	Statistics and Data Science Copyright 1985-2021 StataCorp LLC StataCorp
	State license: Unlimited-user network, expiring 21 Mar 2022 Serial number: 401709320653 Licensed to: zhiyang Jia UIO
[2]:	Notes: 1. Unicode is supported; see help unicode_advice. 2. Maximum number of variables is set to 5,000; see help set_maxvar. **stata clear all
	set seed 2345688 use cps09mar su keep if region==2 & race==2 & female==1
	<pre>gen mar=(marital<4) clear all set seed 2345688 use cps09mar</pre>
	(Written by R.)
	female 50,742 .4257223 .4944569 0 1 hisp 50,742 .1487919 .3558868 0 1 education 50,742 13.92462 2.744447 0 20 earnings 50,742 55091.53 52222.07 1 561087 hours 50,742 43.82724 7.704467 36 99 week 50,742 51.87927 .5986461 48 52 union 50,742 .0215206 .1451134 0 1 uncov 50,742 .0022072 .0469299 0 1 region 50,742 2.635627 1.060051 1 4
	race 50,742 1.433507 1.31743 1 21 marital 50,742 2.763174 2.503158 1 7 . keep if region==2 & race==2 & female==1 (50,309 observations deleted)
	. gen mar=(marital<4) .
[3]:	<pre>gen age2=age*age probit mar age age2 education, r</pre>
	<pre>est store probit_ml . gen age2=age*age probit mar age age2 education, r Iteration 0: log pseudolikelihood = -285.21583 Iteration 1: log pseudolikelihood = -272.00107 Iteration 2: log pseudolikelihood = -271.96692</pre>
	Robust mar Coefficient std. err. Coefficient std
	age .1380565 .0507529 2.72 0.007 .0385825 .2375304 age2 0014209 .0006022 -2.36 0.01800260130002406 education .0898554 .0272241 3.30 0.001 .0364971 .1432137 _cons -4.714038 1.103265 -4.27 0.000 -6.876397 -2.551678
	3. Explain how you can calculate the bootstrap standard error Answer hint 1. Computes the coefficient estimates $\hat{\beta}$ on the estimation sample.
	2. Draws n observations at random (with replacement) from the estimation sample 3. Computes the estimates $\hat{\beta}^{(*r)}$ on this simulated sample 4. Repeats this R times, obtaining $\widehat{se}^*(\hat{\beta}) = \sqrt{\frac{1}{R-1} \sum_{r=1}^R \left(\hat{\beta}^{(*r)} - \overline{\hat{\beta}^{(*)}}\right)^2}$
[4]:	$\widehat{se}^*(\hat{eta}) = 0.0287$ %%stata bootstrap "probit mar age age2 education, r" _b _se, /// reps(1000) saving(probit_bsdata) replace
	<pre>preserve use probit_bsdata, clear su b_education bootstrap "probit mar age age2 education, r" _b _se, ///</pre>
	<pre>> reps(1000) saving(probit_bsdata) replace Command: probit mar age age2 education , r Statistics: b_age = [mar]_b[age] b_age2 = [mar]_b[age2] b_educat~n = [mar]_b[education] b_cons = [mar]_b[_cons] se_age = [mar]_se[age] se_age2 = [mar]_se[age2] se_educa~n = [mar]_se[education]</pre>
	se_cons = [mar]_se[_cons] Bootstrap statistics Number of obs = 433 Replications = 1000 Variable Reps Observed Bias Std. err. [95% conf. interval] b_age 1000 .1380565 .0089082 .0537027 .0326735 .2434394 (N)
	se_age 1000
	Se_cons 1000 1.1032650386056 .1277354
	<pre> preserve use probit_bsdata, clear (bootstrap: probit mar age age2 education , r) su b_education</pre>
	Variable Obs Mean Std. dev. Min Max b_education 1,000 .0917628 .0286487 .0025177 .1830203
	effect on the marriage decision. You are asked to use different methods: (a) t-test using both ML and Bootstrapped standard errors. Answer hint $t_{ml}=\frac{0.0898-0}{0.0272}=3.30$
	$t_{boot}=rac{0.0898-0}{0.0287}=3.13$ (b) Confidence interval method 1. using the percentile method
	Answer hint Using the bootstrapped standard errors we can the percentile method, which gives $[\hat{\beta}_{\alpha/2}^*,\hat{\beta}_{1-\alpha/2}^*]$ where $\hat{\beta}_p^*$ is the p -th quantile of the bootstrap distribution of $\hat{\beta}^{(*)}$
[5]:	%%stata
	<pre>* kdensity b_education, normal _pctile b_education, p(2.5, 97.5) * display quantiles dis r(r2) dis r(r1)</pre>
	pctile b_education, p(2.5, 97.5) * display quantiles dis r(r2)
	pctile b_education, p(2.5, 97.5) * display quantiles dis r(r2) dis r(r1) . * kdensity b_education, normal . _pctile b_education, p(2.5, 97.5) . * display quantiles . . dis r(r2) .14867803 . dis r(r1) .03578065 . 1. the percentile t-method Construct for each bootstrap sample $t^{(*r)} = \frac{\hat{\beta}^{(*r)} - \hat{\beta}}{\widehat{se}^{(*r)}(\hat{\beta})}$ The percentile t -method defines interval
6]:	pctile b_education, p(2.5, 97.5) * display quantiles dis r(r2) dis r(r1) . * kdensity b_education, normalpctile b_education, p(2.5, 97.5) . * display quantiles dis r(r2) display quantiles dis r(r2)
(6]:	_pctile b_education, p(2.5, 97.5) * display quantiles dis r(r2) dis r(r1) . * kdensity b_education, normal pctile b_education, p(2.5, 97.5) . * display quantiles . dis r(r2) .14867803 . dis r(r1) .03578065 . . 1. the percentile t-method Construct for each bootstrap sample $t^{(*r)} = \frac{\hat{\beta}^{(*r)} - \hat{\beta}}{\widehat{se}^{(*r)}(\hat{\beta})}$ The percentile t -method defines interval $[\hat{\beta} - t^*_{1-\alpha/2}\hat{\sigma}, \hat{\beta} - t^*_{\alpha/2}\hat{\sigma}]$ where t^*_p is the p -th quantile of the bootstrap distribution of t^* .
[6]:	pctile b_education, p(2.5, 97.5) * display quantiles dis r(r2) dis r(r1) . * kdensity b_education, normal . pctile b_education, p(2.5, 97.5) . * display quantiles . dis r(r2) .1e467803 . dis r(r1) .03578065 . 1. the percentile t-method Construct for each bootstrap sample $t^{(sr)} = \frac{\hat{\beta}^{(irr)} - \hat{\beta}}{\widehat{se}^{(irr)}(\hat{\beta})}$ The percentile t-method defines interval $[\hat{\beta} - t_{1-\alpha/2}^* \hat{\sigma}, \hat{\beta} - t_{\alpha/2}^* \hat{\sigma}]$ where t_p^* is the p-th quantile of the bootstrap distribution of t^* . **Stata* est restore probit_ml * create bootstrap t-ratios gen t_edu=(b_education_b[education])/se_education * calculate quantiles of t-ratios pctile t_edu, p(2.5, 97.5) * display quantiles dis r(r2) dis r(r2) dis p[education]-se[education]*r(r2) dis_b[education]-se[education]*r(r1) . est restore probit_ml (results probit_ml are active now) . * create bootstrap t-ratios
[6]:	potitie b_education, p(2.5, 97.5) * display quantiles dis r(r2) dis r(r1) .* kdensity b_education, p(2.5, 97.5) .* display quantiles .dis r(r2) .14867803 .dis r(r1) .03578065 . 1. the percentile t-method Construct for each bootstrap sample $t^{(wt)} = \frac{\ddot{\beta}^{(wt)} - \ddot{\beta}}{\ddot{s}c^{(wt)}(\ddot{\beta})}$ The percentile t-method defines interval $[\ddot{\beta} - t^*_{1-\alpha/2}\ddot{\sigma}, \dot{\beta} - t^*_{\alpha/2}\ddot{\sigma}]$ where t^*_{p} is the p-th quantile of the bootstrap distribution of t^* . **Stata* est restore probit_m1 * create bootstrap t-vatios gen t_edu-(b_education_b[education])/se_education * calculate quantiles of t-ratios potitie t_edu, p(2.5, 97.5) .* display quantiles dis_b[education] - se[education] *r(r2) dis_b[education] + se[education] *r(r2) dis_b[education] *r(r2) dis_b[education
(6]:	potile b_education, p(2.5, 97.5) * sisplay quantiles ids r(r2) * kdensity b_education, pormal * potile b_education, p(2.5, 97.5) * display quantiles dis r(r2) * display quantiles * display quantiles * dis r(r2) * display quantiles * dis r(r1) * display quantiles * dis r(r1) * display quantiles * $f(r) = \frac{\hat{\beta}}{\hat{\sigma}}(r) - \hat{\beta}$ * $\frac{\hat{\beta}}{\hat{\sigma}}(r) - \hat{\beta}$ The percentile t-method Construct for each bootstrap sample $f(r) = \frac{\hat{\beta}(r) - \hat{\beta}}{\hat{\sigma}} - \frac{\hat{\beta}}{\hat{\sigma}}(r)(\hat{\beta})$ The percentile t-method defines interval $[\hat{\beta} - t_{1-\alpha/2}^* \hat{\sigma}, \hat{\beta} - t_{\alpha/2}^* \hat{\sigma}]$ where t_r^* is the p-th quantile of the bootstrap distribution of t^* . **Stata* est restore probit_ml * create bootstrap t-ratios * gen =
(6]:	potitie b_education, $p(2.5, 97.5)$ * display quantiles dis r(r2) .* kdensity b_education, normal .petile b_education, $p(2.5, 37.5)$. display quantiles dis r(r2) . dis r(r3) . dis r(r1) . 1. the percentile t-method Construct for each bootstrap sample $t^{(r)} = \frac{\hat{\beta}^{(r)} - \hat{\beta}}{\hat{sc}^{(r)}(\hat{\beta})}$ The percentile t-method defines interval $[\hat{\beta} - t_{1-r/2}^{*}\hat{\sigma}, \hat{\beta} - t_{\alpha/2}^{*}\hat{\sigma}]$ where t_{p}^{*} is the p -th quantile of the bootstrap distribution of t^{*} . **istata* est restore probit m1 ** create bootstrap t-ratios gen t_edn=(b_education_b[education])/se_education ** calculate quantiles of t-ratios potile t_edn, $p(2.5, 97.5)$ ** display quantiles dis r(r2) dis_b[education] = se[education] *r(r2) dis_b[education] = se[education] *r(r1) ** the confidence interval dis_b[education] = se_education] /se_education ** calculate quantiles of t-ratios gen t_edn=(b_education_b[education]) /se_education ** calculate quantiles of t-ratios gen t_edn=(b_education_b[education]) /se_education ** calculate quantiles of t-ratios gen t_edn=(b_education_b[education]) /se_education ** calculate quantiles of t-ratios gentile t_edn, $p(2.5, 97.5)$ ** display quantiles dis_field(calculation) - field(calculation) /se_education ** display quantiles dis_field(calculation) - field(calculation) /se_education) /se_educ
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	The percentile function of $p(x_0, y_0, y_0, y_0)$ and $p(x_0, y_0, y_0, y_0, y_0, y_0, y_0, y_0, y$
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	percentile is deposition, $\phi(2,5,95,5)$ and $\phi(3,5)$ and
7]:	$\begin{aligned} & \text{proof is } J_{\text{control}} & $
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[7]:	So what the difference between these two different confidence interval? Which or you would prefer and white $S = \frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{2} \right) \right) \right) \left(\frac{1}{2} \left(\frac{1}{2}$
	$\begin{aligned} & \sup_{t \in \mathcal{T}_{t}} (J_{t}, J_{t}, J_{t},$
	$\begin{aligned} & \text{specially Constraints} \\ & \text{constraints} \\$
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7]:	$\begin{aligned} & & & & & & & & & & & & & & & & & & &$
77]:	The process is a control of the con