Homework 4

Due Wednesday 9am September 25, 2019

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For each assignment, turn in by the due date/time. Late assignments must be arranged prior to submission. In every case, assignments are to be typed neatly using proper English in Markdown.

This week, we spoke about R and version control, munging and 'tidying' data, good programming practice and finally some basic programming building blocs. To begin the homework, we will for the rest of the course, start by loading data and then creating tidy data sets.

Problem 1

Work through the "R Programming E" lesson parts 8 and 9.

From the R command prompt:

```
library(swirl)
swirl()
```

Problem 2

Create a new R Markdown file (file->new->R Markdown->save as.

The filename should be: HW4 lastname firstname, i.e. for me it would be HW4 Settlage Bob

You will use this new R Markdown file to solve problems 4-10.

Problem 4

In the lecture, there were two links to programming style guides. What is your takeaway from this and what specifically are you going to do to improve your coding style?

In writing functions, the first link, Google's guide to R, recommended that functions be written in Big Camel Case, have a period at the start, not use period in the middle of the function name, and not use "attach()" functions. It was a good read that made me reflect on my coding style because I do virtually all of what it said not to do and not do most of what it tells us to do.

The second link also provided similar guides but with additional details, such as avoiding periods and instead use underline, avoid right-hand assigning, and put more spacing in between formulas and equations. With exception of avoiding periods, I DO follow much of guides here, which makes me proud of myself. So I guess my job is to continue doing what I have been doing correctly.

Problem 5

Good programming practices start with this homework. In the last homework, you imported, munged, cleaned and summarized datasets from Wu and Hamada's *Experiments: Planning, Design and Analysis*. In this problem, please using *lintr* to lint your last homework (if you didn't do it, perhaps the time is now;)). In my case, the command looks like this (takes a few moments to run):

```
library(lintr)
lint(filename = "/Users/ericb/Desktop/STAT_5014/HW4_Bae_Eric.Rmd")
```

Can you clean up your code to pass the major issues?? <— just a challenge, not part of the problem!!

Note that really all we have done is syntax checking and received a few stylistic suggestions. We COULD create a custom linter to check for indenting, etc. For now, I think it is enough to know there are a lot of opinions on what code should look like and working in teams requires you to code nicely!! So, clean up your code!!

From the messages, what are some things you need to change in your code?

```
It opened a "Markers" window but only thing I got was:
Line 23 Trailing whitespace is superfluous.
Line 24 Trailing whitespace is superfluous.

I am going to assume that is a good sign that I am on the right track.
```

Problem 6

A situation you may encounter is a data set where you need to create a summary statistic for each observation type. Sometimes, this type of redundancy is perfect for a function. Here, we need to create a single function to:

- 1. calculate the mean for dev1
- 2. calculate the mean for dev2
- 3. calculate the sd for dev1
- 4. calculate the sd for dev2
- 5. calculate the correlation between dev1 and dev2
- 6. return the above as a single data.frame

We will use this function to summarize a dataset which has multiple repeated measurements from two devices by thirteen Observers. In the current lecture directory, you will see a file "HW4_data.rds". Please load the file (?readRDS – really nice format for storing data objects), loop through the Observers collecting the summary statistics via your function for each Observer separately.

The output of this problem should be:

- a. A single table of the means, sd, and correlation for each of the 13 Observers
- b. A box plot of all the means to compare the spread of means from dev1 to dev2
- c. A violin plot of all the sd to compare the spread of sd from dev1 to dev2

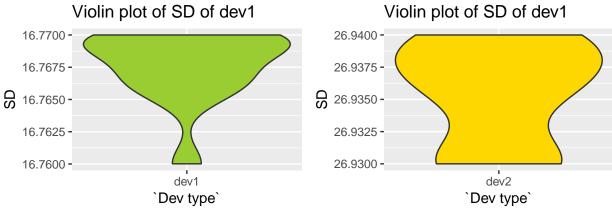
I will look at the code and comment on it, so make it NICE!!

```
Dat <- readRDS("/Users/ericb/Desktop/STAT_5014/Hw4_data.rds")

Summary_Stat <- function(dat) {
    # Download packages
    if (!("tidyr" %in% installed.packages())) {
        install.packages("tidyr")
    }
    if (!("dplyr" %in% installed.packages())) {
        install.packages("dplyr")
    }
    if (!("ggplot2" %in% installed.packages())) {
        install.packages("dplyr")
    }
    if (!("gridExtra" %in% installed.packages())) {</pre>
```

```
install.packages("dplyr")
}
# Load Packages
require(tidyr)
require(dplyr)
require(ggplot2)
require(gridExtra)
# Tibbles
dat_tibble <- as_tibble(dat)</pre>
dat_summary <- dat_tibble %>%
  group by(Observer) %>%
 summarize(`Mean of dev1` = mean(dev1),
            'Mean of dev2' = mean(dev2),
            `SD of dev1` = sd(dev1),
            SD 	ext{ of } 	ext{dev2} = sd(	ext{dev2}),
            Correlation = cor(dev1, dev2))
# Convert to data frame
dat_summary_df <- as.data.frame(dat_summary)</pre>
# Organize data for plotting
dev1_type <- rep("dev1", nrow(dat_summary_df))</pre>
dev2_type <- rep("dev2", nrow(dat_summary_df))</pre>
# Subsetting means from original data frame
dev1_mean_df <- cbind.data.frame(dat_summary_df$ Mean of dev1, dev1_type)
dev2_mean_df <- cbind.data.frame(dat_summary_df$`Mean of dev2`, dev2_type)</pre>
colnames(dev1_mean_df) <- colnames(dev2_mean_df) <- c("Mean", "Dev type")</pre>
# Subsetting SD from original data frame
dev1_sd_df <- cbind.data.frame(dat_summary_df$`SD of dev1`, dev1_type)</pre>
dev2_sd_df <- cbind.data.frame(dat_summary_df$^SD of dev2^, dev2_type)</pre>
colnames(dev1_sd_df) <- colnames(dev2_sd_df) <- c("SD", "Dev type")</pre>
# Box plots of means
dev1_box <- ggplot(dev1_mean_df, aes(x = `Dev type`, y = `Mean`)) +</pre>
  geom_boxplot(fill = "hotpink") +
  ggtitle("Boxplot of mean of dev1")
dev2_box <- ggplot(dev2_mean_df, aes(x = `Dev type`, y = `Mean`)) +</pre>
  geom_boxplot(fill = "skyblue") +
 ggtitle("Boxplot of mean of dev2")
# Violin plots of SDs
dev1_violin <- ggplot(dev1_sd_df,</pre>
                       aes(x = Dev type, y = SD)) +
 geom_violin(fill = "yellowgreen") +
  ggtitle("Violin plot of SD of dev1")
dev2_violin <- ggplot(dev2_sd_df,</pre>
                       aes(x = Dev type, y = SD)) +
  geom_violin(fill = "gold") +
  ggtitle("Violin plot of SD of dev1")
```

```
grid.arrange(dev1_box, dev2_box,
               dev1_violin, dev2_violin, nrow = 2)
  return(dat_summary_df)
}
# Run our function on the data set
Summary Stat(Dat)
## Warning: `as_dictionary()` is soft-deprecated as of rlang 0.3.0.
## Please use `as_data_pronoun()` instead
## This warning is displayed once per session.
## Warning: `new_overscope()` is soft-deprecated as of rlang 0.2.0.
## Please use `new_data_mask()` instead
## This warning is displayed once per session.
## Warning: The `parent` argument of `new_data_mask()` is deprecated.
## The parent of the data mask is determined from either:
##
##
     * The `env` argument of `eval_tidy()`
     * Quosure environments when applicable
##
## This warning is displayed once per session.
## Warning: `overscope_clean()` is soft-deprecated as of rlang 0.2.0.
## This warning is displayed once per session.
           Boxplot of mean of dev1
                                                         Boxplot of mean of dev2
                                                  47.8400 -
   54.2700 -
                                                  47.8375 -
   54.2675
54.2650
                                                  47.8350 -
   54.2625 -
                                                  47.8325 -
   54.2600 -
                                                  47.8300 -
                          dev1
                                                                        dev2
                                                                     `Dev type`
                       'Dev type'
           Violin plot of SD of dev1
                                                         Violin plot of SD of dev1
                                                  26.9400 -
   16.7700
   16.7675 -
                                                  26.9375
```



```
##
      Observer Mean of dev1 Mean of dev2 SD of dev1 SD of dev2 Correlation
## 1
                    54.26610
                                 47.83472
                                                         26.93974 -0.06412835
             1
                                             16.76982
                                             16.76924
## 2
             2
                    54.26873
                                 47.83082
                                                         26.93573 -0.06858639
## 3
             3
                    54.26732
                                 47.83772
                                             16.76001
                                                         26.93004 -0.06834336
## 4
             4
                    54.26327
                                 47.83225
                                             16.76514
                                                         26.93540 -0.06447185
             5
## 5
                    54.26030
                                 47.83983
                                             16.76774
                                                         26.93019 -0.06034144
                    54.26144
                                                         26.93988 -0.06171484
## 6
             6
                                 47.83025
                                             16.76590
             7
## 7
                    54.26881
                                 47.83545
                                             16.76670
                                                         26.94000 -0.06850422
## 8
             8
                    54.26785
                                 47.83590
                                             16.76676
                                                         26.93610 -0.06897974
             9
## 9
                    54.26588
                                 47.83150
                                             16.76885
                                                         26.93861 -0.06860921
## 10
            10
                    54.26734
                                 47.83955
                                             16.76896
                                                         26.93027 -0.06296110
## 11
            11
                    54.26993
                                 47.83699
                                             16.76996
                                                         26.93768 -0.06944557
## 12
            12
                    54.26692
                                 47.83160
                                             16.77000
                                                         26.93790 -0.06657523
## 13
            13
                    54.26015
                                 47.83972
                                             16.76996
                                                         26.93000 -0.06558334
```

Problem 7

Some numerical methods are perfect candidates for funtions. Create a function that uses Reimann sums to approximate the integral:

$$f(x) = \int_0^1 e^{-\frac{x^2}{2}}$$

The function should include as an argument the width of the slices used. Now use a looping construct (for or while) to loop through possible slice widths. Report the various slice widths used, the sum calculated, and the slice width necessary to obtain an answer within $1e^{-6}$ of the analytical solution.

Note: use good programming practices.

```
riemann_sum <- function(width) {
  # Define attributes
  est_sum <- sum_error <- rep(NA, length(width))</pre>
  sum error2 <- 2
  ub <- 1 # Upper bound
  1b <- 0 # Lower bound
  # True density
  true_solution <- sqrt(2 * pi) * (pnorm(ub) - pnorm(lb))</pre>
  k <- 1
  # Loop to generate estimated sum and error
  while (abs(sum_error2) > 1e-6) {
    width.k <- width[k]</pre>
    lw_lim <- seq(lb, ub, width.k)</pre>
    lw_lim <- lw_lim[-length(lw_lim)]</pre>
    up_lim <- seq(lb, ub, width.k)[-1]
    mid_point <- (lw_lim + up_lim) / 2</pre>
    F_x \leftarrow \exp(-\text{mid\_point } 2 / 2)
    est sum[k] <- sum(width.k * F x)
    sum_error[k] <- true_solution - est_sum[k]</pre>
    sum_error2 <- sum_error[k]</pre>
```

```
necessary_width <- width.k</pre>
    k \leftarrow k + 1
  }
  # Creating summary table
  summary_table <- cbind.data.frame(width[1:k], est_sum[1:k],</pre>
                                         sum_error[1:k])
  rownames(summary_table) <- 1:k</pre>
  colnames(summary_table) <- c("Widths Tested", "Estimated Sum",</pre>
                                  "Riemann Sum Error")
  summary_table <- round(summary_table, 7)</pre>
  return(list(summary_table = summary_table,
               width = width, est_sum = est_sum,
               necessary_width = necessary_width))
}
# Testing my fuction with various widths
width_tested <- c(1, cumprod(rep(1 / 2, 50)))</pre>
riemann_summary <- riemann_sum(width_tested)</pre>
riemann_summary$summary_table
##
      Widths Tested Estimated Sum Riemann Sum Error
## 1
           1.0000000
                          0.8824969
                                             -0.0268725
## 2
           0.5000000
                          0.8620364
                                             -0.0064120
## 3
           0.2500000
                          0.8572097
                                             -0.0015853
## 4
          0.1250000
                          0.8560196
                                             -0.0003952
## 5
           0.0625000
                          0.8557231
                                             -0.0000987
          0.0312500
                                             -0.0000247
## 6
                          0.8556491
## 7
                                             -0.0000062
           0.0156250
                          0.8556306
## 8
           0.0078125
                          0.8556259
                                             -0.0000015
                                             -0.000004
## 9
           0.0039062
                          0.8556248
## 10
           0.0019531
                                                     NA
```

riemann_summary\$necessary_width

[1] 0.00390625

Problem 8

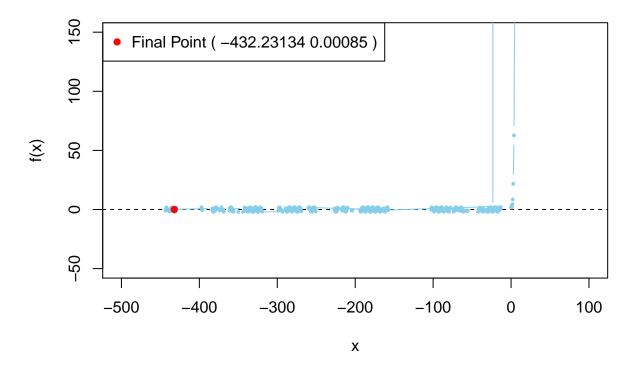
Create a function to find solutions to (1) using Newton's method. The answer should include the solutions with tolerance used to terminate the loop, the interval used, and a plot showing the iterations on the path to the solution.

$$f(x) = 3^x - \sin(x) + \cos(5x) \tag{1}$$

```
newtons_method <- function(init_value, tolerance = 1e-3) {
   x0 <- init_value
   f_x0 <- 3 ^ x0 - sin(x0) + cos(5 * x0)
   df_x0 <- 3 ^ x0 * log(3) - cos(x0) + 5 * sin(5 * x0)
   plot(x0, f_x0, pch = 16, cex = 0.5, col = "skyblue",</pre>
```

```
xlim = c(-500, 100), ylim = c(-50, 150),
       xlab = "x", ylab = "f(x)", main = "Newton's Method")
  abline(h = 0, lty = 2)
  # Initial values set up
  x_{points} \leftarrow matrix(0, nrow = 2, ncol = 2)
  x_{interval} \leftarrow c(x0, x0)
  y_{interval} \leftarrow c(f_x0, f_x0)
  trial <- 0
  while ( (abs(f_x0) > tolerance) | (trial < 1000) ) {
    x_points[1, ] \leftarrow c(x0, f_x0)
    x1 <- x0 - f_x0 / df_x0
    x0 <- x1
    f_x0 \leftarrow 3 \hat{x}0 - \sin(x0) + \cos(5 * x0)
    df_x0 \leftarrow 3 \hat{x}0 * log(3) - cos(x0) + 5 * sin(5 * x0)
    # Updating information
    x_{points}[2, ] \leftarrow c(x0, f_x0)
    x_interval <- c(min(x0, min(x_interval)), max(x0, max(x_interval)))</pre>
    y_interval <- c(min(f_x0, min(y_interval)), max(f_x0, max(y_interval)))</pre>
    points(x_points, pch = 16, cex = 0.5, col = "skyblue", type = "b")
   trial <- trial + 1
  }
  points(x_points[2, 1], x_points[2, 2], pch = 16, col = "red")
  x_points <- round(x_points, 5)</pre>
  legend("topleft",
         legend = paste("Final Point", "(",
                          x_points[2, 1], x_points[2, 2], ")"),
         pch = 16, col = "red")
 return(list(root = x0, x_interval = x_interval,
               y_interval = y_interval, tolerance = tolerance))
}
# Testing my value
newtons method(0)
```

Newton's Method



Problem 9

Finish this homework by pushing your changes to your repo.

Only submit the .Rmd and .pdf solution files. Names should be formatted $HW4_lastname_firstname.Rmd$ and $HW4_lastname_firstname.pdf$

Optional preparation for next class:

Next week we will talk about Exploratory Data Analysis and graphing. Swirl will be a bit part of this. Check out "Exploratory_Data_Analysis" Swirl lessons 1-10.