

Questions at the end of Ch 8.1 (Consider an event unusual if it has less than a 5% probability of occurring):

16)

A. \bar{x} is normally distributed, even though the population may not be normally distributed.

B. $\sigma_{\bar{x}} = 18/\sqrt{36}$

$P(\bar{x} < 62.6) = 0.32036$

Input interpretation		
$P(\bar{x} < 62.6)$ where		
$\bar{x} \approx$	normal distribution	mean $\mu = 64$
		standard deviation $\sigma = 3$
Result		
$\frac{2885629137527899}{9007199254740992} \approx 0.320369$		

C.

$P(\bar{x} \geq 68.7) = 0.05859$

Input interpretation		
$P(\bar{x} \geq 68.7)$ where		
$\bar{x} \approx$	normal distribution	mean $\mu = 64$
		standard deviation $\sigma = 3$
Result		
$\frac{4222309337190653}{72057594037927936} \approx 0.0585963$		

D.

$P(59.8 < \bar{x} < 65.9) = 0.65598$

Input interpretation		
$P(59.8 < \bar{x} < 65.9)$ where		
$\bar{x} \approx$	normal distribution	mean $\mu = 64$
		standard deviation $\sigma = 3$
Result		
$\frac{5908590717151007}{9007199254740992} \approx 0.655985$		

20)

A. $P(x < 40) = 0.18917$

Input interpretation

$P(x < 40)$ where

$x \approx$ normal distribution

mean	$\mu = 43.7$
standard deviation	$\sigma = 4.2$

Result

$\frac{3407816141479169}{18014398509481984} \approx 0.189172$

[Enlarge](#)

B. $\sigma_{\bar{x}} = 4.2/\sqrt{9}$

$P(\bar{x} < 40)$ for $n=9 = 0.00411$

Input interpretation

$P(x < 40)$ where

$x \approx$ normal distribution

mean	$\mu = 43.7$
standard deviation	$\sigma = 1.4$

Result

$\frac{592383414023623}{144115188075855872} \approx 0.00411049$

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C. $P(\bar{x} < 40)$ for $n=12 = 0.00113$

Input interpretation

$P(x < 40)$ where

$x \approx$ normal distribution

mean	$\mu = 43.7$
standard deviation	$\sigma = 1.21244$

Result

$\frac{5246782218862559}{4611686018427387904} \approx 0.00113771$

[Enlarge](#)

D. Larger sample sizes create smaller and smaller standard errors. Values farther from the sampling distribution's mean (which is equal to the population mean) become less and less likely.

E. Yes, it's unusual because the probability of the sampling distribution having a mean equal to or greater than 46 is only just above 1%.

Input interpretation

$P(x > 46)$ where

$x \approx$	normal distribution	mean	$\mu = 43.7$
		standard deviation	$\sigma = 1.08444$

Result

$$\frac{2444811948283511}{144115188075855872} \approx 0.0169643$$

Enlarge

26)

A. Without replacement, the sample size should be less than 5% of the population

B. $\sigma_{\bar{x}} = 13.1/\sqrt{40}$, $P(x < 56.8) = 0.11372$

Input interpretation

$P(x < 56.8)$ where

$x \approx$	normal distribution	mean	$\mu = 59.3$
		standard deviation	$\sigma = 2.07129$

Result

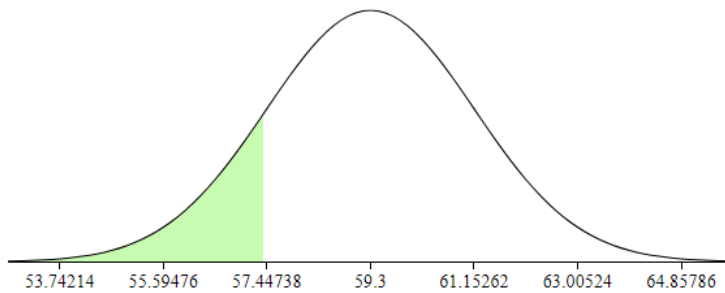
$$\frac{8194436699511495}{72057594037927936} \approx 0.113721$$

More digits

$P(A)$ is the probability of the event A

C.

Mean = SD =



Calculate boundary value(s) for a area of

☐ Show labels on plot

Value = 57.3798828 (z = -1.0364334)

...At or below 57.37988 seconds

39)

B. Larger. Distribution of sample means will be centered more around the mean for larger samples because of a smaller standard error.

A. Smaller. Distribution of sample means will have a larger standard error which means more variance and a larger proportion of the distribution lying farther away from the mean.

Questions at the end of Ch 8.2:

18)

A. Approximately normal

B. standard deviation = $\sqrt{500 \cdot 0.29 \cdot (1 - 0.29)}$, $P(x > 0.30 \cdot 500) = 0.31108$

$$p(x > 0.3 \cdot 500), \text{ mean} = 0.29 \cdot 500, \text{ standard deviation} = \sqrt{500 \cdot 0.29 \cdot (1 - 0.29)}$$

NATURAL LANGUAGE

MATH INPUT

EXTENDED KEYBOARD

EXAMPLES

UPLOAD

RANDOM

Input interpretation

$P(x > 150)$ where

$x \approx$ normal distribution

mean	$\mu = 145$
standard deviation	$\sigma = 10.1464$

$P(A)$ is the probability of the event A

Result

More digits

$$\frac{1400991104176951}{4503599627370496} \approx 0.311083$$

Plot

C.

$$p(0.25 \cdot 500 < x < 0.3 \cdot 500), \text{ mean} = 0.29 \cdot 500, \text{ standard deviation} = \sqrt{500 \cdot 0.29 \cdot (1 - 0.29)}$$

NATURAL LANGUAGE

MATH INPUT

EXTENDED KEYBOARD

EXAMPLES

UPLOAD

RANDOM

Input interpretation

$P(125 < x < 150)$ where

$x \approx$ normal distribution

mean	$\mu = 145$
standard deviation	$\sigma = 10.1464$

$P(A)$ is the probability of the event A

Result


More digits


$$\frac{5985854804328351}{9007199254740992} \approx 0.664563$$


$P(0.25 < x < 0.3) = 0.66456$


D.


$$p(x < 125), \text{ mean} = 0.29 \cdot 500, \text{ standard deviation} = \sqrt{500 \cdot 0.29 \cdot (1 - 0.29)}$$


 NATURAL LANGUAGE

 MATH INPUT

 EXTENDED KEYBOARD

 EXAMPLES

 UPLOAD

 RANDOM

Input interpretation

$P(x < 125)$ where

$x \approx$	normal distribution	mean	$\mu = 145$
		standard deviation	$\sigma = 10.1464$

$P(A)$ is the probability of the event A

Result

More digits

$$\frac{7019591745879655}{288230376151711744} \approx 0.0243541$$

Plot

$$P(x < 125) = 0.02435$$