

Alternative Energy Industry Chain Modelling

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Micro-Model Building

- Notation:

Variable	Defination	Acquire Method
c	The overall cost of mine from the upstream industry chain.	
K	The product capacity of fab planning.	
$p(K)$	The price and demand function(usually linear)	
D	Market demand, consists of two part \bar{D} and \tilde{D}	
\bar{D}	The stable demand in the market.	
\tilde{D}	The trendancy symbol of demand moving.	
h	Reputation loss since the lack of supplying.	
s	Reserving value of oversupply inventory.	

- Consider the three-node supply chain for one industry, especially new-energy lottery industry.

$$\prod_{mid} = p \cdot \min(D, K) - h(D - K)^+ + s(K - D)^+ - cK$$

$$\prod_{mid} = \int_0^K [p(D) \cdot D + s(K - D)] \cdot f(D) dD + \int_K^\infty [p(K) \cdot K - h(D - K)] \cdot f(D) dD - cK$$

- Let the first order of the former equation to 0, thus can obtain that,

$$\begin{aligned} \frac{\partial}{\partial K} \prod_{mid} &= [p(K) \cdot K - sK] \cdot f(K) + sF(K) + SK \cdot f(k) - p(K)K \cdot f(K) \\ &\quad + [p'(K) \cdot K + p(K)] \cdot \bar{F}(K) + hK \cdot f(K) + h\bar{F}(K) - hK \cdot f(K) - c \\ &= [p'(K) \cdot K + p(K)] \cdot \bar{F}(K) + h\bar{F}(K) + sF(K) - c \\ &= 0 \end{aligned}$$

- If the price function $p(D)$ maintain stable when the product has rigid market demand, the equation can be simplified to:

$$p\bar{F}(K) + h\bar{F}(K) + sF(K) = c$$

$$F_D(K) = \frac{p + h - c}{p + h - s}$$

$$K = F_D^{-1}\left(\frac{p + h - c}{p + h - s}\right)$$