.3508345 1.015742 V14 | .4096044 .3084713 1.33 0.186 -.1989479 1.018157 V15 | .3454 .3436906 1.00 0.316 -.3326328 1.023433 V3 | .0200068 .3257529 0.06 0.951 -.6226387 .6626522 V6 | .1951426 .3233501 0.60 0.547 -.4427625 .8330477

 V12 |
 .7539879
 .3212112
 2.35
 0.020
 .1203024
 1.387673

 V25 |
 1.149046
 .3026321
 3.80
 0.000
 .5520135
 1.746079

 _cons |
 .5076797
 .3261692
 1.56
 0.121
 -.1357869
 1.151146

 Another closed related alternative is to apply the orthogonal score functions, as we discussed in the lecture (the double machine learning method). In our case, it is equivalent to regress the residual (of y on the selected regressors) on the residual (of d on the selected regressors). We also apply this method: %%stata In [9]: capture drop u v quietly reg y `string1' predict u, res quietly reg d `string2' predict v, res reg u v capture drop u v quietly reg y `string1' predict u, res quietly reg d `string2' predict v, res req u v Total | 7002.19923 199 35.1869308 Root MSE u | Coefficient Std. err. t P>|t| [95% conf. interval] v | 1.443783 .1520783 9.49 0.000 1.143882 1.743684 _cons | 4.76e-09 .3485844 0.00 1.000 -.6874146 .6874146 Or we can use the "pdslasso" command In [10]: %%stata pdslasso y d (V*) . pdslasso y d (V*) 1. (PDS/CHS) Selecting HD controls for dep var y... Selected: V2 V8 V9 V10 V11 V13 V14 V15 2. (PDS/CHS) Selecting HD controls for exog regressor d... Selected: V2 V3 V6 V8 V9 V10 V11 V12 V13 V14 V15 V25 Estimation results: Specification: Regularization method: lasso Penalty loadings: homoskedastic Number of observations: Exogenous (1): V1 V2 V3 V4 V5 V6 V7 V8 V9 V10 V11 V12 V13 V14 V15 V16 V17 V18 V19 V20 V High-dim controls (232): 21 V22 V23 V24 V25 V26 V27 V28 V29 V30 V31 V32 V33 V34 V35 V36 V37 V38 V39 V40 V41 V42 V43 V44 V45 V46 V47 V48 V49 V50 V51 V52 V53 V54 V55 V56 V57 V58 V59 V60 V61 V62 V63 V64 V65 V66 V67 V68 V69 V70 V71 V72 V73 V74 V75 V76 V77 V78 V79 V80 V81 V82 V83 V84 V85 V86 V87 V88 V89 V90 V91 V92 V93 V94 V95 V96 V97 V98 V99 V100 V101 V V57 V58 V59 V60 V61 V62 V63 V64 V65 V66 V67 102 V103 V104 V105 V106 V107 V68 V69 V70 V71 V72 V73 V74 V75 V76 V77 V78 V79 V80 V81 V82 V83 V84 V85 V86 V87 V88 V89 V90 V91 V92 V93 V94 V95 V96 V97 V98 V99 V100 V101 V102 V103 V104 V105 V106 V107 V108 V109 V110 V111 V112 V113 V114 V115 V116 V117 V118 V119 V120 V121 V122 V1 23 V124 V125 V126 V127 V128 V129 V130 V131 V132 V133 V134 V135 V136 V137 V138 V139 V140 V141 V142 V143 V144 V14 5 V146 V147 V148 V149 V150 V151 V152 V153 V154 V155 V156 V157 V158 V159 V160 V161 V162 V163 V164 V165 V1 66 V167 V168 V169 V170 V171 V172 V173 V174 V175 V176 V177 V178 V179 V180 V181 V182 V183 V184 V185 V186 V187 V18 8 V189 V190 V191 V192 V193 V194 V195 V196 V197 V198 V199 V200 V201 V202 V203 V204 V205 V206 V207 V208 V2 09 V210 V211 V212 V213 V214 V215 V216 V217 V218 V219 V220 V221 V222 V223 V224 V225 V226 V227 V228 V229 V230 V23 V2 V3 V6 V8 V9 V10 V11 V12 V13 V14 V15 V25 Selected controls (12): Unpenalized controls (1): Structural equation: OLS using CHS lasso-orthogonalized vars y | Coefficient Std. err. z P>|z| [95% conf. interval] d | 1.841995 .0949758 19.39 0.000 1.655846 2.028145 OLS using CHS post-lasso-orthogonalized vars y | Coefficient Std. err. z P>|z| [95% conf. interval] d | 1.443783 .151316 9.54 0.000 1.147209 1.740357 OLS with PDS-selected variables and full regressor set y | Coefficient Std. err. z P>|z| [95% conf. interval] d | 1.443783 .1244193 11.60 0.000 1.199926 1.687641 V2 | .0304683 .3224507 0.09 0.925 -.6015234 .66246 V3 | .0200068 .3141448 0.06 0.949 -.5957056 .6357192 V6 | .1951426 .3118275 0.63 0.531 -.4160281 .8063133 V8 | .6232437 .2980334 2.09 0.037 V9 | .8211188 .3155202 2.60 0.009 V10 | .5466191 .3027309 1.81 0.071 V11 | .6675631 .2943451 2.27 0.023 .0391091 1.207378 .2027105 1.439527 -.0467227 .0906573 1.244469 .1468599 1.361116 V12 | .7539879 .3097648 2.43 0.015 V13 | .3324538 .3340122 1.00 0.320 -.3221982 .9871058 V14 | .4096044 .297479 1.38 0.169 -.1734437 .9926524
 V15 |
 .3454
 .3314432
 1.04
 0.297
 -.3042167
 .9950166

 V25 |
 1.149046
 .2918479
 3.94
 0.000
 .5770349
 1.721057

 _cons |
 .5076797
 .3145461
 1.61
 0.107
 -.1088195
 1.124179
 Standard errors and test statistics valid for the following variables only: Suppose that we don't have information on potential confounders(V1-V15), only the potential IVs (V16-V232). Using Lasso to do the first step. %%stata capture drop d hat quietly lasso2 d V31-V232, lic(aicc) postres predict d hat, xb reg y V16-V30 d hat ivregress 2sls y V16-V30 (d=V31-V32) drop d hat qui rlasso d V31-V232 predict d hat, xb reg y V16-V30 d hat drop d hat qui cvlasso d V31-V232, lopt postres predict d hat, xb reg y V16-V30 d hat



